Dissertation zur Erlangung des Doktorgrades
der Fakultät für Chemie und Pharmazie
der Ludwig-Maximilians-Universität München

# Theoretical Investigations in Nucleophilic Organocatalysis 

von
Boris Maryasin
aus
Nizhny Novgorod, Russland

## Erklärung

Diese Dissertation wurde im Sinne von § 13 Abs. 3 bzw. 4 der Promotionsordnung vom 29. Januar 1998 (in der Fassung der sechsten Änderungssatzung vom 16. August 2010) von Prof. Dr. Hendrik Zipse betreut.

## Ehrenwörtliche Versicherung

Diese Dissertation wurde selbständig, ohne unerlaubte Hilfe erarbeitet.

München, 09.05.2011

Boris Maryasin

Dissertation eingereicht am 09.05.2011

1. Gutachter:
2. Gutachter:

Prof. Dr. Hendrik Zipse
Prof. Dr. Christian Ochsenfeld

Die vorliegende Arbeit wurde in der Zeit von Juli 2007 bis Januar 2011 am Department Chemie und Biochemie der Ludwig-Maximilians-Universität München unter der Anleitung von Herrn Prof. Dr. Hendrik Zipse durchgeführt.

## To my family

## Acknowledgments

My first "thank you very very much!" goes to Prof. Dr. Hendrik Zipse for the interesting and beautiful time in his research group, for support and for inspiration! Critical way of thinking, ideas, questions, comments, constructive discussions from Professor Zipse do help! I do appreciate everything that I have got from my Teacher and I will never forget. Vielen herzlichen Dank!

I thank Prof. Dr. Christian Ochsenfeld for agreeing to be my "Zweitgutachter"! I would like to thank also Prof. Dr. Konstantin Karaghiosoff, Prof. Dr. Manfred Heuschmann, Prof. Dr. Paul Knochel and Prof. Dr. Andreas Kornath for the interest to the present work and for accepting to be my examiners.

I am very indebted to Prof. Yitzhak Apeloig, for giving me the opportunity to spend several months in his group at the Technion - Israel Institute of Technology (Haifa, Israel) during my master study - this was my first serious meeting with my beloved computational chemistry! And I say "thank you" to my advisors from bachelor and master studies in Nizhny Novgorod State University (Nizhny Novgorod, Russia) - to Prof. Sergey Zelentsov and Prof. Alexey Fedorov. During my PhD study I was happy to visit group of Prof. Shi Min from Shanghai Institute of Organic Chemistry (China, Shanghai), thank you very much, Prof. Shi, for fruitful discussions and kind help!

Thank you, my dear friends and colleagues Johnny Hioe and Elija Wiedemann for careful reading and correcting of the present manuscript! My thanks come to all present as well as former members of our research group, especially to Dr. Yin Wei, Dr. Ingmar Held, Dr. Yinghao Liu, Johnny Hioe, Sven Österling, Evgeny Larionov, Florian Achrainer, Christoph Lindner, Raman Tandon, Dr. Valerio D'Elia, Elija Wiedemann, Regina Bleichner, Jowita Humin, Florian Barth, Michael Miserok, Cong Zhang and to all my friends in Germany!

I thank Ludwig-Maximillians-Universität München for financial support and LeibnizRechenzentrum München for providing computational facilities.

And the huge "Thank You" I give to my family. My parents and sister are indeed "holding" me like atlantes, even via Skype from Russia. I do not really want to generate words now - it will be always too small and weak as compared to what I feel, thinking about you. My destiny was so kind to bring me "additional" present - another "atlant" - or, strictly speaking, - "caryatid" - Veronika, my love! Dear papa and mama, Irka\&Mashka and my Nika, this work is dedicated to you! Thank you very much for your love!

## List of Abbreviations and Symbols

| ${ }^{\circ} \mathrm{C}$ | Degree Celsius |
| :---: | :---: |
| $\ddagger$ | transition state |
| A | Ångstrøm |
| a.u. | atomic units |
| Ac | acetyl |
| Ar | aryl |
| aug-cc-pVXZ | Dunning's correlation consistent basis set $(X=D$ (double), $X=T$ (triple), $\mathrm{X}=\mathrm{Q}$ (quadruple)) augmented (aug) with diffuse functions |
| aza-MBH | aza-Morita-Baylis-Hillman reaction |
| B2K-PLYP | double-hybrid density functional for thermochemical kinetics developed by Martin |
| B2-PLYP | double-hybrid density functional by Grimme |
| B3LYP | the hybrid density functional including Becke's three-parameter exchange functional and Lee-Yang-Parr's correlation functional |
| B97-D | Grimme's density functional including dispersion |
| B98 | Becke's 1998 revisions to Becke's 1997 hybrid density functional (B97) |
| BP | Becke-Perdew density functional |
| BP86 | combination of the local Slater-Dirac exchange functional, the correlation functional by Vosko, Wilk, and Nusair (VWN (V)), Becke's gradient corrected exchange functional B88, and the gradient corrected correlation functional by Perdew (P86) |
| BPC | bifunctional phosphane catalyst |
| BSSE | basis set superposition error |
| cal | calorie |
| calc. | calculated |
| CBS | complete basis set |
| $\operatorname{CCSD}(\mathrm{T})$ | coupled-cluster with single and double and perturbative triple excitations |
| conv. | convergence |
| d | day |
| DABCO | 1,4-diazabicyclo[2.2.2]octan |
| def2-QZVPP | second-generation default (def2) valence quadruple zeta (QZV) heavily polarized (PP) basis set by Ahlrichs |
| DFT | density functional theory |
| DMAP | 4-dimethylaminopyridine |
| DMSO | dimethyl sulfoxide |
| $\boldsymbol{E}_{\text {FLP }}$ | frustration energy |
| EPR | electron paramagnetic resonance |
| eqn. | equation |
| Et | ethyl |
| $E_{\text {tot }}$ | total energy |
| EWG | electron withdrawing group |
| exp. | experimental |
| FLP | frustrated Lewis pair |
| G2 | gaussian-2 theory |
| G2(MP2) | cheaper variation of G2 |
| G3 | gaussian-3 theory |
| G3(MP2)MPW1K(+) | adaptation of G3(MP2) theory (cheaper variant of G3) based on geometries and zero point vibrational energies calculated at the |


|  | of theory |
| :---: | :---: |
| G3B3 | G3 with geometries and zero-point vibrational energies calculated at B3LYP/6-31G(d) level of theory |
| G3large | an extension of $6-311 \mathrm{G}(\mathrm{d}, \mathrm{p})$ basis set with more flexible polarization functions ( 2 df ) and polarization of the core electrons (3d2f on $\mathrm{Na}-\mathrm{Ar}$ ). This basis set is used as the 'limiting HF' basis set in the G3 method. |
| G3MP2large | G3large basis set excluding core polarization functions. |
| G3MPW1K(+) | G3B3 using MPW1K/6-31+G(d) instead of B3LYP/6-31G(d) |
| GIAO | gauge including (invariant) atomic orbitals |
| h | Planck constant ( $6.62 \times 10^{-34} \mathrm{~J} \mathrm{~s}$ ) |
| h | Hour |
| HOMO | highest occupied molecular orbital |
| IGLO | individual gauge for localized orbitals |
| Int | intermediate |
| J | Joule |
| K | Kelvin |
| $k$ | rate constant |
| k | kilo |
| $k_{B}$ | Boltzmann constant ( $1.38 \times 10^{-23} \mathrm{~J} \mathrm{~K}^{-1}$ ) |
| LA | Lewis acid |
| LB | Lewis base |
| LP | Lewis pair |
| LUMO | lowest unoccupied molecular orbital |
| M05-2X | the hybrid functional of Truhlar and Zhao |
| MA | Michael acceptor |
| MAD | mean absolute deviation |
| MBH | Morita-Baylis-Hillman reaction |
| MCA | methyl cation affinity |
| Me | methyl |
| min. | minute |
| MM3 | molecular mechanics developed by Allinger |
| MO | molecular orbital |
| mol | mole |
| MP2(FC) | second-order Møller-Plesset perturbation theory with frozen core approximation |
| MP2(FULL) | second-order Møller-Plesset perturbation theory; inner-core electrons are included |
| MP2-5 | MP2(FC)/6-31+G(2d,p)//B98/6-31G(d) |
| MPW1K | modified Perdew-Wang one parameter hybrid density functional for kinetics |
| MVK | methyl vinyl ketone |
| MVKA | methyl vinyl ketone affinity |
| MVKA-c | methyl vinyl ketone affinity (cyclic complex) |
| NBO | natural bond orbital |
| NMR | nuclear magnetic resonance |
| NPA | natural population analysis |
| Nu | nucleophile |
| OPLS-AA | optimized potentials for liquid simulations in the all-atom version force field developed by Jorgensen |
| PCM | polarizable continuum model |
| PDLB2 | pyridine-derived Lewis base catalyst |


| Ph | phenyl |
| :---: | :---: |
| $\mathrm{p} K_{\mathrm{a}}$ | negative $\lg$ of acid dissociation constant ( $K_{\mathrm{a}}$ ) |
| PNP | $p$-nitrophenol |
| ppm | parts per million |
| R | common organic substituent or (R)-configured enantiomer |
| $\boldsymbol{R}$ | universal gas constant (8.314510 $\mathrm{J} \mathrm{mol}^{-1} \mathrm{~K}^{-1}$ ) |
| RDS | rate-determining state |
| RHF | restricted Hartree-Fock |
| RT | room temperature |
| S | (S)-configured enantiomer |
| S | Entropy |
| SCF | self-consistent field |
| SCS-MP2 | spin-component scaled second-order Møller-Plesset perturbation theory |
| $T$ | Temperature |
| $\mathrm{t}_{1 / 2}$ | half-life time |
| THF | Tetrahydrofuran |
| TS | transition state |
| TZVP | the Ahlrichs' type triple- $\zeta$ basis sets with one set of polarization functions |
| TZVPP | the Ahlrichs' type triple- $\zeta$ basis sets with two sets of polarization functions |
| UAHF | united Atom for Hartree-Fock |
| UAKS | united atom Kohn-Sham |
| vs. | Versus |
| XKA | " X " ketone affinity |
| X-YZ+G(ndf,mpd) | valence-double- $\zeta$ basis set by Pople and coworkers supplemented by polarization (df,pd) and diffuse (+ or ++) functions, e.g. $6-31+\mathrm{G}(2 \mathrm{~d}, \mathrm{p})$ |
| X-YZW+G(ndf,mpd) | valence-triple- $\zeta$ basis set by Pople and coworkers supplemented by polarization (df,pd) and diffuse ( + or ++ ) functions, e.g. $311++G(2 d, 2 p)$ |
| ZPE | zero-point energy |
| $\delta$ | chemical shift |
| $\Delta \boldsymbol{G}_{298}$ | Gibbs free energy at 298K |
| $\Delta H_{298}$ | enthalpy at 298 K |
| $\sigma$ | shielding |

## Parts of this Ph.D. Thesis have been published

1. Theoretical Studies of ${ }^{31} \mathrm{P}$ NMR Spectral Properties of Phosphanes and Related Compounds in Solution
B. Maryasin and H. Zipse, Phys. Chem. Chem. Phys., 2011, 13, 5150-5158
2. Methyl cation affinity (MCA) values for phosphanes
C. Lindner, B. Maryasin, F. Richter and H. Zipse, J. Phys. Org. Chem., 2010, 23, 1036 1042
3. The Performance of Computational Techniques in Locating the Charge Separated Intermediates in Organocatalytic Transformations
Y. Wei, B. Sateesh, B. Maryasin, G. N. Sastry, H. Zipse, J. Comput. Chem., 2009, Vol. 30, No. 16, 2617-2624

## Table of Contents

1. General Introduction ..... 1
1.1. Morita-Baylis-Hillman Reaction ..... 1
1.2. Frustratedness of Lewis Acid - Lewis Base Pairs ..... 3
1.3. Acylation Reactions Catalyzed by DMAP Derivatives ..... 3
1.4. References ..... 5
2. Theoretical Studies of ${ }^{31} P$ NMR Spectral Properties of Phosphanes and Related Compounds Relevant in Organocatalytic Processes
2.1. Development of a New Approach for ${ }^{31}$ P NMR Shift Predictions ..... 6
2.1.1. Introduction ..... 6
2.1.2. Results and Discussion ..... 7
2.1.3. Conclusions ..... 23
2.2. Application of the Proposed Approach to the MBH Reaction ..... 24
2.2.1. Introduction ..... 24
2.2.2. Results and discussions ..... 26
2.2.3. Conclusions ..... 38
2.3. References ..... 39
3. The Catalytic Cycle of the Morita-Baylis-Hillman Reaction ..... 43
3.1. Introduction ..... 43
3.2. Choice of the Methods ..... 45
3.3. Results and Discussion ..... 46
3.3.1. Michael Addition of MVK to $\mathrm{PPh}_{3}$ ..... 50
3.3.2. Addition of the Aldehyde: C-C Bond Formation ..... 52
3.3.3. The Proton Transfer ..... 54
3.3.4. The Product Elimination Step ..... 56
3.3.5. The Diastereomeric Pathways ..... 57
3.3.6. Calculated Results and Literature Kinetic Data in Comparison ..... 57
3.4. References ..... 60
4. Protonation/Deprotonation Equilibria in the Morita-Baylis-Hillman ..... 61 Reaction
4.1. Introduction ..... 61
4.2. The Acidity of Enolate Intermediates ..... 62
4.3. Benchmarking Calculations and Extension to Different Nucleophiles and ..... 65
Substrates
4.4. Conclusions ..... 70
4.5. References ..... 71
5. Description of Organocatalytic Reactivity ..... 72
5.1. Introduction ..... 72
5.2. MCA. Choice of the Systems and Methods ..... 73
5.2.1. Systems ..... 73
5.2.2. Methods ..... 73
5.2.3. Development of MM3 Force Field Parameters for Phosphonium ..... 73Derivatives and a Scheme for Accurate Conformational Search
5.3. MCA Values for Phosphanes ..... 80
5.3.1. Phosphanes With Unbranched and Branched Acyclic Substituents and ..... 80
Cyclic Substituents
5.3.2. Cyclophane-substituted and Cyclic Phosphanes ..... 85
5.4. MVKA and XKA ..... 90
5.4.1. MVKA of Recently Synthesized Bifunctional Phosphane Catalysts ..... 91
5.4.2. Correlation of MVKA and Experimentally Measured Kinetic Data for ..... 96 BPC Catalysts
5.4.3. XKA of Triphenylphosphane and Pyridine-derived Lewis Base ..... 97
Catalysts using Three Different Michael Acceptors. Experiment and theory in Comparison
5.5. Conclusions ..... 103
5.6. References ..... 104
6. The Frustratedness of Lewis acid - Lewis Base Pairs ..... 105
6.1. Introduction ..... 105
6.2. Results and Discussion ..... 107
6.2.1. Geometry Optimization ..... 107
6.2.2. Energies ..... 115
6.3. Conclusions ..... 122
6.4. References ..... 123
7. Theoretical Studies of the Acylation Reaction Catalyzed by DMAP with ..... 124 Participation of Aryl Derivatives
7.1. Introduction ..... 122
7.2. The Background Reaction ..... 125
7.3. Nucleophilic Catalysis vs. Base Catalysis ..... 127
7.4. The Influence of Donor and Acceptor Substituents in the Aromatic Ring of ..... 129 the Alcohol
7.5. Conclusions ..... 133
7.6. References ..... 134
8. General Conclusions ..... 135
9. Appendix ..... 140
9.1. General Details ..... 140
9.2. Calculated Data for Chapter 2: Shielding Values, Total Energies, Free ..... 140
Energies
9.3. Calculated Data for Chapter 3 ..... 156
9.4. Calculated Data for Chapter 4 ..... 158
9.5. Calculated Data for Chapter 5 ..... 163
9.5.1. Energies of Scan Calculations Performed During Development of ..... 163
MM3 Force Field Parameters for Phosphonium Derivatives
9.5.2. Phosphanes With Unbranched and Branched Acyclic Substituents and ..... 177 Cyclic Substituents
9.5.3. Cyclophane-Substituted Phosphanes ..... 185
9.5.4. Cyclic Phosphanes ..... 188
9.5.5. MVKA of Recently Synthesized Bifunctional Phosphane Catalysts ..... 190
9.5.6. XKA of Triphenylphosphane and Pyridine-derived Lewis Base ..... 192
Catalyst Using Three Different Michael Acceptors. Experiment and Theory in Comparison9.6. Calculated Data for Chapter 6194
9.7. Calculated Data for Chapter 7 ..... 198

## 1. General Introduction

Organocatalysis has a long history, but at the same time it is a currently rapidly growing field. The first example of organocatalys in the variant of benzoin condensation under cyanide catalysis was shown by Justus von Liebig und Friedrich Wöhler in 1832, ${ }^{[1]}$ but the term "organocatalysis" was introduced by MacMillan only in 2000 for highly enantioselective organocatalytic Diels-Alder reactions, ${ }^{[2]}$ and nowadays the development of organocatalysis proceeds briskly. ${ }^{[3]}$ Obviously the pace will increase in the future, since the main goal of organocatalysis is synchronized with "green chemistry" - to develop environmentally friendly methods obviating the use of toxic metal-based catalysts. Since organocatalysis has become popular in modern organic chemistry, immediately a lot of mechanistically related questions arise, e.g.: What is the mechanism of a particular transformation? How to investigate the mechanism? What kind of molecule can serve as the most efficient and selective catalyst for a given reaction? In spite of a large amount of studies such questions stay topical due to the complexity and ambiguity of organocatalytic transformations. The main goal of the present work is to make a step in the direction of organocatalysis mechanisms understanding. As the major topic to study the Morita-BaylisHillman (MBH) reaction catalyzed by phosphorus- and nitrogen-containing organocatalysts has been chosen. Two additional topics: the frustratedness of Lewis acid - Lewis base pairs and acylation reactions catalyzed by 4-dimethylaminopyridine (DMAP) are considered. These three subareas will be now briefly reviewed and the motives and scopes of this thesis will be introduced.

### 1.1. Morita-Baylis-Hillman Reaction

The Morita-Baylis-Hillman (MBH) reaction is a reaction of aldehydes with electrondeficient alkenes catalyzed by Lewis bases (phosphines or amines). ${ }^{[4]}$


Scheme 1.1 MBH reaction.

The MBH reaction has a series of advantages (e.g. atom economy), but also the big problem of a notoriously low reaction rate. Any attempt to improve the MBH reaction efficiency leads to the necessity of a better understanding of the reaction mechanism. In spite
of numerous studies in the field of MBH reaction mechanisms, there is still no agreement between different hypotheses. Currently it is accepted that the reaction involves a sequence of Michael addition, aldol reaction and $\beta$-elimination steps. The respective catalytic cycle is shown in Scheme. 1.2








Scheme 1.2 Proposed mechanism of the MBH reaction.

Topical questions are related to the zwitterionic intermediates, since their experimental detection is complicated, ${ }^{[5]}$ also to transition states and the nature of the rate-limiting steps. ${ }^{[6]}$ In the present study attempts to reinvestigate the mechanism for a "real-life" system will be shown - the major aim was to reject small model systems, which are often used in computational studies, but they are practically far away from experiment. First of all a way of interplay between experimental and theoretical mechanistically related studies is suggested: development and testing of a reliable approach for ${ }^{31} \mathrm{P}$ NMR chemical shift calculations in solution will be shown in chapter 2 . This point can be helpful for assigning ${ }^{31} \mathrm{P}$ NMR chemical shifts obtained in phosphane-catalyzed MBH reactions. Chapter 3 is devoted to a detailed investigation of the MBH catalytic cycle and possible side reactions. The latter are often ignored in mechanistical studies. It will be shown how important can be the consideration of side reactions, in particular the protonation of zwitterionic intermediates this will be addressed in chapter 3 and then in detail studied in chapter 4 . Finally in chapter 5 a Methyl Cation Affinity approach (MCA) as a descriptor of catalytic activity will be tested and a new descriptor of catalytic activity - "X ketone affinity" (XKA) that can easily and quickly bring important preliminary information on the efficiency and selectivity of any MBH catalyst will be suggested.

### 1.2. Frustratedness of Lewis Acid - Lewis Base Pairs

A peculiar type of organocatalysts are so called Frustrated Lewis Pairs (FLP). FLP is a compound or mixture containing a Lewis acid and a Lewis base that, because of steric hindrance, cannot combine to form an adduct. ${ }^{[7]}$ Due to their "unslaked" reactivity, these systems are very active and can split dihydrogen heterolytically (Scheme 1.3), thus they promise to be efficient for hydrogenation processes.


Scheme 1.3 Activation of dihydrogen $\mathrm{H}_{2}$ through reaction with a frustrated Lewis pair.

FLP chemistry is currently a "hot" topic in organic chemistry and obviously it needs theoretical support as a guide line. The mechanism of the FLP formation and the subsequent splitting reaction, the structural properties of FLP, the interplay between the structure and reactivity - all these aspects and many others are not well understood today. The term "Frustratedness" of FLP by itself is not clearly defined and it is arguable. Moreover the literature data for even small ("unfrustrated") LA-LB pairs are scarce. In chapter 6 a development of a computational approach which can accurately describe the LA-LB pairs geometrical and energetic characteristics will be presented.

### 1.3. Acylation Reactions Catalyzed by DMAP Derivatives

The acylation of alcohols and amines is a common transformation and it can be promoted by a variety of catalysts. ${ }^{[8]}$ Special attention has to be drawn to DMAP and its derivatives, which have been extensively applied as esterification catalysts since the pioneering reports made by Steglich and Höfle ${ }^{[9]}$ and by Litvinenko and Kirichenko ${ }^{[10]}$ almost simultaneously in the 1960s. Today the field is still developing in the direction of new, more active and also enantioselective catalysts. ${ }^{[11]}$


Scheme 1.4 DMAP-catalyzed esterification.

The development of new catalysts obviously needs understanding of mechanism and therefore recently high quality mechanistic studies have been performed. ${ }^{[8,12]}$ The accepted mechanism involves the acylpyridinium intermediate (Scheme 1.5, on example of acetylation by acetic anhydride)


Scheme 1.5 Proposed mechanism for DMAP-catalyzed acylation reaction.

It has been shown, that this mechanism can be in competition with a concerted base catalysis pathway, avoiding formation of acylpiridinium intermediates. For many cases the latter pathway is less favorable, however, the difference between these mechanisms depends on the system. DFT calculations that continue a series of studies in esterification mechanisms of the Zipse group are presented in chapter 7. Some subjects that have not been discussed before are considered now - the acylation reagent contains a benzoic acid moiety and the aromatic ring of the alcohol is substituted by donor or acceptor substituents in order to explore their effects. Different catalyzed pathways are compared with background reaction calculated on the same level of theory.

### 1.4. References

[1] F. Wöhler, J. Liebig, Ann. Pharm. 1832, 3, 249.
[2] K. A. Ahrendt, C. J. Borths, D. W. C. MacMillan, J. Am. Chem. Soc. 2000, 122, 42434244.
[3] A. Berkessel, H. Groeger, Asymmetric Organocatalysis: from Biomimetic Concepts to Applications in Asymmetric Synthesis, Wiley-VCH, 2005.
a) A. B. Baylis, M. E. D. Hillman, Vol. 2155113, Germany, 1972; b) K. Morita, Z. Suzuki, H. Hirose, Bull. Chem. Soc. Jpn. 1968, 41, 2815-2820.
[5] a) M. E. Kraft, T. F. N. Haxell, K. A. Seibert, K. A. Abbound, J. Am. Chem. Soc. 2006, 128, 4174-4175; b) M. Shi, L. H. Chen, C.-Q. Li, J. Am. Chem. Soc. 2005, 127, 3790-3800; c) L. S. Santos, C. H. Pavam, W. P. Almeida, F. Coelho, M. N. Eberlin, Angew. Chem. Int. Ed. 2004, 43, 4330-4333.
[6] a) R. Robiette, V. K. Aggarwal, H. J. N., J. Am. Chem. Soc. 2007, 129, 15513-15525; b) D. Roy, R. B. Sunoj, Org. Lett. 2007, 9, 4873-4876; c) J. Xu, Journal of Molecular Structure: THEOCHEM 2006, 767, 61-66; d) D. Cantillo, C. O. Kappe, J. Org. Chem 2010, 75, 8615-8626.
[7] D. W. Stephan, Org. Biomol. Chem. 2008, 6, 1535-1539.
[8] Y. Wei, PhD thesis, Ludwig-Maximilians-Universität München (München), 2008.
[9] a) G. Höfle, W. Steglich, Synthesis 1972, 619-621; b) W. Steglich, G. Höfle, Angew. Chem. Int. Ed. 1969, 8, 981.
[10] L. M. Litvinenko, A. I. Kirichenko, Dokl. Akad. Nauk. SSSR 1967, 167, 97.
$[11] \quad$ a) A. C. Spivey, S. Arseniyadis, Angew. Chem. Int. Ed. 2004, 43, 5436-5441; b) G. Höfle, W. Steglich, H. Vorbrüggen, Angew. Chem. Int. Ed. 1978, 90, 569-583; c) G. C. Fu, Acc. Chem. Res. 2004, 37, 542-547.
[12] a) C. B. Fischer, S. Xu, H. Zipse, Chem. - Eur. J. 2006, 12, 5779-5784; b) S. Xu, I. Held, B. Kempf, H. Mayr, W. Steglich, H. Zipse, Chem. Eur. J. 2005, 11, 4751-4757.

# 2. Theoretical Studies of ${ }^{31} P$ NMR Spectral Properties of Phosphanes and Related Compounds Relevant in Organocatalytic Processes 

### 2.1. Development of a New Approach for ${ }^{31}$ P NMR Shift Predictions

### 2.1.1. Introduction

Phosphanes are of outstanding relevance as ligands in transition metal mediated catalytic processes, but also as reagents in a series of named reactions such as the Wittig, the Appel, and the Staudinger reaction. The Lewis base properties relevant in these reactions have recently led to the highly successful development of phosphanes as catalysts in organocatalytic processes. This includes applications in $\mathrm{C}-\mathrm{C}$ bond forming reactions such as the Morita-Baylis-Hillman $1{ }^{[1]}$ and the Rauhut-Currier reaction, ${ }^{[2]}$ in the addition of weak nucleophiles to Michael acceptors, ${ }^{[3]}$ in the acylation of weak nucleophiles with carboxylic acid derivatives, ${ }^{[4]}$ just to name a few. The Lewis basicity of catalytically active phosphanes can be characterized by their respective affinities towards cationic or neutral carbon electrophiles such as methyl cation or methyl vinyl ketone (MVK). ${ }^{[5]}$ These thermodynamic properties can be complemented with kinetic data towards model electrophiles ${ }^{[6]}$ in a way to allow for quantitative predictions of new phosphane-based organocatalysts. Experimental studies of organocatalytic reactions highly profit from ${ }^{31} \mathrm{P}$ NMR measurements as these allow for a direct detection of catalyst-derived species under catalytic conditions. The phosphonium intermediates expected after nucleophilic attack of phosphanes on C-electrophiles have, for example, been detected in a number of studies. ${ }^{[3 \mathrm{~b}, 7]}$ The assignment of experimentally observed signals can greatly be supported by comparison to theoretically calculated ${ }^{31} \mathrm{P}$ chemical shifts. Highly accurate shift calculations have been executed at correlated levels for a series of smaller systems. ${ }^{[8]}$ For intermediates in organocatalytic processes, however, these methods are usually not applicable and calculations at either the Hartree-Fock (HF) or the density functional theory (DFT) level appear as the only practical option. Despite the fact that the application of DFT methods in NMR shift calculations meets with some fundamental concerns, there have nevertheless been numerous successful studies in this area in recent years. ${ }^{[9]}$ One additional technical point concerns the treatment of solvation effects, which are known to be quite significant for some phosphane-derived species such as triarylphosphane oxides. ${ }^{[10]}$ In order to identify computational schemes suitable for the reliable calculation of ${ }^{31} \mathrm{P}$ shifts for phosphorous-containing molecular systems we compare here the performance of
a series of DFT methods such as MPW1K, B98 and B3LYP with the ab initio methods HF and MP2 using the GIAO scheme. These studies will be combined with various approaches to account for solvent effects.

### 2.1.2. Results and Discussion

Triphenylphosphane $\left(\mathrm{PPh}_{3}, \mathbf{1}\right)$ is a frequently used organocatalyst and will therefore be used as a first model system for ${ }^{31} \mathrm{P}$ shift calculations on large systems. Under catalytic reaction conditions this catalyst is often degraded to the respective oxide $\left(\mathrm{OPP}_{3}, \mathbf{2}\right)$, either through reaction with residual atmospheric oxygen or through side reactions along a Wittig-type pathway. The ${ }^{31} \mathrm{P}$ NMR chemical shift measured for $\mathbf{1}$ (relative to the ${ }^{31} \mathrm{P}$ NMR standard of $85 \%$ aqueous phosphoric acid) is quite insensitive to solvent polarity with $\delta\left({ }^{31} \mathrm{P}, \mathbf{1}\right)=-4.7$ ppm in benzene- $\mathrm{d}_{6}\left[{ }^{[11]}\right.$ and $\delta\left({ }^{31} \mathrm{P}, \mathbf{1}\right)=-4.7 \mathrm{ppm}$ in chloroform $-\mathrm{d}_{1} .{ }^{[12]}$ As the use of aqueous phosphoric acid as the reference compound in NMR shift calculations is clearly impractical, we will in the following use the experimentally determined value of $\mathbf{1}$ as the reference for gas phase calculations. ${ }^{31} \mathrm{P}$ NMR shifts determined for phosphaneoxide $\mathbf{2}$ are significantly more solvent dependent with measured values of $\delta\left({ }^{31} \mathrm{P}, \mathbf{2}\right)=+24.7 \mathrm{ppm}$ in benzene- $\mathrm{d}_{6}{ }^{[13]}$ and $\delta\left({ }^{31} \mathrm{P}\right.$, 2) $=+29.7 \mathrm{ppm}$ in chloroform $-\mathrm{d}_{1} .{ }^{[12]}$ Assuming the values determined in benzene to be representative also for the gas phase, NMR calculations must reproduce a shift difference of $\Delta \delta(\mathbf{2} \mathbf{- 1})=+29.4 \mathrm{ppm}$. In more general terms the direct result of NMR shift calculations is the absolute magnetic shielding $\sigma$, which reflects the NMR chemical shift relative to the free nucleus. Relative ${ }^{31} \mathrm{P}$ chemical shifts of phosphorous-containing compounds $\mathbf{X}$ compared to phosphane $\mathbf{1}$ as the reference can then be derived from differences in shieldings as expressed in eqn (2.1).
$\delta(\mathbf{X})=\sigma(\mathbf{1})-\sigma(\mathbf{X})+\delta(\mathbf{1})$

As a first step in identifying a computational protocol for reliable shift calculations we have calculated ${ }^{31} \mathrm{P}$ absolute shieldings for compounds $\mathbf{1}$ and 2 using selected density functional theory (DFT) methods, the restricted Hartree-Fock theory (RHF), and the 2nd order MøllerPlesset (MP2) perturbation theory in combination with the GIAO model. All of these calculations employ the same $6-311+G(d, p)$ basis set and use the same geometries obtained at the MPW1K/6-31G(d) level of theory. The MPW1K functional ${ }^{[14]}$ is used here due to its good performance in calculations of zwitterionic structures, whose occurrence in organocatalytic reactions is quite frequent. ${ }^{[5 c, 15]}$ At this level of theory two different minima are identified for
phosphane oxide 2 ( $C_{3}$ vs. $C_{1}$ symmetry; the latter structure is also found in solid-state X-ray studies). ${ }^{[16]}$ Only a single minimum with $C_{3}$ symmetry can be found for phosphane $\mathbf{1}$. This is in agreement with results from solid state X-ray studies, gas phase electron diffraction measurements and earlier ab initio calculations. ${ }^{[17]}$ Fig. 2.1 shows the structures obtained at the MPW1K/6-31G(d) level and Fig. 2.2 collects all results obtained for these systems.

$1\left(C_{3}\right)$


Fig. 2.1 Structures of $\mathrm{PPh}_{3}(\mathbf{1})$ and $\mathrm{OPPh}_{3}(\mathbf{2})$ as optimized at the MPW1K/6-31G(d) level of theory.


Fig. 2.2 Theoretically calculated and experimentally measured values for the ${ }^{31} \mathrm{P}$ resonance in $\mathrm{OPPh}_{3}(\mathbf{2})$ using selected theoretical methods in combination with the $6-311+\mathrm{G}(\mathrm{d}, \mathrm{p})$ basis set.

Predictions made at MP2, RHF and MPW1K levels are in close to quantitative agreement with experiment, while the hybrid functionals B98 and B3LYP predict the ${ }^{31} \mathrm{P}$ shift in phosphane oxide 2 to be too low. Given the slightly better predictive value of DFT methods over RHF in previous studies ${ }^{[9 n]}$ and taking into account the high price of MP2 calculations we will continue with MPW1K as the preferred choice for further studies. We also note that predicted shifts for the $C_{3}$ conformer are systematically lower (and thus inferior) than those predicted for the $C_{1}$ conformer. The triple zeta $6-311+\mathrm{G}(\mathrm{d}, \mathrm{p})$ basis set used in the shift calculations in Fig. 2.2 is known to provide good results for structural and energetic data of molecular systems, ${ }^{[18]}$ but may not be the ideal choice for the prediction of NMR chemical shifts. The dependence of the ${ }^{31} \mathrm{P}$ chemical shifts calculated for phosphane oxide 2 with the MPW1K hybrid functional has therefore been analyzed using additional basis set variations. This includes on the smaller side the $3-21 \mathrm{G}$ and $6-31 \mathrm{G}(\mathrm{d})$ split valence basis sets often used for calculations on very large molecular systems, and on the larger side the $6-311++G(2 d, 2 p)$ and IGLO-III basis sets. The members of the IGLO basis set family have been optimized for application in NMR and EPR calculations. ${ }^{[9 h]}$ The results obtained for all basis sets are shown in Fig. 2.3.


Fig. 2.3 Theoretically calculated and experimentally measured values for the ${ }^{31} \mathrm{P}$ resonance in $\mathrm{OPPh}_{3}$ (2) using selected basis sets in combination with the MPW1K density functional method.

The predictive value of the small basis set $3-21 \mathrm{G}$ is quite low. The basis set $6-31 \mathrm{G}(\mathrm{d})$, which has been used for geometry optimization, yields a surprisingly good prediction of the ${ }^{31} \mathrm{P}$ shift in $\mathrm{OPPh}_{3}$, most likely due to adventitious error cancellation. Predictions made with the 6$311+\mathrm{G}(\mathrm{d}, \mathrm{p})$ basis set can indeed be improved somewhat through inclusion of additional polarization functions (as in $6-311++\mathrm{G}(2 \mathrm{~d}, 2 \mathrm{p})$ ) or the use of a specifically designed basis set such as IGLO-III. It can clearly be seen that the IGLO-III and $6-311++\mathrm{G}(2 \mathrm{~d}, 2 \mathrm{p})$ basis sets provide almost the same results for the systems under study. The wall-clock time for calculations with the IGLO-III basis set is twice as long as with the $6-311++\mathrm{G}(2 \mathrm{~d}, 2 \mathrm{p})$ basis and the $6-311++G(2 d, 2 p)$ basis set will therefore be used as the preferred choice in all further calculations reported here (as has also been done in other recent studies). ${ }^{[9 t, 9 \mathrm{vv}]}$ The basis set quality as probed through relative shift calculations for the exceedingly similar systems $\mathbf{1}$ and $\mathbf{2}$ may not necessarily be the same if two structurally rather different compounds of different sizes are compared. In order to analyze this point more clearly we have recalculated the shift of phosphane oxide 2 ( $C_{1}$ conformation) using the reference compounds $\mathbf{3}$ and 6 . Trimethylphosphane $\left(\mathrm{PMe}_{3}, \mathbf{6}\right)$ is significantly smaller than phosphane 1, but preserves the structural feature of three $\mathrm{P}-\mathrm{C}$ bonds. Moreover, ${ }^{31} \mathrm{P}$ NMR shifts measured for $\mathbf{6}$ give rather similar values of $\delta\left({ }^{31} \mathrm{P}, \mathbf{6}\right)=-61.0 \mathrm{ppm}$ in benzene $-\mathrm{d}_{6}{ }^{[19]}$ and $\delta\left({ }^{31} \mathrm{P}, \mathbf{6}\right)=-61.6 \mathrm{ppm}$ in chloroform $-\mathrm{d}_{1} .{ }^{[20]}$ The second reference compound phosphane $\left(\mathrm{PH}_{3}, \mathbf{3}\right)$ is even smaller than 6 and structurally even more dissimilar to $\mathbf{1}$. In contrast to these other reference compounds the ${ }^{31} \mathrm{P}$ NMR chemical shifts measured for $\mathbf{3}$ in solution depend on a number of experimental factors (temperature and concentration) as well as on the solvent. The value reported for $\mathbf{3}$ in benzene at $29{ }^{\circ} \mathrm{C}$ of $\delta\left({ }^{31} \mathrm{P}, \mathbf{3}\right)=-242 \mathrm{ppm}^{[21]}$ most closely approaches the conditions chosen for all other compounds used here, but we note that this value is distinctly different from the two values reported from gas phase measurements of $\delta\left({ }^{31} \mathrm{P}, \mathbf{3}\right)=-254.2 \mathrm{ppm}^{[21]}$ and -266.1 ppm. ${ }^{[22]}$ The ${ }^{31} \mathrm{P}$ chemical shift for phosphane oxide $\mathbf{2}$ calculated with reference to compounds $\mathbf{1}, \mathbf{3}$, and $\mathbf{6}$ is graphically shown in Fig. 2.4 for the three larger basis sets used before in combination with the MPW1K functional. Using $\mathrm{PMe}_{3}$ (6) as the reference compound essentially identical ${ }^{31} \mathrm{P}$ NMR shifts are calculated for 2 when using the $6-311+G(d, p), 6$ $311++\mathrm{G}(2 \mathrm{~d}, 2 \mathrm{p})$ and IGLO-III basis sets. In contrast, when using $\mathrm{PH}_{3}(\mathbf{3})$ as the reference compound, significantly different ${ }^{31} \mathrm{P}$ NMR shifts are calculated for $\mathbf{2}$ when using the smaller $6-311+G(d, p)$ basis set as compared to the results obtained with the $6-311++G(2 d, 2 p)$ and IGLO-III basis sets. This implies that relative shift calculations of compounds of exceedingly different sizes and structures may require more sophisticated theoretical methods as the comparison of two compounds as similar as $\mathbf{1}$ and $\mathbf{2}$.


