Modelling of Nanotube Based Actuators and Experimental Validation

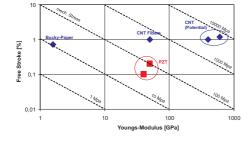
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Potential of Nanotubes as actuators

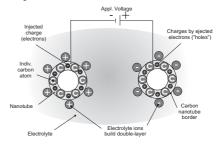
Properties of Nanotube based actuators:

- High stress generation
- High free stroke
- Low density Low voltage Low dynamics



Effect of Nanotube actuation

- Electrostatic interaction between CNT π band and ions (major effect)
- Charge transfer from ions to the nanotube



¹ Shankar Gosh, Vikram Gadagkar, A.K. Sood, Chemical Physics Letters 406 (2005) 10-14

Basis of analytical model

Conservative energies:

$$E = \frac{Q^2}{2C} - U^eQ + \kappa \frac{S^2}{2} - F^eS$$
 Dissipating forces:

$$\dot{S} = -\gamma \cdot F$$

$$\dot{Q} = -\sigma \cdot U$$

Variation of Energy regarding S und Q leads to:

$$F = \frac{Q^2}{2} \frac{d}{dS} C^{-1} + \kappa S - F^e$$

$$U = \frac{Q}{G} - U^e$$

Approximation:

$$C^{-1} = C_0^{-1} - \alpha \cdot S$$

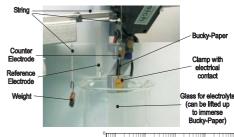
Inclusion of energy dissipation yields the system equations:

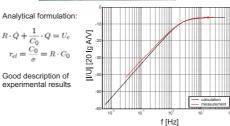
$$\dot{S} = -\gamma (\kappa \cdot S - F_e - \frac{Q^2}{2}\alpha)$$

$$\dot{Q} = -\sigma \left(\frac{Q}{C_0} - U_e\right)$$

Electrical Properties

Experimental Test Setup





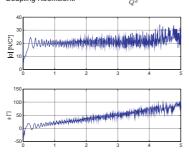
Mechanical and Coupling Properties

$$\cdot \dot{S} + \kappa \cdot S = F_e$$
 $\tau_{mech} = \frac{1}{\kappa \cdot \gamma}$

Koefficients determined by DMA

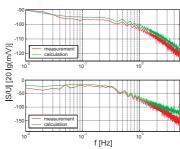
Coupling Koefficient:

$$\alpha = \frac{2 \cdot \kappa \cdot S}{2}$$



Full electro-mechanical System

Transfer function: Input: Voltage, Output: Displacement



- Next Steps:
 Application for other voltage ranges
 Refinement of model e.g. by use of CPE
 Application to solid electrolyte systems