Fig. 2.4 Theoretically calculated and experimentally measured values for the ${ }^{31} \mathrm{P}$ resonance in $\mathrm{OPPh}_{3}\left(2, C_{1}\right)$ using selected basis sets and three different reference compounds in combination with the MPW1K density functional method.

We conclude at this point that from the methods surveyed here the GIAO-MPW1K/6$311++G(2 d, 2 p) / / M P W 1 K / 6-31 G(d)$ is the most appropriate for ${ }^{31} \mathrm{P}$ shift predictions in large molecular systems. This approach was subsequently tested for a larger set of systems included in a previous methodological survey by van Wüllen ${ }^{[9 n]}$ (Table 2.1). To be consistent with this study $\mathrm{PH}_{3}$ (3) was selected as the reference compound. From this latter study we include in Table 2.1 only those methods with the best error statistics as quantified by the squared correlation coefficient $\left(R^{2}\right)$ and the mean absolute deviation (MAD $\left.=1 / \mathrm{n} \Sigma \mid \delta_{\text {exp }}-\delta_{\text {calc }}\right)$ with respect to experimental values. In terms of these two error metrics the GIAO-MPW1K/6$311++\mathrm{G}(2 \mathrm{~d}, 2 \mathrm{p})$ method employed here gives slightly better (slightly better $R^{2}$, while MAD is 0.7 ppm larger) results as compared to the GIAO-MP2/IGLO-II//BP/IGLO-II approach considered to be the most accurate in the van Wüllen study. As in this previous study we exclude the PN system from the error analysis. The correlation between ${ }^{31} \mathrm{P}$ shifts measured experimentally and those calculated at the GIAO-MPW1K/6-311++G(2d,2p) level is shown graphically in Fig. 2.5. Larger molecular systems are often conformationally quite flexible and the question naturally arises how to deal with this point in ${ }^{31} \mathrm{P}$ NMR shift calculations. Assuming rapid interconversion between individual conformers (on the NMR time scale) it would seem obvious to calculate ${ }^{31} \mathrm{P}$ NMR shifts as the Boltzmann-weighted average over all conformations. The shifts reported in Table 2.1 at the GIAO-MPW1K level were actually obtained by Boltzmann-averaging at 298.15 K using free energies obtained at the MP2(FC)/6-
$31+\mathrm{G}(2 \mathrm{~d}, \mathrm{p}) / / \mathrm{MPW} 1 \mathrm{~K} / 6-31 \mathrm{G}(\mathrm{d})$ level of theory. This latter method has been used recently in the accurate prediction of thermochemical data of a large set of N - and P-based Lewis bases. ${ }^{[5]}$ To illustrate the importance of conformational averaging already in gas phase calculations ${ }^{31} \mathrm{P}$ shifts calculated for individual conformers of trimethoxyphosphane $\mathrm{P}(\mathrm{OMe})_{3}$ (8) have been collected in Table 2.2 together with the respective relative free energies $\Delta G_{298}$. While the energetically most favorable conformers of $\mathbf{8}$ have almost the same ${ }^{31} \mathrm{P}$ chemical shift at +155.9 and +152.5 ppm , respectively, this is not so for the conformation located 8.5 kJ $\mathrm{mol}^{-1}$ above the global minimum with a ${ }^{31} \mathrm{P}$ chemical shift at +128.9 ppm . The Boltzmann weight of this conformer is quite low in the gas-phase and the average shift predicted as +154.4 ppm is thus quite close to the individual values for the best two conformers. However, solvent effects even in apolar organic media can be large enough to change the relative energies of individual conformers and can therefore lead to major changes in ${ }^{31}$ P NMR shifts.


Fig. 2.5 Experimental ${ }^{31} \mathrm{P}$ chemical shifts $v s$. calculated at the GIAO-MPW1K/6$311++\mathrm{G}(2 \mathrm{~d}, 2 \mathrm{p}) / / \mathrm{MPW} 1 \mathrm{~K} / 6-31 \mathrm{G}(\mathrm{d})$ level of theory listed in Table 2.1.

Table 2.1 ${ }^{31} \mathrm{P}$ NMR chemical shifts calculated at selected levels of theory in the gas phase using $\mathrm{PH}_{3}(\mathbf{3})$ as the reference system.

|  | Method |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | GIAO MPW1K | $\begin{aligned} & \hline \text { IGLO } \\ & \text { BP }^{\mathrm{b}} \end{aligned}$ | IGLO B3LYP ${ }^{\text {b }}$ | $\begin{aligned} & \hline \begin{array}{l} \text { GIAO } \\ \mathrm{BP}^{\mathrm{b}} \end{array} \end{aligned}$ | GIAO B3LYP ${ }^{\text {b }}$ | $\begin{aligned} & \text { GIAO } \\ & \text { MP2 }^{\text {b }} \end{aligned}$ | Exp. | Experimental conditions |
| $3 \quad \mathrm{PH}_{3}$ | -266.1 | -266.1 | -266.1 | -266.1 | -266.1 | -266.1 | -266.1 | Gas-phase ${ }^{[2]}$ |
| $4 \quad \mathrm{PF}_{3}$ | +126.1 | +113.8 | +100.8 | +132.5 | +115.7 | +109.7 | +106 | Gas-phase ${ }^{[22]}$ |
| $5 \quad \mathrm{PCl}_{3}$ | +246.4 | +244.3 | +236.9 | +269.9 | +259.6 | +224.9 | +217 | Gas-phase ${ }^{[22]}$ |
| $6 \mathrm{P}\left(\mathrm{CH}_{3}\right)_{3}$ | -77.8 | -69.1 | -73.9 | -53.8 | -58.4 | -75 | -63 | Gas-phase ${ }^{[22]}$ |
| $7 \quad \mathrm{P}\left(\mathrm{C}_{3} \mathrm{H}_{7}\right)_{3}$ | +2.8 | +15.5 | +11.4 | +31.8 | +27.3 | +10.6 | +19.3 | Benzene-d ${ }_{6}^{[23]}$ |
| $8 \mathrm{P}\left(\mathrm{OCH}_{3}\right)_{3}$ | +154.4 | +115 | +109 | +137.9 | +128.4 | +129.3 | +140 | Toluene-d ${ }_{8}{ }^{[24]}$ |
| $9 \mathrm{OP}\left(\mathrm{CH}_{3}\right)_{3}$ | +13.1 | -5.7 | -6.7 | +19.1 | +14 | +18.7 | +32 | Benzene ${ }^{[25]}$ |
| $10 \mathrm{OP}\left(\mathrm{OCH}_{3}\right)_{3}$ | +4.5 | -34.4 | -37 | -9.1 | -16.7 | -5 | +3.7 | Benzene ${ }^{[26]}$ |
| $11 \mathrm{Si}\left(\mathrm{PH}_{2}\right)_{4}$ | -236.5 | -223.5 | -228.9 | -219.5 | -226 | -243.1 | -205 | Benzene- $\mathrm{d}_{6}{ }^{[27]}$ |
| $12 \mathrm{Cr}(\mathrm{CO})_{5}\left(\mathrm{PH}_{3}\right)$ | -127.5 | -150.5 | -143.3 | -128.6 | -123 | -176.7 | -130 | Benzene-d ${ }_{6}^{[28]}$ |
| $13 \mathrm{PH}_{4}^{+}$ | -128.0 | -151.4 | -156 | -122.8 | -128.9 | -127.6 | -105 | Methanol ${ }^{[29]}$ |
| $14 \mathrm{P}\left(\mathrm{CH}_{3}\right)_{4}^{+}$ | +13.2 | +2.5 | -2.9 | +30.4 | +22.1 | +12.5 | +25.1 | DMSO ${ }^{[30]}$ |
| $15 \mathrm{PF}_{6}{ }^{-1}$ | -138.7 | -119.9 | -140.8 | -95.1 | -120.2 | -119.5 | -146 | Benzene-d ${ }_{6}^{[31]}$ |
| $16 \mathrm{P}_{4}$ | -584.2 | -512.9 | -524.1 | -516.7 | -532.5 | -549.1 | -552 | Gas-phase ${ }^{[32]}$ |
| 17 PN | +366.4 | +307.8 | +325.5 | +326.1 | +342.7 | +202.2 | +275 | Gas-phase ${ }^{[33]}$ |
| $\mathrm{R}^{2 c}$ | 0.9953 | 0.9805 | 0.9856 | 0.9842 | 0.9890 | 0.9907 |  |  |
| $\mathrm{MAD}^{c}(\mathrm{ppm})$ | 17.2 | 24.5 | 23.4 | 19.5 | 16.5 | 16.5 |  |  |

${ }^{\text {a }}$ GIAO-MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d). ${ }^{\text {b }}$ Results taken from ref. ${ }^{[9 n]}$; basis set for NMR calculations: IGLO-II; geometries optimized at the BP/IGLO-II level. ${ }^{c} \mathrm{PH}_{3}$ (the reference compound) and PN (worst case in the present work as well as in ref. ${ }^{[9 n]}$ ) have been excluded from the error analysis.

Table 2.2 Individual conformations of $\mathrm{P}(\mathrm{OMe})_{3}(\mathbf{8})$ used in Boltzmann-averaged ${ }^{31} \mathrm{P}$ chemical shift calculations.


8_4


8_2


8_5
${ }^{\text {a }}$ Relative to $\mathrm{PH}_{3}$.

With a protocol in hand for the calculation of gas phase ${ }^{31} \mathrm{P}$ chemical shifts of large molecular structures (GIAO-MPW1K/6-311++(2d,2p)//MPW1K/6-31G(d)), we can address the question of how to account for solvent effects in a systematic manner. We compare in the following two different approaches to account for solvent effects: (a) use of the Polarizable Continuum Model (PCM) in combination with NMR shift calculations (solution model 1); and (b) inclusion of one explicit solvent molecule in the geometry optimization of the substrate and subsequent NMR shift calculations on this solvent/solute complex using the PCM continuum solvation model at the stage of NMR shift calculations (solution model 2). These two models have been tested on a set of systems for which there are data measured in solvents of different polarities (chloroform- $\mathrm{d}_{1}$ and benzene- $\mathrm{d}_{6}$ ) and which cover a large range of ${ }^{31} \mathrm{P}$ NMR chemical shifts (from -50 to +160 ppm ). In order to avoid problems associated with the solution phase properties of $\mathrm{PH}_{3}(\mathbf{3})$ all calculations have been performed using $\mathrm{Ph}_{3} \mathrm{P}$ (1) as the reference system. As one can see from the data presented in Table 2.3 and in Fig. 2.6 and 2.7 the best results are obtained using solution model 2 , where a combination of explicit and continuum solvation is employed. Use of the PCM continuum solvation model alone is particularly unsatisfactory for phosphane oxides $\mathbf{2}$ and $\mathbf{9}$. The large solvent effects observed for this latter class of compounds even for a low polarity solvent such as chloroform are
clearly due to specific hydrogen bonding interactions between the phosphane oxide oxygen atom and the chloroform $\mathrm{C}-\mathrm{H}$ bond (Fig. 2.8). Our observation is in accordance with the recently demonstrated insufficiency of PCM models for systems with strong directional solvent-solute interactions. ${ }^{[34]}$

Table 2.3 Experimentally measured and theoretically calculated ${ }^{31} \mathrm{P}$ NMR chemical shifts in the gas phase and in solution using $\mathrm{PPh}_{3}(\mathbf{1})$ as the reference system.

| System |  |  |  |  |  | ${ }^{31}$ P NMR chemical shift |  |  |  |  | Solvent |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :---: | :---: | :---: | :---: | :---: |
|  |  | Gas-phase | Solution <br> model 1 | Solution <br> model 2 | Exp. |  |  |  |  |  |  |

${ }^{a} \mathrm{PPh}_{3}$ (the reference system) has been excluded from the error analysis.


Fig. 2.6 Experimental chemical shifts vs. calculated using solution model 1 for the compounds listed in Table 2.3.


Fig. 2.7 Experimental chemical shifts vs. calculated using solution model 2 for the compounds listed in Table 2.3.


Fig. 2.8 Energetically most favorable complexes of $\mathrm{PPh}_{3}(\mathbf{1})$ and $\mathrm{OPPh}_{3}(\mathbf{2})$ with $\mathrm{CHCl}_{3}$ as obtained at the MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) level of theory.

It was mentioned before that conformational averaging is an important step in the process of chemical shift calculations inasmuch as the shifts depend dramatically on the conformational state of the molecule. The effects of conformational mobility on the calculated solution phase ${ }^{31} \mathrm{P}$ shifts will here be exemplified by a closer look at system 22. After gas-phase geometry optimization at the MPW1K/6-31G(d) level 10 individual conformations have been identified as true minima. Chemical shift calculations at the GIAO-MPW1K/6-311++G(2d,2p) level and single point calculations at the MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) level have subsequently been performed for all ten structures in order to calculate ${ }^{31} \mathrm{P}$ NMR shifts and relative free energies $\Delta G_{298}$ in the gas-phase and in solution (model 1). The results of this exercise as collected in Table 2.4 show the first three conformers 22_1 to 22_3 (shown graphically in Fig. 2.9) to be energetically accessible at a temperature of 298.15 K . It is quite remarkable to see that the ${ }^{31} \mathrm{P}$ NMR shifts calculated in the gas phase and in the presence of the PCM continuum model (for $\mathrm{CHCl}_{3}$ as the solvent) hardly differ. The shifts vary largely for individual conformers from +50.7 ppm (conformer 22_2) to +102.4 ppm (conformer 22_8). The difference between the Boltzmann-averaged ${ }^{31} \mathrm{P}$ NMR shifts predicted for the gas-phase $(+61.5 \mathrm{ppm})$ and for $\mathrm{CHCl}_{3}$ solution ( +64.7 ppm ) is thus solely due to changes in the Boltzmann-weights of individual conformers. In addition to relative energies obtained at the MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) level Table 2.4 shows also values from singlepoint calculations at the MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) level of theory which accompany the chemical shift calculations. Boltzmann-averaged ${ }^{31} \mathrm{P}$ NMR shifts found using DFT energies are also listed in Table 2.4.

Table 2.4 Chemical shifts and energetic characteristics for all conformations of the system 22 calculated for the gas phase and in solution $\left(\mathrm{CHCl}_{3}\right.$, solution model 1).

| Conformation | Chem. shift ${ }^{\text {a }}$, ppm |  | Free energies, $\mathrm{kJ} \mathrm{mol}^{-1}$ |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | MPW1K |  | MP2 |  |
|  | Gas-phase ${ }^{\text {b }}$ | Solution model $1^{c}$ | $\Delta G_{298}{ }^{\text {d }}$ | $\Delta G_{298, \mathrm{CHCl}^{\text {e }}}{ }^{\text {a }}$ | $\Delta G_{298}{ }^{\text {f }}$ | $\Delta G_{298, \mathrm{CHC13}}{ }^{\text {g }}$ |
| 22_1 | +66.6 | +66.3 | 1.7 | 0.0 | 0.0 | 0.0 |
| 22_2 | +50.7 | +51.2 | 0.0 | 1.0 | 1.1 | 3.8 |
| 22_3 | +87.0 | +87.2 | 12.7 | 11.4 | 6.9 | 7.3 |
| 22_4 | +85.6 | +86.4 | 13.7 | 12.8 | 14.1 | 15.0 |
| 22_5 | +80.0 | +80.8 | 15.4 | 14.1 | 16.5 | 16.9 |
| 22_6 | +84.7 | +84.3 | 21.6 | 18.1 | 19.7 | 17.9 |
| 22_7 | +100.5 | +100.3 | 20.6 | 17.6 | 19.9 | 18.6 |
| 22_8 | +102.4 | +102.6 | 19.6 | 19.2 | 17.4 | 18.7 |
| 22_9 | +80.4 | +80.8 | 15.5 | 18.4 | 17.8 | 22.4 |
| 22_10 | +87.3 | +87.5 | 39.9 | 35.9 | 32.0 | 29.6 |
| $<\delta>{ }^{h}$ |  |  | +56.3 | +60.6 | +61.5 | +64.7 |

${ }^{\text {a }}$ Relative to $\mathrm{PPh}_{3}$. ${ }^{\text {b }}$ GIAO-MPW1K/6-311++G(2d,2p).
${ }^{\text {c }}$ GIAO-MPW1K/6-311++G(2d,2p) + PCM/UAHF/MPW1K/6-311++G(2d,2p). ${ }^{\text {d }}$ MPW1K/6-311++G(2d,2p), free en. corr.: MPW1K/6-31G(d). ${ }^{\text {e }}$ MPW1K/6-311++G(2d,2p) + PCM/UAHF/MPW1K/6-311++G(2d,2p), free en. corr.: MPW1K/6-31G(d). ${ }^{\text {f }}$ MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d), free en. corr.: MPW1K/6-31G(d). ${ }^{\text {g }}$ MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d)+PCM/UAHF/MPW1K/6-311++G(2d,2p), free en. corr.:
MPW1K/6-31G(d). ${ }^{\text {h }}$ Boltzmann-averaged chemical shift.


Fig. 2.9 Structures of the three most stable conformations of system 22.

The ten gas-phase conformers of $\mathbf{2 2}$ were subsequently used to calculate ${ }^{31} \mathrm{P}$ NMR shifts with solvent model 2 , in which explicit chloroform molecules were placed in close vicinity of the phosphorous atom and $\pi$-bond, where intermolecular solute/solvent interaction is most likely. The solvent-substrate complexes obtained after geometry optimization illustrate, however, that no close contacts are possible between $\mathrm{CHCl}_{3}$ solvent molecules and the central phosphorous atom due to severe steric effects. The two energetically most favorable complexes identified in these studies are shown in Fig. 2.10. Relative energies and individual ${ }^{31}$ P NMR shifts for all complexes are collected in Table 2.5. Surveying the chemical shifts calculated for individual conformers in Table 2.5 we note again a large dispersion of shift values. The Boltzmann-averaged chemical shift (based on MP2(FC)/6-31+G(2d,p) free
energies) obtained with solution model 2 for chloroform is +62.8 ppm . Whether to use other relative energies in the Boltzmann-averaging procedure was tested by using free energies derived from MPW1K/6-311++G(2d,2p) single point calculations, but the relative weights of individual conformers are not decisively different with this choice (Table 2.5). How much of this effort is required? Selecting from Table 2.5 only those $\mathrm{CHCl}_{3}$ complexes derived from the three most stable gas-phase conformations 22_1 through 22_3 the Boltzmann-averaged chemical shift was found to be hardly changed at +62.6 ppm . For this smaller set of structures basis set effects in the MP2(FC) energy calculations were also explored, but the changes in the predicted chemical shift were rather minor (vide Table 2.5.1).


Fig. 2.10 Complexes between the most stable conformation of system 22 and chloroform.

Table 2.5 Chemical shifts and energetic characteristics for solvent-solute complexes of $\mathbf{2 2}$ $\underline{\text { with } \mathrm{CHCl}_{3} \text { as employed for solvent model } 2 .}$

| Complex | Chem. shift $\mathrm{ppm}^{a}$ | Free energies, $\mathrm{kJ} \mathrm{mol}^{-1}$ |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\begin{gathered} \text { MPW1K/ } \\ 6-311++G(2 \mathrm{~d}, 2 \mathrm{p}) \end{gathered}$ |  | $\begin{gathered} \text { MP2(FC)/ } \\ 6-31+G(2 \mathrm{~d}, \mathrm{p}) \end{gathered}$ |  |
|  |  | $\Delta G_{298}{ }^{\text {b }}$ | $\Delta G_{298, \mathrm{CHCl} 3}{ }^{\text {c }}$ | $\Delta G_{298}{ }^{\text {d }}$ | $\Delta G_{298, \mathrm{CHCl}^{\text {e }}}{ }^{\text {a }}$ |
| 22_1*CHCl3_1 | +62.4 | 0.0 | 0.0 | 0.0 | 0.0 |
| 22_1*CHCl3_2 | +65.9 | 5.8 | 4.5 | 4.9 | 3.5 |
| 22_2*CHCl3_1 | +52.1 | 2.9 | 5.7 | 4.0 | 6.7 |
| 22_2*CHCl3_2 | +50.8 | 3.9 | 1.8 | 11.8 | 9.7 |
| 22_3*CHCl3_1 | +82.7 | 13.6 | 14.9 | 9.8 | 11.1 |
| 22_7* ${ }^{\text {CHCl3_2 }}$ | +98.7 | 15.9 | 13.5 | 14.9 | 12.6 |
| 22_3*CHCl3_2 | +85.1 | 17.0 | 13.4 | 17.7 | 14.1 |
| 22_4*CHCl3_1 | +83.4 | 13.8 | 15.6 | 16.2 | 18.0 |
| 22_9*CHCl3_1 | +76.6 | 14.1 | 15.8 | 17.8 | 19.5 |
| 22_6*CHCl3_1 | +78.2 | 19.0 | 19.1 | 19.5 | 19.6 |
| 22_7*CHCl3_1 | +94.5 | 17.3 | 17.6 | 19.9 | 20.1 |
| 22_5*CHCl3_1 | +78.1 | 15.0 | 17.3 | 18.5 | 20.8 |
| 22_5*CHCl3_2 | +78.9 | 18.5 | 13.9 | 26.0 | 21.4 |
| 22_8*CHCl3_1 | +95.3 | 19.3 | 21.3 | 19.5 | 21.5 |
| 22_4*CHCl3_2 | +84.1 | 17.9 | 13.8 | 25.8 | 21.7 |
| 22_6*CHCl3_2 | +84.3 | 26.0 | 22.6 | 26.9 | 23.6 |
| 22_9* ${ }^{\text {CHCl3_2 }}$ | +78.7 | 18.0 | 14.6 | 27.2 | 23.9 |
| 22_8* ${ }^{\text {CHCl3_2 }}$ | +101.0 | 24.5 | 21.6 | 29.3 | 26.3 |
| 22_10* ${ }^{\text {CHCl3_1 }}$ | +83.0 | 42.1 | 40.4 | 34.2 | 32.5 |
| 22_10* ${ }^{\text {CHCl3_2 }}$ | +86.3 | 45.2 | 41.6 | 40.7 | 37.1 |
| $<\delta>{ }^{f}$ |  | +59.5 | +59.4 | +61.6 | +62.8 |

${ }^{2}$ Relative to $\mathrm{PPh}_{3}$, GIAO-MPW1K/6-311++G(2d,2p) + PCM/UAHF/MPW1K/6-311++G(2d,2p).
${ }^{\mathrm{b}}$ MPW1K/6-311++G(2d,2p), free en. corr.: MPW1K/6-31G(d).
${ }^{c}$ MPW1K/6-311++G(2d,2p) + PCM/UAHF/MPW1K/6-311++G(2d,2p), free en. corr.: MPW1K/6-31G(d). ${ }^{\text {d }}$ MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d), free en. corr.: MPW1K/6-31G(d).
${ }^{\mathrm{e}}$ MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p), free en. corr.: MPW1K/6-31G(d). ${ }^{\text {f }}$ Boltzmann-averaged chemical shift.

Table 2.5.1 Chemical shifts and energetic characteristics for solvent-solute complexes of 22 with $\mathrm{CHCl}_{3}$ as employed for solvent model 2 .

| Complex | Chem. shift ppm ${ }^{a}$ | Free energies, $\mathrm{kJ} / \mathrm{mol}$ |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\begin{gathered} \text { MPW1K/ } \\ 6-311++G(2 d, 2 p) \\ \hline \end{gathered}$ |  | $\begin{gathered} \text { MP2(FC)/ } \\ 6-31+G(2 d, p) \end{gathered}$ |  | MP2(FC)/ G3MP2large |  |
|  |  | $\Delta G_{298}{ }^{\text {b }}$ | $\Delta G_{298}$ $\mathrm{CHCl}^{\circ}$ | $\Delta G_{298}{ }^{\text {d }}$ | $\Delta G_{298}$ <br> CHCl3 | $\Delta G_{298}{ }^{f}$ | $\begin{aligned} & \Delta G_{298}, \\ & \mathrm{CHCl}^{2} \end{aligned}$ |
| 22_1* $\mathrm{CHCl}_{3}$ _1 | +62.4 | 0.0 | 0.0 | 0.0 | 0.0 | 0.0 | 0.0 |
| 22_1* $\mathrm{CHCl}_{3}$ _2 | +65.9 | 5.8 | 4.5 | 4.9 | 3.5 | 5.7 | 4.4 |
| 22_2* $\mathrm{CHCl}_{3}$ _1 | +52.1 | 2.9 | 5.7 | 4.0 | 6.7 | 4.0 | 6.7 |
| 22_2* $\mathrm{CHCl}_{3}$ _2 | +50.8 | 3.9 | 1.8 | 11.8 | 9.7 | 12.0 | 10.0 |
| $22.3 * \mathrm{CHCl}_{3}$ _1 | +82.7 | 13.6 | 14.9 | 9.8 | 11.1 | 11.7 | 13.0 |
| $22.3 * \mathrm{CHCl}_{3}$ 2 | +85.1 | 17.0 | 13.4 | 17.7 | 14.1 | 19.8 | 16.2 |
| $\langle\delta\rangle^{g}$ |  | +59.2 | +59.1 | +61.5 | +62.6 | +61.2 | +62.3 |

$\overline{{ }^{a}}$ relative to $\mathrm{PPh}_{3}$, GIAO-MPW1K/6-311++G(2d,2p) + PCM/UAHF/MPW1K/6-311++G(2d,2p); ${ }^{b}$ MPW1K/6$311++G(2 \mathrm{~d}, 2 \mathrm{p})$, free en. corr.: MPW1K/6-31G(d); ${ }^{c}$ MPW1K/6-311++G(2d,2p) + PCM/UAHF/MPW1K/6$311++G(2 \mathrm{~d}, 2 \mathrm{p})$, free en. corr.: MPW1K/6-31G(d); ${ }^{d} \mathrm{MP} 2(\mathrm{FC}) / 6-31+\mathrm{G}(2 \mathrm{~d}, \mathrm{p}) / / \mathrm{MPW} 1 \mathrm{~K} / 6-31 \mathrm{G}(\mathrm{d})$, free en. corr.: MPW1K/6-31G(d); ${ }^{e}$ MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p), free en. corr.: MPW1K/6-31G(d); ${ }^{e}$ MP2(FC)/G3MP2large//MPW1K/6-31G(d), free en. corr.: MPW1K/6$31 \mathrm{G}(\mathrm{d}) ;{ }^{f} \mathrm{MP} 2(\mathrm{FC}) / \mathrm{G} 3 \mathrm{MP} 2$ large//MPW1K/6-31G(d) $+\mathrm{PCM} / \mathrm{UAHF} / \mathrm{MPW} 1 \mathrm{~K} / 6-311++\mathrm{G}(2 \mathrm{~d}, 2 \mathrm{p})$, free en. corr.: MPW1K/6-31G(d); ${ }^{g}$ Boltzmann-averaged chemical shift

One additional technical issue arises for ion pair system 21, where ${ }^{31} \mathrm{P}$ NMR calculations can be performed either for the full ion pair or for the phosphonium portion alone. Gas and solution phase calculations have been performed for both of these choices. The results compiled in Fig. 2.11 clearly illustrate that accurate predictions require the consideration of the full system. The difference for the theoretical and experimental chemical shifts of the phosphane atom $\mathrm{P}_{1}$ is small, while it is quite large for the phosphonium atom $\mathrm{P}_{2}$. Similar results have been obtained for system 18, where application of solution model 2 to the bare phosphonium cation $\left(\mathrm{PPh}_{3} \mathrm{Me}^{+}\right)$leads to a calculated chemical shift of +27.4 ppm , which is 5.2 ppm larger than the experimental value of +22.2 ppm . Consideration of the full ion pair through inclusion of the iodide counter ion shifts the predicted chemical shift for $\mathbf{1 8}$ considerably to +23.1 ppm , just 0.9 ppm away from the experimental value.


Fig. 2.11 ${ }^{31} \mathrm{P}$ NMR chemical shifts (relative to $\mathrm{PPh}_{3}$ ) calculated for ion-pair system 21 in the presence and the absence of the iodide counter ion.

### 2.1.3. Conclusions

1. The MPW1K functional in combination with the GIAO scheme represents a good basis for gas-phase and condensed-phase calculations of ${ }^{31} \mathrm{P}$ NMR chemical shifts for large molecular systems. Predictions with other hybrid functionals (such as B98 or B3LYP) appear to be less reliable, while predictions at the MP2 level are significantly more expensive.
2. The IGLO-III and $6-311++G(2 d, 2 p)$ basis sets in combination with GIAO-MPW1K provide ${ }^{31}$ P NMR chemical shift predictions with good accuracy. Smaller basis sets provide systematically inferior predictions.
3. The ${ }^{31} \mathrm{P}$ NMR shifts calculated for individual conformers vary largely, emphasizing the need for Boltzmann-averaging over the full conformational space of the system.
4. ${ }^{31}$ P NMR chemical shifts in solution are best predicted by including explicit solvent molecules at the stage of geometry optimization and by performing the GIAO shift calculations in the presence of the PCM/UAHF continuum solvation model.
5. Accurate prediction of ${ }^{31} \mathrm{P}$ NMR chemical shifts of ion pair systems require consideration of the full system.

Finally, in view of the considerably different chemical shifts obtained with different reference compounds it appears that accurate predictions can only be made through relative shift calculations of two structurally and chemically closely related systems. This requirement may reflect the fact that several factors are not accounted for in the current computational approach. This includes the known concentration- and temperature-dependence of experimentally measured ${ }^{31} \mathrm{P}$ spectra as well as the neglect of solvent magnetic polarizability effects in the current form of the PCM continuum solvation model. $\left.{ }^{[10 b}, 10 \mathrm{c}\right]$

### 2.2. Application of the Proposed Approach to the MBH reaction

### 2.2.1. Introduction

Having at disposal a reliable approach for ${ }^{31} \mathrm{P}$ NMR chemical shift prediction of large organophosphorus compounds in solution, it has been decided to apply it to the already mentioned Morita-Bayllis-Hillman reaction (MBH). It is one of the most important processes in modern organocatalysis and, in spite of the fact that many experimental and computational studies have been performed in this field (in following chapters this point will arise again), it still poses a number of mechanistically related questions. Obviously, the detection of MBH reaction intermediates would be the best way to clarify the mechanism. And since phosphanes are very popular catalysts for MBH reactions, the ${ }^{31} \mathrm{P}$ NMR spectroscopy could serve as a suitable analytical method and the theoretical support could be helpful in order to assign the measured chemical shifts. Recently a series of ${ }^{31} \mathrm{P}$ NMR experiments to monitor MBH reaction intermediates has been done by Dr. Yinghao Liu. ${ }^{[4]]}$ Three types of signals have been found for the mixture of $\mathrm{PPh}_{3}$ (catalyst) with methyl vinyl ketone (MVK) dissolved in $\mathrm{CDCl}_{3}$ : $-4.7 \mathrm{ppm}\left(\mathrm{PPh}_{3}\right),+29.5 \mathrm{ppm}$ (identical to $\mathrm{Ph}_{3} \mathrm{PO}$ ) and signals group around -60 ppm of unclear nature (Fig. 2.12a). If p-nitrophenol (PNP) is added to the mixture of $\mathrm{PPh}_{3}$ and MVK in $\mathrm{CDCl}_{3}$, a new signal appears at +25.72 ppm , in addition to the signal for $\mathrm{PPh}_{3}$ at -4.7 ppm (Fig. 2.12b). It has been assigned to intermediate 24 (Scheme 2.1) via additional ${ }^{1} \mathrm{H}$ NMR and 2D NMR experiments.


Scheme 2.1 Protonation/deprotonation equilibria in the mixture of $\mathrm{PPh}_{3}, \mathrm{MVK}$ and PNP in $\mathrm{CDCl}_{3}$.

The equilibrium between zwitterionic intermediate $\mathbf{2 3}$ (considered to be a keyintermediate in MBH catalytic cycle), cation 24 and ylid 25, shown in Scheme 2.1, will be discussed in detail in the following chapters. Here the results of the proposed computational scheme of ${ }^{31} \mathrm{P}$ NMR chemical shift for these intermediates are presented. Later a hypothesis about group of signals around -60 ppm will be also suggested.


Fig. 2.12a The ${ }^{31} \mathrm{P}$ NMR of $\mathrm{PPh}_{3}(0.32 \mathrm{M})$ and MVK (3.2 M) in $\mathrm{CDCl}_{3}$ after 50 mins. Measured by Dr. Yinghao Liu ${ }^{[41]}$


Fig. 2.12b The ${ }^{31} \mathrm{P}$ NMR of $\mathrm{PPh}_{3}(0.32 \mathrm{M})$, $\mathrm{PNP}(0.48 \mathrm{M})$ and MVK (3.2 M) in $\mathrm{CDCl}_{3}$ after 5 mins. Measured by Dr. Yinghao Liu ${ }^{[41]}$

### 2.2.2. Results and Discussion

In compliance with the suggested computational scheme, we have first optimized the structures of cation 24 at MPW1K/6-31G(d) level of theory and 4 minima have been found. The second step is the explicit consideration of the solvent molecule (here it is chloroform) by forming solute*solvent complexes. In Table 2.6 we show the structure of the most stable conformation of the solute*solvent complex as it has been found at MP2(FC)/6$31+G(2 d, p) / / M P W 1 K / 6-31 G(d) \quad+$ PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6$31 \mathrm{G}(\mathrm{d})$ (gas-phase geometries, single point calculation of solvent effect) level together with the relative free energies for all four found minima and their ${ }^{31} \mathrm{P}$ NMR chemicals shifts calculated at GIAO-MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) (NMR calculations in combination with the PCM model), where the $\mathrm{PPh}_{3} * \mathrm{CHCl}_{3}$ complex was used as the reference system. One can see from the structure shown in Table 2.6, that the best conformation of $24 * \mathrm{CHCl}_{3}$ is stabilized by formation of two hydrogen bonds - one between the carbonyl oxygen atom and one of the phenyl ring hydrogen atom $(\mathrm{r}(\mathrm{O}-\mathrm{H})=2.291 \AA)$, and one between this oxygen atom and the hydrogen atom of the chloroform molecule $(\mathrm{r}(\mathrm{O}-\mathrm{H})=$ $2.166 \AA$ ).

Table 2.6 Calculated relative free energies and chemical shifts for 4 individual conformations of the solute*solvent complexes of cation 24 with $\mathrm{CHCl}_{3}$ and the structure of the most stable complex.


| $\Delta G_{298, \mathrm{CHCl} 3}{ }^{\mathrm{a}} / \mathrm{kJ} \mathrm{mol}^{-1}$ | $\delta^{\mathrm{b}} / \mathrm{ppm}$ |
| :---: | :---: |
| 0.0 | 28.0 |
| 2.7 | 32.6 |
| 4.4 | 28.0 |
| 5.4 | 29.5 |

${ }^{\text {a }}$ MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d), free en. corr.: MPW1K/6-31G(d). ${ }^{\text {b }}$ Relative to $\mathrm{PPh}_{3} * \mathrm{CHCl}_{3}$, GIAO-MPW1K/6-311++G(2d,2p)//MPW1K/6$31 \mathrm{G}(\mathrm{d})+$ PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d).

The Boltzmann-averaged chemical shift from these four complexes is +29.0 ppm . If we compare this result with the experimental value of +25.7 ppm , the question immediately arises whether it is possible to improve the calculations. One of the critical points for ${ }^{31} \mathrm{P}$ NMR calculation is that the reference system and the system we are interested in should be
chemically closely related - as was shown before for the $\mathrm{Ph}_{3} \mathrm{P} / \mathrm{Ph}_{3} \mathrm{PO}$ pair. $\mathrm{Ph}_{3} \mathrm{P} \mathbf{1}$ and the cation 24 seem to be an adequate pair for the ${ }^{31} \mathrm{P}$ NMR chemical shift calculations too, and we have therefore decided to go forward with the computation, taking into account another aspect - the importance to include the counterion in an ion pair ${ }^{31} \mathrm{P}$ NMR chemical shift calculation. In our case the counterion is p-nitrophenolate anion and several ion/anion structural combinations are conceivable for the respective ion pairs. These may include contact pairs such as 26, in which the phenolate interacts with cation 24 through C-H bond contacts, or actual adducts such as $\mathbf{2 7}$, in which the phenolate is attached to the phosphorus atom through a new bond (vide Scheme 2.2)


26

$\mathrm{D}\left(\mathrm{C}_{1} \mathrm{C}_{2} \mathrm{C}_{3} \mathrm{P}\right)=\alpha$


27

Scheme 2.2 Different structural variants of ion pair between cation 24 and phenolate.

Molecules of 26 type have ${ }^{31} \mathrm{P}$ NMR chemical shifts in the range of $+20-+40 \mathrm{ppm},{ }^{[42]}$ while for the case of 27 the ${ }^{31} \mathrm{P}$ NMR chemical shift is totally different and can amount to -50 - -60 ppm. ${ }^{[42]}$ Thus, the system can change structure from tetrahedral (26-type molecules) to trigonal-bipyramidal (the limit case of $\mathbf{2 7}$ if the dihedral angle $\alpha$ (vide Scheme 2.2) amounts to zero). Relying on the previously optimized conformations of the cation $\mathbf{2 4}$, a host of probable complexes of both types was constructed, including also one molecule of chloroform, whose position was determined following the electrostatic potential. Fig. 2.13 collects the chemical shifts, relative free energies and magnitudes of distance between phosphorus atom and oxygen atom of phenolate for the ten most stable conformations of the full ion pair and the most important conformations (the largest weight in the Boltzmann averaging) are cross-hatched. One can see that chemical shift values change almost synchronously with the $\mathrm{r}(\mathrm{P}-\mathrm{O})$ distance and dihedral angle $\alpha$ magnitudes. Fig. 2.14a shows the structures of the four most stable conformations cross-hatched in Fig 2.13. As one can see the global minimum is found to be 26-type molecule though three other minima are 27-type.


Fig. 2.13 Calculated ${ }^{31} \mathrm{P}$ NMR chemical shifts (relative to $\mathrm{PPh}_{3} * \mathrm{CHCl}_{3}$, GIAO-MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6$31 \mathrm{G}(\mathrm{d})$ combined with relative free energies (MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d), free en. corr.: MPW1K/6-
$31 \mathrm{G}(\mathrm{d})$; ten most stable conformations), distances between phosphorus atom and oxygen atom of phenolate anion and dihedral angles $\alpha$ (vide Scheme 2.2) for different variants of the complex between cation 24, $p$-nitrophenolate anion and chloroform.

$\mathbf{2 4} * \mathbf{A r O}^{*} \mathbf{C H C l}_{\mathbf{3}} \mathbf{2}^{\mathbf{2}}$
$\Delta G_{298, \mathrm{CHCl} 3}=1.7$
$\delta=+22.7 \mathrm{ppm}$

24* $\mathrm{ArO}^{*} \mathrm{CHCl}_{3} \mathbf{4}$
$\Delta G_{298, \mathrm{CHCl} 3}=3.9$
$\delta=+22.5 \mathrm{ppm}$

Fig. 2.14a Structures of the four most stable conformations of the complexes between cation 24, $p$-nitrophenolate anion and chloroform optimized at the MPW1K/6-31G(d), the relative free energies ( $\Delta G_{298, \mathrm{CHC13}}$ ) of these four complexes found at the MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/ $6-311++G(2 d, 2 p) / / M P W 1 K / 6-31 G(d)$ with free en. corr. at the MPW1K/6-31G(d) and ${ }^{31} \mathrm{P}$ NMR chemical shifts ( $\delta$ ) found relative to $\mathrm{PPh}_{3} * \mathrm{CHCl}_{3}$ at the GIAO-MPW1K/ 6-311++G(2d,2p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6$311++G(2 d, 2 p) / / M P W 1 K / 6-31 G(d)$ level.

The tight ion pairs of type 27 ( $\mathrm{r}(\mathrm{P}-\mathrm{O}$ ) $\sim 2 \AA$ ), maximally close to the trigonal bipyramid ( $\alpha<$ $12^{\circ}$ ) are also found to be minima, but much less stable (> $17 \mathrm{~kJ} \mathrm{~mol}^{-1}$ less stable than global minimum). The structures of the most stable such complexes are shown in Fig. 2.14b.


24* $\mathrm{ArO}^{*} \mathrm{CHCl}_{3} \mathbf{5}$

$$
\begin{gathered}
\Delta G_{298, \mathrm{CHCl} 3}=+17.6 \mathrm{~kJ} \mathrm{~mol}^{-1} \\
\delta=-35.1 \mathrm{ppm} \\
\alpha=11.6^{\circ}
\end{gathered}
$$



$$
\begin{gathered}
\mathbf{2 4} * \mathbf{A r O} * \mathbf{C H C l}_{3} \mathbf{6} \\
\Delta G_{298, \text { CHCl3 }}=+26.8 \mathrm{~kJ} \mathrm{~mol}^{-1} \\
\delta=-68.8 \mathrm{ppm} \\
\alpha=8.9^{\circ}
\end{gathered}
$$

Fig. 2.14b Structure of the most stable 27-type tight complexes between cation 24, $p$ nitrophenolate anion and chloroform (MPW1K/6-31G(d)); the relative to global minimum $\mathbf{2 4 * A r O}$ * $\mathbf{C H C l}_{3} \mathbf{1}$ free energy ( $\Delta G_{298, \mathrm{CHC13}}$ ) found at the MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6$31 \mathrm{G}(\mathrm{d})$, free en. corr.: MPW1K/6-31G(d) level of theory and ${ }^{31}$ P NMR chemical shift ( $\delta$ ) found relative to $\mathrm{PPh}_{3} * \mathrm{CHCl}_{3}$ at GIAO-MPW1K/6-311++G(2d,2p) + PCM/UAHF/MPW1K/6-311++G(2d,2p) level.

As compared to $\mathbf{2 4} \mathbf{*} \mathbf{A r O} * \mathbf{C H C l}_{\mathbf{3}} \mathbf{2}$ (Fig. 2.14a) there is a dramatic change in chemical shift value. One can also see that the $\mathrm{CHCl}_{3}$ molecule forms hydrogen bonds differently in these 3 complexes. In $\mathbf{2 4} \boldsymbol{*} \mathbf{A r O} \mathbf{*} \mathbf{C H C l}_{3} \mathbf{2}$ and $\mathbf{2 4} \boldsymbol{*} \mathbf{A r O} \mathbf{*} \mathbf{C H C l}_{3} \mathbf{5} \mathrm{CHCl}_{3}$ forms a hydrogen bond with the phenolate oxygen of $1.928 \AA$ and $2.290 \AA$ length respectively. In $\mathbf{2 4} * \mathbf{A r O} * \mathbf{C H C l}_{\mathbf{3}} \mathbf{6}$ the $\mathrm{CHCl}_{3}$ changes its position forming a hydrogen bond with the carbonyl oxygen atom ( $2.040 \AA$ ). Thus, with moving the $\mathrm{CHCl}_{3}$ molecule away from the phenolate oxygen atom, the P-B distances, the out-of-plane angles $\alpha,{ }^{31}$ P NMR chemical shifts and relative stability are decreasing sharply. The geometric and energetic data together with ${ }^{31} \mathrm{P}$ NMR chemical shifts for all discussed complexes are collected in the Table 2.7, each of the complexes is assigned
to the $\mathbf{2 6}$ or $\mathbf{2 7}$ type in accordance with the Scheme 2.2. One can see the "out-of-plane" angle $\alpha$ and P-O distance changes going from the tetrahedral complex to the trigonal bipyramid and the sharp jumps in the ${ }^{31} \mathrm{P}$ NMR chemical shift values.

Table 2.7 Geometric, energetic and ${ }^{31} \mathrm{P}$ NMR chemical shift data for 6 complexes between cation 24, p-nitrophenolate anion and chloroform.

| Name | $\mathrm{r}(\mathrm{P}-\mathrm{O}), \mathrm{A}^{\text {a }}$ | $\alpha,{ }^{\circ}$ | $\delta, \mathrm{ppm}^{\text {c }}$ | $\begin{aligned} & \Delta G_{298, \mathrm{CHCl13}}, \\ & \mathrm{~kJ} \mathrm{~mol}^{-1 \mathrm{dd}} \end{aligned}$ | Type ${ }^{\text {e }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 24*ArO*CHCl3_1 | 3.960 | 36.1 | +31.4 | 0.0 | 26 |
| 24*ArO*CHCl3_2 | 2.747 | 25.5 | +22.7 | 1.7 | 27 |
| 24* $\mathrm{ArO}^{*} \mathrm{CHCl3}_{3} 3$ | 2.639 | 24.5 | +18.4 | 3.7 | 27 |
| 24* $\mathrm{ArO}^{*} \mathrm{CHCl3}_{3} 4$ | 2.759 | 25.3 | +22.5 | 3.9 | 27 |
| 24* $\mathrm{ArO}^{*} \mathrm{CHCl3}^{2} 5$ | 2.091 | 11.6 | -35.1 | 17.6 | 27 |
| 24*ArO*CHCl3_6 | 1.922 | 8.9 | -68.8 | 26.8 | 27 |

${ }^{\text {a }}$ Distance between phosphorus atom and oxygen atom of phenolate anion. ${ }^{b}$ dihedral angle in accordance with the Scheme 2.2. ${ }^{\text {c }}$ calculated relative to $\mathrm{PPh}_{3} * \mathrm{CHCl}_{3}$ at GIAO-MPW1K/6-311++G(2d,2p) + PCM/UAHF/MPW1K/6-311++G(2d,2p) level. ${ }^{\mathrm{d}}$ MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d), free en. corr.: MPW1K/6-31G(d). ${ }^{\mathrm{e}}$ in accordance with the Scheme 2.2.

The final step of the ${ }^{31} \mathrm{P}$ NMR chemical shift computation is Boltzmann averaging using all found minima in this case yielding a ${ }^{31} \mathrm{P}$ NMR chemical shift value of +26.6 ppm . This result is quite interesting, since it is only 0.9 ppm higher than the experimental result of +25.7 ppm . It should be emphasized, that the Boltzmann averaging is obligatory and involving only the global minimum is not enough, since the global minimum is calculated to have a ${ }^{31} \mathrm{P}$ NMR chemical shift of +31.4 ppm being quite far away from the experimental value. Toste et al. have detected for the phosphonium salts $\mathbf{2 8}$ and $\mathbf{2 9}$ (Scheme 2.3) the ${ }^{31} \mathrm{P}$ NMR chemical shift of $+33 \mathrm{ppm} .{ }^{[3 \mathrm{~b}]}$


Scheme 2.3 Formation of phosphonium salt studied by Toste et al.

The latter coincides with the global minimum found in the present work $\left(\mathbf{2 4} * \mathbf{A r O} * \mathbf{C H C l}_{\mathbf{3}} \mathbf{1} \mathbf{1}\right.$, +31.4 ppm ) and other less stable minima (vide Fig. 2.13). Hypothetically, for the system studied by Toste et al., the complexes with interaction between phosphorus atom and counterion via formation of trigonal-bipyramidal complexes of $\mathbf{2 7}$ are less stable and do not play a substantial role in the Boltzmann-averaging.

In accordance with Scheme 2.1 the cation 24 is in equilibrium with the zwitterionic intermediate 23 and ylid 25. Since the ${ }^{31} \mathrm{P}$ NMR chemical shift computational scheme is efficient for 24, the calculations have been extended to systems 23 and 25. Results of application of the solution model 2 to $\mathbf{2 3}$ and $\mathbf{2 5}$ are presented in Tables 2.8 and 2.9 respectively. The Boltzmann-averaged chemical shifts for system 23 amounts to +22.6 ppm and for system 25 to +25.8 ppm .

Table 2.8 Calculated relative free energies and chemical shifts for 4 individual conformations of the solute*solvent complexes of 23 with $\mathrm{CHCl}_{3}$ and the structure of the most stable complex.


| $\Delta G_{298, \mathrm{CHCl}^{\mathrm{a}} /}^{\mathrm{kJ} \mathrm{mol}^{-1}}$ | $\delta^{\mathrm{b}} / \mathrm{ppm}$ |
| :---: | :---: |
| 0.0 | +23.4 |
| 3.5 | +19.3 |
| 18.7 | +1.9 |

29.7
$-7.1$
$\langle\delta\rangle=+22.6$
${ }^{\mathrm{a}}$ MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d), free en. corr.: MPW1K/6-31G(d). ${ }^{\mathrm{b}}$ Relative to $\mathrm{PPh}_{3} * \mathrm{CHCl}_{3}$, GIAO-MPW1K/6-311++G(2d,2p)//MPW1K/631G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d).

Table 2.9 Calculated relative free energies and chemical shifts for 12 individual conformations of the solute*solvent complexes of $\mathbf{2 5}$ with $\mathrm{CHCl}_{3}$ and the structure of the most stable complex.

${ }^{\mathrm{a}}$ MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d), free en. corr.: MPW1K/6-31G(d). ${ }^{\mathrm{b}}$ Relative to $\mathrm{PPh}_{3} * \mathrm{CHCl}_{3}$, GIAO-MPW1K/6-311++G(2d,2p)//MPW1K/6$31 \mathrm{G}(\mathrm{d})+$ PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d).

Addition of the phenolate anion into calculation of the ${ }^{31} \mathrm{P}$ NMR chemical shift for the system 24 changes the calculated value of the shift substantially. In the experiment the presence of phenol is also necessary to detect the chemical shift of $+25.7 \mathrm{ppm} .{ }^{[41]}$ It has also been found, that geometries and energies of the MBH reaction intermediates are strongly influenced by the intermolecular interactions with the phenol, this will be in detail discussed in the following chapters of this work. In order to take into account the mentioned observations, the systems $\mathbf{2 3}$ and $\mathbf{2 5}$ have been recalculated considering the phenol molecule in the same way as it has been done for the cation 24. The structures of the most stable conformations for both systems $\mathbf{2 3}$ and $\mathbf{2 5}$ are shown in Fig.2.15. The consideration of the phenol molecule leads to very different values of the chemical shifts as compared to the model, where phenol is neglected. The Boltzmann-averaged ${ }^{31} \mathrm{P}$ NMR chemical shift for the phenol/chloroform complex with system $\mathbf{2 3}$ amounts to -12.0 ppm and for the system $\mathbf{2 5}$ to +34.3 ppm . The shift values are very different compared to those obtained by neglecting the phenol molecule, thus the influence of phenol on the geometries and related properties (e.g. ${ }^{31} \mathrm{P}$ NMR) is dramatic.


23* $\mathrm{ArOH}^{*} \mathrm{CHCl}_{3} \_1$
$\Delta G_{298, \mathrm{CHCl} 3}=0.0 \mathrm{~kJ} \mathrm{~mol}^{-1}$ $\delta=-13.5 \mathrm{ppm}$


23* $\mathrm{ArOH} * \mathrm{CHCl}_{3} \_2$
$\Delta G_{298, \mathrm{CHCl3}}=+6.7 \mathrm{~kJ} \mathrm{~mol}^{-1}$ $\delta=+10.1 \mathrm{ppm}$


23* $\mathbf{A r O H} * \mathbf{C H C l}_{3} \_3$
$\Delta G_{298, \mathrm{CHCl} 3}=+16.8 \mathrm{~kJ} \mathrm{~mol}^{-1}$
$\delta=+18.0 \mathrm{ppm}$

Fig. 2.15a Structures of the three most stable conformations of the complexes between 23, $p$ nitrophenol and chloroform optimized at the MPW $1 \mathrm{~K} / 6-31 \mathrm{G}(\mathrm{d})$, the relative free energies
( $\Delta G_{298, \mathrm{CHC13}}$ ) of these four complexes found at the MP2(FC)/6-31+G(2d,p)//MPW1K/631G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) with free en. corr. at the MPW1K/6-31G(d) and ${ }^{31} \mathrm{P}$ NMR chemical shifts ( $\delta$ ) found relative to $\mathrm{PPh}_{3} * \mathrm{CHCl}_{3}$ at the GIAO-MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6$311++G(2 d, 2 p) / / M P W 1 K / 6-31 G(d))$ level.


Fig. 2.15b Structures of the two most stable conformations of the complexes between 25, $p$ nitrophenol and chloroform optimized at the MPW1K/6-31G(d), the relative free energies $\left(\Delta G_{298, \mathrm{CHC1}}\right)$ of these four complexes found at the MP2(FC)/6-31+G(2d,p)//MPW1K/6$31 \mathrm{G}(\mathrm{d})+\mathrm{PCM} / \mathrm{UAHF} / \mathrm{MPW} 1 \mathrm{~K} / 6-311++\mathrm{G}(2 \mathrm{~d}, 2 \mathrm{p}) / / \mathrm{MPW} 1 \mathrm{~K} / 6-31 \mathrm{G}(\mathrm{d})$ with free en. corr. at the MPW1K/6-31G(d) and ${ }^{31} \mathrm{P}$ NMR chemical shifts $(\delta)$ found relative to $\mathrm{PPh}_{3} * \mathrm{CHCl}_{3}$ at the GIAO-MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) level.

Finally there are three values of ${ }^{31} \mathrm{P}$ NMR chemical shifts for the three studied systems: +26.6 ppm for the phosphonium salt $\mathbf{2 4} \mathbf{*} \mathbf{A r O} * \mathbf{C H C l}_{\mathbf{3},-12.0} \mathrm{ppm}$ for the zwitterionic intermediate $\mathbf{2 3} \boldsymbol{*} \mathbf{A r O H} * \mathbf{C H C l}_{3}$ and +34.3 ppm for the ylid $\mathbf{2 5} * \mathbf{A r O H} * \mathbf{C H C l}_{\mathbf{3}}$. A comparison of these three values suggests that the experimentally detected $+25.7 \mathrm{ppm}{ }^{31} \mathrm{P}$ NMR chemical shift should belong to the phosphonium salt $\mathbf{2 4} \mathbf{*} \mathbf{A r O} * \mathbf{C H C l}_{3}$. But a question arises: Why is in the experiment only the shift of +26.6 ppm detected and no signals for systems $\mathbf{2 3}$ and $\mathbf{2 5}$ ? In Fig 2.16 the relative free energies are shown for all three systems (the best conformations are taken).


Fig. 2.16. Comparison of the relative free energies $\Delta \mathrm{G}_{298, \mathrm{CHC1}}$ for the systems $\mathbf{2 4} \mathbf{*} \mathbf{A r O} * \mathbf{C H C l}_{\mathbf{3}}, \mathbf{2 3} * \mathbf{A r O H}^{*} \mathbf{C H C l}_{3}$ and $\mathbf{2 5} * \mathbf{A r O H}^{*} \mathbf{C H C l}_{3}$, the relative free energies ( $\Delta G_{298, \mathrm{CHC1} 3}$ ) of these four complexes found at the MP2(FC)/6-31+G(2d,p)//MPW1K/631G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) level with free en. corr. at the MPW1K/6-31G(d).

Easy to see, that ${ }^{31} \mathrm{P}$ NMR detection of only system 24 correlates with the stability of this system as compared to the zwitterionic and the ylid intermediates. The protonated intermediate complex is substantially more stable than the zwitterionic intermediate ( +15 kJ $\mathrm{mol}^{-1}$ ) and the ylid ( $+68 \mathrm{~kJ} \mathrm{~mol}^{-1}$ ). Shi et al. have studied the reaction between MVK and Lewis base 30 (Scheme 2.4). ${ }^{[43]}$


Scheme 2.4 Formation of the zwitterionic intermediate $\mathbf{3 1}$ from MVK and Lewis base $\mathbf{3 0}$ suggested by Shi et al. ${ }^{[43]}$

A ${ }^{31}$ P NMR signal at +25.3 ppm has been detected and "believed to correspond to" the zwitterionic intermediate 31. Noteworthy to say, that we also have found conformations of the
system $\mathbf{2 3 *} \mathbf{A r O H} * \mathbf{C H C l}_{3}$ with ${ }^{31} \mathrm{P}$ NMR chemical shifts in the range of $24-26 \mathrm{ppm}$, but these complexes are more than $20 \mathrm{~kJ} \mathrm{~mol}^{-1}$ less stable as compared to the global minimum $\mathbf{2 3} * \mathbf{A r O H} * \mathbf{C H C l}_{3} \mathbf{1}$ shown in Fig. 2.15a. Finally, one can state that for the system in the present study study the +25.5 ppm (experimental detection by $\mathrm{Liu}^{[41]}$ ) and +26.6 ppm (the calculations) correspond to the protonated intermediate and not to the ylid or zwitterionic intermediate.

Additional questions may arise for the group of signals at around -60 ppm , which accompany the signals of $\mathrm{Ph}_{3} \mathrm{P}$ and $\mathrm{Ph}_{3} \mathrm{PO}$ in the reaction of $\mathrm{PPh}_{3}$ and MVK in $\mathrm{CDCl}_{3}$ in the absence of phenol. ${ }^{[41]}{ }^{31} \mathrm{P}$ NMR signals at -60 ppm are known to belong to pentavalent phosphorus compounds and relying on that fact one can suggest a cyclic form of the $\mathrm{PPh}_{3} * \mathrm{MVK}$ adduct (or $\mathrm{PPh}_{3} * 2 \mathrm{MVK}$ adduct) as it is shown in Scheme 2.5.


Scheme 2.5. Formation of cyclic adducts between $\mathrm{PPh}_{3}$ and MVK.
the most simple variant of the $\mathrm{PPh}_{3}$ adduct with one molecule of MVK 34 will be discussed here. In Fig. 2.17 two possible structures are shown together with relative free energies and ${ }^{31} \mathrm{P}$ NMR chemical shifts as calculated with solution model 2. Both structures are trigonal bipyramids. One of the axial positions is occupied by the oxygen atom (as well as in the structures of type 27 discussed before). The latter is the normal situation of the most electronegative elements being axial in the trigonal bipyramids. ${ }^{[44]}$ The second axial and both equatorial positions are occupied by phenyl rings.


34* $\mathbf{C H C l}_{3}$ _ $\mathbf{1}$
$\Delta G_{298, \mathrm{CHCl3}}=24.3$
$\delta=-53.7 \mathrm{ppm}$

$\mathbf{3 4}$ * $\mathbf{C H C l}_{3}$ _2
$\Delta G_{298, \mathrm{CHCl} 3}=0.0$
$\delta=-37.0 \mathrm{ppm}$

Fig. 2.17 Structures of two possible conformations of the cyclic adduct between one molecule of $\mathrm{PPh}_{3}$ and one molecule of MVK (MPW1K/6-31G(d)). The relative free energies of these two adducts (MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6$311++G(2 d, 2 p) / / M P W 1 K / 6-31 G(d)$, free en. corr.: MPW1K/6-31G(d)) and ${ }^{31}$ P NMR chemical shifts (relative to $\mathrm{PPh}_{3} * \mathrm{CHCl}_{3}$, GIAO-MPW1K/6-311++G(2d,2p)//MPW1K/6$31 \mathrm{G}(\mathrm{d})+\mathrm{PCM} / \mathrm{UAHF} / \mathrm{MPW} 1 \mathrm{~K} / 6-311++\mathrm{G}(2 \mathrm{~d}, 2 \mathrm{p}) / / \mathrm{MPW} 1 \mathrm{~K} / 6-31 \mathrm{G}(\mathrm{d})$ ).

The first structure has a chemical shift of -53.7 ppm , which is much closer to the experimental result than the shift of the second structure at -37.0 ppm , though this second structure is found to be significantly more stable than the first one. The geometries of the both complexes differ mostly in two factors:

1. the co-orientation of the axial phenyl ring and MVK moiety: for the first complex it locates in one plane with the MVK moiety (which forms here also a planar structure) and for the second complex the plane of the axial phenyl ring is rotated and the MVK moiety is not planar anymore;
2. the length of the hydrogen bond between the chloroform molecule and the oxygen atom of the MVK moiety is longer in adduct $\mathbf{3 4} * \mathbf{C H C l}_{\mathbf{3}} \mathbf{2}$ at $2.288 \AA$ than in adduct $\mathbf{3 4} \mathbf{C H C l}_{\mathbf{3}} \mathbf{1} \mathbf{1}$ at $2.016 \AA$. The shorter this bond is, the weaker is the intramolecular interaction between the oxygen and phosphorus atom and the more positive is the ${ }^{31} \mathrm{P}$ NMR chemical shift. Thus in the first complex $\mathrm{r}(\mathrm{P}-\mathrm{O})=1.931 \AA$ and in the second one $\mathrm{r}(\mathrm{P}-\mathrm{O})=1.952 \AA$ and this lengthening leads to a big change of $16.7 \mathrm{ppm}{ }^{31} \mathrm{P}$ NMR chemical shift increase.

The application of the solution model 1 to the both structures (without explicit molecule of the solvent) leads to the ${ }^{31} \mathrm{P}$ NMR chemical shifts of -64.4 ppm and -44.8 ppm , which are now closer to the experimental evidence. The presence of more than one signal in the area of -60
ppm can be explained by formation of adducts between $\mathrm{PPh}_{3}$ and two molecules of MVK (Scheme 2.3). Both systems $\mathbf{3 2}$ and $\mathbf{3 3}$ are found to have ${ }^{31} \mathrm{P}$ NMR chemical shift values close to the values for system 34.

### 2.2.3. Conclusions

1. ${ }^{31} \mathrm{P}$ NMR chemical shift calculations of the MBH reaction intermediates (protonated intermediate, zwitterionic intermediate and ylid) have been performed in accordance with the suggested computational scheme (solution model 2). The protonated intermediate is found to be the most preferable. The ${ }^{31} \mathrm{P}$ NMR chemical shift of this protonated intermediate is in a good accordance with the experimentally measured chemical shift. A model of co-behaviour between catalyst, co-catalyst, Michael acceptor and solvent during the side reaction of the protonated intermediate formation is suggested.
2. A group of signals at around -60 ppm found experimentally for the mixture of $\mathrm{PPh}_{3}$, MVK and PNP can be assigned to different cyclic adducts between molecules of MVK and $\mathrm{PPh}_{3}$.

### 2.3. References

[1] a) D. Basavaiah, A. J. Rao, T. Satyanarayana, Chem. Rev. 2003, 103, 811-891; b) V. Singh, S. Batra, Tetrahedron 2008, 64, 4511-4574; c) D. Basavaiah, K. V. Rao, R. Reddy, J. Chem. Soc. Rev. 2007, 36, 1581; d) P. Langer, Angew. Chem. 2000, 112, 3177; e) P. Langer, Angew. Chem. Int. Ed. 2000, 39, 3041-3051; f) Y.-L. Shi, M. Shi, Eur. J. Org. Chem. 2007, 2905.
[2] a) C. E. Aroyan, A. Dermenci, S. J. Miller, Tetrahedron 2009, 65, 4069; b) S. A. Frank, D. J. Mergott, W. R. Roush, J. Am. Chem. Soc. 2002, 124, 2404; c) L.-C.-. Wang, A. L. Luis, K. Agapiou, H.-Y. Jang, M. J. Krische, J. Am. Chem. Soc. 2002, 124, 2402.
[3] a) C. Faltin, E. M. Fleming, S. J. Connon, J. Org. Chem 2004, 69, 6496; b) I. C. Stewart, R. G. Bergman, F. D. Toste, J. Am. Chem. Soc. 2003, 125, 8696-8697.
[4] a) E. Vedejs, O. Daugulis, L. A. Harper, M. J. A., D. R. Powell, J. Org. Chem 2003, 68, 5020; b) E. Vedejs, O. Daugulis, N. Tuttle, J. Org. Chem 2004, 69, 1389; c) J. A. MacKay, E. Vedejs, J. Org. Chem 2004, 69; d) J. A. MacKay, E. Vedejs, J. Org. Chem 2006, 71, 498.
[5] a) Y. Wei, G. N. Sastry, H. Zipse, J. Am. Chem. Soc. 2008, 130, 3473; b) Y. Wei, T. Singer, H. Mayr, G. N. Sastry, H. Zipse, J. Comput. Chem. 2008, 29, 291-297; c) Y. Wei, B. Sateesh, B. Maryasin, G. N. Sastry, H. Zipse, J. Comput. Chem. 2009, 2617 2624.
[6] a) M. Baidya, S. Kobayashi, F. Brotzel, U. Schmidhammer, E. Riedle, H. Mayr, Angew. Chem. Int. Ed. 2007, 46, 6176; b) T. B. Phan, M. Breugst, H. Mayr, Angew. Chem. Int. Ed. 2006, 45, 3869; c) B. Kempf, H. Mayr, Chem. - Eur. J. 2005, 11, 917.
a) X.-F. Zhu, C. E. Henry, O. Kwon, J. Am. Chem. Soc. 2007, 129, 6722; b) J.-Y. Wu, Z.-B. Luo, L.-X. Dai, X.-L. Hou, J. Org. Chem 2008, 73, 9137; c) A. A. Ibrahim, G.
D. Harzmann, N. J. Kerrigan, J. Org. Chem 2009, 74, 1777; d) E. Vedejs, S. T. Diver, J. Am. Chem. Soc. 1993, 115, 3358.
[8] J. Gauss, Ber. Bunsen-Ges. Phys. Chem. 1995, 99, 1001.
a) T. Ziegler, Chem. Rev. 1991, 91, 651; b) P. Hohenberg, W. Kohn, Phys. Rev. B 1964, 136, 864; c) G. Vignale, M. Rasolt, D. J. W. Geldard, Adv. Quantum Chem. 1990, 21, 235; d) A. M. Lee, N. C. Handy, S. M. Colwell, J. Chem. Phys. 1995, 103, 10095; e) V. G. Malkin, O. L. Malkina, M. E. Casida, D. R. Salahub, J. Am. Chem. Soc. 1994, 116, 5898; f) V. G. Malkin, O. L. Malkina, D. R. Salahub, Chem. Phys. Lett. 1993, 204, 80; g) V. G. Malkin, O. L. Malkina, D. R. Salahub, Chem. Phys. Lett.

1993, 204, 87; h) W. Kutzelnigg, U. Fleischer, M. Schindler, Vol. 23, Springer, Berlin, 1990; i) G. Schreckenbach, T. Ziegler, Theor. Chem. Acc. 1998, 99, 71; j) G.
Schreckenbach, T. Ziegler, J. Phys. Chem. 1995, 99, 606; k) G. Rauhut, S. Puyear, K. Wolinski, P. Pulay, J. Phys. Chem. 1996, 100, 6310; 1) J. R. Cheeseman, G. W. Trucks, T. A. Keith, M. J. Frisch, J. Chem. Phys. 1996, 104, 5497; m) P. J. Wilson, R. D. Amos, N. C. Handy, Mol. Phys. 1999, 97, 757; n) C. van Wüllen, Phys. Chem. Chem. Phys. 2000, 2, 2137; o) S. T. Epstein, J. Chem. Phys. 1973, 58, 1592; p) M. Schindler, W. Kutzelnigg, J. Chem. Phys. 1982, 76, 1919; q) R. Dietchfield, J. Chem. Phys. 1972, 56, 5688; r) A. E. Hansen, T. D. Bouman, J. Chem. Phys. 1985, 82, 5035; s) T. A. Keith, R. W. F. Bader, Chem. Phys. Lett. 1993, 210, 223; t) T. M. Alam, Int. J. Mol. Sci. 2002, 3, 888; u) K. A. Chernyshev, L. B. Krivdin, Russ. J. Org. Chem. (Transl. of Zh. Org. Khim.) 2010, 46, 785; v) M. Rezaei-Sameti, THEOCHEM 2008, 867, 122; w) J. Přecechtělova, P. Novák, M. L. Munzarová, M. Kaupp, Sklenář, J. Am. Chem. Soc. 2010, 132, 17139; x) S. G. Smith, J. M. Goodman, J. Am. Chem. Soc. 2010, 1132, 12946; y) P. R. Rablen, S. A. Pearlman, J. Finkbiner, J. Phys. Chem. A 1999, 103, 7357.
$[10] ~ a) ~ M . ~ K a u p p, ~ M . ~ B u ̈ h l, ~ V . ~ G . ~ M a l k i n, ~ W i l e y, ~ W e i n h e i m, ~ 2004 ; ~ b) ~ U . ~ M a y e r, ~ V . ~$ Gutmann, W. Gerger, Monatsch. Chem. 1975, 106, 1235; c) V. Gutmann, Electrochim. Acta 1976, 21, 661; d) J. L. Cook, C. A. Hunter, C. M. R. Low, A. PerezVelasco, J. G. Vinter, Angew. Chem. 2007, 119, 3780; e) J. L. Cook, C. A. Hunter, C. M. R. Low, A. Perez-Velasco, J. G. Vinter, Angew. Chem. Int. Ed. 2008, 47, 6275.
[11] J. Schraml, M. Čapka, V. Blechta, Magn. Reson. Chem. 1992, 30, 544.
[12] W.-N. Chou, M. Pomerantz, J. Org. Chem 1991, 56, 2762.
[13] K. L. McKillop, G. R. Gillette, D. R. Powell, R. West, J. Am. Chem. Soc. 1992, 114, 5203.
$[14] \quad$ B. J. Lynch, P. L. Fast, M. Harris, D. G. Truhlar, J. Phys. Chem. A 2000, 100, 4811.
$[15] \quad$ D. Roy, R. B. Sunoj, Org. Lett. 2007, 9, 4873-4876.
[16] K. A. Al-Farhan, J. Crystallogr. Spectrosc. Res. 1992, 22, 687.
$[17]$ a) V. A. Naumov, T. s. M. A., A. V. Naumov, D. Y. Shorokhov, S. Samdal, Russ. J. Gen. Chem. 2001, 71, 1225; b) B. J. Dunne, A. G. Orpen, Acta Crystallogr., Sect. C: Cryst. Struct. Commun. 1991, 47, 345.
[18] a) K. W. Wiberg, J. Comput. Chem 2004, 25, 1342; b) A. Y. Li, S. W. Wang, THEOCHEM 2007, 807, 191; c) R. Cuypers, B. Burghof, A. T. Marcelis, E. S. R. Sudhölter, A. B. de Haan, H. Zuilhof, J. Phys. Chem. A 2008, 112, 11714.
[19] C. A. Jaska, T. J. Clark, S. B. Clendenning, D. Grozea, A. Turak, Z.-H. Lu, I. Manners, J. Am. Chem. Soc. 2005, 127, 5116.
[20] M. Alajarin, P. Molina, A. Vidal, F. Tovar, Tetrahedron 1997, 53, 13449.
[21] N. Zumbulyadis, B. P. Dailey, Mol. Phys. 1974, 27, 633.
[22] a) C. J. Jameson, A. C. de Dios, A. K. Jameson, Chem. Phys. Lett. 1991, 95, 9042; b)
C. J. Jameson, A. C. de Dios, Chem. Phys. Lett. 1990, 167, 575.
[23] C. G. Hrib, F. Ruthe, E. Seppälä, M. Bätcher, C. Druckenbrodt, C. Wismach, P. G. Jones, W.-W. du Mont, V. Lippolis, F. A. Devillanova, M. Bühl, Eur. J. Inorg. Chem. 2007, 4693.
[24] J. R. Lloyd, N. Lowther, G. Zsabo, D. Hall, J. Chem. Soc., Perkin Trans. 2 1985, 1813.
[25] a) K. Kirk, P. W. Kuchel, Biochemistry 1988, 27, 8803; b) T. K. Miyamoto, Y. Suzuki, H. Ichida, Bull. Chem. Soc. Jpn. 1992, 65, 3386.
[26] R. Streck, A. J. Barnes, Spectrochim. Acta, Part A 1999, 55, 1049.
[27] M. Driess, C. Monsé, R. Boese, D. Bläser, Angew. Chem. 1998, 110, 2389.
$[28]$ E. Moser, E. O. Fischer, W. Bathelt, W. Gretner, L. Knauss, E. Louis, J. Organomet. Chem. 1969, 19, 377.
[29] R. E. Wasylishen, N. Burford, Can. J. Chem. 1987, 65, 2707.
[30] S. O. Grim, W. McFarlane, E. F. Davidoff, T. J. Marks, J. Phys. Chem. 1966, 70, 581.
[31] W. K. Seok, L. J. Zhang, Bull. Korean Chem. Soc. 2009, 30, 2461.
[32] G. Heckmann, E. Fluck, Mol. Phys. 1972, 23, 175.
[33] J. Raymonda, W. Klemperer, J. Chem. Phys. 1971, 55, 232.
[34] a) T. Mourik, V. I. Danilov, V. V. Dalidonis, N. Kurtia, H. Wakabayashi, T. Tsukamoto, Theor. Chem. Acc. 2010, 125, 233; b) The significantly different slope parameters of 0.855 (Fig. 2.6) and 0.870 (Fig. 2.7) as compared to the slope parameter in the gas-phase studies of 0.929 (Fig 2.5) are due to the smaller range of chemical shifts considered in the solution studies.
[35] M. V. Rao, C. B. Reese, Z. Zhengyun, Tetrahedron Lett. 1992, 33, 4839.
[36] L. K. Krannich, R. K. Kanjolia, C. L. Watkins, Magn. Reson. Chem. 1987, 25, 320.
[37] A. Hinke, W. Kuchen, Chem. Ber. 1983, 116, 3003.
[38] D. B. Denney, D. Z. Denney, P. J. Hammond, C. Huang, L.-T. Liu, K.-S. Tseng, Phosphorus Sulfur 1983, 15, 281.
[39] T. Costa, H. Schmidbaur, Chem. Ber. 1982, 115, 1374.
[40] R. B. King, P. M. Sundaram, J. Org. Chem 1984, 49, 1784.
[41] Y. Liu, PhD thesis, Ludwig-Maximilians-Universität München (München), 2011.
[42] J. C. Tebby, Handbook of Phosphorus-31 Nuclear Magnetic Resonance Data, CRCPress, Boca Raton, 1991.
[43] M. Shi, L. H. Chen, C.-Q. Li, J. Am. Chem. Soc. 2005, 127, 3790-3800.
[44] R. R. Holmes, in Progress in Inorganic Chemistry, Vol. 32 (Ed.: J. W. a. Sons), New York, 1984, pp. 119-235.

## 3. The Catalytic Cycle of the Morita-Baylis-Hillman Reaction

### 3.1. Introduction

The Morita-Baylis-Hillman (MBH) reaction is a generally useful synthetic method for the construction of densely functionalized products from two simple building blocks, an aldehyde and an acceptor-substituted alkene (Scheme 3.1). ${ }^{[1]}$


Scheme 3.1. The MBH reaction.

The mechanism of this reaction has recently been found to be quite variable, depending on the particular nature of the reactants, the catalysts and the solvent used. The reaction is efficiently catalyzed by N - and P-based nucleophiles, and proceeds particularly well in the presence of protic solvents or co-catalysts. Recent spectroscopic, kinetic, and theoretical studies suggest that, under these conditions, the reaction follows the mechanism outlined in Scheme 3.2 shown here using the $\mathrm{PPh}_{3}$-catalyzed reaction of methylvinylketone (MVK, 2) as an example. The regular catalytic cycle is marked in red color, while the side reactions are shown in black


Scheme 3.2. The catalytic cycle and possible side processes of the $\mathrm{PPh}_{3}(\mathbf{1})$ catalyzed MBH reaction with participation of protic co-catalyst 7.

In this mechanism the phosphine catalyst $\mathbf{1}$ is expected to add to the Michael acceptor $\mathbf{2}$ in a rapid and reversible manner, forming zwitterionic adduct $\mathbf{3}$ as the first transient intermediate. This is followed by nucleophilic addition to aldehyde 4, yielding a second zwitterionic intermediate $\mathbf{5}$ as the product. Subsequent hydrogen transfer within intermediate 5 to yield enolate zwitterion 6 is considered to be rate-limiting for many systems and is catalyzed by protic co-catalysts or solvents $\mathrm{R}^{2}-\mathrm{OH} 7$. The catalytic cycle is completed by elimination of the phosphine catalyst $\mathbf{1}$ and generation of the MBH product 8. Excellent computational studies have been published recently on the MBH reaction mechanism. ${ }^{[2]}$ In spite of the fact that the mechanism shown in Scheme 3.2 is widely accepted for the MBH reaction, there are still open questions. One of these questions is related to the choice of the system to study and the applied theoretical level - while some of the studies operate with small model systems like $\mathrm{NMe}_{3}$ or $\mathrm{PMe}_{3}$ (as a catalyst) ${ }^{[2 \mathrm{a}, 2 \mathrm{ce}, 2 \mathrm{~h}, 2 \mathrm{i}]}$ using Density Functional Theory (DFT) and only for some minor cases ab initio approaches, others consider situations of more frequently applied catalysts in the experimental studies, such as DABCO ${ }^{[2 b, 2 g]}$ or N methylprolinol, ${ }^{[2 f]}$ but using only DFT for the reaction profiles. If one goes to large systems, the problem of a large conformational space for every intermediate or transition state arises, hence a careful search of conformers is necessary for the MBH reaction mechanism, though in combination with expensive theory it makes the calculations especially difficult. In the present work a computational study for a system ${ }^{[3]}$ composed of $\mathrm{PPh}_{3}$ as the catalyst, $p$ nitrophenol (PNP) as the co-catalyst, MVK as the Michael acceptor and pchlorobenzaldehyde in THF has been performed. From the side of the level of theory, a combination of single point calculations using second order Møller-Plesset perturbation theory with frozen core approximation (MP2(FC)) and DFT in the variant of MPW1K hybrid functional for geometries and thermal corrections has been applied.

Another noteworthy question considers side reactions which can break the cycle and thus influence the whole processes. Some possible side reactions are shown in Scheme 3.2 in black color. Among these side reactions the protonation of zwitterionic intermediates from the catalytic cycle is especially important, because protonated intermediates can be experimentally detected. In chapter 2 the validity of calculations to explain the ${ }^{31} \mathrm{P}$ NMR chemical shifts of experimentally detected intermediates has been tested. The problem of protonation side reaction will be touched in this chapter 3 again and in detail in the next chapter 4.

### 3.2. Choice of the Methods



Scheme 3.3 The $\mathrm{PPh}_{3}$ - catalyzed MBH reaction between MVK and p-clorobenzaldehyde in THF using PNP as co-catalyst.

The overall process studied here is shown in Scheme 3.3. The geometries of all systems have been optimized at the MPW1K/6-31+G(d) level of theory. The thermal corrections to Gibbs free energies $G_{298}$ and enthalpies $H_{298}$ at 298.15 K have been calculated for all stationary points from unscaled vibrational frequencies obtained at the MPW1K/6$31+\mathrm{G}(\mathrm{d})$ level. The thermal corrections have been combined with single point energies calculated at the MP2 $(\mathrm{FC}) / 6-31+\mathrm{G}(2 \mathrm{~d}, \mathrm{p}) / / \mathrm{MPW} 1 \mathrm{~K} / 6-31+\mathrm{G}(\mathrm{d})$ level to yield Gibbs free energies $G_{298}$ and enthalpies $H_{298}$ at 298.15 K . Additional consideration of solvation effects as single point calculations using gas-phase geometries at the PCM/UAHF/RHF/6$31 \mathrm{G}(\mathrm{d}) / / \mathrm{MPW} 1 \mathrm{~K} / 6-31+\mathrm{G}(\mathrm{d})$ has been performed.

The choice of the MP2(FC)/6-31+G(2d,p) level for single point calculations is motivated by previously published accurate predictions of thermochemical data of a large set of N - and P-based Lewis bases ${ }^{[4]}$. Addition of a solvent model seems to be very important inasmuch as MBH reactions show a huge dependence on the solvent one uses in experiments. The choice of the MPW1K hybrid functional for geometry optimization is synchronized to recent studies, ${ }^{[2 g-i, 4 c]}$ which show that this functional works much better than others for treatment of zwitterionic intermediates, which play the most important role in the MBH reaction. The split-valence double zeta polarized basis set including diffuse functions 6$31+G(d)$ was shown to be the best for zwitterionic intermediates also in our previous study. The authors have found that addition of the diffuse functions can play a significant role, though it raises the computational cost significantly. ${ }^{[4 c]}$

### 3.3. Results and Discussion

The resulting energy diagram of the cycle is shown in Fig. 3.1 as relative free energies $\left(\Delta G_{298, \text { THF }}\right)$ vs. reaction coordinate, all found conformations are shown including diastereomeric pathways ( RR is shown in red colour, RS is shown in black). The side process of adduct between MVK and $\mathrm{PPh}_{3}$ protonation is shown by blue colour. In Fig 3.2a the energy diagram (cycle and protonation side process) is presented as relative free energies ( $\Delta G_{298, \text { THF }}$ in black colour) and enthalpies ( $\Delta H_{298, \text { THF }}$ in red colour) $v s$. reaction coordinate in comparison. In Fig 3.2b the gas-phase (solvent effects are excluded) free energies (in black) and enthalpies (in red) are shown. As the reference point (zero point) the reactant complex is taken. Separate molecules of reactants and products are also shown. The relative enthalpies and free energies for the most stable conformations are collected in Table 3.1

As one can see from Fig 3.2ab the enthalpy and free energy potential energy surfaces have similar shape, excepting separate molecules of reactants and products, where the entropic contribution is substantial. The side process of Int1 protonation yielding Int_p (this process will be in detail discussed later) has been found to be exergonic and exothermic if the solvent effects are included (Fig. 3.2a), but slightly endergonic and endothermic for the gasphase profiles (Fig. 3.2b). Since the protonation product can be experimentally detected without additional efforts to shift the equilibrium to its side, the profiles with inclusion of solvent model seem to be more reliable. Later the free energy profile with inclusion of solvent model ( $\Delta G_{298, \text { THF }}$ ) will be discussed in detail.

Table 3.1 Relative enthalpies and free energies at $298.15 \mathrm{~K}^{(i n ~} \mathrm{kJ} \mathrm{mol}^{-1}$ ) for stationary points (best conformations) located on the potential energy surface at MP2(FC)/6$31+\mathrm{g}(2 \mathrm{~d}, \mathrm{p}) / / \mathrm{MPW} 1 \mathrm{~K} / 6-31+\mathrm{G}(\mathrm{d})$ in gas-phase and with additional consideration of solvent effects at PCM/UAHF/RHF/6-31G(d).

|  | $\Delta H_{298, \text { THF }}$ | $\Delta G_{298, \text { THF }}$ | $\Delta H_{298}$ | $\Delta G_{298}$ |
| :--- | ---: | ---: | ---: | ---: |
| rreactants | +5.60 | -98.03 | +103.80 | +0.17 |
| Int1 | 0.00 | 0.00 | 0.00 | 0.00 |
| TS1 | +4.47 | +34.00 | +9.95 | +39.88 |
| Int2 | -81.13 | -40.83 | -59.75 | -19.45 |
| TS2_RS | -65.10 | -5.83 | -15.39 | +38.76 |
| TS2_RR | -63.18 | -8.48 | -18.37 | +36.33 |
| Int3_RS | -133.34 | -80.51 | -82.68 | -29.84 |
| Int3_RR | -152.77 | -89.26 | -89.26 | -45.88 |
| TS3_RS | -96.48 | -34.37 | -55.69 | +6.42 |
| TS3_RR | -77.83 | -17.65 | -35.19 | +25.49 |
| Int4 | -121.23 | -71.36 | -84.74 | -34.87 |
| TS4 | -47.67 | -1.96 | -27.46 | +18.25 |
| Int5 | -63.36 | -35.55 | -39.72 | -13.07 |
| Lproducts | -41.63 | -91.32 | +46.73 | -2.82 |
| Int_p | -88.11 | -47.81 | -58.36 | -18.06 |
| Int_y | -17.49 | +12.83 | +3.31 | +36.11 |



Fig. 3.1 The reaction free energy profile ( $\Delta G_{298, \text { THF }}$ ) calculated at the MP2(FC)/6$31+\mathrm{G}(2 \mathrm{~d}, \mathrm{p}) / / \mathrm{MPW} 1 \mathrm{~K} / 6-31+\mathrm{G}(\mathrm{d})$ level of theory with additional consideration of solvent effects at $\mathrm{PCM}(\mathrm{THF}) / \mathrm{UAHF} / \mathrm{RHF} / 6-31 \mathrm{G}(\mathrm{d})$ level. All found conformations are shown.


Fig. 3.2a The comparison of reaction free energy ( $\Delta G_{298, \mathrm{THF}}$, shown in black colour) and enthalpy ( $\Delta H_{298, \text { THF }}$, shown in red colour) profiles calculated at the MP2(FC)/6$31+\mathrm{G}(2 \mathrm{~d}, \mathrm{p}) / / \mathrm{MPW} 1 \mathrm{~K} / 6-31+\mathrm{G}(\mathrm{d})$ level of theory with additional consideration of solvent at PCM(THF)/UAHF/RHF/6-31G(d) level. Only the most stable conformations are shown.


Fig. 3.2b The comparison of reaction free energy ( $\Delta G_{298}$, shown in black colour) and enthalpy ( $\Delta H_{298}$, shown in red colour) profiles calculated at the MP2(FC)/6-31+G(2d,p)//MPW1K/6$31+\mathrm{G}(\mathrm{d})$ level of theory in the gas-phase. Only the most stable conformations are shown.

The reaction is found to be slightly endergonic ( $\Delta G_{298, \mathrm{THF}}=+6.7 \mathrm{~kJ} \mathrm{~mol}^{-1}$ ) relative to separate molecules of reactants and products. At the same time the reaction in study is exothermic $\left(\Delta H_{298, \text { THF }}=-47.23 \mathrm{~kJ} \mathrm{~mol}^{-1}\right)$. Using eqn. 3.1 the reaction entropy change $\left(\Delta S_{298, \text { THF }}=-0.181 \mathrm{~kJ} \mathrm{~mol}^{-1} \mathrm{~K}^{-1}\right)$ and temperature of switch to exergonic reaction $(T=261 \mathrm{~K})$ can be calculated.

$$
\begin{equation*}
\Delta G=\Delta H-T \Delta S=0 \Rightarrow T=\frac{\Delta H}{\Delta S} \tag{3.1}
\end{equation*}
$$

Thus, carrying out the reaction under reduced temperatures would help to shift the equilibrium to the side of the products. The result is in accordance with the fact that the MBH reaction in general does not go under elevated temperatures ${ }^{[19]}$, though an increase in temperature would accelerate the reaction in accordance with Eyring equation (eqn. (3.2)).

$$
\begin{equation*}
k=A \frac{k_{B} T}{h} e^{-\Delta G^{\ddagger} / R T} \tag{3.2}
\end{equation*}
$$

Noteworthy, in previous computational study by Kappe et al. the DABCO-catalyzed MBH reaction between benzaldehyde and metyl acrylate in methanol has been found to be just slightly exergonic $\Delta G_{298, \mathrm{MeOH}}=-6.6 \mathrm{~kJ} \mathrm{~mol}^{-1}$. Studies by Harvey and Sunoj, unfortunately, do not allow to discuss free energy barriers of the whole MBH reaction, since thermal corrections have not been presented for the overall process. ${ }^{[2 a,}{ }^{2 g-i]}$ Relative to reactant and product complexes Int1 and Int5 the reaction is, however, exergonic ( $\Delta G_{298, \text { THF }}=-35.6 \mathrm{~kJ} \mathrm{~mol}^{-1}$ ). The most stable conformations of reactant complex Int1 and product complex Int5 are shown in Fig 3.3. As a typical feature of these two structures one can note a hydrogen bond $(\mathrm{r}(\mathrm{O}-\mathrm{H})=$ $1.743 \AA$ in Int1 and $\mathrm{r}(\mathrm{O}-\mathrm{H})=1.755 \AA$ in Int5) between the MVK oxygen atom and PNP. This hydrogen bond plays a substantial role in the stabilization of various stationary points on the MBH reaction energy profile.


Int1


Int5

Fig. 3.3 Structures of the most stable conformations of reactant complex Int1 and product complex Int5.

### 3.3.1. Michael Addition of MVK to $\mathbf{P P h}_{3}$



Scheme 3.4 Michael addition of MVK to $\mathrm{PPh}_{3}$.

The first step in the reaction is Michael addition of MVK to $\mathrm{PPh}_{3}$ (Scheme 3.4) via transition state TS1 $\left(\Delta G_{298, \text { ThF }}{ }^{\ddagger}=+34.0 \mathrm{~kJ} \mathrm{~mol}^{-1}\right)$ yielding zwitterionic intermediate Int2 has been found to be exergonic $\Delta G_{298, \mathrm{THF}}=-40.8 \mathrm{~kJ} \mathrm{~mol}^{-1}$. It is important to note here that both Int2 and TS1 are stabilized substantially by strong hydrogen bonds between the MVK oxygens and PNP with bond lengths of $\mathrm{r}(\mathrm{O}-\mathrm{H})=1.621 \AA$ for $\mathbf{I n t} 2$ and $\mathrm{r}(\mathrm{O}-\mathrm{H})=1.641 \AA$ for TS1. The structures lacking this hydrogen bond are much less stable (more than $55 \mathrm{~kJ} \mathrm{~mol}^{-1}$ for Int2 and $17 \mathrm{~kJ} \mathrm{~mol}^{-1}$ for TS1). The aldehyde molecule forms hydrogen bonds also due to its carbonyl group. In adduct Int2 the two structurally most relevant characteristics include a C-P bond length of $r(P-C)=1.839 \AA$ for the newly formed P-C bond and a short distance of $r(P-O)=2.247 \AA$ between phosphorus and the MVK oxygen atom. Involving of a phenol cocatalyst molecule is important, since the phenol allows the system to be dramatically stabilized not only via hydrogen bonding directly, but also by side effects of this hydrogen bond - the presence of P-O interaction. The structures with such P-O interaction are not found to be minima if the co-catalyst molecule is not involved. Fig. 3.4 collects the structures of the most stable conformations for TS1 and Int2.


TS1


Int2

Fig. 3.4 Structures of the most stable conformations of TS1 and Int2.

Int2 can be in equilibrium with protonated intermediate Int_p (complex between pchlorobenzaldehyde, $p$-nitrophenolate anion and cation 10 from Scheme 3.2) and with ylid Int_y (Scheme 3.5). The ${ }^{31} \mathrm{P}$ NMR chemical shift and acidity of these intermediates are discussed in detail in chapter 2 and chapter 4 of this work. In the current model system Int_p is found to be $7 \mathrm{~kJ} \mathrm{~mol}^{-1}$ more stable than Int2, while ylid Int_y is $53.6 \mathrm{~kJ} \mathrm{~mol}^{-1}$ less favourable. The higher stability of intermediate Int_p corresponds to the experimental detection of this protonated intermediate by ${ }^{31}$ P NMR. ${ }^{[3]}$ Fig. 3.5 shows the structures of the most stable conformations for Int_p and Int_y.


Scheme 3.5 Protonation of zwitterionic intermediate Int2 yielding ion pair Int_p and deprotonation to yield ylid Int_y.


Fig. 3.5 Structures of the most stable conformations of Int_p and Int_y.
3.3.2. Addition of the Aldehyde: C-C Bond Formation


Scheme 3.6 Addition of the aldehyde: C-C bond formation.

The second step in the MBH reaction is formation of the C-C bond between aldehyde and MVK fragments of Int2 via TS2 forming the second zwitterionic intermediate Int3 with a barrier of $\Delta G_{298, \mathrm{THF}^{\ddagger}}=+35.0 \mathrm{~kJ} \mathrm{~mol}^{-1}$ and a reaction free energy of $\Delta G_{298, \mathrm{THF}}=-39.7 \mathrm{~kJ} \mathrm{~mol}^{-}$ ${ }^{1}$. Fig 3.6 shows the structures of the most stable conformations for TS2 and Int3.


Fig. 3.6 Structures of the most stable conformations of TS2 and Int3.

The structure of TS2 shows the same (as mentioned before) features, which are responsible for the energetic stabilization: the phenol forms a hydrogen bond with the oxygen atom of the MVK $(\mathrm{r}(\mathrm{O}-\mathrm{H})=1.705 \AA$ ) and this oxygen comes into interaction $(\mathrm{r}(\mathrm{P}-\mathrm{O})=2.698$ $\AA$ ) with the phosphorus atom. The TS2 structure with phenol making a hydrogen bond with the oxygen atom of aldehyde is $9 \mathrm{~kJ} \mathrm{~mol}^{-1}$ less stable. The situation changes dramatically for intermediate Int3. As shown in Scheme 3.2 the carbonyl group of aldehyde turns into an alkoxide while the MVK moiety acquires the carbonyl character. The redistribution of negative charge leads to the redistribution of inter- and intramolecular interactions. Thus the oxygen atom of the aldehyde moiety is now more attractive for phenol to form a hydrogen bond than the oxygen atom of the MVK moiety. Moreover, there is no barrier (neither kinetic nor thermodynamic) for hydrogen transfer between oxygen of the aldehyde moiety and PNP, that is why the hydrogen is shifted in the direction of aldehyde $\left(\mathrm{r}\left(\mathrm{O}_{\text {aldehyde }}-\mathrm{H}\right)=0.996 \AA\right.$; $\mathrm{r}\left(\mathrm{O}_{\text {phenol }}-\mathrm{H}\right)=1.637 \AA$ ). The protonation of the aldehyde moiety oxygen, however, does not take place if methanol is used as co-catalyst instead of $p$-nitrophenol. In the case of methanol the hydrogen is not shifted to the aldehyde $\left(r\left(\mathrm{O}_{\text {aldehyde }}-\mathrm{H}\right)=1.524 \AA ; \mathrm{r}\left(\mathrm{O}_{\text {phenol }}-\mathrm{H}\right)=1.020 \AA\right)$. The structure of Int3 with methanol instead of phenol (Int3_MeOH) is shown in Fig. 3.7.


Fig. 3.7 Structure of the Int3 with methanol instead of phenol.

The fact of this H-transfer for phenol and its absence in the case of methanol is in accordance with acidity properties of these substances (data in DMSO): $\mathrm{p} K_{\mathrm{a}}(p$-nitrophenol $)=10.8^{[5]}$ and $\mathrm{p} K_{\mathrm{a}}($ methanol $)=29.0 .{ }^{[5-6]}$ Thus, the methanol molecule is not appropriate for modelling of the system and the p-nitrophenol is to be used, though the methanol molecule is much smaller and easier to calculate. This shows us again that the results of the MBH cycle theoretical investigation depend dramatically on the model. In chapter 4 the important question of acidity of MBH reaction co-catalyst will be raised again.

The mentioned charge redistribution leads also to the disappearance of the intramolecular interaction between phosphorus atom and the oxygen of MVK in Int3. The oxygen forms a hydrogen bond with one of the hydrogen atoms of the neighbouring phenyl ring of the $\mathrm{PPh}_{3}$ moiety $(\mathrm{r}(\mathrm{O}-\mathrm{H})=2.205 \AA$ ).

### 3.3.3. The Proton Transfer



Scheme 3.7 The proton transfer step.

The third step in the catalytic cycle is the proton transfer step via TS3 turning Int3 into Int4. In recent computational studies of the MBH reaction mechanism this step has been
found to be rate limiting for many MBH reactions. ${ }^{[2 a, 2 b, 2 g-i]}$ It seems to be important to consider protonation of Int3 by co-catalyst, since it is one of the key factors that determine the barrier of this step. The very acidic co-catalysts or a large amount of co-catalyst effectively reduce the reaction rate as was experimentally shown. ${ }^{[3]}$ This may be due to protonation of zwitterionic intermediates as it has been observed in the present study: the intermediate Int3 reacts with the co-catalyst, stabilizing the system. The proton transfer step from Int3 to Int4 is found to be endergonic $\left(\Delta G_{298, \text { THF }}=+9.1 \mathrm{~kJ} \mathrm{~mol}^{-1}\right)$, the free energy barrier of the proton transfer being $\Delta G_{298, \text { THF }^{\ddagger}}=+46.1 \mathrm{~kJ} \mathrm{~mol}^{-1}$. Fig. 3.8 shows the structures of the most stable conformations for TS3 and Int4.


TS3


Int4

Fig. 3.8 Structures of the most stable conformations of TS3 and Int4.

The intramolecular P-O interaction is found for both structures: $\mathrm{r}(\mathrm{P}-\mathrm{O})=2.513 \AA$ in TS3 and $\mathrm{R}(\mathrm{P}-\mathrm{O})=2.300 \AA$ in Int4. In TS3 the PNP molecule is involved in a 6 -membered ring structure, exchanging the proton between the $\beta$-carbon atom of the MVK moiety and the oxygen atom of the aldehyde moiety. In Int4 the oxygen atom of the aldehyde moiety is protonated, and the phenol molecule now forms a hydrogen bond with the oxygen atom of the MVK moiety.

### 3.3.4. The Product Elimination Step



Scheme 3.8 The product elimination step.

The last step in the whole MBH process is the product elimination step. It has been found to be strongly endergonic $\left(\Delta G_{298, \mathrm{THF}}=+35.8 \mathrm{~kJ} \mathrm{~mol}^{-1}\right)$ and the barrier of this step amounts to $\Delta G_{298, \mathrm{THF}^{\ddagger}}=+69.4 \mathrm{~kJ} \mathrm{~mol}^{-1}$. From all steps calculated in the MBH catalytic cycle this is therefore the step with the highest free energy barrier. Fig. 3.9 shows the structure of the most stable conformation for TS4. During this last step of the reaction the bond between product and catalyst has to break and this leads also to cleavage of intramolecular interactions, which are responsible for the system stabilization (such as interactions between phosphorus atom and oxygen atoms). Thus in TS4 the C-P bond between forming MBH-product and catalyst is $2.405 \AA$, whereas it remains $\sim 1.8 \AA$ on the preceding stages. In analogy to Int1, the preferable position for the PNP molecule to form a hydrogen bond with the carbonyl oxygen of the MBH product has been found.


TS4
Fig. 3.9 Structure of the most stable conformation of TS4.

### 3.3.5. The Diastereomeric Pathways

As shown in Fig. 3.1, the system can follow different diastereomeric pathways: $\mathrm{RS}(\mathrm{SR})$, shown in black colour or $\mathrm{RR}(\mathrm{SS})$, shown in red colour in Fig, 3.1. These diastereomeric pathways are possible starting from the second step of the C-C bond formation via TS2 and till the hydrogen transfer step via TS3. Noteworthy, the RS and SR are isoenergetic as well as RR and SS, thus it is obviously enough to discuss two diastereomeric pathway (e.g. RS and RR) instead of four. Results for the best conformations for both diastereomeric pathways are collected in Table 3.1. Till now the $\operatorname{RS}(\mathrm{SR})$ pathway has been discussed. Concerning $\operatorname{RR}(\mathrm{SS})$ pathway the TS2_RR has been found to be slightly more stable $\left(\Delta \Delta G_{298, \text { THF }}=2.7 \mathrm{~kJ} \mathrm{~mol}^{-1}\right)$, than $\mathbf{T S} 2 \_\mathbf{R S}$. The Int3_RR is also more stable $\left(\Delta \Delta G_{298, \mathrm{THF}}=8.8 \mathrm{~kJ} \mathrm{~mol}^{-1}\right)$, than the RS analogue. The situation is changed in TS3, where the TS3_RS is substantially more preferable $\left(\Delta \Delta G_{298, \mathrm{THF}}=16.7 \mathrm{~kJ} \mathrm{~mol}^{-1}\right)$. The reason of the energetic discrepancy lies in the overall effect of intramolecular interactions inside of the given transition state or intermediate.

### 3.3.6. Calculated Results and Literature Kinetic Data in Comparison

Several kinetic studies have been performed in the area of the MBH reaction. For the DABCO-catalyzed MBH reaction of aromatic aldehydes and methyl acrylate (MA) in solvents of different polarity, McQuade ${ }^{[7]}$ et al. have found that the rate law is first order in DABCO and acrylate, and second order in aldehyde (eqn. 3.3). They have suggested the proton transfer step to be the rate-determining step (RDS) proceeding through transition state 12, where two molecules of aldehyde participate (Scheme 3.10).

$$
\begin{equation*}
r=k[D A B C O][M A][\text { aldehyde }]^{2} \tag{3.3}
\end{equation*}
$$

Aggarwal et al. have investigated the reaction of ethyl acrylate with benzaldehyde catalyzed by quinuclidine without solvent by means of kinetic isotope effects and also proposed the RDS to be the proton-transfer step, but proceeding via a different transition state $\mathbf{1 3}^{[8]}$ (Scheme 3.10)


Scheme 3.10 Proton transfer step transition states suggested by McQuade and Aggarwal.

It has been shown computationally that both mechanisms (via both suggested transition states) are possible, depending on the reaction conditions and the selected systems. In the system studied here involving an acidic co-catalyst, Aggarwal's proposal is more probable. ${ }^{[2 \mathrm{a}, 2 \mathrm{~b}]}$

Another version of the MBH reaction, so called aza-MBH, where the aldehyde is replaced by an imine, has also been studied kinetically. Thus Leitner et al. have studied the aza-MBH reaction of MVK with tosylimine catalyzed by $\mathrm{PPh}_{3}$ in $\mathrm{d}_{8}$-THF and found a firstorder dependence on MVK and $\mathrm{PPh}_{3}$, and a broken order of 0.5 on tosylimine ${ }^{[9]}$ (eqn. 3.4). This means that the RDS could be partially influenced by proton-transfer.

$$
\begin{equation*}
r=k\left[\mathrm{PPh}_{3}\right][\mathrm{MVK}][\text { tosylimine }]^{0.5} \tag{3.4}
\end{equation*}
$$

Raheem and Jakobsen have reported for the DABCO-catalyzed aza-MBH reaction of methyl acrylate and aromatic tosylimines in $\mathrm{CHCl}_{3}$ a first-order dependence on DABCO as well as on methyl acrylate, and rate saturation effects with respect to imine. ${ }^{[10]}$ The kinetic isotope effect has been observed suggesting the proton transfer to be the RDS. Shibasaki, Berkessel and coworkers investigated the aza-MBH reaction of phosphinoylimine with methyl acrylate catalyzed by DABCO with phenol-type additives. ${ }^{[11]}$ In contrast to Raheem and Jakobsen's study, they have found no kinetic isotope effect indicating that the proton-transfer step is not the RDS and suggested Michael addition to determine the reaction rate. Recently the protonation/deprotonation process of catalyst and Michael acceptor adduct has been studied for reaction of MVK, $\mathrm{PPh}_{3}$ in the presence of PNP by Liu. ${ }^{[3]}$ First order rate law on both MVK and $\mathrm{PPh}_{3}$ but 0.5 order on PNP has been found (eqn. 3.5)

$$
\begin{equation*}
r=k\left[P P h_{3}\right][M V K][P N P]^{0.5} \tag{3.5}
\end{equation*}
$$

Generally for MBH and aza-MBH reactions there is still no single opinion about the RDS as well as about the mechanism on the whole. The present study is based on Aggarwal's proposal. Going from reactant to product complex the reaction is observed as a monomolecular process inside of a cluster formed by $p$-chlorobenzaldehyde, $\mathrm{MVK}, \mathrm{PPh}_{3}$ and PNP. Since processes go inside of such cluster, the reaction molecularity stays constant, one can conclude that RDS is determined by the step with the biggest activation energy barrier. The product elimination step has been found to have the biggest activation energy barrier of $\Delta G_{298, \mathrm{THF}^{\ddagger}}=+69.4 \mathrm{~kJ} \mathrm{~mol}^{-1}$ and the proton transfer step barrier ranks as the second by its magnitude of $\Delta G_{298, \mathrm{THF}^{\ddagger}}=+46.1 \mathrm{~kJ} \mathrm{~mol}{ }^{-1}$. The Michael addition step and the C-C bond formation barriers are lower at, respectively, $\Delta G_{298, \mathrm{THF}^{\ddagger}}=+34.0 \mathrm{~kJ} \mathrm{~mol}^{-1}$ and $\Delta G_{298, \mathrm{THF}^{\ddagger}}=$ $+35.0 \mathrm{~kJ} \mathrm{~mol}^{-1}$. The equilibrium between cluster Int1 and separate molecules of the reactants can be described by eqn. 3.6

$$
\begin{equation*}
[\text { cluster }]=K[\text { aldehyde }][M V K]\left[P P h_{3}\right][P N P] \tag{3.6}
\end{equation*}
$$

The rate of the first step (Michael addition) can be then written in accordance with eqn. 3.7

$$
\begin{equation*}
r=k_{1}[\text { cluster }]=k_{1} K[\text { aldehyde }][M V K]\left[P P h_{3}\right][P N P] \tag{3.7}
\end{equation*}
$$

Thus the equilibrium concentration of the cluster on each step can be connected with the separate reactants concentrations. This is important since in the kinetic experiments the rate law is determined relative to free reactants. Noteworthy that relative to separate reactants the first step of Michael addition is found to be energetically very expensive $+132 \mathrm{~kJ} \mathrm{~mol}^{-1}$. Certainly, additional experimental measurements of the MBH reaction kinetic dependences are needed to be compared with the presented computational data.

### 3.4. References

[1] a) D. Basavaiah, A. J. Rao, T. Satyanarayana, Chem. Rev. 2003, 103, 811-891; b) V. Singh, S. Batra, Tetrahedron 2008, 64, 4511-4574; c) D. Basavaiah, K. V. Rao, R. Reddy, J. Chem. Soc. Rev. 2007, 36, 1581; d) P. Langer, Angew. Chem. 2000, 112, 3177; e) P. Langer, Angew. Chem. Int. Ed. 2000, 39, 3041-3051; f) Y.-L. Shi, M. Shi, Eur. J. Org. Chem. 2007, 2905; g) D. Basavaiah, B. S. Reddy, S. S. Badsara, Chem. Rev. 2010, 110, 5447-5674.
[2] a) R. Robiette, V. K. Aggarwal, H. J. N., J. Am. Chem. Soc. 2007, 129, 15513-15525; b) D. Cantillo, C. O. Kappe, J. Org. Chem 2010, 75, 8615-8626; c) J. Xu, Journal of Molecular Structure: THEOCHEM 2006, 767, 61-66; d) J. LI, J. Theor. Comput. 2010, 9, 65-75; e) F. Jian-Fen, Y. Chun-Hong, H. Liang-Jun, Int. J. Quantum Chem. 2009, 109, 1311-1321; f) L. Dong, S. Qin, Z. Su, H. Yang, C. Hu, Org. Biomol. Chem. 2010, 8, 3985-3991; g) D. Roy, R. B. Sunoj, Org. Lett. 2007, 9, 4873-4876; h) D. Roy, R. B. Sunoj, Chem. - Eur. J. 2008, 14, 10530; i) D. Roy, C. Patel, R. B. Sunoj, J. Org. Chem 2009, 74, 6936-6943.
[3] Y. Liu, PhD thesis, Ludwig-Maximilians-Universität München (München), 2011.
[4] a) Y. Wei, G. N. Sastry, H. Zipse, J. Am. Chem. Soc. 2008, 130, 3473; b) Y. Wei, T. Singer, H. Mayr, G. N. Sastry, H. Zipse, J. Comput. Chem. 2008, 29, 291-297; c) Y. Wei, B. Sateesh, B. Maryasin, G. N. Sastry, H. Zipse, J. Comput. Chem. 2009, 2617 2624.
[5] H. J. Reich, in Bordwell pKa Table (Acidity in DMSO), 2001-2011.
[6] W. N. Olmstead, Z. Margolin, F. G. Bordwell, J. Org. Chem 1980, 45, 3295-3299.
[7] a) K. E. Price, S. J. Broadwater, M. H. Jung, D. T. McQuade, Org. Lett. 2005, 7, 147150; b) K. E. Price, S. J. Broadwater, B. J. Walker, D. T. McQuade, J. Org. Chem 2005, 70, 3980-3987.
[8] V. K. Aggarwal, S. Y. Fulford, G. C. Lloyd-Jones, Angew. Chem. Int. Ed. 2005, 44, 1706-1708.
[9] P. Buskens, J. Klankermayer, W. Leitner, J. Am. Chem. Soc. 2005, 127, 16762-16763.
$[10]$ I. T. Raheem, E. N. Jacobsen, Adv. Synth. Catal. 2005, 347, 1701-1708.
[11] T. Yukawa, B. Seelig, Y. Xu, H. Morimoto, S. Matsunaga, A. Berkessel, M. Shibasaki, J. Am. Chem. Soc. 2010, 132, 11988-11992.

## 4. Protonation/Deprotonation Equilibria in the Morita-BaylisHillman Reaction

### 4.1. Introduction

In chapter 3 we have discussed the catalytic cycle of the MBH reaction (Scheme 4.1, left part in black colour). We have also mentioned the side reactions of intermediate $\mathbf{3}$ involving protonation by co-catalyst (Scheme 4.1, the reactions shown in red colour). In this chapter the problems of this side processes will be analyzed in detail.


Scheme 4.1. The catalytic cycle of the MBH reaction and possible side processes of the $\mathrm{PPh}_{3}$ (1)-catalyzed MBH reaction with participation of protic co-catalyst 7

In addition to accelerating the hydrogen-transfer step in intermediate 5, the protic cocatalysts $\mathbf{7}$ may also react with enolate zwitterions $\mathbf{3}$ and $\mathbf{6}$ in protonation/deprotonation equilibria. This is shown in Scheme 4.1 for zwitterion 3, whose reaction with alcohol 7 leads to formation of alkoxide 9 and phosphonium cation 10. Depending on the solvent system used, these may either exist as solvent-separated ions (e.g. in DMSO) or as tight ion pairs (e.g. in THF). Protonation/deprotonation may, of course, also involve the position directly adjacent to phosphorous, yielding ylid $\mathbf{1 1}$ as a potential additional intermediate. Ylids such as 11 can subsequently react with a second equivalent of MVK (2), forming unwanted side products together with oxidized (and thus deactivated) forms of phosphine catalyst 1. Even though quantitative data for the basicity of intermediates 3, 6, and $\mathbf{1 1}$ appear not to be
available in the contemporary literature, indirect evidence suggests that the equilibrium between $\mathbf{3}$ and $\mathbf{1 0}$ is shifted far to the right under most experimental conditions. This is supported by the abundant detection of $\mathbf{1 0}$ (as well as protonated forms of 6) in reaction solutions of MBH reactions by ESI-MS. ${ }^{[1]} \beta$-Ketophosphonium cations such as $\mathbf{1 0}$ have also been characterized by NMR spectroscopic techniques in the mechanistically related phosphine-mediated addition of alcohols to Michael acceptors. ${ }^{[2]}$ In this latter case cations such as $\mathbf{1 0}$ are considered to represent the resting state of the phosphine catalysts. The large success of phenolic co-catalysts in a variety of MBH reactions ${ }^{[3]}$ thus raises the question of the actual basicity of zwitterionic enolates $\mathbf{3}$ and $\mathbf{6}$ in different solvent systems, especially comparing to the acidity of the co-catalysts. We try to clarify this point by calculation of the acidity properties for cation $\mathbf{1 0}$.

### 4.2. The Acidity of Enolate Intermediates

The acidity of the $\alpha$ - and $\beta$-positions of phosphonium cation $\mathbf{1 0}$ can be estimated with reference to experimentally known systems such as methylphosphonium cation 12. ${ }^{[4]}$. The difference in acidities of the $\beta$-position of $\mathbf{1 0}$ and the methyl group in 12, for example, can be quantitatively expressed as the reaction free energy in solution for the proton transfer reaction shown in eqn. (4.1). Gas and solution phase reaction energies of isodesmic reactions such as these can be calculated with high accuracy due to the similarity of the species on the reactant and product sides.


A negative free energy for this process $\Delta G(4.1)$ implies that cation 10 is more acidic at its $\beta$ position than the methyl group in cation 12. The reaction free energy is quantitatively related to the $\mathrm{p} K_{\mathrm{a}}$ differences between $\mathbf{1 0}$ and $\mathbf{1 2}$ as given in eqn. (4.2).
$\Delta G(4.1)=2.303 R T\left[\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0 \beta})-\mathrm{p} K_{\mathrm{a}}(\mathbf{1 2})\right]$

The reaction free energy $\Delta G(4.1)$ has been determined using a combination of geometry optimization at MPW1K/6-31+G(d) level, single point calculation at MP2(FC)/G3MP2large level in the gas phase, and additional consideration of solvation free energies in DMSO using
the PCM/UAHF/RHF/6-31G(d) continuum solvation model. Based on these results and assuming $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 2}, \mathrm{DMSO})=+22.4^{[4 \mathrm{a}]}$, a value of $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0 \beta}, \mathrm{DMSO})=+19.3$ has been obtained. A completely analogous approach can be used to assess the acidity in the $\alpha$-position of $\mathbf{1 0}$, now yielding a value of $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0 \alpha}, \mathrm{DMSO})=+21.8$. In Table 4.1ab the results of $\Delta G(4.1)$ and $\mathrm{p} K_{\mathrm{a}}$ obtained at MP2(FC)/G3MP2large//MPW1K/6-31+G(d) level of theory in solution and in the gas-phase are compared with MPW1K/6-31+G(d) approach. The $\mathrm{p} K_{\mathrm{a}}$ values obtained at DFT level differ from MP2 by $2 \mathrm{p} K_{\mathrm{a}}$ units. The inclusion of solvation model effects dramatically. Both DFT and MP2 approaches show that in the gas-phase: $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0 \alpha})$ < $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0 \beta})$ and in solution vice-versa: $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0 \alpha})>\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0 \beta})$. In order to check whether additional effort in solution modeling is necessary, the cluster model calculations (inclusion of one solvent molecule explicitly) have been performed. The results are collected in Table 4.1c. This sophistication, however, does not lead to substantial change as compared to implicit solvation model.

Table 4.1a. Reaction free energies $(\Delta G(4.1))$ and related $\mathrm{p} K_{\mathrm{a}}$ values calculated relative to $\mathrm{Ph}_{3} \mathrm{PCH}_{3}{ }^{+}\left(\mathrm{p} K_{\mathrm{a}}(\right.$ exp. $\left.)=+22.4\right)$ for $\beta$-ketophosphonium cation $10\left(\mathrm{DMSO}, 25^{\circ} \mathrm{C}\right)$ in gas-phase and in solution applying implicit solvation model at the PCM/UAHF/RHF/6-31G(d) level.

|  | MPW1K/6-31+G(d) |  |  |  | MP2(FC)/G3MP2large//MPW1K/6-31+G(d) |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\Delta G_{298}$, $\mathrm{kJ} \mathrm{mol}^{-1}$ | $\mathrm{p} K_{\mathrm{a}}$ | $\Delta \mathrm{G}_{298, \text { DMSO }}$, $\mathrm{kJ} \mathrm{mol}^{-1}$ | $\mathrm{p} K_{\mathrm{a}}$ | $\Delta G_{298}$, $\mathrm{kJ} \mathrm{mol}^{-1}$ | $\mathrm{p} K_{\mathrm{a}}$ | $\Delta G_{298, \text { DMSO }}$ $\mathrm{kJ} \mathrm{mol}^{-1}$ | $\mathrm{p} K_{\mathrm{a}}$ |
| $10 \beta$ | +1.9 | +22.7 | -24.2 | +18.2 | +12.8 | +24.6 | -17.8 | +19.3 |
| 10 $\alpha$ | -0.8 | +22.3 | -2.7 | +21.9 | -2.7 | +21.9 | -3.6 | +21.8 |

Table 4.1b. Reaction free energies $(\Delta G(4.1))$ and related $\mathrm{p} K_{\mathrm{a}}$ values calculated relative to $\mathrm{Ph}_{3} \mathrm{PCH}_{2} \mathrm{Ph}^{+}\left(\mathrm{p} K_{\mathrm{a}}(\right.$ exp. $\left.)=17.4\right)$ for $\beta$-ketophosphonium cation $10\left(\mathrm{DMSO}, 25^{\circ} \mathrm{C}\right)$ in gasphase and in solution applying implicit solvation model at the PCM/UAHF/RHF/6-31G(d) level.

|  | MPW1K/6-31+G(d) |  |  |  | MP2(FC)/G3MP2large// MPW1K/6-31+G(d) |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\Delta G_{298}$, $\mathrm{kJ} \mathrm{mol}^{-1}$ | $\mathrm{p} K_{\mathrm{a}}$ | $\underset{\mathrm{kJ} \mathrm{~mol}^{-1}}{\Delta G_{298, \mathrm{DMSO}},}$ | $\mathrm{p} K_{\mathrm{a}}$ | $\Delta G_{298}$, $\mathrm{kJ} \mathrm{mol}^{-1}$ | $\mathrm{p} K_{\mathrm{a}}$ | $\Delta G_{298, \text {,DMSO }}$, $\mathrm{kJ} \mathrm{mol}^{-1}$ | $\mathrm{p} K_{\text {a }}$ |
| $10 \beta$ | +31.3 | +22.9 | +17.1 | +20.4 | +33.3 | +23.2 | +14.8 | +20.0 |
| 10a | +28.6 | +22.4 | +38.6 | +24.2 | +17.8 | +20.5 | +29.0 | +22.5 |



Table 4.1c. Reaction free energies ( $\Delta G(4.3)$ ) and related $\mathrm{p} K_{\mathrm{a}}$ values calculated relative to $\mathrm{Ph}_{3} \mathrm{PCH}_{3}{ }^{+}\left(\mathrm{p} K_{\mathrm{a}}(\right.$ exp.) $=+22.4)$ for $\beta$-ketophosphonium cation 10 (DMSO, $25{ }^{\circ} \mathrm{C}$ ) using explicit solvation model.

|  | MP2(FC)/G3MP2large//MPW1K/6-31+G(d) |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | $G_{298}$, <br> $\mathrm{kJ} \mathrm{mol}^{-1}$ | $\mathrm{p} K_{\mathrm{a}}$ | $G_{298, \text { DMSO }}$ <br> $\mathrm{kJ} \mathrm{mol}^{-1}$ | $\mathrm{p} K_{\mathrm{a}}$ |
| $\mathbf{1 0 \beta}$ | +6.3 | +23.5 | -11.5 | +20.4 |
| $\mathbf{1 0 \alpha}$ | +2.7 | +22.9 | +3.2 | +23.0 |

In order to base the $\mathrm{p} K_{\mathrm{a}}$ estimates for $\mathbf{1 0}$ on a second reference point, the calculations described in eqn. (4.1) have been repeated using phosphonium cation $\mathbf{1 3}$ as the reference. The acidity of $\mathbf{1 3}$ is $5.0 \mathrm{p} K_{\mathrm{a}}$ units lower than that of $\mathbf{1 2}$ and will thus bracket the acidity of $\mathbf{1 0}$ from the lower side ${ }^{[4 \mathrm{~b}]}$ In all technical details these calculations are identical to those involving 12 as the reference and values of $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0 \beta}, \mathrm{DMSO})=20.0$ and $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0 \alpha}, \mathrm{DMSO})=22.5$ have been obtained. Since it is unclear which of the two experimental reference values is more accurate, we will use the arithmetic mean of the calculated values $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0} \boldsymbol{\beta}, \mathrm{DMSO})=19.7$ and $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0 \alpha}, \mathrm{DMSO})=22.2$ for further discussion. Recently Dr. Yinghao Liu has experimentally found that $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0 \beta}, \mathrm{DMSO})<\mathrm{p} K_{\mathrm{a}}(\mathbf{1 0 \alpha}, \mathrm{DMSO})$, using the reactions in Scheme 4.2. When the $\mathrm{d}_{6}$-DMSO solution of $\mathbf{1 0}$ was treated with less than 1.0 equivalent $t$-BuOK, instantly regenerated $\mathrm{PPh}_{3}$ and MVK, but no ylide $\mathbf{1 1}$ was detected by ${ }^{1} \mathrm{H}$ NMR and ${ }^{31} \mathrm{P}$ NMR. This is compatible with rapid deprotonation to $\mathbf{3}$ and subsequent cleavage of the C-P bond. ${ }^{[5]}$


Scheme 4.2. Deprotonation of $\mathbf{1 0}$ with tBuOK.


Scheme 4.3 The $\mathrm{p} K_{\mathrm{a}}$ scale.

The $\mathrm{p} K_{\mathrm{a}}$ values of alkylphosphonium cations described in Table 4.1 are graphically shown in Scheme 4.3 together with those for other constituents of the MBH reaction mixture. Values for MBH reaction products such as $\mathbf{8}$ appear not to be available in the literature, but we can use the value for isopropanol (14) of $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 4}, \mathrm{DMSO})=30.2$ as an approximate reference. ${ }^{[4 \mathrm{~b}]}$ This very high value implies that the MBH reaction products will not be acidic enough to protonate enolate intermediates $\mathbf{3}$ or $\mathbf{6}$. This is also true for aliphatic alcohols used as solvents or co-solvents. Other protic co-catalysts such as $p$-nitrophenol (15) are much more acidic with $\mathrm{p} K_{\mathrm{a}}(\mathbf{1 5}, \mathrm{DMSO})=10.8$ and will thus be certain to protonate transient intermediates such as $\mathbf{3}$, 6, or 11. In the presence of such a co-catalyst we can safely assume that the equilibrium between zwitterionic enolate $\mathbf{3}$ and its protonated analogue $\mathbf{1 0}$ is shifted far to the side of the latter, leaving little zwitterionic enolate $\mathbf{3}$ behind to propagate the catalytic cycle. For reactions run in THF or chloroform, the situation is less clear as experimental reference values for the species shown in Scheme 4.1 appear not to exist. Still, the question of how the enolate intermediates in the catalytic cycle can escape protonation through protic solvents or co-catalysts also remains here.

### 4.3. Benchmarking Calculations and Extension to Different Nucleophiles and Substrates

The presented results of the $\mathrm{p} K_{\mathrm{a}}$ value calculations encouraged us to extend the study on a range of different nucleophiles (catalysts) and substrates tested experimentally in MBH reaction. ${ }^{[6]}$

As a first step before extending the range of systems, we have performed benchmarking calculations for the $\mathrm{p} K_{\mathrm{a}}$ values in a small model system 19 obtained through addition of $\mathrm{Me}_{3} \mathrm{P}$ to MVK. The adduct $\mathbf{1 9}$ can be protonated to yield cation $\mathbf{1 7}$ (Scheme 4.4)
or isomerized to ylid 20. As a reference system for these benchmarking calculations we have chosen cyanomethylammonium cation 18 with its $\mathrm{p} K_{\mathrm{a}}$ value of 20.6 (DMSO). ${ }^{[4 \mathrm{c}, 7]}$


Scheme 4.4 Protonation/deprotonation equilibrium for $\mathrm{MVK} / \mathrm{PMe}_{3}$ adduct.

Three computational approaches have been used:

1. MPW1K/6-31+G(d) $+\mathrm{PCM}(\mathrm{DMSO}) / \mathrm{UAHF} / \mathrm{RHF} / 6-31 \mathrm{G}(\mathrm{d})$. The most simple approach of those applied for the $\mathrm{PPh}_{3} / \mathrm{MVK} \mathrm{p} K_{\mathrm{a}}$ value calculations.
2. MP2(FC)/G3MP2large//MPW1K/6-31+G(d) + PCM(DMSO)/UAHF/RHF/6-31G(d). This method has been used for the $\mathrm{PPh}_{3} / \mathrm{MVK} \mathrm{p} K_{\mathrm{a}}$ value calculations and its quality has to be tested by benchmarking calculations.
3. SCS-MP2(FC)/G3MP2large//MPW1K/6-31+G(d) + PCM(DMSO)/UAHF/RHF/631G(d). Close to the method 2 but with spin-component scaled MP2(FC) single point calculations. ${ }^{[8]}$
4. G3(MP2)MPW1K(+) + PCM(DMSO)/UAHF/RHF/6-31G(d). The benchmarking calculation. ${ }^{[9]}$

It should be emphasized that all of the tested approaches have the same solvation treatment model: the implicit solvation model in the variant of PCM(DMSO)/UAHF/RHF/6-31G(d). The results are shown in Fig 4.1.


Fig. 4.1 Acidity of cation $\mathbf{1 7}$ calculated at different levels of theory.

Table 4.2 Acidity of cation 17 calculated at different levels of theory

|  |  | $\alpha$ | $\beta$ |
| :--- | :--- | ---: | ---: |
| MPW1K/6-31+G(d) | $\Delta G_{298, \text { DMso }}, \mathrm{kJ} \mathrm{mol}^{-1}$ | +64.8 | +26.1 |
| MP2(FC)/G3MP2large// | $\mathrm{p} K_{\mathrm{a}}$ | +32.0 | +25.2 |
| MPW1K/6-31+G(d) | $\mathrm{p} G_{298, \text { DMSO }}, \mathrm{kJ} \mathrm{mol}^{-1}$ | +9.1 | +40.8 |
| SCS-MP2(FC)/G3MP2large// | $\Delta G_{298, \text { DMSO }}, \mathrm{kJ} \mathrm{mol}^{-1}$ | +22.2 | +27.8 |
| MPW1K/6-31+G(d) | $\mathrm{p} K_{\mathrm{a}}$ | +13.6 | +39.2 |
| G3(MP2)MPW1K(+) | $\Delta G_{298, \text { DMSo }}, \mathrm{kJ} \mathrm{mol}^{-1}$ | +23.0 | +27.5 |
|  | $\mathrm{p} K_{\mathrm{a}}$ | +14.5 | +41.8 |
|  |  | +23.1 | +27.9 |

From the data collected in Fig 4.1 and Table 4.2 it is clear to see that results from method 1 (MPW1K/6-31+G(d)) are inferior as compared to the benchmarking calculations (G3(MP2)MPW1K(+)). The three methods 2-4 are quite close to each other, thus we conclude that application of the easiest from these three approaches (the method 2 : MP2(FC)/G3MP2large//MPW1K/6-31+G(d)) is reasonable.

After checking the applicability of our computation scheme we could extend the calculations to other systems of catalysts and substrates. The Scheme 4.5 presents the processes we are interested in. As analogous to our $\mathrm{p} K_{\mathrm{a}}$ calculations with the system $\mathrm{PPh}_{3}$ (or $\mathrm{PMe}_{3}$ )/MVK we have an adduct of the catalyst ("Nu", nucleophile) with the "X"-ketone varying the " $X$ " we observe influence of the substrate. The reference system is the same as we have used for $\mathrm{PPh}_{3} / \mathrm{MVK}$. The results are collected in Table 4.3 and are shown graphically in Fig. 4.2. For all of the studied catalysts we see that $\mathrm{p} K_{\mathrm{a}}(\beta)$ values are smaller than $\mathrm{p} K_{\mathrm{a}}(\alpha)$ as well as it was shown for $\mathrm{PPh}_{3}$. For all of these catalysts the protonated adduct between the catalyst and the Michael acceptor is a pretty weak acid with bigger probability to be
deprotonated from the $\beta$ position giving the first zwitterionic intermediate of the MBH catalytic cycle. The smallest difference between the ylid and first zwitterionic intermediate (the smallest difference between $\mathrm{p} K_{\mathrm{a}}(\beta)$ and $\mathrm{p} K_{\mathrm{a}}(\alpha)$ values) corresponds to $\mathrm{PPh}_{3}$, and indeed it is often observed experimentally that $\mathrm{Ph}_{3} \mathrm{PO}$ is formed as a side product. This oxide can be formed from the ylid, which in accordance to our calculations is more likely to exist as ylids with other catalysts. The popular MBH catalyst DABCO seems to be good concerning the side reaction of ylidization, since for the adduct between DABCO and MVK the probability of the ylid formation is found to be small.


Scheme 4.5 General situation of protonation/deprotonation equilibrium for the adduct between variable catalyst and substrate.

Table 4.3 Acidity values of cation $\mathbf{2 0}$ with variable catalyst and substrate.

|  |  | $\alpha$ |  |  | $\beta$ |  |  |
| :--- | :--- | ---: | ---: | ---: | ---: | :---: | :---: |
| Nu | X | $\Delta G_{298, \text { DMSO, }} \mathrm{kJ} \mathrm{mol}^{-1}$ | $\mathrm{p} K_{\mathrm{a}}$ | $\Delta G_{298, \mathrm{DMSO}, \mathrm{kJ} \mathrm{mol}^{-1}}$ | $\mathrm{p} K_{\mathrm{a}}$ |  |  |
| $\mathrm{PMe}_{3}$ | Me | +12.9 | +24.7 | -18.8 | +19.1 |  |  |
|  | OMe | +12.0 | +24.5 | +2.2 | +22.8 |  |  |
|  | OPh | +0.9 | +22.6 | -22.2 | +18.5 |  |  |
| $\mathrm{PPh}_{3}$ | Me | -3.6 | +21.8 | -17.8 | +19.3 |  |  |
|  | Ph | +0.3 | +22.5 | -30.8 | +17.0 |  |  |
|  | OPh | -3.4 | +21.8 | -17.1 | +19.4 |  |  |
|  | H | -10.3 | +20.6 | -32.5 | +16.7 |  |  |
|  |  | +61.4 | +33.2 | -1.1 | +22.2 |  |  |
| DMAP | Me | +56.2 | +32.3 | +16.7 | +25.3 |  |  |
|  | OMe | +16.1 | +25.2 | -82.2 | +8.0 |  |  |
|  | CN | +114.7 | +42.5 | -17.2 | +19.4 |  |  |



Fig. 4.2 Acidity values of cation 21 with variable catalysts and substrates.

### 4.4. Conclusions

The protonation/deprotonation equilibrium between the first zwitterionic intermediate of the MBH reaction catalyzed by $\mathrm{PPh}_{3}$ and with MVK as a Michael acceptor, its protonated form and hypothetical ylid intermediate has been studied computationally at MP2(FC)/G3MP2large//MPW1K/6-31+G(d) + PCM/UAHF/RHF/6-31G(d) level of theory. It has been found that in the presence of phenolic co-catalyst the equilibrium between zwitterionic enolate and its protonated analogue has to be shifted far to the side of the latter, leaving little zwitterionic enolate behind to propagate the catalytic cycle and the ylid formation is the least probable process $\left(25^{\circ} \mathrm{C}, \mathrm{DMSO}\right)$. The results are in accordance with the experimental evidence. The computational approach has been verified by benchmarking calculations and extended to some larger series of systems by variation of nucleophile and substrate. Similar to the $\mathrm{PPh}_{3} / \mathrm{MVK}$ case, the order of priority between protonated form, first zwitterionic intermediate and ylid has been found for all tested systems. The probability to form ylids as side products is the smallest for DABCO and the biggest for $\mathrm{Ph}_{3} \mathrm{P}$.

### 4.5. References

[1] a) L. S. Santos, C. H. Pavam, W. P. Almeida, F. Coelho, M. N. Eberlin, Angew. Chem. Int. Ed. 2004, 43, 4330-4333; b) G. W. Amarante, H. M. S. Milagre, B. G. Vaz, B. R. Vilacha Ferreira, M. N. Eberlin, F. Coelho, J. Org. Chem 2009, 74, 3031-3037.
[2] I. C. Stewart, R. G. Bergman, F. D. Toste, J. Am. Chem. Soc. 2003, 125, 8696-8697.
[3] a) P. Buskens, J. Klankermayer, W. Leitner, J. Am. Chem. Soc. 2005, 127, 1676216763; b) Y. Iwabuchi, M. Nakatani, N. Yokoyama, S. Hatakeyama, J. Am. Chem. Soc. 1999, 121, 10219-10220; c) M. Shi, L. H. Chen, Chem. Comm. 2003, 1310-1311; d) M. Shi, L. H. Chen, C.-Q. Li, J. Am. Chem. Soc. 2005, 127, 3790-3800; e) M. Shi, Y.-H. Liu, Org. Biomol. Chem. 2006, 1468-1470; f) S. Kawahara, A. Nakano, T. Esumi, Y. Iwabuchi, S. Hatakeyama, Org. Lett. 2003, 5, 3103-3105; g) R. Krishna, V. Kannan, V. N. Reddy, Adv. Synth. Catal. 2004, 346, 603-606; h) P. Langer, Angew. Chem. Int. Ed. 2000, 39, 3041-3051; i) J. E. Imbriglio, M. M. Vasbiner, S. J. Miller, Org. Lett. 2003, 5, 3741-3743; j) S. Luo, X. Mi, H. Xu, P. G. Wang, J.-P. Cheng, J. Org. Chem 2004, 69, 8413-8422; k) S. Luo, P. G. Wang, J.-P. Cheng, J. Org. Chem 2004, 69, 555-558; 1) X. Mi, S. Luo, J.-P. Cheng, J. Org. Chem 2005, 70, 2338-2341; m) K. Matsui, H. Takizawa, H. Sasai, J. Am. Chem. Soc. 2005, 127, 3680-3681; n) D. Balan, H. Adolfson, Tetrahedron Lett. 2003, 44, 2521-2524.
[4] a) X.-M. Zhang, F. G. Bordwell, J. Am. Chem. Soc. 1994, 116, 968-972; b) F. G. Bordwell, Acc. Chem. Res. 1988, 21, 456-463; c) H. J. Reich, in Bordwell pKa Table (Acidity in DMSO), 2001-2011.
[5] Y. Liu, PhD thesis, Ludwig-Maximilians-Universität München (München), 2011.
a) G.-N. Ma, J.-J. Jiang, M. Shi, Y. Wei, Chem. Comm. 2009, 5496; b) X.-Y. Guan, Y. Wei, M. Shi, J. Org. Chem 2009, 74, 6343-6346; c) G.-N. Ma, F.-J. Wang, J. Gao, M. Shi, Chem. Comm. 2008, 4998-5000; d) X.-G. Liu, M. Shi, Org. Lett. 2008, 10, 10431046; e) M.-J. Qi, M. Shi, Tetrahedron 2007, 63, 10415-10424; f) Y.-L. Shi, M. Shi, Eur. J. Org. Chem. 2007, 2905.
[7] F. G. Bordwell, M. Van der Puy, N. R. Vanier, J. Org. Chem 1976, 1885-1886.
[8] a) S. Grimme, J. Chem. Phys. 2003, 118, 9095; b) A. Szabados, J. Chem. Phys. 2006, 125, 214105.
[9] Y. Wei, PhD thesis, Ludwig-Maximilians-Universität München (München), 2008.

## 5. Description of Organocatalytic Reactivity

### 5.1. Introduction

As it has been shown by previous and the present studies the MBH reaction is a difficult process from a mechanistic point of view - the reaction is multistep and the nature of the rate determining step is not clearly defined, because it depends on the particular system involved. Moreover, the reaction can be driven by different mechanisms depending on the conditions of the reaction ${ }^{[1]}$ and side reactions play a significant role for the MBH process. Thus, the calculation of the whole catalytic cycle, including side reactions for any new catalyst, is too complicated way. In order to routinely predict and explain experimental data of catalytic activity and selectivity, easy but informative calculations are wanted. Descriptors of catalytic activity (selectivity) are needed. To suggest and to test such descriptors is the goal of the presented in this chapter study.

The affinity of basic compounds towards electrophilic species is clearly one of the criteria of the catalytic activity in organocatalysis and it can be reflected by proton affinity (PA) values or $\mathrm{p} K_{\mathrm{a}}$ data. The problem of these easiest approaches is that the most typical organocatalytic step of initial interaction between catalyst and electrophilic carbon is not included. Thus, another approach - the methyl cation affinity (MCA) has been suggested and it has been shown to be much better descriptor of the organocatalytic activity. ${ }^{[2]}$ The MCA and PA data have been defined in the literature as the reaction enthalpies at 298.15 K for the transformations shown in equations 5.1 a and $5.1 \mathrm{~b}^{[2]}$

PA: $\mathrm{H}-\mathrm{Nuc}{ }^{\oplus} \xrightarrow{\Delta H_{298}} \mathrm{H}^{\oplus}+\mathrm{Nuc}$
MCA: $\mathrm{CH}_{3}$-Nuc $\xrightarrow{\Delta H_{298}} \mathrm{CH}_{3}^{\oplus}+\mathrm{Nuc}$

Recent success of the MCA approach for some organocatalytic processes ${ }^{[3]}$ has encouraged the authors to apply this approach to the Morita-Bayllis-Hillman reaction. In addition to the application of the MCA scheme, the model is improved by making it more close to the experimental conditions. The use of the molecule of real Michael acceptor instead of the model methyl cation is suggested. If the Michael acceptor is methyl vinyl ketone, then the approach can be named methyl vinyl ketone affinity (MVKA) and the name " X " ketone affinity (XKA) if the ketone is a variable is used. XKA can be determined similarly to MCA as reaction enthalpies at 298 K or, for instance, as free energies at 298 K . The results of
additional consideration of the solvent by implicit solvation model are also discussed in this chapter.

### 5.2. MCA. Choice of the Systems and Methods

### 5.2.1. Systems

The MCA calculations are based on eqn. (5.1b), and the MCA values are computed as the reaction enthalpies at 298.15 K and 1 atm pressure. As systems to study we have selected phosphanes - the important MBH , as well as other organocatalytic processes, catalysts.

### 5.2.2. Methods

Values have been calculated at MP2(FC)/6-31+g(2d,p)//B98/6-31G(d) level. Thermochemical corrections have been calculated at B98/6-31G(d) level and combined with MP2(FC) single point calculations to obtain enthalpies at 298.15 K . The choice of the method is caused by the recent study, where it has been shown that this single point/geometry combination is able to reproduce G3 MCA values within $4 \mathrm{~kJ} \mathrm{~mol}^{-1}$, being at the same time a much cheaper approach than G3. ${ }^{[2]}$ The MM3 parameters for the phosphonium cations have been developed and used for pre-optimization calculations within TINKER program ${ }^{[4]}$.

### 5.2.3. Development of MM3 Force Field Parameters for Phosphonium Derivatives and a Scheme for Accurate Conformational Search

The MM3 force field fits well to phosphane systems since it is parameterized for phosphane type phosphorus atoms as well as for different hydrocarbons. ${ }^{[5]}$ Thus it lets to describe with acceptable quality primary geometries (they are taken afterwards for quantum mechanical optimization) of different phosphine catalysts. However, force field parameters for phosphonium phosphorus atoms are not routinely included in popular force field programs. Force field parameters for alkyl phosphonium cations within MM3 paradigm have been parameterized and tested using TINKER software ${ }^{[4]}$. This part of the project was done by Sven Österling under supervison of the present work author and Prof. Hendrik Zipse within the scope of research practice. ${ }^{[6]}$

To have a basis for the force field phosphonium parameters quantum chemical calculations at MP2 $(\mathrm{FC}) / 6-31+\mathrm{G}(\mathrm{d})$ level of theory have been performed. The model phosphonium-type molecule is quantum chemically optimized and then the necessary angles and bonds have been scanned (the results of various scan calculations are collected in

Appendix 9.5). Finally, using the necessary formulae from MM3 theory (vide infra) and the energies obtained from the quantum chemical calculations the set of force field parameters have been determined. ${ }^{[5 a]}$

The formulae used for the fitting of the parameters relying on the quantum chemically calculated energies are:

1. Van-der-Waals interactions

$$
\begin{equation*}
E_{v d w}=\sqrt{k_{v 1} k_{v 2}}\left[-2.25\left(\frac{r_{v 1}+r_{v 2}}{r}\right)^{6}+1.84 \cdot 10^{5} e^{\left(-12 \frac{r}{r_{v 1}+r_{v 2}}\right)}\right] \tag{5.2}
\end{equation*}
$$

The parameters to be found are $k_{v}$ und $r_{v} . k_{v 1}$ and $k_{v 2}$ are factors describing relative strengths of interactions. $r_{v 1}$ and $r_{v 2}$ are the Van-der-Waals radii of the interacting atoms. $r$ is the distance between the interacting atoms. In order to determine the parameters $k_{v}$ and $r_{v}$ for the phosphonium phosphorus atom, the distance scan calculation between a phosphonium cation and atom of inert gas have been performed.

## 2. Bond-stretching

$$
\begin{equation*}
E_{s}=71.94 k_{s}\left(l-l_{0}\right)^{2}\left[1-2.55\left(l-l_{0}\right)+2.55 \frac{7}{12}\left(l-l_{0}\right)^{2}\right] \tag{5.3}
\end{equation*}
$$

The parameters to be found are $k_{s}$ and $l_{0} l$ is the distance between connected atoms, it is varying during the scan calculations.

## 3. Angle bending

$$
\begin{align*}
& E_{\theta}=0.021914 k_{\theta}\left(\theta-\theta_{0}\right)^{2} . \\
& \qquad\left[1-0.014\left(\theta-\theta_{0}\right)+5.6 \cdot 10^{-5}\left(\theta-\theta_{0}\right)^{2}-7 \cdot 10^{-7}\left(\theta-\theta_{0}\right)^{3}+9 \cdot 10^{-10}\left(\theta-\theta_{0}\right)^{4}\right] \tag{5.4}
\end{align*}
$$

$k_{\theta}$ und $\theta_{0}$ are the parameters to be found. $\theta$ is the angle varying during the scan calculations. There are three different variants of the parameters depending on the amount of hydrogen atoms connected with the phosphonium phosphorus atom: $\theta_{0}$ ( 0 hydrogen atoms), $\theta_{0}(1 H)(1$ hydrogen atom) and $\theta_{0}(2 \mathrm{H})$ ( 2 hydrogen atoms).

## 4. Torsions

$$
\begin{equation*}
E_{\omega}=0.5\left[v_{1}(1+\cos \omega)+v_{2}(1-\cos 2 \omega)+v_{3}(1+\cos 3 \omega)\right] \tag{5.5}
\end{equation*}
$$

The $v_{3}$-term describes the energy for the $\mathrm{sp}^{3}$-centers. The maxima and the minima repeat every $120^{\circ} \mathrm{C}$, it means that maxima are eclipse and minima are staggered conformations. For more complicated situations, when the gauche conformations are necessary to be treated
explicitly (e.g. in butane the anti-position is more preferable than gauche-) serves the $v_{l}$-term. The $v_{1}$-term is by $360{ }^{\circ} \mathrm{C}$ rotation a minimum (anti) and maximum (both conformations are eclipsed). For the $\mathrm{sp}^{2}$-centers the function of the $v_{3}$-term belongs to the $v_{2}$-term.
5. Stretch-bend, bend-bend and torsion-stretch interactions

$$
\begin{align*}
& E_{s \theta}=2.51118 k_{s \theta}\left[\left(l-l_{0}\right)+\left(l^{\prime}-l_{0}^{\prime}\right)\right]\left(\theta-\theta_{0}\right) \\
& E_{\theta \theta^{\prime}}=-0.021914 k_{\theta \theta^{\prime}}\left(\theta-\theta_{0}\right)\left(\theta^{\prime}-\theta_{0}^{\prime}\right)  \tag{5.6}\\
& E_{\omega s}=11.995 \frac{k_{\omega s}}{2}\left(l-l_{0}\right)(1+\cos (3 \omega))
\end{align*}
$$

The stretch-bend interaction is used to allow bonds to stretch out when the angle between them is reduced and to shrink when that angle is increased. Bend-bend interaction is included in order to split apart the bending vibration frequencies involving two angles centered on the same atom. Bond lengths have to stretch also upon eclipsing, and to describe it the torsionstretch interaction is applied.

The determined parameters are collected in tables 5.1-5.3.

Table 5.1 The determined Van-der-Waals-Parameter for $\mathrm{P}^{+}$.

| Parameter | Atom $^{\text {a }}$ | $\boldsymbol{r}_{\boldsymbol{v}}$ | $\boldsymbol{k}_{\boldsymbol{v}}$ |
| :--- | :--- | :--- | :--- |
| Vdw | 112 | 1.850 | 0.381 |
| ${ }^{\mathrm{a}} \mathrm{I}$ a |  |  |  |

${ }^{\text {a }}$ In accordance with TINKER ${ }^{[4]}$ MM3 parameter list

Table 5.2 Parameter for $\mathrm{P}^{+}$connected with $\mathrm{C}\left(\mathrm{sp}^{3}\right)$.


| Parameter $^{\mathbf{a}}$ | Type | Atom $^{\mathbf{b}}$ | $\boldsymbol{k}_{\boldsymbol{s}}$ | $\boldsymbol{l}_{\boldsymbol{0}}$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| CP | Bond | 1112 | 4.0595 | 1.8042 |  |  |
| Parameter $^{\mathbf{a}}$ | Type | Atom $^{\mathbf{b}}$ | $\boldsymbol{k}_{\boldsymbol{\theta}}$ | $\boldsymbol{\theta}_{\boldsymbol{0}}$ | $\boldsymbol{\theta}_{\boldsymbol{0}}(\mathbf{1 H})$ | $\boldsymbol{\theta}_{\boldsymbol{0}}(\mathbf{2 H})$ |
| CPC | Angle | 11121 | 0.675 | 109.471 |  |  |
| HCP | Angle | 51112 | 0.659 | 105.383 | 106.488 | 108.529 |
| CCP | Angle | 11112 | 0.882 | 108.330 | 110.547 | 112.255 |
| Parameter $^{\mathbf{a}}$ | Type | Atom $^{\mathbf{b}}$ | $\boldsymbol{v}_{\boldsymbol{I}}$ | $\boldsymbol{v}_{\boldsymbol{2}}$ | $\boldsymbol{v}_{\boldsymbol{3}}$ |  |
| HCPC $_{\text {CCPC }}$ | torsion | 511121 | 0.000 | 0.000 | 0.226 |  |
| HCCP | torsion | 111121 | 0.191 | 0.000 | 0.352 |  |


| CCCP | torsion | 111112 | 1.355 | 0.000 | 0.681 |
| :--- | :--- | :--- | :--- | :--- | :--- |

${ }^{\mathrm{a}} \mathrm{C}$ stands for $\mathrm{sp}^{3}$ carbon atom, $\mathrm{D}-$ for $\mathrm{sp}^{2}$ carbon atom, P - for phosphonium $\mathrm{P}^{+}$atom, $\mathrm{H}-$ for hydrogen; ${ }^{\text {b }}$ In accordance with TINKER ${ }^{[4]}$ MM3 parameter list.

Table 5.3 Parameter for $\mathrm{P}^{+}$connected with $\mathrm{C}\left(\mathrm{sp}^{2}\right)$.


| Parameter $^{\mathbf{a}}$ | Type | Atom $^{\mathbf{b}}$ | $\boldsymbol{k}_{\boldsymbol{s}}$ | $\boldsymbol{l}_{\boldsymbol{0}}$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| DP | bond | 2112 | 3.6318 | 1.8057 |  |  |
| Parameter $^{\mathbf{a}}$ | Type | Atom $^{\mathbf{b}}$ | $\boldsymbol{k}_{\boldsymbol{\theta}}$ | $\boldsymbol{\theta}_{\boldsymbol{0}}$ | $\boldsymbol{\theta}_{\boldsymbol{0}}(\mathbf{1 H})$ | $\boldsymbol{\theta}_{\boldsymbol{0}} \mathbf{( 2 \boldsymbol { H } )}$ |
| DPC | angle | 11122 | 0.613 | 110.219 |  |  |
| DDP | angle | 22112 | 0.401 | 123.075 |  |  |
| DPD | angle | 21122 | 0.673 | 108.842 |  |  |
| DCP | angle | 21112 | 0.595 | 110.378 | 109.382 | 112.966 |
| Parameter ${ }^{\text {a }}$ | Type | Atom $^{\mathbf{b}}$ | $\boldsymbol{v}_{\boldsymbol{1}}$ | $\boldsymbol{v}_{\boldsymbol{2}}$ | $\boldsymbol{v}_{\boldsymbol{3}}$ |  |
| DDPC | torsion | 221121 | -0.459 | -0.327 | 1.428 |  |
| DDDP | torsion | 222112 | 0.000 | 3.248 | 0.000 |  |
| HDDP | torsion | 522112 | 0.000 | 1.976 | 0.000 |  |
| CDDP | torsion | 122112 | 0.000 | 11.941 | 0.000 |  |
| DDPD | torsion | 221122 | 0.000 | 0.000 | 1.526 |  |
| DPCH | torsion | 511122 | 0.000 | 0.004 | 0.214 |  |
| DPCC | torsion | 111122 | -0.342 | 0.142 | 0.541 |  |
| DDCP | torsion | 221112 | 0.465 | -1.667 | -0.240 |  |
| HDCP | torsion | 521112 | 0.000 | 0.000 | 0.060 |  |
| DCPC | torsion | 211121 | 0.000 | 0.000 | 0.475 |  |
| DCPD | torsion | 211122 | 0.000 | 0.000 | 1.300 |  |
| CDCP | torsion | 121112 | 1.622 | 0.289 | 0.328 |  |

${ }^{\mathrm{a}} \mathrm{C}$ stands for $\mathrm{sp}^{3}$ carbon atom, D - for $\mathrm{sp}^{2}$ carbon atom, P - for phosphonium $\mathrm{P}^{+}$atom, $\mathrm{H}-$ for hydrogen; ${ }^{\mathrm{b}}$ In accordance with TINKER ${ }^{[4]}$ MM3 parameter list.

To test the quality of the new parameter set, two molecules have been chosen, which contain the moieties as much as possible corresponding to the situations described by the found parameters (e.g different carbon atoms ( $\mathrm{sp}^{3}$ and $\mathrm{sp}^{2}$ ) connected (and not) directly to the phosphonium phosphorus atom). The used molecules are shown in Scheme 5.1.


Scheme 5.1 Molecules used for testing new parameters.

For both molecules potential energy surface scans have been performed. In Fig 5.1 the MM3 energies with use of new parameters are compared with quantum chemical energies (MPW1K/6-31G(d)) for every MM3-structure. It has to be emphasized, that DFT has been chosen due to large amount of necessary calculations, though the new parameters have been parametrized relying on MP2 calculations. Hypothetically, the discrepancy between MM3 calculations including new parameters with MP2 will be smaller as it is with DFT. The energy units in calculations, shown in Fig. 5.1 as well as in other performed scan calculations, are changed from $\mathrm{kJ} \mathrm{mol}^{-1}$ to $\mathrm{kcal} \mathrm{mol}^{-1}$ in accordance with the MM3 theory. ${ }^{[5 a]}$


Fig 5.1 MM3-Energies of the potential energy surface scan with new parameters in comparison with DFT-energies for the "sp ${ }^{3}$-molecule" $\mathbf{A}$.

The MM3 and DFT energy trends for the " $\mathrm{sp}^{3}$-molecule" A correlate good with each other. The analogous scan for the " $\mathrm{sp}^{2}$-molecule" $\mathbf{B}$ is presented in Fig. 5.2.


Fig 5.2 MM3-Energies of the potential energy surface scan with new parameters in comparison with DFT-energies for the " $\mathrm{sp}^{2}$-molecule" B.

In the latter case the scattering picture has been observed. In order to check whether the reason of the FF/QM discrepancy is only the use of the new parameters, the phosphonium atom was exchanged to another atom ( Si has been used), while the substituents have not been changed. The obtained scan is presented in Fig. 5.3


Fig 5.3 MM3-Energies of the potential energy surface scan with new parameters in comparison with DFT-energies for " $\mathrm{sp}^{2}$-molecule" B (Si instead of P).

As one can conclude from the Fig. 5.3, the reason of the discrepancy is not only in the new parameters. There is some general problem in MM3 describing molecules containing $\mathrm{C}\left(\mathrm{sp}^{2}\right)$, thus one can see the structure in Fig. 5.4, where the terminal hydrogen atoms of the allyl group are wrong located.


Fig 5.4 A random structure (local minimum) of the $\mathrm{sp}^{2}$-Si-molecule. Noteworthy the allyl-H atom positions are wrong.

Thus, additional work in the force field parametrization is required to describe the phosphonium cations containing $\mathrm{sp}^{2}$ carbon atoms. However, it is important to note, that the global minimum has also been correctly found by the force field approach for the " $\mathrm{sp}^{2}$ molecule" B.

In the following MCA and XKA calculations the TINKER program in combination with the MM3 force field, including the new phosphonium parameters, and for some selected systems the MM3* force field as implemented in MACROMODEL 9.7 have been used. ${ }^{[4,7]}$

The accurate search of the conformational space for flexible systems (large amount of structures generated by force field calculations) takes a lot of CPU time. In order to make the calculations cheaper without considerable loss of accuracy, the following scheme was used (in graphical manner shown in Fig. 5.5):

1. The force field conformational search. ("FF structures" in Fig. 5.5).
2. Single point calculations for all FF-derived structures at DFT level in the variant of B98/6-31(d) level for MCA calculations, MPW1K/6-31G(d) for MVKA calculations or MPW1K/6-31+G(d) for XKA calculations.
3. Comparison of the obtained relative energy values and discarding unstable conformations (everything that is $\sim 30 \mathrm{~kJ} \mathrm{~mol}^{-1}$ less stable than the global minimum can be neglected).
4. Quantum chemical (DFT) optimization of selected stable conformations and comparison of the optimized structures energies ("DFT structures" in Fig. 5.1). DFT is
used in the variant of B98/6-31(d) for MCA calculations, MPW1K/6-31G(d) for MVKA calculations or MPW1K/6-31+G(d) for XKA calculations.
5. MP2(FC)/6-31+G(2d,p) single point calculations for the most stable conformations after DFT optimization (again everything that is $\sim 30 \mathrm{~kJ} \mathrm{~mol}^{-1}$ less stable than global minimum can be neglected).
6. The conformations that have MP2(FC)/6-31+G(2d,p) relative energies in a range of $\sim 15 \mathrm{~kJ} \mathrm{~mol}^{-1}$ ("result" in Fig. 5.5) should be taken for the Boltzmann averaging procedure.


Fig. 5.5 Scheme of an accurate conformational search (black - neglected conformers, red important conformers).

### 5.3. MCA Values for Phosphanes

### 5.3.1. Phosphanes With Unbranched and Branched Acyclic Alkyl Substituents and Cyclic Substituents

MCA calculations for a sample of phosphanes with unbranched and branched acyclic and cyclic substituents have been performed. The results are collected in Table 5.4 and graphically shown in Fig. 5.9.

Cristoph Lindner (PhD student of Prof. Hendrik Zipse) has carefully analysed the calculated data (from Boris Maryasin and Christoph Lindner) and some general regularities have been found. ${ }^{[8]}$

- The effects of the substituents are largely additive - for phosphanes with the general formula $\mathrm{PR}_{\mathrm{n}}$ with $\mathrm{n}=0-3$, there is an "impressively good" ${ }^{[8]}$ correlation between MCA values and the value of $n$ (Fig. 5.6). The MCA value of trisubstituted phosphanes $\mathrm{PR}_{3}$ can be estimated from the MCA values of $\mathrm{PMe}_{2} \mathrm{R}$ and $\mathrm{PMe}_{3}$ using eqn (5.2).

$$
\begin{equation*}
\mathrm{MCA}\left(\mathrm{PMe}_{3-\mathrm{n}} \mathrm{R}_{\mathrm{n}}\right)=\mathrm{MCA}\left(\mathrm{PMe}_{3}\right)+\mathrm{n} \times\left(\mathrm{MCA}\left(\mathrm{PMe}_{2} \mathrm{R}\right)-\mathrm{MCA}\left(\mathrm{PMe}_{3}\right)\right) \tag{5.7}
\end{equation*}
$$



Fig. 5.6 MCA values of trialkylphosphanes with linear alkyl substituents.

- The slope of the linear correlation MCA vs. n depends on the length of the alkyl substituent. Eqn. (5.3) expresses the exponential character of this dependence for unbranched acyclic substituents (Fig. 5.7), eqn. (5.4) - analogously for cyclic substituents.
$\mathrm{MCA}\left(\mathrm{Me}_{2} \mathrm{P}\left(\mathrm{CH}_{2}\right)_{\mathrm{n}} \mathrm{H}, \mathrm{kJ} \mathrm{mol}^{-1}\right)=618.8-26.1 \times 0.56^{\mathrm{n}}$
$\left.\mathrm{MCA}\left(\mathrm{Me}_{2} \mathrm{P}(\mathrm{CH})\left(\mathrm{CH}_{2}\right)_{\mathrm{n}+1}\right), \mathrm{kJ} \mathrm{mol}^{-1}\right)=625.3-35.5 \times 0.51^{\mathrm{n}}$


Fig. 5.7 MCA values of monosubstituted phosphanes of general formula $\mathrm{Me}_{2} \mathrm{P}\left(\mathrm{CH}_{2}\right)_{\mathrm{n}} \mathrm{H}$ ( $\mathrm{n}=1-5$, in kJ/mol).

- A general eqn. (5.10) can be built for all the systems. This equation connects the MCA values with the size parameters of the alkyl groups attached to the phosphorus atom.

$$
\begin{equation*}
\mathrm{MCA}\left[\mathrm{~kJ} \mathrm{~mol}^{-1}\right]=604.2+6.1 \mathrm{~b}+3.7 \mathrm{c}+2.0 \mathrm{~d}+1.0 \mathrm{e}+\mathrm{x} \tag{5.10}
\end{equation*}
$$

In the eqn. (5.10) the parameters $\mathrm{a}, \mathrm{b}, \mathrm{c}, \mathrm{d}$ and e are the numbers of methyl and methylene groups in $\beta$-, $\gamma$-, $\delta$ - and $\varepsilon$-positions and x represents a varying correction factor depending on the class of compound. Representaion of the correlation of MCA values obtained at MP2(FC)/6-31+G(2d,p)//B98/6-31G(d) level with those found using eqn. 5.10 are shown in Fig. 5.8.


Fig. 5.8 Correlation of MCA values calculated with eqn. (5.10) with those obtained by MP2(FC)/6-31+G(2d,p)//B98/6-31G(d) method.


Fig. 5.9 Structures of trisubstituted phosphanes with acyclic and cyclic alkyl substituents, ordered by their respective MCA values (in $\mathrm{kJ} \mathrm{mol}^{-1}$ ).

Table 5.4. Methyl Cation Affinity (MCA) values for a variety of phosphanes calculated according to eqn. (5.1b) at MP2(FC)/6-31+G(2d,p)//B98/6-31G(d) level (in $\mathrm{kJ} \mathrm{mol}^{-1}$ ). ${ }^{\text {a }}$

| System | MCA <br> $\left[\mathrm{kJ} \mathrm{mol}^{-1}\right]$ | System | MCA <br> $\left[\mathrm{kJ} \mathrm{mol}^{-1}\right]$ |
| :---: | :---: | :---: | :---: |
| $\overline{\mathrm{P}\left(\mathrm{CH}_{2} t \mathrm{Bu}\right)_{3}(23){ }^{\text {b }} \text { b }}$ | +603.3 | $\mathrm{PMe}_{3}(\mathbf{1})$ | +604.2 |
| $\mathrm{PMe}\left(\mathrm{CH}_{2} t \mathrm{Bu}\right)_{2}(\mathbf{2 2})^{\mathrm{b}}$ | +606.9 | $\mathrm{Pme}_{2}(c \mathrm{Pr})(26)$ | +607.2 |
| $\mathrm{PMe}_{2}\left(\mathrm{CH}_{2} t \mathrm{Bu}\right)(\mathbf{2 1})^{\mathrm{b}}$ | +607.9 | $\mathrm{PMe}_{2} \mathrm{Ph}(24){ }^{\mathrm{c}}$ | +608.5 |
| $\mathrm{PMe}_{2} \mathrm{Et}$ (2) | +610.5 | $\operatorname{PMe}(c \operatorname{Pr})_{2}(27){ }^{\text {b }}$ | +611.8 |
| $\mathrm{PMe}_{2}(i \mathrm{Bu})(\mathbf{1 5})^{\text {b }}$ | +611.9 | $\mathrm{PMe}_{2}(\mathrm{iPr})(12)$ | +613.5 |
| $\mathrm{PMe}_{2}(n \mathrm{Pr})(5)$ | +614.3 | $\mathrm{PMeEt}_{2}(3){ }^{\text {b }}$ | +616.1 |
| $\mathrm{PMe}_{2}(n \mathrm{Bu})(\mathbf{8})$ | +616. | $\mathrm{PMe}_{2}(c \mathrm{Bu})(29)$ | +616.7 |
| $\mathrm{PMe}_{2}(n \mathrm{Pen})(\mathbf{1 1})^{\text {b }}$ | +617.3 | $\mathrm{PPh}_{3}(\mathbf{2 5})^{\text {b }}$ | +618.4 |
| $\operatorname{PMe}(i \mathrm{Bu})_{2}(\mathbf{1 6})^{\text {b }}$ | +618.5 | $\mathrm{PMe}_{2}(t \mathrm{Bu})(\mathbf{1 8})^{\text {b }}$ | +619.4 |
| $\mathrm{PMe}_{2}($ c Pen$)(32)$ | +620.4 | $\mathrm{P}(c \mathrm{Pr})_{3}(\mathbf{2 8})^{\mathrm{b}}$ | +621.8 |
| $\mathrm{PMe}_{2}(\mathrm{cHex})(\mathbf{3 5})$ | +621.9 | $\mathrm{PEt}_{3}(4){ }^{\text {b }}$ | +622.5 |
| $\operatorname{PMe}(n \operatorname{Pr})_{2}(\mathbf{6})^{\text {b }}$ | +624.1 | $\mathrm{PMe}(\mathrm{PPr})_{2}(\mathbf{1 3})$ | +624.8 |
| $\mathrm{PMe}_{2}(c \mathrm{Hep})(\mathbf{3 8})^{\text {b }}$ | +624.9 | $\mathrm{P}(i \mathrm{Bu})_{3}(17)^{\mathrm{b}}$ | +625.7 |
| $\operatorname{PMe}(n \mathrm{Bu})_{2}(\mathbf{9}){ }^{\text {b }}$ | +627.8 | $\operatorname{PMe}(c \mathrm{Bu})_{2}(\mathbf{3 0})^{\text {b }}$ | +628.7 |
| $\mathrm{P}(n \mathrm{Pr})_{3}(7)$ | +633.6 | $\operatorname{PMe}(t \mathrm{Bu})_{2}(\mathbf{1 9})^{\mathrm{b}}$ | +633.9 |
| $\operatorname{PMe}(t \mathrm{Bu})_{2}(\mathbf{1 9})^{\text {b }}$ | +635.1 | $\mathrm{P}(\mathrm{iPr})_{3}(\mathbf{1 4})$ | +635.4 |
| $\mathrm{PMe}(c \mathrm{Pen})_{2}(\mathbf{3 3})$ | +637.1 | $\mathrm{P}(\mathrm{cBu})_{3}(\mathbf{3 1})^{\mathrm{b}}$ | +638.5 |
| $\mathrm{P}(n \mathrm{Bu})_{3}(\mathbf{1 0})^{\text {b }}$ | +639.5 | $\mathrm{PMe}(\mathrm{cHex})_{2}(\mathbf{3 6})^{\text {b }}$ | +641.0 |
| $\mathrm{P}(t \mathrm{Bu})_{3}(\mathbf{2 0})^{\mathrm{b}}$ | +648.3 | $\mathrm{P}(c \mathrm{Pen})_{3}(\mathbf{3 4 )}$ | +650.8 |
| $\mathrm{P}(\mathrm{cHex})_{3}(\mathbf{3 7})^{\text {b }}$ | +655.7 |  |  |

[^0]
### 5.3.2. Cyclophane-substituted and Cyclic Phosphanes

Organocatalysts with a cyclophane motif are potentially interesting due to their intrinsic planar chirality. However, examples of such organocatalysts are relatively rare. ${ }^{[9]}$ MCA values have therefore been calculated for substituted phosphanes in order to have preliminary information about potential efficiency of that type molecules for organocatalytic processes. Another class of phosphanes that has been checked via the MCA approach concerns cyclic phosphanes. The results of MCA calculations of cyclophane-substituted systems are shown graphically in Fig. 5.10.


Fig. 5.10 Structures of cyclophane-substituted phosphanes ordered by their MCA values.

Table 5.5. Methyl Cation Affinity (MCA) values for a variety of cyclophane-substituted phosphanes calculated according to eqn. (5.1b) at MP2(FC)/6-31+G(2d,p)//B98/6-31G(d) level (in $\mathrm{kJ} \mathrm{mol}^{-1}$ ).

| System | MCA <br> $\left[\mathrm{kJ} \mathrm{mol}^{-1}\right]$ | System | MCA <br> $\left[\mathrm{kJ} \mathrm{mol}^{-1}\right]$ |
| :--- | :--- | :--- | :--- |
| $\mathbf{3 9 S N}$ | 586.0 | $\mathbf{4 0 S N}$ | 586.6 |
| $\mathbf{4 1}$ | 591.3 | $\mathbf{4 2}$ | 608.5 |
| $\mathbf{4 3}$ | 614.0 | $\mathbf{4 4}$ | 614.3 |
| $\mathbf{4 5}$ | 616.4 | $\mathbf{4 0 R}$ | 619.7 |
| 39S | 620.8 | $\mathbf{4 0 S}$ | 621.3 |
| $\mathbf{3 9 R}$ | 642.0 |  |  |

The MCA values are relatively low ( $+591.3-+616.4 \mathrm{~kJ} \mathrm{~mol}^{-1}$ ) for systems $41 \mathbf{- 4 5}$ as compared to the MCA values of the series phosphanes with cyclic and acyclic alkyl substituents analyzed in the previous chapter (+603.3 - $650.8 \mathrm{~kJ} \mathrm{~mol}^{-1}$ ). It should be emphasized that, the bigger the MCA value is, the bigger the efficiency of the catalyst expected is. Interestingly, the MCA of the systems $\mathbf{4 5}, \mathbf{4 4}$ and $\mathbf{4 3}$ are almost equal (616.4, 614.3 and $614.0 \mathrm{~kJ} \mathrm{~mol}^{-1}$ respectively), showing that the influence of the 2-naphtyl, $p$-xylyl and cyclophane groups are relatively equivalent. In both systems 39 and 40 one of the cyclophane phenyl rings has a 1-(dimethylamino)ethyl substituent. The distinction is that this group and the phosphorus atom are connected to the same aromatic ring in catalyst 39, while in the catalyst 40 the substituents are separated by one per aromatic ring. The 1(dimethylamino)ethyl group contains a chiral C atom and since the cyclophane group induces planar chirality, there are two possible diastereomers for each of the catalyst $\mathbf{3 9}$ and $\mathbf{4 0}$. As one can easily see from the Fig. 5.4 and Table 5.5 the catalyst $\mathbf{3 9}$, where the substituents are in the same ring, has quite large MCA value of $642 \mathrm{~kJ} \mathrm{~mol}^{-1}$ but only if the chiral C atom of the 1-(dimethylamino)ethyl group is R-configurated ( $\mathbf{3 9 R}$ ) and this is the biggest MCA from all studied cyclophane family members. If the chiral atom is S-configurated (39S), then the MCA value is much smaller ( $620.8 \mathrm{~kJ} \mathrm{~mol}^{-1}$ ) and similar to values calculated for catalyst 40 in R or S configuration: $619.7 \mathrm{~kJ} \mathrm{~mol}^{-1}(\mathbf{4 0 R})$ and $623.1 \mathrm{~kJ} \mathrm{~mol}^{-1}$ (40S). The big difference between two diastereomers of the catalyst 39 can mean that significant diastereoselectivity could be expected. The predicted value of $642 \mathrm{~kJ} \mathrm{~mol}^{-1}$ for MCA means also, that this catalyst can be effective. It has to be stated here, that the MCA values (from Lindner and Maryasin) have been compared by Liu ${ }^{[10]}$ with the kinetic data for several phosphane catalysts in aza-

MBH reaction. It has been shown, that for the most effective catalysts the MCA values amount to $\sim 620 \mathrm{~kJ} \mathrm{~mol}^{-1}$.

The reason for the big (and so different to its analogous) MCA value for catalyst $\mathbf{3 9 R}$ is the strong stabilization in the phosphonium adduct between catalyst $\mathbf{3 9 R}$ and methyl cation (Fig. 5.11).


39R
$\mathrm{r}(\mathrm{P}-\mathrm{N})=2.296 \AA ; \mathrm{MCA}=642 \mathrm{~kJ} \mathrm{~mol}^{-1}$


40R
$\mathrm{r}(\mathrm{P}-\mathrm{N})>6 \AA ; \mathrm{MCA}=619.7 \mathrm{~kJ} \mathrm{~mol}^{-1}$

39S

$$
\mathrm{r}(\mathrm{P}-\mathrm{N})=3.812 \AA ; \mathrm{MCA}=620.8 \mathrm{~kJ} \mathrm{~mol}^{-1}
$$



40S

$$
\mathrm{r}(\mathrm{P}-\mathrm{N})=4.938 \AA ; \mathrm{MCA}=621.3 \mathrm{~kJ} \mathrm{~mol}^{-1}
$$

Fig. 5.11 Structures of the most stable conformations for adducts between catalysts 39 and 40 (both diastereomers) and methyl cation. Distances between phosphorus and nitrogen atoms and MCA values in comparison.

The two factors - the neighbourhood of the substituents, containing phosphorus and nitrogen atoms and the R configuration of the chiral C atom - appear to be necessary and sufficient to form the intramolecular interaction between the P and N atoms $(\mathrm{r}(\mathrm{R}-\mathrm{N})=2.926 \AA)$. Neither the S-configurated variant of catalyst $\mathbf{3 9}$ adduct nor both diastereomers of system $\mathbf{4 0}$ have such a stabilization feature and thus have much smaller MCA. This is one additional example
of the importance of inter- and intramolecular interactions for organocatalytic processes. For systems 39 and $\mathbf{4 0}$ methyl cation addition is also possible to the nitrogen atom. The ability of a competition between the ammonium and the phosphonium cation formation has been checked. Much smaller MCA value of $586.0 \mathrm{~kJ} \mathrm{~mol}^{-1}$ for the ammonium vs. $620.8 \mathrm{~kJ} \mathrm{~mol}^{-1}$ for the phosphonium cation, formed from the catalyst 39 with S configuration of chiral C atom, and 586.6 vs. $621.3 \mathrm{~kJ} \mathrm{~mol}^{-1}$ - from catalyst $\mathbf{4 0}$ have been obtained.

In Fig. 5.12 and in Table 5.6 MCA values for cyclic phosphanes are shown.


Fig 5.12 Structures of cyclic phosphanes, ordered by their respective MCA values.

Table 5.6 Methyl Cation Affinity (MCA) values for cyclic phosphanes, calculated according to eqn. (5.1b) at MP2(FC)/6-31+G(2d,p)//B98/6-31G(d) level (in kJ mol ${ }^{-1}$ ).

| System | MCA <br> $\left[\mathrm{kJ} \mathrm{mol}^{-1}\right]$ | System | MCA <br> $\left[\mathrm{kJ} \mathrm{mol}^{-1}\right]$ |
| :--- | :--- | :--- | :--- |
| $\mathbf{4 6}$ | 584.0 | $\mathbf{4 7}$ | 597.0 |
| $\mathbf{4 8}$ | 598.5 | $\mathbf{4 9}$ | 602.0 |
| $\mathbf{5 0}$ | 616.8 |  |  |

These systems show quite moderate MCA values, the largest is $616.8 \mathrm{~kJ} \mathrm{~mol}^{-1}$ for system $\mathbf{5 0}$. In Fig. 5.13 the MCA values of the cyclic phosphanes are compared to similar acyclic systems.


Fig. 5.13 The MCA values of cyclic phosphanes as compared to acyclic analogues.

The acyclic systems have larger values of MCA excepting the case of system 50, which has almost the same value of the MCA as its acyclic analogue. As it is should be expected the cyclic phosphanes have strain due to the cycle structure. Latter makes the discrepancy between these phosphanes and the acyclic analogues. For the phosphanes $\mathbf{4 8}$ and $\mathbf{1 3}$ the MCA values difference is the largest and amounts to $26.3 \mathrm{~kJ} \mathrm{~mol}^{-1}$. In order to clarify this difference, the geometries of the corresponding systems (both phosphanes and both adducts
with methyl cation) can be compared. In the Table 5.7 the out-of-plane displacements (in terms of dihedral angles $\alpha$ in accordance with the Table 5.7) are collected.

Table 5.7 Pyramidalization in the systems $\mathbf{4 8} / \mathbf{4 8} \mathrm{Me}^{+}$and $\mathbf{1 3} / \mathbf{1 3} \mathrm{Me}^{+}$

| $\stackrel{\underset{H}{\mathrm{H}}-\mathrm{C}^{\mathrm{H}}}{ }$ | System | $\alpha$ | $\alpha\left(\mathrm{PR}_{3}\right)-\alpha\left(\mathrm{PR}_{3} \mathrm{Me}^{+}\right)$ |
| :---: | :---: | :---: | :---: |
| P | 48 | 39.9 | 8.7 |
| $\left[{ }_{c}{ }^{3}\right]$ | 48Me ${ }^{+}$ | 31.2 |  |
| H |  |  |  |
| 48 | 13 | 45.7 |  |
| $D\left(C_{1} \mathrm{C}_{2} \mathrm{C}_{3} \mathrm{P}\right)=\alpha$ | $13 \mathrm{Me}^{+}$ | 34.8 | 10.9 |

One can see that pyramidalization is bigger in the acyclic system $\mathbf{1 3} / \mathbf{1 3} \mathbf{M e}^{+}$. The difference in the dihedral angles $\alpha$ shows, that in the case of system $\mathbf{4 8} / 48 \mathrm{Me}^{+}$the geometrical change (on the example of $\alpha$ ) is a bit smaller, than in the system $\mathbf{1 3} / \mathbf{1 3} \mathbf{M e}^{+}$. The acyclic system $\mathbf{1 3} / \mathbf{1 3} \mathbf{M e}^{+}$ has no strain and therefore it is more flexible. Thus, smaller energetic difference between phosphane $\mathbf{4 8}$ and adduct $\mathbf{4 8} \mathrm{Me}^{+}$(it is represented by the MCA value) as compared to the system $\mathbf{1 3} / \mathbf{1 3} \mathbf{M e}^{+}$correlates with the geometries of the phosphanes and the methyl cation adducts. The system $\mathbf{5 0}$ is the most unstrained among all cyclic systems due to the cycle size, thus there is no big difference between its MCA $\left(616.8 \mathrm{~kJ} \mathrm{~mol}^{-1}\right)$ and MCA of the acyclic system ( $616.3 \mathrm{~kJ} \mathrm{~mol}^{-1}$ ).

### 5.4. MVKA and XKA

The XKA is defined as the reaction energy for the transformation shown in Scheme 5.2


Scheme 5.2 Michael addition step of the MBH reaction.

The " X " means that the ketone is varying. If the ketone is MVK, then the descriptor of catalytic activity is called MVKA.

### 5.4.1. MVKA of Recently Synthesized Bifunctional Phosphane Catalysts

A new family of bifunctional phosphane catalysts (BPC) with general formula shown in Scheme 5.3, have been recently synthesized and their efficiency in the MBH reaction (reaction between $p$-chlorbenzaldehyde and MVK) has been tested. ${ }^{[10]}$


BPC1: $\mathrm{R}=\mathrm{NHC}(\mathrm{O}) \mathrm{C}\left(\mathrm{CH}_{3}\right)_{3}$;


BPC2: $\mathbf{R}=\mathbf{N H C}(\mathbf{O}) \mathrm{Me}$;
BPC3: $\mathbf{R}=\mathbf{N H C}(\mathbf{O}) \mathbf{P h}$;
BPC4: $\mathbf{R}=\mathbf{N H C}(\mathbf{O}) \mathrm{C}_{6} \mathrm{H}_{4}(p-\mathrm{MeO})$;
BPC5: $\mathrm{R}=\mathrm{NHC}(\mathrm{O}) \mathrm{C}_{6} \mathrm{H}_{4}(p-\mathrm{CN})$;
BPC6: $\mathbf{R}=\mathbf{O H}$;
Scheme 5.3 Bifunctional phosphane catalysts.

The conversion [\%], corresponding reaction time [ h ] and (for some cases) the half-life time [h] have been presented ${ }^{[10]}$ for this family of catalysts, that allows to rank the catalysts by its activity. In this chapter the comparison of the experimental kinetic data (qualitative data (conversion and reaction time) and (if available) quantitative (half-life time)) with the values of MVKA will be shown. Reaction between phosphorus-containing Lewis base and MVK can lead to the acyclic zwitterionic intermediate 54 (vide Scheme 5.4) or cyclic adduct 53. The enthalpies at 298 K of the formation of acyclic zwitterionic adduct $\mathbf{5 4}$ will in the following be termed "MVKA" and in the case of cyclic complex 53 "MVKA-c".


Scheme 5.4 Formation of acyclic and cyclic adducts between phospane catalyst and Michael acceptor.

Geometry optimization has been performed at MPW1K/6-31G(d) level of theory. The thermal corrections to the enthalpies $\mathrm{H}_{298}$ at 298.15 K have been calculated for all stationary points from unscaled vibrational frequencies obtained at the MPW1K/6-31G(d) level. In previous chapters the importance to use MPW1K/6-31+G(d) for zwitterionic intermediates has been noted. The calculations of "MVKA" and "MVKA-c" presented here are based, however, on the MPW1K/6-31G(d) geometries. The reason of this inconsistency is that the "MVKA"/"MVKA-c" calculations have been performed before the observation made by Wei,

Sateesh, Maryasin, Sastry and Zipse about better efficiency of the MPW1K/6-31+G(d) level. ${ }^{[3 \mathrm{c}]}$ Nevertheless, the adequacy of MPW1K/6-31G(d) application for the MVKA calculations of BPC family has been checked. For instance, such basis set improvement changes the MVKA value of the BPC0 only by $0.8 \mathrm{~kJ} \mathrm{~mol}^{-1}$. This small energy difference can be neglected. The thermal corrections have been combined with single point energies calculated at the MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) level to yield enthalpies $\mathrm{H}_{298}$ at 298.15 K. Table 5.8 collects the result of the MVKA and MVKA-c calculations.

Table 5.8 Experimental results of the BPC family as compared with the MVKA and MVKAc values of these catalysts.

|  | Experimental data: time and conversion; experimental rank ${ }^{\text {a }}$ | Half-life |  | $\text { MVKA-c }{ }^{\text {c }}$  <br> 53 |
| :---: | :---: | :---: | :---: | :---: |
| BPC0 $\left(\mathrm{PPh}_{3}\right), \mathrm{R}=\mathrm{H}$ | 15h, 19\%, + | 1020 | +23.1 | -41.5 |
| BPC1, $\mathrm{R}=\mathrm{NHC}(\mathrm{O}) \mathrm{C}\left(\mathrm{CH}_{3}\right)_{3}$ | 22h, 64\%, +++ | 320 | -31.1 | -57.1 |
| BPC2, R $=$ NHC(O)Me | 20h, 62\%, +++ | 400 | -28.9 | -59.8 |
| BPC3, R = NHC(O)Ph | 20h, $47 \%$, ++ | 630 | -26.7 | -60.7 |
| BPC4, $\mathrm{R}=\mathrm{NHC}(\mathrm{O}) \mathrm{C}_{6} \mathrm{H}_{4}(p-\mathrm{MeO})$ | 20h, $53 \%$, ++ |  | -26.0 | -60.5 |
| BPC5, $\mathrm{R}=\mathrm{NHC}(\mathrm{O}) \mathrm{C}_{6} \mathrm{H}_{4}(p-\mathrm{CN})$ | 19h, 12\%. + |  | -31.4 | -62.3 |
| BPC6, R = OH | $\sim 0 \%$, | - | -67.0 | -49.4 |

${ }^{\text {a }}$ The experimental data are taken from Liu. ${ }^{[10]}$ Since the kinetic data are rather qualitative (not for all systems the half-life time is availiable), qualitative "experimental rank" - the degree of catalyst efficiency is involved: the more "+" a catalysts has, the more efficient it is.
${ }^{\mathrm{b}}$ Unpublished results of Yinghao Liu, available only for four systems
${ }^{\text {c }}$ Gas-phase; MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d); thermochemical corrections: MPW1K/6-31G(d).



Fig. 5.14 The MVKA scale of the BPC family.

The results of MVKA calculations are shown in graphical form in Fig. 5.14. From Fig. 5.14 and Table 5.7 it is clear to see two very different MVKA values: of $\mathrm{PPh}_{3}\left(+23.1 \mathrm{~kJ} \mathrm{~mol}^{-}\right.$ ${ }^{1}$ ) and BPC6 (-67.0 $\mathrm{kJ} \mathrm{mol}^{-1}$ ), though 5 other catalysts have MVKA values around $-30 \mathrm{~kJ} \mathrm{~mol}^{-}$ ${ }^{1}$. These two catalysts $\mathrm{PPh}_{3}$ and BPC6 are also very special in view of the experimental results. For $\mathrm{PPh}_{3}$ (without co-catalyst) the conversion is very small ( $15 \mathrm{~h}, 19 \%$ ) and for BPC6 no conversion is observed. Relying on the MVKA calculations, a hypothesis can be proposed, that the reason of inefficiency of the BPC6 is the dramatic stabilization of the adduct with MVK via protonation, that proceeds without barrier $\left(\mathrm{r}_{( }\left(\mathrm{O}_{\mathrm{MVK}}-\mathrm{H}_{\mathrm{OH}}\right)=0.996 \AA\right.$ - the distance between oxygen atom of the MVK moiety of the adduct and hydrogen atom from the OH group). As a result the system is away from the catalytic cycle and stays in the protonated state. In the case of $\mathrm{PPh}_{3}$ the zwitterionic adduct is stabilized through hydrogen bonding between a hydrogen atom of the phenyl ring and the MVK oxygen atom with $\mathrm{r}(\mathrm{O}-\mathrm{H})=1.896$ A. The situation is changed significantly if one of the BPC catalysts with MVKA around - 30 $\mathrm{kJ} \mathrm{mol}^{-1}$ (Fig. 5.14) is observed. As an example in BPC1 (one of the most efficient among the BPC family (vide Table 6.7), a strong stabilizing hydrogen bond $\left(\mathrm{r}\left(\mathrm{O}_{\mathrm{MVK}}-\mathrm{H}_{\mathrm{NH}}\right)=1.541 \AA\right.$ ) is formed between the MVK moiety and the hydrogen of the -NH- fragment. The intermediate is not completely protonated and still involved in the catalytic cycle, but stabilized and thus likely to be formed. The structures of the acyclic adducts for BPC6, $\mathrm{PPh}_{3}$ and BPC1 are shown in Fig. 5.15.




$\mathrm{r}\left(\mathrm{O}_{\mathrm{MVK}}-\mathrm{H}_{\mathrm{OH}}\right)=0.996 \AA \AA$
$\mathrm{r}\left(\mathrm{P}-\mathrm{C}_{\mathrm{MVK}}\right)=1.839 \AA$



Fig. 5.15 Structures of the acyclic adducts between $\mathbf{B P C 6}, \mathrm{PPh}_{3}$ and BPC1.

Several conclusions can be drawn from the calculated MVKA values:

- $\mathrm{PPh}_{3}$ can be inefficient as a catalyst (if the co-catalyst is not involved) due to the endothermic nature of the Michael addition step (MVKA >0). It is important to note here that the situation is very different if the co-catalyst is involved (vide chapter 3) then the zwitterionic intermediate is stabilized via the intermolecular interaction with the co-catalyst. Indeed, from the experiment one can see, that without co-catalyst the catalyst $\mathrm{PPh}_{3}$ does not work properly (Table 5.4) and with $p$-nitrophenol as a cocatalyst the reaction reaches the $60 \%$ conversion after $20 h^{[10]}$
- In the case of BPC6 the MVKA is too negative, thus the reaction may be trapped in a "super" stabilized system. The acyclic adduct between BPC6 and MVK is stabilized via hydrogen transfer from the OH group to the oxygen of the MVK moiety. This correlates with the experimental result, that BPC6 is ineffective catalyst. ${ }^{[10]}$
- Five other catalysts (BPC1-5) take the middle position. The zwitterionic intermediates are significantly stabilized via hydrogen bonding between the MVK moiety and the -NH- group of the catalyst, but they are still not completely protonated and can continue in the catalytic cycle. The smallest (the best) values are obtained from BPC1 and BPC5. The result of BPC1 is in accordance with the experimental evidence, since the BPC1 has been found to be the most effective from the family. The BPC5 gave only modest conversion in experiment, though its MVKA value is almost equal to the MVKA of the BPC1. Thus, the MVKA alone is not enough to explain the poor performance of BPC5.


Fig. 5.16 The MVKA-c scale of the BPC family.

In Fig. 5.16 the MVKA-c results are collected. Inasmuch as the formation of the cyclic adduct is a side reaction, which leads the system away from the catalytic cycle, the understanding of the MVKA-c values are opposite to MVKA - the more exothermic the reaction (vide Fig. 5.16) is, the worse the catalyst is. Fig. 5.16 shows that MVKA-c is the most negative for the BPC5, hence this catalyst is the worst catalyst from the point of view of the cyclic side product formation. This fact can explain the experimentally found poor efficiency of this catalyst. On the other hand the MVKA-c of the best catalyst BPC1 is 5.2 kJ $\mathrm{mol}^{-1}$ less exothermic. This fact supports the best efficiency of this catalyst among the BPC family. The fact of the best efficiency of BPC1 has been found experimentally (vide Table 5.7) and predicted by MVKA calculation (vide Fig. 5.14). The reason for the strong stabilization of the cyclic adducts is related to hydrogen bond formation. Thus, the intramolecular stabilizing interactions can play a dual role in the MBH process - supporting the catalytic cycle and supporting the side processes on the other hand. The structure of the cyclic adduct between MVK and BPC5 is shown in Fig. 5.17. The structure corresponds to the trigonal bipyramid, with the oxygen atom of MVK moiety in the epical position.

$$
\begin{gathered}
\mathrm{r}\left(\mathrm{O}_{\mathrm{MVK}}-\mathrm{H}_{\mathrm{NH}}\right)=1.809 \AA \\
\mathrm{r}\left(\mathrm{P}-\mathrm{O}_{\mathrm{MVK}}\right)=1.965 \AA
\end{gathered}
$$



Fig. 5.17 The structure of the cyclic adduct between MVK and BPC5.

The length of P-O distance in this structure amounts to $1.965 \AA$. This bond is quite long, since in known structures of pentaoxyphopsphoranes the P-O distance generally fall in the range $1.57-1.77 \AA \AA^{[11]}$ However, pentacovalent phosphoranes with longer apical P-O distances have been detected (e.g. $\mathbf{5 5}$ and $\mathbf{5 6}{ }^{[12]}$ Scheme 5.5). The complex $\mathbf{5 7}$ shows, that this distance
can be even longer, depending on the extent of contribution from coordinate covalent character. ${ }^{[11,13]}$




56

57

55

Scheme 5.5 Known pentacoordinated phosphorus compounds with apical P-O distance in the range $1.8-2.9 \AA$.

Noteworthy, this is larger than single P-O bond in tri- or tetracoordinated phosphorus compounds. For comparison, in the optimized at MPW1K/6-31G(d) level structure of $\mathrm{P}(\mathrm{OMe})_{3}$ the $\mathrm{r}(\mathrm{P}-\mathrm{O})$ amounts to $1.628 \AA$ and in the $\mathrm{Me}_{3} \mathrm{PO}$ the distance $\mathrm{r}(\mathrm{P}-\mathrm{O})=1.468 \AA$. Latter reflects double P-O bond.

### 5.4.2. Correlation of MVKA and Experimentally Measured Kinetic Data for BPC Catalysts

It has been shown qualitatively that the results of MVKA calculations reflect and explain the experimental results in many cases. Of course it would be an additional advantage if the calculations correlate with the experimental data in a more quantitative manner. Unfortunately, half-life times are not available for all of the systems, but only for four of them (Table 5.7). In the left side of Fig. 5.18 the correlation between the kinetic data $\left(\log _{10}\left(1 / t_{1 / 2}\right)\right)$ and MVKA values is plotted for all four systems, and in the right side of Fig. 5.18 the $\mathrm{PPh}_{3}$ point (which seems to be completely out of the regression line) is excluded. The correlation coefficient for all available data amount $R^{2}=0.76$. Exclusion of the $\mathrm{PPh}_{3}$ yields a better correlation: $R^{2}=0.96$. In general the MVKA approach can successfully give a rough estimate of the catalyst/substrate pair for MBH.


Fig. 5.18 Experimental kinetic data vs. MVKA for BPC catalysts.

### 5.4.3. XKA of Triphenylphosphane and Pyridine-derived Lewis Base Catalysts Using Three Different Michal Acceptors. Experiment and Theory in Comparison

The efficiency of the MVKA approach to characterize BPC catalysts has been discussed. Another family of organocatalysts has recently been studied experimentally in its applicability to aza-MBH and MBH reactions - 4-substituted pyridine-derived Lewis bases (PDLB). The best results have been achieved with so called PDLB2 (Scheme 5.5), which has also been found to be the most effective in acylation reactions. ${ }^{[10,14]}$


Scheme 5.5. The PDLB2 catalyst - one of the most active pyridine catalysts for acylation reactions.

Interesting results have been obtained by Liu comparing PDLB2 with $\mathrm{PPh}_{3}$ for the aza-MBH reaction between N -tosylimine and three different Michael acceptors: MVK (MA1), ethyl acrylate (MA2) and 2-cyclohexenone (MA3). ${ }^{[10]}$ The kinetic data (reaction time, conversion and (if available) half-life time) are collected in Table 5.9

Table 5.9 Kinetic data (reaction time, conversion and (if available) half-life time) for azaMBH reaction involving $\mathrm{PPh}_{3}$ and PDB2 as catalysts and three different Michael acceptors (MA1-3).


MA1-3

| Catalyst |  |  |  <br> MA3 |
| :---: | :---: | :---: | :---: |
|  | $\begin{gathered} ++ \\ 4 \mathrm{~h} ; 99 \% \text { conv }^{\mathrm{a}} \\ \mathrm{t}_{1 / 2}=38 \mathrm{~min} \end{gathered}$ | $\stackrel{+}{5 \mathrm{~d} ; 93 \% \mathrm{conv}^{\text {a }}}$ | $30 \mathrm{~h} ;<3 \% \mathrm{conv}^{\mathrm{a}}$ |
|  | $\begin{gathered} +++ \\ 4 \mathrm{~h} ; 99 \% \text { conv }^{\mathrm{a}} \\ \mathrm{t}_{1 / 2}=26 \mathrm{~min}^{2} \end{gathered}$ | $\stackrel{+}{+}$ | $\begin{gathered} ++ \\ 40 \mathrm{~h} ; 99 \% \text { conv }^{\text {a }} \end{gathered}$ |

[^1]Using $\mathrm{PPh}_{3}$ as the catalyst, the following substrate-reactivity order is observed: MA1 $>$ MA2 >> MA3. The trend is then changed when PDLB2 is used: MA1 > MA3 > MA2. For both catalysts the best Michael acceptor is MA1. MA2 and MA3 change the positions with catalyst variation. Noteworthy, for the case of PDLB2, MA1 is more reactive than for $\mathrm{PPh}_{3}$. In Table 5.8 with symbol " + " or " - " a rough grade for a substrate is given, the more " + " signs a substrate has, the more reactive the substrate to respective catalyst is. Trying to explain these observations the XKA approach has been applied. The XKA calculations have been performed in much the same way as MVKA, but the model has been slightly strengthened by improving the basis set used for geometrical and thermochemical calculations from $6-31 \mathrm{G}(\mathrm{d})$ to $6-31+\mathrm{G}(\mathrm{d})$ and by implicit inclusion of the solvent effect via PCM approach (in chloroform). The results are collected in the Table 5.9, where the affinities are named XKA14 , respectively presented as the reaction enthalpies at 298 K , zero point corrected energies, free energies in the gas phase and free energies in solution at 298K. In Table 5.9 the calculated results are compared with the experimental data.

Table 5.10. Affinities (XKA) of $\mathrm{Ph}_{3} \mathrm{P}$ and PDLB2 to different Michael acceptors.
Catalyst
${ }^{\text {a }}$ In general fo XKA: MP2(FC)/6-31+G(2d,p)//MPW1K/6-31+G(d); thermochemical corrections: MPW1K/6$31+G(d)$
${ }^{\mathrm{b}}$ For XKA calculations OMe group instead of OEt has been used
${ }^{\mathrm{c}}$ PCM calculation: RHF/6-31G(d) using UAHF radii and $\mathrm{CHCl}_{3}$ as the solvent to model
${ }^{\text {d }}$ Experimental study from Yinghao Liu. Conditions: RT, $\mathrm{CHCl}_{3}, 10 \mathrm{~mol} \%$ Lewis base; with symbol " + " or "-" a rough grade for a substrate is given, the more " + " signs a substrate has, the more reactive the substrate to respective catalyst is. The grade is giving relying on the experimental kinetic data.
${ }^{e}$ Complex of PDLB2 and cyclohexenone can exist in two diastereomeric variants.

In the case of the $\mathrm{PPh}_{3}$, the calculated affinity values are in accordance with experimental data, putting into the first place MVK (MA1), to the intermediate place - methyl acrylate (MA2), to the worst, third place - cyclohexenone (MA3). The structures of the optimized adducts are shown in Fig. 5.19.


$\mathrm{R}(\mathrm{O}-\mathrm{H})=3.055 \AA$
$R(P-C)=1.868 \AA$ $q($ ketone $)=-0.89 e$


$\mathrm{R}(\mathrm{O}-\mathrm{H})=3.303 \AA$
$\mathrm{R}(\mathrm{P}-\mathrm{C})=1.892 \AA$
$q($ ketone $)=-0.91 \mathrm{e}$
${ }^{a}$ Distance between oxygen atom of alkoxide function and the nearest hydrogen of one of the phenyl rings.
${ }^{\mathrm{b}}$ Distance between "accepting" carbon atom of ketone and "donating" $P$ atom of catalyst.
${ }^{c}$ The overall charge of the "ketone" moieties in the shown adducts at the NPA/MPW1K/6-31+G(d) level.

Fig 5.19. Structures of the most stable (in terms of $\Delta \mathrm{G}_{298, \mathrm{CHCl} 3}$ ) conformations of adducts between ketones MA1-3 and $\mathrm{PPh}_{3}$.

One can see dramatic differences between the adducts for these three ketones. In the case of cyclohexenone the important stabilizing hydrogen-bond between one of the phenyl rings and the ketone oxygen is absent due to structural properties of cyclohexenone. The structure of the cyclohexenone $/ \mathrm{PPh}_{3}$ adduct has been found to be similar to one of the unstable conformations ( Z isomer) for complexes of MVKA with $\mathrm{PPh}_{3}$, though in the case of MVKA formation of the hydrogen-bond in this conformation is still possible. As one can see from the Fig 5.19 the most stable conformation of methyl acrylate $/ \mathrm{PPh}_{3}$ in terms of $\mathrm{G}_{298, \text { СНС13 }}$ is also the Z -isomer (with OMe cis to $\mathrm{CH}_{2} \mathrm{PR}_{3}{ }^{+}$) as well as for cyclohexanone. There is only weak electrostatic interaction with the nearest hydrogen of a phenyl ring. This conformation is found to be 1.3 and $1.5 \mathrm{~kJ} \mathrm{~mol}^{-1}$ more stable than the E-isomers (in the gas phase the E-isomers are more stable) with hydrogen bonds structurally similar to the MVKA/ $\mathrm{PPh}_{3}$ adduct. As one can see from Fig. 5.19, the overall charges (NPA/MPW1K/6-31+G(d)) of the "ketone" moieties for adducts with $\mathrm{PPh}_{3}$ are quite significant: from -0.891 e (ethyl acrylate, MA2) to -0.960 e (MVK, MA1), this illustrates a substantial charge transfer from $\mathrm{PPh}_{3}$ to the ketones.

The experimental data show that in the case of PDLB2 the reaction runs in general faster (excepting substrate ethyl acrylate (MA2), which gives almost the same results for both catalysts), compared to $\mathrm{PPh}_{3}$. This fact is in accordance with calculated affinity values (Table
5.9). In contrast to $\mathrm{Ph}_{3} \mathrm{P}$, experiment puts the substrate MA3 on the second and substrate MA2 on the third position in the reactivity row. This doesn't appear so clear from the calculations of ketone affinities. The main reason for the position change of the substrates MA2 and MA3 for PDLB2 can be hidden not in the Michael addition, which is only reflected by these calculations, but in other steps of the aza-MBH process. Structurally the adducts between catalyst and substrate for PDLB2 (the structures are shown in Fig. 5.20) are quite similar to the $\mathrm{PPh}_{3}$ case, though for PDLB2 the systems are much more conformationally flexible, than for $\mathrm{PPh}_{3}$ due to the unsymmetrical geometry of PDLB2.




$\mathrm{R}(\mathrm{O}-\mathrm{H})=1.863 \mathrm{~A}^{\mathrm{a}}$
$\mathrm{R}(\mathrm{N}-\mathrm{C})=1.511 \AA^{\mathrm{b}}$
$q($ ketone $)=-0.54 \mathrm{e}$

$\mathrm{R}(\mathrm{O}-\mathrm{H})=1.974 \AA$
$\mathrm{R}(\mathrm{N}-\mathrm{C})=1.532 \AA$
$q($ ketone $)=-0.54 \mathrm{e}$

$\mathrm{R}(\mathrm{O}-\mathrm{H})=3.446 \AA^{\mathrm{d}}$
$\mathrm{R}(\mathrm{N}-\mathrm{C})=1.599 \AA$
$q($ ketone $)=-0.51 \mathrm{e}$
${ }^{a}$ Distance between oxygen atom of alkoxide function and the nearest hydrogen of pyridine ring
${ }^{\mathrm{b}}$ Distance between "accepting" carbon atom of ketone and "donating" N atom of catalyst
${ }^{\text {c }}$ The overall charge of the "ketone" moieties in the shown adducts at the NPA/MPW1K/631+G(d) level
${ }^{\mathrm{d}}$ It is shown the structure of the diastereomer with R-configurated carbon atom of cyclohexenone connected with pyridine N atom

Fig 5.20. Structures of the most stable (in terms of $\Delta G_{298, \mathrm{CHC1} 3}$ ) conformations of adducts between ketones MA1-3 and PDLB2.

The interactions between the nearest hydrogen atom (for PDLB2 this hydrogen is one of the pyridine ring hydrogens) and ketone are similarly to $\mathrm{PPh}_{3}$ very important. For PDLB2 these interactions can be stronger as compared to $\mathrm{PPh}_{3}$ because the distance between ketone and catalyst (distance between "accepting" carbon atom of ketone and "donating" phosphorus $\left(\mathrm{PPh}_{3}\right)$ or nitrogen (PDLB2) atom of catalyst) is getting substantially smaller for the PDLB2 as it is shown in Fig. 5.19 and Fig. 5.20. Thus in general, for PDLB2 the magnitude of the interaction between ketone and catalyst is expected to be bigger than for $\mathrm{PPh}_{3}$, and it correlates with the bigger affinity of PDLB2 to all studied substrates as compared to $\mathrm{PPh}_{3}$ which is in accordance with experimental evidence of bigger efficiency of PDLB2. As it is shown in Fig. 5.20, the overall charges (NPA/MPW1K/6-31+G(d)) of the "ketone" moieties for adducts with PDLB2 are moderate: from -0.509 e (2-cyclohexenone MA3) to -0.544 e (MVK (MA1)). These values are significantly smaller as compared to the adduct with $\mathrm{PPh}_{3}$, showing that charge-transfer from catalyst to ketone in the case of PDLB2 is less significant than it is found for $\mathrm{PPh}_{3}$. This difference between nitrogen and phosphorus based zwitterionic species is in accordance with a recent study where $\mathrm{PMe}_{3}$ and $\mathrm{NMe}_{3}$ complexes with methylvinylketone have been analyzed. ${ }^{[3 c]}$

Fig. 5.21 shows the dependence of XKA4 $\left(\mathrm{G}_{298, \mathrm{CHCl} 3}, \mathrm{~kJ} / \mathrm{mol}\right)$ on the studied substrate. The line of $\mathrm{PPh}_{3}$ is in accordance with the experiment showing that MVK is the best substrate, the second one is ethyl acrylate and the worst one is the 2-cyclohexenone. The line of PDLB2 shows a higher activity (XKA4 value is smaller) towards MVK and significantly much higher activity towards 2 -cyclohexenone as compared to $\mathrm{PPh}_{3}$. These results of the calculations are also in complete accordance with experimental evidence. One can see from the Fig. 5.21 that for PDLB2 the difference between substrates MA2 and MA3 is smaller:
$\triangle$ XKA4(PDLB2,MA3-MA2) $=$ XKA4(PDLB2,MA3) - XKA4(PDLB2,MA2) $=100.9-$ $85.2=15.7\left(\mathrm{~kJ} \mathrm{~mol}^{-1}\right)$
as compared to the difference between substrate MA1 and MA2:
$\Delta$ XKA4(PDLB2,MA2-MA1 $)=$ XKA4(PDLB2,MA2 $)-$ XKA4 $(\mathbf{P D L B 2 , M A 1})=85.2-64.6$ $=20.6\left(\mathrm{~kJ} \mathrm{~mol}^{-1}\right)$,
while for $\mathrm{PPh}_{3}$ the trend is inversed: $\triangle \mathrm{XKA} 4\left(\mathrm{PPh}_{3}, \mathrm{MA} 3-\mathrm{MA2}\right)=27.6 \mathrm{~kJ} \mathrm{~mol}^{-1}$ and $\Delta \mathrm{XKA} 4\left(\mathrm{PPh}_{3}, \mathbf{M A 2}-\mathrm{MA1}\right)=24.3 \mathrm{~kJ} \mathrm{~mol}^{-1}$. This is illustrated on the Fig. 5.11 by the concave
character of the function for PDLB2 and convex - for $\mathrm{PPh}_{3}$. The change of the character of "XKA(substrate)" dependence seems to correlate with the fact of the total loss of activity for substrate $\mathbf{3}$ in reaction with $\mathrm{Ph}_{3} \mathrm{P}$ and its validity for PDLB2.


Fig 5.21. XKA4 $\left(\mathrm{G}_{298, \mathrm{CHCl},} \mathrm{kJ} \mathrm{mol}^{-1}\right)$ vs. Michael acceptor.

### 5.5. Conclusions

- The MCA calculations have been performed for a series of phosphanes, including subfamilies such as cyclophane substituted phosphanes. The obtained MCA values can be used as a guideline for optimization of phosphane-catalyzed organocatalytic transformations, e.g. MBH reaction.
- A new descriptor of catalytic activity is suggested for the MBH reaction: XKA ("X"ketone affinity) - affinity of catalyst to MBH-substrate ("X"-ketone). The XKA and its particular case MVKA (Methyl Vinyl Ketone Affinity) work well for a rough estimate of the efficiency for selected combinations of catalyst/substrate.


### 5.6. References

[1] D. Cantillo, C. O. Kappe, J. Org. Chem 2010, 75, 8615-8626.
[2] Y. Wei, PhD thesis, Ludwig-Maximilians-Universität München (München), 2008.
[3] a) Y. Wei, G. N. Sastry, H. Zipse, J. Am. Chem. Soc. 2008, 130, 3473; b) Y. Wei, T. Singer, H. Mayr, G. N. Sastry, H. Zipse, J. Comput. Chem. 2008, 29, 291-297; c) Y. Wei, B. Sateesh, B. Maryasin, G. N. Sastry, H. Zipse, J. Comput. Chem. 2009, 2617 2624.
[4] J. W. Ponder, TINKER 4.2 ed., 2004.
a) N. L. Allinger, Y. H. Yuh, J.-H. Lii, J. Am. Chem. Soc. 1989, 111, 8551-8556; b) J.H. Lii, N. L. Allinger, J. Am. Chem. Soc. 1989, 111, 8566-8575; c) J.-H. Lii, N. L. Allinger, J. Am. Chem. Soc. 1989, 111, 8576-8582; d) N. L. Allinger, H. J. Geise, W. Pyckhout, L. A. Paquette, J. C. Gallucci, J. Am. Chem. Soc. 1989, 111, 1106-1114; e) N. L. Allinger, F. Li, L. Yan, J. Comput. Chem. 1990, 11, 848-867; f) N. L. Allinger, F. Li, L. Yan, J. C. Tai, J. Comput. Chem 1990, 11, 868-895; g) J.-H. Lii, N. L. Allinger, J. Phys. Org. Chem 1994, 7, 591-609; h) J.-H. Lii, N. L. Allinger, J. Comput. Chem 1998, 19, 1001-1016.
[6] S. Oesterling, Forschungspraktikum thesis, Ludwig-Maximilians-Universität München (München), 2009.
[7] MacroModel 9.7 ed., Schrödinger, LLC, New York, 2009.
[8] C. Lindner, B. Maryasin, F. Richter, H. Zipse, J. Phys. Org. Chem 2010, 23, 10361042.
[9] J. F. Schneider, F. C. Falk, R. Fröhlich, J. Paradies, Eur. J. Org. Chem. 2010, 22652269.
[10] Y. Liu, PhD thesis, Ludwig-Maximilians-Universität München (München), 2011.
[11] K. C. Kumara Swamy, N. Satish Kumar, Acc. Chem. Res. 2005, 39, 324-333.
[12] a) S. Kumaraswamy, C. Muthiah, K. C. Kumara Swamy, J. Am. Chem. Soc. 2000, 122, 964-965; b) S. Naya, M. Nitta, J. Chem. Soc., Perkin Trans. 2 2002, 1017-1023.
[13] A. Chandrasekaran, N. V. Timosheva, R. O. Day, R. R. Holmes, Inorg. Chem. 2003, 42, 3285-3292.
[14] a) I. Held, S. Xu, H. Zipse, Synthesis 2007, 1185-1196; b) I. Held, E. Larionov, C. Bozler, W. F., H. Zipse, Synthesis 2009, 2267-2277.

## 6. The Frustratedness of Lewis acid - Lewis Base Pairs

### 6.1. Introduction

It has recently been found that sterically hindered Lewis acid - Lewis base pairs ("frustrated Lewis pairs", FLP) can activate small unfunctionalized molecules such as $\mathrm{H}_{2}$ in a kinetically competent manner, thus opening a new avenue into hydrogenation catalysis. ${ }^{[1]}$ An example is shown in Scheme 6.1, where Lewis pair $\mathbf{1 \bullet 2}$ composed of $\mathrm{P}(t \mathrm{Bu})_{3}(\mathbf{1})$ and $\mathrm{B}\left(\mathrm{C}_{6} \mathrm{~F}_{5}\right)_{3}$ (2) splits dihydrogen heterolytically to form phosphonium cation 3 and borohydride 4. ${ }^{[1 \mathrm{c}, 2]}$


Scheme 6.1. Activation of dihydrogen $\mathrm{H}_{2}$ through reaction with frustrated Lewis pair $\mathbf{1 \bullet 2}$.

The surprising ability of these transition metal-free systems to activate small molecules has been traced back to steric strain present in the Lewis acid - Lewis base complexes, whose release on reaction with, for example, $\mathrm{H}_{2}$ greatly improves the otherwise unfavourable dissociation to $\mathrm{H}^{+}$and $\mathrm{H}^{-}$. In a qualitative sense the strain present in these sterically hindered complexes is a consequence of not allowing the Lewis acidic and Lewis basic centers to come into full contact. For the systematic development of new catalytically active FLP systems it would seem desirable to define the degree of "frustratedness" in a quantitative manner. The first step in building a strategy for the quantification of the degree of Lewis pair frustration is the identification of a theoretical methodology for the accurate treatment of Lewis pairs.

Generalization of the reaction shown in Scheme 6.1 to substituted phosphines a and boranes bleads to the reaction (A) shown in Scheme 6.2. The reaction energy for this transformation $E_{\mathrm{ab}}$ can be compared to that for the same process in the completely unbiased system $\mathbf{c} \cdot \mathbf{d}$ composed of the smallest possible phosphine $\mathrm{PH}_{3}(\mathbf{c})$ and $\mathrm{BH}_{3}(\mathbf{d})$. The degree of frustratedness of Lewis pair $\mathbf{a} \bullet \mathbf{b}$ may be calculated from the difference in the reaction energies of the biased and the unbiased systems, but such an approach would neglect the electronic influence of the substituents $R^{1}$ and $R^{2}$ on the Lewis basicity of $P\left(R^{1}\right)_{3}$ and Lewis acidity of $\mathrm{B}\left(\mathrm{R}^{2}\right)_{3}$. The electronic influence of $\mathrm{R}^{2}$ on borane acidity can be assessed by comparing the reaction energy $E_{\mathrm{cb}}$ for model reaction (C) with that of the unbiased reference system (B). Equally, the effect of $\mathrm{R}^{1}$ on phosphane basicity can be expressed as the difference
between reaction energy $E_{\text {ad }}$ for model reaction (D) with that of the unbiased reference reaction (B).


Scheme 6.2. Reference reactions for the quantitative definition of "frustration energy" $E_{\text {FLP }}$.

With these definitions the frustration energy $E_{\mathrm{FLP}}$ can quantitatively be expressed as given in eqn. (6.2).
$E_{\mathrm{FLP}}=E_{\mathrm{cd}}+\left(E_{\mathrm{cb}}-E_{\mathrm{cd}}\right)+\left(E_{\mathrm{ad}}-E_{\mathrm{cd}}\right)-E_{\mathrm{ab}}=E_{\mathrm{cb}}+E_{\mathrm{ad}}-E_{\mathrm{cd}}-E_{\mathrm{ab}}$

Closer inspection of the systems involved in the calculation of the reaction energies in eqn. (6.2) reveals that several energy terms will cancel in the evaluation of $E_{\text {FLP }}$ (that of $E\left(\mathrm{H}_{2}\right)$, $E_{\mathrm{aH}}, E_{\mathrm{bH}}, E_{\mathrm{cH}}$, and $E_{\mathrm{dH}}$ ). Further analysis shows that the definition of $\mathrm{E}_{\mathrm{FLP}}$ given in eqn. (6.2) is exactly identical to the reaction energy for the exchange reaction between two Lewis pairs $\mathbf{a} \bullet \mathbf{b}$ and $\mathbf{c} \bullet \mathbf{d}$ as shown in Scheme 6.3.

$$
\begin{aligned}
& \mathbf{a} \cdot \mathbf{b} \\
& \text { c•d } \\
& \mathbf{c} \cdot \mathbf{b}
\end{aligned}
$$

Scheme 6.3. Exchange reaction between Lewis pairs $\mathbf{a} \bullet b$ and $\mathbf{c} \bullet \mathbf{d}$.

In contrast to the reference reactions (A) - (D) shown in Scheme 6.2 involving heterolytic splitting of $\mathrm{H}_{2}$, exchange reaction (E) makes no reference to a specific substrate activation reaction and is thus a much more general definition of the frustration energy $\mathrm{E}_{\mathrm{FLP}}$ in Lewis pair $\mathbf{a} \cdot \mathbf{b}$.

### 6.2. Results and Discussion

Initial studies have been performed for selected small systems, for which experimental or high-level theoretical data are available (Scheme 6.4).

$$
\mathrm{H}_{3} \mathrm{P}-\mathrm{BH}_{3} \quad \mathrm{Me}_{3} \mathrm{P}-\mathrm{BH}_{3} \quad \mathrm{H}_{3} \mathrm{P}-\mathrm{BMe}_{3} \quad \mathrm{Me}_{3} \mathrm{P}-\mathrm{BMe}_{3} \quad \mathrm{H}_{3} \mathrm{P}-\mathrm{BF}_{3} \quad \mathrm{Me}_{3} \mathrm{P}-\mathrm{BF}_{3}
$$

Scheme 6.4 Small Lewis base - Lewis acid pairs.

### 6.2.1. Geometry Optimization

In order to identify a reliable approach for geometry optimization we have compared seven methods (Table 6.1). Five of them are within DFT and two -ab initio in the variant of MP2 with and without FC approximation. First objective is the determination of a relatively cheap approach, which could be applicable farther for real-life FLP systems. Therefore we have consciously limited us to use as possible small basis sets. Thus we have checked 6$31 \mathrm{G}(\mathrm{d})$ and $6-31+\mathrm{G}(\mathrm{d})$ with different DFT functionals and aug-cc-pVDZ with MP2. Fig. 6.1 presents a cumulative picture of the geometry optimization results, showing mean absolute deviation relative to experimental values (MAD $=1 / n \Sigma\left|\mathrm{r}_{\text {exp }}-\mathrm{r}_{\text {calc }}\right|$ ) in bond length ( $r$ ) for several sets of P-B bonds. Table 6.1 collects all found values together with complexation enthalpies found at the respective level of theory.

Table 6.1. Enthalpies $\left(\Delta H_{298}, \mathrm{~kJ} \mathrm{~mol}^{-1}\right)$ of formation reactions of Lewis pairs from phosphines and boranes and P-B Bond length ( $\AA$ ) at different levels of theory.

| Method | $\mathrm{PH}_{3} \mathrm{BH}_{3}$ |  | $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ |  | $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ |  | $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ |  | $\mathrm{PH}_{3} \mathrm{BF}_{3}{ }^{\text {a }}$ |  |  |  | $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\Delta H$ | $r$ (B-P) | $\Delta H$ | $r$ (B-P) | $\Delta H$ | $r$ (B-P) | $\Delta H$ | $r$ (B-P) | $\Delta H$ | $r$ (B-P) | $\Delta H$ | $r$ (B-P) | $\Delta H$ | $r$ (B-P) |
| 1)B3LYP/6-31G(d) | -75.9 | 1.960 | -122.6 | 1.934 | 19.3 | 2.134 | -14.3 | 2.024 | NM | $\sim 2.0$ | -5.0 | 3.166 | -44.8 | 2.097 |
| 2)B98/6-31G(d) | -85.3 | 1.966 | -142.8 | 1.940 | 7.1 | 2.114 | -39.5 | 2.027 | NM | $\sim 2.0$ | -8.1 | 3.137 | -49.2 | 2.109 |
| 3)MPW $1 \mathrm{~K} / 6-31 \mathrm{G}(\mathrm{d})$ | -97.2 | 1.936 | -159.9 | 1.913 | -2.4 | 2.047 | -53.7 | 1.986 | NM | $\sim 2.0$ | -7.7 | 3.040 | -61.9 | 2.060 |
| 4)MPW1K/6-31+G(d) | -97.9 | 1.937 | -159.9 | 1.914 | -4.0 | 2.043 | -53.3 | 1.988 | -8.1 | 2.292 | -7.8 | 2.883 | -70.5 | 2.055 |
| 5)MP2(FC)/aug-cc-pVDZ | -85.6 | 1.964 | -152.7 | 1.934 | -22.6 | 2.054 | -94.6 | 1.984 | -8.8 | 2.262 | -12.1 | 3.041 | -80.5 | 2.041 |
| 6)MP2(FULL)/aug-cc-pVDZ | -89.6 | 1.958 | -157.7 | 1.929 | -27.6 | 2.043 | -101.6 | 1.977 | -11.5 | 2.237 | -13.9 | 3.000 | -84.9 | 2.034 |
| 7)B97-D/6-31G(d) | -78.5 | 1.967 | -141.3 | 1.938 | 5.2 | 2.106 | -57.1 | 1.993 | NM | $\sim 2.0$ | $\mathrm{NM}^{\text {b }}$ | $\sim 3.0^{\text {b }}$ | -51.7 | 2.099 |
| 8)G3MPW1K(+) |  |  |  |  |  |  |  |  | +2.4 | 2.292 | -9.9 | 2.883 |  |  |
| Expt. | - | $1.937^{[3]}$ | $-334.0{ }^{[4]}$ | $1.901{ }^{[3]}$ | - | - | $-171.4^{[4]}$ | - | - | $1.921^{[5]}$ | - | - | $\begin{aligned} & -190.2^{[4]} \\ & -79.0^{[6]} \end{aligned}$ | - |


${ }^{\text {a }}$ For this system at MP2(FC)/aug-cc-pVDZ, MP2(FC)/aug-cc-pVDZ and MPW1K/6-31+G(d) levels two minima are located (at around $2 \AA$ And the second one at around $3 \AA$ ), all the methods have been tried to locate both minima, if the methods fails, then it stays in the table NM (no minimum) in the $\Delta H$ cell and in the adjacent $r(\mathrm{~B}-\mathrm{P})$ cell the minimum type $(\sim 2.0 \AA$ or $\sim 3.0 \AA$ ) is pointed.
${ }^{\mathrm{b}}$ at $\mathrm{B} 97-\mathrm{D} / 6-31+\mathrm{G}(\mathrm{d})$ level the minimum $\mathrm{r}(\mathrm{B}-\mathrm{P})=3.237$ is found.
${ }^{\text {c }}$ ZPE corrected.
${ }^{\mathrm{d}}$ The calculated data are lacking the information about thermal corrections.


Fig. 6.1 Mean absolute deviation relative to experimental values ( $\AA$ ) of the calculated P-B bond length (for systems: $\mathrm{PH}_{3} \mathrm{BH}_{3}, \mathrm{PMe}_{3} \mathrm{BH}_{3}$ and $\mathrm{PH}_{3} \mathrm{BF}_{3}$ ).

All systems in Scheme 6.4 are found to be $C_{3 \mathrm{v}}$ symmetric by all methods selected here, with the only exception of $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ showing $C_{3}$ symmetry after optimization with MP2(FC)/aug-ccpVDZ and MP2(FULL)/aug-cc-pVDZ) due to the increasing of dihedral angle $d$ (C'PBC'’) (Fig. 6.2) value from $60.0\left(C_{3 v}\right)$ to $68.0\left(C_{3}\right)$. Frenking et al. have studied the geometries and bond dissociation energies of the main group complexes $\mathrm{X}_{3} \mathrm{~B}-\mathrm{PX} \mathrm{X}_{3}(\mathrm{X}=\mathrm{H}, \mathrm{Me}, \mathrm{Cl})$ using gradientcorrected functional theory at the BP86/TZ2P level ${ }^{[8]}$. The calculations of Frenking et al. are in accordance with our DFT results and suggest $C_{3 \mathrm{v}}$ for $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$.


Fig. 6.2. The $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ conformations presented by Newman projections.

For the geometry of $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ we have performed additional calculations at MP2(FC) level of theory using different basis sets: $6-31 \mathrm{G}(\mathrm{d}), 6-31 \mathrm{G}(\mathrm{d}, \mathrm{p})$ and $6-311++\mathrm{G}(3 \mathrm{df}, 2 \mathrm{p})$ and with one of the DFT functionals using aug-cc-pVDZ basis set (B98/aug-cc-pVDZ). All these calculations yield a minimum with $C_{3 \mathrm{v}}$ geometry, which we subsequently assume to be the correct structure.

It is clear to see from Fig. 6.1 that the best (smallest MAD) results are obtained at MPW1K/6-31+G(d) and both MP2 levels of theory. The other DFT approaches (B3LYP/6-31G(d), B98/6-31G(d), MPW1K/6-31G(d) and B97-D/6-31G(d)) are clearly inferior. From the DFT functionals using the $6-31 \mathrm{G}(\mathrm{d})$ basis set, the best one is MPW1K. The big improvement in the quality of the geometry optimization results corresponds to addition of the diffuse function to the basis set. The geometry, which is changed the most dramatically with the switch to $6-31+G(d)$ basis set, corresponds to the $\mathrm{PH}_{3} \mathrm{BF}_{3}$ Lewis pair. It is obvious after comparison with the experimental result, that the $6-31 \mathrm{G}(\mathrm{d})$ basis set underestimates the $\mathrm{P}-\mathrm{B}$ interaction in the $\mathrm{PH}_{3} \mathrm{BF}_{3}$ molecule. To evaluate the effect of the further basis set complication on the length of P -B length in the $\mathrm{PH}_{3} \mathrm{BF}_{3}$ complex, we performed geometry optimization at MPW1K/6-311++G(d,p) level, that led to P-B length equal $2.267 \AA$ (vide Table 6.2). Change to the much more complicated basis set 6 $311++G(d, p)$ does not improve the result significantly, though the cost of the calculation is strongly increased.

Table 6.2. The influence of basis set on the P-B bond length $(\AA)$ in $\mathrm{PH}_{3} \mathrm{BF}_{3}$.

| Method | $r_{\text {calc }}(\mathrm{P}-\mathrm{B})-r_{\text {exp }}(\mathrm{P}-\mathrm{B}), \AA$ |
| :--- | ---: |
| MPW1K/6-31G(d) | 1.119 |
| MPW1K6-31+G(d) | 0.371 |
| MPW1K/6-311++G(d,p) | 0.346 |

In order to rationalize the large changes observed for the B-P distance in Lewis pair $\mathrm{PH}_{3} \mathrm{BF}_{3}$ as a function of basis set, a relaxed potential energy scan was performed for this system at MPW1K/6-31+G(d) level from $r(P-B)=2.0 \AA$ to $3.5 \AA$ (Fig 6.3). From Fig. 6.3 one can clearly see two minima which are energetically almost equal: $r(\mathrm{P}-\mathrm{B})=2.29 \AA$ - the global minimum and $r(\mathrm{P}-$ B) $=2.88 \AA$ - the second one, which is only $0.16 \mathrm{~kJ} \mathrm{~mol}^{-1}$ less stable. The transition state between the minima corresponds to $r(\mathrm{P}-\mathrm{B})=2.56 \AA$ and locates $0.51 \mathrm{~kJ} \mathrm{~mol}^{-1}$ higher than the global minimum.


Fig. 6.3 Potential energy curve for the interaction of $\mathrm{PH}_{3}$ with $\mathrm{BF}_{3}$ computed at MPW1K/6$31+G(d)$ level.

Literature analysis has shown that either one or the other minimum was constantly ignored by computational studies. ${ }^{[7, ~ 9, ~ 11-12]}$ In 1988 Hirota, Miyata and Shibata have studied $\mathrm{PH}_{3} \mathrm{BF}_{3}$ complex by ab initio SCF MO theory, applying the 3-21G basis set. ${ }^{[9]}$ Only the first minimum has been located at $r(\mathrm{P}-\mathrm{B})=2.185 \AA$ with $-41.4 \mathrm{~kJ} \mathrm{~mol}^{-1}$ formation energy (thermal corrections are not discussed). In 1991 Ahlrichs, Bär, Häser and Sattler have reinvestigated the $\mathrm{PH}_{3} \mathrm{BF}_{3}$ by SCF and MP2 involving TZP basis set ${ }^{[12]}$ and, on the contrary, have found only a weak complex with a P-B distance of $3.495 \AA$ (SCF) and $3.220 \AA$ (MP2). The corresponding formation energies (no thermal corrections) have been -8.0 and $-12.7 \mathrm{~kJ} \mathrm{~mol}^{-1}$. In 1998 Anane, Boutalib, Nebot-Gil and F. Tomás have applied G2(MP2) scheme to the $\mathrm{PH}_{3} \mathrm{BF}_{3}$ system. ${ }^{[7]}$ Thus for the geometries the MP2(FULL)/6$31 \mathrm{G}(\mathrm{d})$ level has been used. And again only a weak complex at $\mathrm{r}(\mathrm{P}-\mathrm{B})=3.089 \AA$ has been found. The ZPE corrected formation energy at G2(MP2) level amounts to $-12.4 \mathrm{~kJ} \mathrm{~mol}^{-1}$. Finally, in 2008 Ford has analyzed the $\mathrm{PH}_{3} \mathrm{BF}_{3}$ system by MP2(FC)/6-311++G(d,p) calculations. ${ }^{[11]}$ The author has located only the complex at $r(\mathrm{P}-\mathrm{B})=3.075 \AA$ with $-1.8 \mathrm{~kJ} \mathrm{~mol}^{-1}$ enthalpy of formation. However, the experimental data published in 1975 by Odom, Kalasinsky and Durig point vice versa only to the first complex with $r(\mathrm{P}-\mathrm{B})=1.921 \AA^{[5]}$ (found via observed moments of inertia). And in all mentioned computational studies, the authors compare their observations with this experimental value, and the discrepancy was unclear. This discrepancy has encouraged us to go forward with additional energy vs. geometry scan-calculations and to apply $a b$ initio theory in the variant of MP2(FC)/6-311++G(d,p). This method has been used in the most novel published computational study of the $\mathrm{PH}_{3} \mathrm{BF}_{3}$ molecule made by Ford. ${ }^{[11]}$ The resulting plot is shown in Fig. 6.4


Fig. 6.4 Potential energy curves for the interaction of $\mathrm{PH}_{3}$ with $\mathrm{BF}_{3}$ computed at MP2(FC)/6$311++G(d, p)$ level.

Both minima have again been found at this level, and though structurally the minima are close to the DFT optimized geometries ( $2.3 \AA$ and $3.08 \AA$ ), they are significantly different energetically and, on the contrary to the DFT calculations, the second minimum is $4.41 \mathrm{~kJ} \mathrm{~mol}^{-1}$ more stable than the first one. The $r(\mathrm{~B}-\mathrm{P})$ distance $(3.08 \AA)$ of the global minimum is in accordance with the result of Ford. ${ }^{[11]}$ The transition state is very close to the first minimum with $r(\mathrm{~B}-\mathrm{P})=2.38 \AA$. In order to clarify the electronic structure of the both minima we have performed NBO analysis at MPW1K/6$31+G(d)$ level. Table 6.2 collects the important molecular orbitals and natural orbitals together with geometrical parameters. In the first minimum a sigma P-B bond is formed by the $\mathrm{sp}^{2.19}$ orbital of phosphorus and $\mathrm{sp}^{6.09}$ of boron atom. Corresponding natural orbital constitutes the HOMO (MO 25 with energy of -0.370939 a.u.). The respective antibonding orbital contributes in unoccupied MO 29 (+0.041331 a.u.). The formation of the sigma bond corresponds to significant change of the geometries for both phosphane and trifluoroborane moieties turning into the adduct from isolated molecules - the planar molecule of trifluoroborane is pyramidalized by $35.22^{\circ}$ (vide Table 6.2). The second complex is formed by $64.1 \mathrm{~kJ} \mathrm{~mol}^{-1}$ strong donor-acceptor interaction between donating lone pair orbital localized on phosphorus ( $\mathrm{sp}^{0.99}$ ), which constitutes the HOMO (MO 25 with energy of -0.343258 a.u.), with accepting antibonding (p) orbital localized on boron. No covalent P-B bond present for this minimum. Existence of almost pure p orbital on the boron atom is in accordance with a nearly planar of trifluoroborane moiety.

Table 6.2 Formation of chemical bonding between $\mathrm{PH}_{3}$ and $\mathrm{BF}_{3}$ in both possible minima.


[^2]The system has been enlarged by changing the $\mathrm{H}-\mathrm{P}$ bonds into $\mathrm{C}-\mathrm{P}$ and check whether both minima still can be found, and the $\mathrm{PMe}_{3} \mathrm{~B}\left(\mathrm{CF}_{3}\right)_{3}$ complex has been examined by analogous scan-calculation. For that system only one, strongly bound complex has been determined - the result of the scanning is shown in Fig.6.5


Fig. 6.5 Potential energy curve for the interaction of $\mathrm{PMe}_{3}$ with $\mathrm{B}\left(\mathrm{CF}_{3}\right)_{3}$ computed at MPW1K/6$31+G(d)$ level.

Obviously this interesting property to exhibit more than one minimum on the potential energy surface depends on the system and does not appear as a general character of the Lewis pairs. Though for phosphorus/boron Lewis pairs the literature data seem to be scarce, a similar situation with two minima has been recently published for nitrogen/boron frustrated Lewis pairs, where M05-2X/6-311++G(d,p)//M05-2X/6-31G(d) theory has been applied ${ }^{[13]}$ and for small nitrogen/boron Lewis pair $\mathrm{CH}_{3} \mathrm{CN}^{-\mathrm{BF}_{3}}$ using MP2, B3LYP and BWP91 methods with basis sets ranging from STO-3G to aug-cc-pVQZ. ${ }^{[14]}$ These studies in combination with the present work show clearly the necessity to have a reliable approach of the geometry optimization for Lewis pair and FLP computations. The approach must be able to treat also complicated cases of multiple minima on the potential energy surfaces. This is a challenge taking into account the importance to have not only reliable but also cheap method suitable for large systems.

The MPW1K/6-31+G(d) geometry optimization approach suggested here seems to be satisfactory for phosphorus/boron Lewis pairs. It has shown low MAD from experimental data almost equal to MP2. Moreover, it can equally to MP2 locate both possible minima in the $\mathrm{H}_{3} \mathrm{PBF}_{3}$ system.

### 6.2.2. Energies

Unfortunately literature data about experimentally measured formation energies of the complexes in study are scarce (as well as only few examples of experimental geometries). The known energies and geometries are collected together with calculations in Table 6.1. From the calculations we present in Table 6.1 the MP2(FULL)/aug-cc-pVDZ is the highest hierarchy approach, thus it seems to be reasonable to discuss it in more detail. In Fig. 6.6 the MP2(FULL)/aug-cc-pVDZ formation enthalpies vs. P-B distances for 6 studied systems are presented.


Fig. 6.6 Enthalpies of formation reactions vs. P-B length for all systems in Table 6.1 obtained at MP2(FULL)/aug-cc-pVDZ.

One can see that the formation energies and lengths of P-B bonds coincide and the absolute enthalpy values are increasing, while the distances become shorter. On the whole, complexes of $\mathrm{PMe}_{3}$ are stronger bonded as compared to $\mathrm{PH}_{3}$. The latter seems to correlate with the fact of electron donation effect of the methyl groups. Two curves in Fig. 6.6 show two families of the Lewis pairs. One of them is formed by $\mathrm{PMe}_{3}$ and another - by $\mathrm{PH}_{3}$. In each of the family formation energies and the distances are in good accordance. However, the question about energies as compared to distances for the borane complexes is difficult and not always understandable, thus Frenking et al. have studied borane-phosphane complexes of $\mathrm{X}_{3} \mathrm{~B}-\mathrm{PY}_{3}(\mathrm{X}=\mathrm{H}, \mathrm{F}, \mathrm{Cl} ; \mathrm{Y}=\mathrm{F}, \mathrm{Cl}$, $\mathrm{Me}, \mathrm{CN}$ ) by ab initio calculations at MP2/6-311+G(2d)//MP2/6-31G(d) and DFT at BP86/TZP and it has been found, that for comparison of these systems "there is no correlation between bond length and bond strength". It has been suggested (hypothetically), that the reason is hybridization of the donor lone-pair orbital. "A higher \%s character makes a sp ${ }^{\mathrm{n}}$ hybridized donor-orbital more compact which leads to shorter bonds, but at the same time the orbital becomes lower in energy." ${ }^{[10]}$ It is
necessary to emphasize, that all results shown in this chapter are lack of BSSE corrections. The calculations of Lewis pairs and FLP taking into account BSSE effect are on-going.

Grimme et al. ${ }^{[1 c]}$ have performed quite extensive benchmarking calculations for $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ system to find out an example of well described reaction energy of Lewis pair formation. Results of this study are compared with our methods screening and collected together in Fig. 6.6 and Table 6.3 (1-4 methods). The reaction energies (for our calculations we show both - relative enthalpies and relative total energies) are calculated for reaction (6.3) shown in Scheme 6.4.


Scheme 6.4. Reaction of formation Lewis pair from trimethyl phosphine and trifluoroborane.

In addition to our results and results of Grimme et al. we have also added to the Fig. 6.6 and Table 6.3 experimental complexation enthalpy of reaction (6.3). In the literature one can find two different values of experimentally measured (gas phase calorimetry) complexation enthalpy of the reaction (6.3) - one of them, that we use, is $-79 \mathrm{~kJ} \mathrm{~mol}^{-1}$ from $\mathrm{Brown}^{[6]}$, and another one equal to -190.2 kJ $\mathrm{mol}^{-1}$ comes from Mente and Mills. ${ }^{[4]}$ The latter is totally out of the computational results area and in previous study by Frenking et al. has been already mentioned to be probably mistaken. ${ }^{[10]}$


Fig. 6.6. Reaction (6.3) energies obtained at different levels of theory (presented using total energies and enthalpies at 298K).

Table 6.3 Reaction (6.3) energies obtained at different levels of theory (presented using total energies and enthalpies at 298K).

|  | Method | $\begin{gathered} \Delta E_{\mathrm{tot}} \\ \mathrm{~kJ} \mathrm{~mol}^{-1} \end{gathered}$ | $\begin{gathered} \Delta H_{298}, \\ \mathrm{~kJ} \mathrm{~mol}^{-1} \end{gathered}$ |
| :---: | :---: | :---: | :---: |
| 1 | B97-D/def2-QZVPP//B97-D/TZVPP(TZVP) ${ }^{[1 \mathrm{cc}]}$ | -56.1 | 0.0 |
| 2 | MP2/CBS [for CBS: cc-pVTZ--cc-pVQZ]//B97-D/TZVPP(TZVP) ${ }^{[1 c]}$ | -64.9 | 0.0 |
| 3 | SCS-MP2/CBS [for CBS: cc-pVTZ--cc-pVQZ]//B97-D/TZVPP(TZVP) ${ }^{[1 c]}$ | -56.9 | 0.0 |
| 4 | $\operatorname{CCSD}(\mathrm{T}) / \mathrm{CBS}$ [for CBS: cc-pVTZ--cc-pVQZ]//B97-D/TZVPP(TZVP) ${ }^{[1 \mathrm{cc}]}$ | -61.1 | 0.0 |
| 5 | B3LYP/6-31G(d) | -49.2 | -44.8 |
| 6 | B98/6-31G(d) | -53.8 | -49.2 |
| 7 | MPW1K/6-31G(d) | -66.3 | -61.9 |
| 8 | MPW1K/6-31+G(d) | -74.9 | -70.5 |
| 9 | B97-D/6-31G(d) | -56.4 | -51.7 |
| 10 | B2K-PLYP/G3MP2large//MPW1K/6-31+g(d) ${ }^{[15]}$ | -65.0 | -60.6 |
| 11 | B2-PLYP-FLP(c=0.65)/G3MP2large//MPW1K/6-31+G(d) ${ }^{\text {a }}$ | -75.2 | -70.8 |
| 12 | MP2(FC)/aug-cc-pVDZ | -85.2 | -80.5 |
| 13 | MP2(FULL)/aug-cc-pVDZ | -89.8 | -84.9 |
| 14 | MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) | -71.1 | -66.7 |
| 15 | MP2(FC)/6-31+G(2d,p)//MPW1K/6-31+G(d) | -71.9 | -67.4 |
| 16 | MP2(FC)/6-31+G(2d,p)//B98/6-31G(d) | -70.0 | -65.5 |
| 17 | MP2(FC)/6-31+G(2d,p)//B97-D/6-31G(d) | -71.5 | -66.9 |
| 18 | MP2(FC)/G3MP2large//MPW1K/6-31+G(d) | -69.0 | -64.6 |
| 19 | MP2(FC)/G3large//MPW1K/6-31+G(d) | -69.1 | -64.6 |
| 20 | G3B3 | -69.4 | -65.0 |
| 21 | G3MPW1K(+) ${ }^{[16]}$ | -70.0 | -65.6 |
| 22 | Experiment ${ }^{[6]}$ |  | -79.0 |

[^3]FC approximation) are inferior. Probably the reason is hidden in already mentioned (on the example of $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ ) mistakes of these approaches for geometry optimization. From DFT approaches the MPW1K/6-31+G(d) gives a surprisingly good result as compared to experiment, all other tested DFT variants fail. Latter coincides with their abilities in geometry optimization of studied small Lewis pairs. Results close to benchmarking approaches are obtained with B2K-PLYP ${ }^{[15]}$ and B2K-PLYP-FLP (B2K-PLYP with enlarged contribution of correlation energy derived from secondorder perturbation energy calculation $\mathrm{c}=0.65$ ) schemes using geometries from MPW1K/6$31+\mathrm{G}(\mathrm{d})$. Very similar values to benchmarking calculations are shown by MP2(FC)/G3MP2large//MPW1K/6-31+G(d) or MP2(FC)/G3large//MPW1K/6-31+G(d). These two approaches we consider to be the best for several reasons:

1. The geometry optimization approach is shown to be the best.
2. The energy value obtained for model transformation is in good (and the best among all tested approaches) agreement with benchmarking G3-like schemes as well as with experimental data.
3. Producing results close to values from benchmarking approaches for the model transformation, these methods are substantially cheaper.

As the next step the frustration energies for reactions (6.4) and (6.5) (Scheme 6.5) have been calculated using the set of the methods we used before, excepting energies obtained from DFT approaches of geometry optimization.



Scheme 6.5. Exchange reaction between Lewis pairs a•b (where $R_{1}=M e$ and $R_{2}=M e$ or $R_{2}=F$ ) and $\mathbf{c} \cdot \boldsymbol{d}$.

Fig.6.4 and Table 6.4 collect the results of frustration energy calculations. It is clear to see, that two methods MP2(FC)/G3MP2large//MPW1K/6-31+G(d) and MP2(FC)/G3MP2large//MPW1K/6$31+\mathrm{G}(\mathrm{d})$ are again in the closest agreement with benchmarking approach G3MPW1K(+). Noteworthy there is a discrepancy between G3B3 and G3MPW1K in estimation of $E_{\text {FLP }}(2)$. This energy corresponds to the reaction (6.5), where the $\mathrm{PH}_{3} \mathrm{BF}_{3}$ system is involved, which has been in detail discussed due to its particular property to have two minima on the potential energy surface.

We knowingly took for this $E_{\text {FLP }}(2)$ calculation the first minimum ( $\sim 2.3 \AA$ ) since it better correlates with the experiment. Since in G3B3 the B3LYP/6-31G(d) geometries are used, and this level of theory is not able to describe the first minimum, the discrepancy presents. The fact of this discrepancy shows us again how it is important - to take reasonable geometries for calculations of Lewis pairs frustration energies. The methods based on MPW1K/6-31+G(d) geometries are always able to locate both minima. For the G3MPW1K(+) level the $E_{\text {FLP }}(2)$ is also calculated for the second minima ( $\sim 2.9 \AA$ ) and it is also shown in the Fig. 6.8. The $E_{\text {FLP }}(2)$ related to the second minimum is indeed close to the G3B3 value, pointing the reason of discrepancy between G3B3 and G3MPW1K(+).

At the benchmarking approach of G3MPW1K(+) the $E_{\text {FLP }}(1)$ and $E_{\text {FLP }}(2)$ (first minimum) amount to -2.0 and $-2.9 \mathrm{~kJ} \mathrm{~mol}^{-1}$ respectively. These small magnitudes show quantitatively that there is no substantial frustratedness in the both studied systems, as it was expected.


Fig. 6.8. Frustration energies $E_{\mathrm{FLP}}(1)$ and $E_{\mathrm{FLP}}(2)$ for reactions (6.4) and (6.5) respectively (presented as enthalpies at 298 K ) obtained at different levels of theory.

Table 6.4. Frustration energies $E_{\text {FLP }}(1)$ and $E_{\text {FLP }}(2)$ for reactions (6.4) and (6.5) respectively (presented as enthalpies at 298 K ) obtained at different levels of theory.

|  | Method | $E_{\text {FLP }}(1)$ | $E_{\mathrm{FLP}}(2)$ |
| :--- | :--- | :---: | :---: |
| 1 | MP2(FC)/aug-cc-pVDZ | 4.9 | 4.6 |
| 2 | MP2(FULL)/aug-cc-pVDZ | 5.9 | 5.3 |
| 3 | MP2(FC)/6-31+G(2d,p)//B98/6-31G(d) | -1.6 | -10.4 |
| 4 | MP2(FC)/6-31+G(2d,p)/MPW1K/6-31G(d) | -1.9 | -10.3 |
| 5 | MP2(FC)/6-31+G(2d,p)//MPW1K/6-31+G(d) | -2.1 | -1.7 |
| 6 | MP2(FC)/6-31+G(2d,p)//B97-D/6-31G(d) | -1.0 | -13.4 |
| 7 | B2K-PLYP/G3MP2large//MPW1K/6-31+g(d) | -5.9 | -2.7 |
| 8 | G3B3 | -1.6 | -16.1 |
| 9 | G3MPW1K(+) | -2.0 | -2.9 |
| 10 | B2-PLYP-FLP(c=0.65)//MPW1K/6-31+G(d) | -2.1 | -1.4 |
| 11 | MP2(FC)/G3MP2large//MPW1K/6-31+G(d) | -0.6 | -2.8 |
| 12 | MP2(FC)/G3large//MPW1K/6-31+G(d) | -0.6 | -2.8 |

### 6.3. Conclusions

A computational approach for the treatment of Lewis pair systems is suggested. The approach is selected with the goal to use it in further studies for large frustrated Lewis pair systems, with consideration of delicate geometrical properties of Lewis pairs, the necessity to give high quality thermochemical predictions and limitation to be computationally affordable cheap. The MP2(FC)/G3MP2large//MPW1K/6-31+G(d) level of theory seems to satisfy all requirements. The studies of FLP systems can now be extended to large systems. For a theoretical description of FLP systems we suggest calculation of the "frustration energy" as energy of the exchange reaction between the FLP $P\left(R^{1}\right)_{3} B\left(R^{2}\right)_{3}$ and unbiased reference system $\mathrm{PH}_{3} \mathrm{BH}_{3}$ relying on the proposed level of theory.

### 6.4. References

[1] a) D. W. Stephan, Org. Biomol. Chem. 2008, 6, 1535-1539; b) D. W. Stephan, G. Erker, Angewandte Chemie International Edition 2009, 49, 46-76; c) S. Grimme, H. Kruse, L. Goerigk, G. Erker, Angew. Chem. Int. Ed. 2010, 49, 1402-1405; d) C. Jiang, O. Blacque, H. Berke, Organometallics 2009, 28, 5233-5239.
[2] G. C. Welch, D. W. Stephan, J. Am. Chem. Soc. 2007, 129, 1880-1881.
[3] J. R. Durig, Y. S. Li, L. A. Carreira, J. D. Odom, J. Am. Chem. Soc. 1973, 2491-2496.
[4] D. C. Mente, J. L. Mills, Inorg. Chem. 1975, 8, 1862.
[5] J. D. Odom, V. F. Kalasinsky, J. R. Durig, Inorg. Chem. 1975, 14, 2837.
[6] H. C. Brown, J. Chem. Soc. 1956, 1248.
[7] H. Anane, A. Boutalib, I. Nebot-Gil, F. Tomás, J. Phys. Chem. A 1998, 102, 35.
[8] F. Bessac, G. Frenking, Inorg. Chem. 2006, 45, 6956-6964.
[9] F. Hirota, K. Miyata, S. Shibata, J. Mol. Struct.: THEOCHEM 1989, 201, 99.
[10] C. Loschen, K. Voigt, J. Frunzke, A. Diefenbach, M. Diefenbach, G. Frenking, Z. Anorg. Allg. Chem. 2002, 628, 1294.
[11] T. A. Ford, J. Phys. Chem. A 2008, 112, 7296-7302.
[12] R. Ahlrichs, M. R. Bär, M. Häser, E. Sattler, Chem. Phys. Lett. 1991, 184, 353.
[13] G. Erős, H. Mehdi, I. Pápai, T. A. Rokob, P. Király, G. Tárkányi, T. Soós, Angew. Chem. Int. Ed. 2010, 49, 6559-6563.
[14] D. J. Giesen, J. A. Phillips, J. Phys. Chem. A 2003, 107, 4009-4017.
[15] A. Tarnopolsky, A. Karton, R. Sertchook, D. Vuzman, R. L. Martin, J. Phys. Chem. A 2008, 112, 3-8.
[16] Y. Wei, B. Sateesh, B. Maryasin, G. N. Sastry, H. Zipse, J. Comput. Chem. 2009, 2617 2624.

## 7. Theoretical Studies of the Acylation Reaction Catalyzed by DMAP With Participation of Aryl Derivatives

### 7.1. Introduction.

A fundamental mechanistic study of the DMAP-catalyzed acylation reaction of alcohols has been published by the Zipse group ${ }^{[1]}$. The reaction to study has been chosen the acetylation of tert-butanol by acetic anhydride in the presence of DMAP. Two hypothetically competing mechanisms have been compared: nucleophilic and the general base catalysis pathways. Both pathways are shown in Fig. 7.1



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I.
35.1


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Fig.7.1 Gas-phase enthalpy profile $\left(\Delta H_{298}\right)$ for the competing nucleophilic and base catalysis mechanisms in the DMAP-catalyzed reaction of acetic anhydride with tert-butanol as calculated at the B3LYP/6-311+G(d,p)//B3LYP/6-31G(d) level of theory.

The nucleophilic catalytic cycle includes formation of an acetylpyridinium cation of DMAP and then its reaction with the alcohol (the rate-determining step). The general base catalysis goes via transition state $\mathbf{2}$. For the studied case of tert-butanol and acetic anhydride the latter mechanism has been found to be much less favourable than the nucleophilic catalytic cycle. Another system has been also applied for analogus calculations - it is reaction between racemic 1-(1-naphtyl)ethanol with isobutyric anhydride catalyzed by chiral derivative of DMAP. ${ }^{[2]}$ The aims of this study were an investigation of enantioselectivities of chiral DMAP-catalysts and checking whether previously suggested mechanism stay relevant with changing of the system. The conclusions about mechanism were similar to the preceding study. However, the first step of the acetylpyridinium cation formation in the nucleophilic catalytic cycle has been found to have slightly larger activation energy as compared to the second step. The nucleophilic pathway still has been found preferable. It has been recently found for desymmetrization of cyclic meso-anhydrides by chiral amino alcohols that the basecatalyzed pathway, on the contrary, becomes preferable as compared to nucleophilic. ${ }^{[3]}$ Other examples of comparison nucleophilic vs. base-catalysis, where the last one can be a favourable, have been also shown. ${ }^{[4]}$ Thus, depending on the system, one or the other pathway is preferable, and within the nucleophilic pathway the transition states can exchange the ratedetermining nature.

In this chapter of the present work we show results of a computational study for benzyl alcohol and benzoic acid anhydride in the presence of DMAP. To the best of our knowledge the aryl derivatives from the side of an acylation agent have not yet been applied in mechanistic studies. We have compared both catalytic pathways with background reaction (no catalyst is involved) and studied the influence of donor and acceptor substituents in the aromatic ring of the reacting alcohol. In order to be consistent with the previous studies ${ }^{[1]}$ we have chosen to use the same level of theory: B3LYP/6-311+G(d,p)//B3LYP/6-31G(d)//OPLSAA.

### 7.2. The Background Reaction

In contrast to the previous studies in the field of the catalyzed acylation reactions mechanism, ${ }^{[1-2]}$ the background (uncatalyzed) reaction is also shown in the present work. Surprisingly, there are only few theoretical studies for the uncatalyzed esterification reaction. ${ }^{[5]}$ Kruger has studied acylation of methanol by acetic anhydride at the MP2/6$31+\mathrm{G}(\mathrm{d}, \mathrm{p})$ level. ${ }^{[5 \mathrm{a}]}$ It has been suggested that the reaction proceeds through a six-membered ring transition state. Aminolysis of succinic anhydride has been studied theoretically (MP2/6-

311++G(d,p)//B3LYP/6-311++G(d,p) and CCSD(T)/6-31G(d)//B3LYP/6-311++G(d,p)) by Leszczynski et al. ${ }^{[5 b]}$ The authors have compared a concerted mechanism with stepwise pathways. The concerted pathway has been found to be preferable. In the present work the concerted pathway is involved in the calculation, having in mind that the stepwise is possible but less preferable.

The background reaction pathway is plotted in Fig. 7.2 by using the relative enthalpies at 298 K (the enthalpies are collected in Table 7.1). We have chosen enthalpies and not free energies in order to be consistent with the previous studies in this area. ${ }^{[1-2]}$

Table 7.1 Relative enthalpies ( $\mathrm{kJ} \mathrm{mol}^{-1}$ ) for stationary points (best conformations, $\mathrm{X}=\mathrm{H}$ ) located on the potential energy surface at B3LYP/6-311+G(d,p)//B3LYP/6-31G(d) level.

|  | $\Delta H_{298}$ (gas phase) |
| :--- | ---: |
| Background reaction (uncatalyzed) |  |
| $\mathbf{3 + 4}$ | 0.0 |
| $\mathbf{5}$ | -16.5 |
| $\mathbf{6}$ | +67.9 |
| $\mathbf{7}$ | -78.4 |
| $\mathbf{8}+\mathbf{9}$ | -65.7 |



Fig. 7.2 Gas-phase enthalpy profile ( $\Delta H_{298}$ ) for the uncatalyzed acylation of benzyl alcohol with benzoic anhydride as calculated at the B3LYP/6-311+G(d,p)//B3LYP/6-31G(d) level of theory.

The system forms a reactant complex and then, via a six-membered-ring transition state, goes finally to the product complex. The barrier relative to the reactant complex is found to be 84.4 $\mathrm{kJ} \mathrm{mol}{ }^{-1}$.

### 7.3. Nucleophilic Catalysis vs. Base Catalysis

In order to check whether in the case of our system the reaction mechanism is similar to that in the previously studied systems, calculations include both modes of catalysis. The results are shown in Fig. 7.3 using relative enthalpies at 298 K (the enthalpies are collected in Table 7.2).

Table 7.2 Relative enthalpies $\left(\mathrm{kJ} \mathrm{mol}^{-1}\right)$ for stationary points (best conformations) located on the potential energy surface at B3LYP/6-311+G(d,p)//B3LYP/6-31G(d) level.
$\Delta H_{298}$ (gas phase)

| Nucleophilic catalysis |  |
| :--- | ---: |
| $\mathbf{3 + 4 + 1 0}$ | 0.0 |
| $\mathbf{1 1}$ | -42.2 |
| $\mathbf{1 2}$ | +33.7 |
| $\mathbf{1 3}$ | +7.5 |
| $\mathbf{1 4}$ | +20.1 |
| $\mathbf{1 5}$ | -114.0 |
| $\mathbf{8 + 9}+\mathbf{1 0}$ | -65.7 |
| Base catalysis (concerted) |  |
| $\mathbf{3 + 4 + 1 0}$ | 0.0 |
| $\mathbf{1 1}$ | -42.2 |
| $\mathbf{1 6}$ | +38.7 |
| $\mathbf{1 5}$ | -114.0 |
| $\mathbf{8 + 9}+\mathbf{1 0}$ | -65.7 |



Fig. 7.3 Gas phase enthalpy profile $\left(\Delta H_{298}\right)$ for the competing nucleophilic and base catalysis mechanisms in the DMAP-catalyzed reaction of benzoic anhydride with benzyl alcohol as calculated at the B3LYP/6-311+G(d,p)//B3LYP/6-31G(d) level of theory. Enthalpies represent the case of $\mathrm{X}=\mathrm{H}$.

The nucleophilic pathway starts from reactant complex 11 and via TS 12 yields the intermediate 13, a loose complex between acetylpyridinium cation of DMAP and a complex of benzoate and benzyl alcohol. This loose complex then continues through TS $\mathbf{1 4}$ to form the stable product complex 15. If the base catalysis pathway is chosen, then the reactant complex $\mathbf{1 1}$ goes through TS $\mathbf{1 6}$ and finally falls into the same product complex $\mathbf{1 5}$. As before the most important conclusions can be immediately drawn from the results shown in Fig. 7.3:

- The difference between nucleophilic and base catalysis pathways is not significant the nucleophilic catalysis is found to be only $5 \mathrm{~kJ} \mathrm{~mol}^{-1}$ more preferable.
- The first step of the nucleophilic catalysis pathway is the rate-determining step instead of the last step. This is in contrast to the reaction of tert-butanol with acetic anhydride, ${ }^{[1]}$ but similar to the reaction of 1-(1-naphtyl)ethanol with isobutyric anhydride. ${ }^{[2]}$


### 7.4. The Influence of Donor and Acceptor Substituents in the Aromatic Ring of the

## Alcohol

We have studied the influence of the substitution in $p$-position of the alcohol aromatic ring. In order to avoid expensive transition state optimizations and assuming unsubstantial changes of the geometries varying the substituent, we suggest the following "cheap" computational scheme:

1. Substitution of -H to -R (here $-\mathrm{NO}_{2}$ or $-\mathrm{CH}_{3}$ ) in the agreed position of important stationary points (the best conformations of TSs, reactants and products). We have used two of the best conformations. If the stability order was changed in the B3LYP/6-311+G(d,p)//B3LYP/6-31G(d) single-point calculations as compared with the B3LYP/6-31G(d) geometry optimization, then we have used two of the best conformations after single-point as well as two of the best after the geometry optimization.
2. Optimization with constrains (we freeze the distances in the reacting part of the transition states. The frozen bonds are shown by red colour in Fig 7.2 and 7.3).
3. Single point calculations at the B3LYP/6-311+G(d,p)//B3LYP/6-31G(d) level.

In Fig. 7.4 we show the changes in the total energy barriers for the background reaction, the first and second transition states of the nucleophilic pathway, and for the base-catalyzed pathway, respectively. The relative total energies are also collected in Table 7.3.


Fig. 7.4 Reaction barriers for uncatalyzed and DMAP-catalyzed acylation of $p$-substituted benzyl alcohol by benzoic anhydride.

Table 7.3 Relative total energies $\left(\mathrm{kJ} \mathrm{mol}^{-1}\right.$ ) for stationary points (best conformations) located on the potential energy surface at B3LYP/6-311+G(d,p)//B3LYP/6-31G(d) level with $\mathrm{X}=\mathrm{H}$. For $\mathrm{X}=\mathrm{CH} 3$ and NO 2 energies of products, reactants and transition states are shown.

| $\mathrm{X}=\mathrm{H}$ | $\Delta E_{\text {tot }}$ (gas phase) | $\mathbf{X}=\mathbf{C H}_{3}$ | $\Delta E_{\text {tot }}$ (gas phase) | $\mathrm{X}=\mathrm{NO}_{2}$ | $\Delta E_{\text {tot }}$ (gas phase) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Background reaction (uncatalyzed) |  |  |  |  |  |
| $3+4$ | 0.0 | $3 \mathrm{c}+4$ | 0.0 | $3 n+4$ | 0.0 |
| 5 | -22.7 |  |  |  |  |
| 6 | +69.1 | 6 | +68.2 | 6n | +73.8 |
| 7 | -88.6 |  |  |  |  |
| $8+9$ | -68.3 | $8 \mathrm{c}+9$ | -69.3 | $8 \mathrm{n}+9$ | -62.6 |
| Nucleophilic catalysis |  |  |  |  |  |
| 3+4+10 | 0.0 | $3 \mathrm{c}+4+10$ | 0.0 | 3n+4+10 | 0.0 |
| 11 | -54.8 |  |  |  |  |
| 12 | +23.1 | 12c | +23.9 | 12n | +14.3 |
| 13 | -6.5 |  |  |  |  |
| 14 | +21.5 | 14c | +23.0 | 14n | +11.8 |
| 15 | -128.2 |  |  |  |  |
| $8+9+10$ | -68.3 | $8 \mathrm{c}+9+10$ | -69.3 | $8 \mathrm{n}+9+10$ | -62.6 |
| Base catalysis (concerted) |  |  |  |  |  |
| 3+4+10 | 0.0 | 3c+4+10 | 0.0 | 3n+4+10 | 0.0 |
| 11 | -54.8 |  |  |  |  |
| 16 | +35.3 | 16c | +36.3 | 16n | +30.7 |
| 15 | -128.2 |  |  |  |  |
| $8+9+10$ | -68.3 | $8 \mathrm{c}+9+10$ | -69.3 | $8 \mathrm{n}+9+10$ | -62.6 |

Moving from donor substituent to acceptor substituents in the benzyl alcohol reactant, the background reaction barrier is increasing, while reaction barriers for all catalyzed pathways
systematically decrease. For all three alcohols the nucleophilic catalysis mechanism is slightly more preferable than the base-catalyzed and within the nucleophilic pathway the first step is the rate-determining. Trying to explain the effect of the substituent plotted in Fig. 7.4 we have calculated the overall charges (NPA/B3LYP/6-311+G(d,p)) on the alcohol moiety in the transition state of the background reaction and in the rate-determining transition state of the nucleophilic catalysis reaction.

Table 7.4. The overall charge (e) on the alcohol moiety in the transition states of the background and catalyzed reactions calculated at NPA/B3LYP/6-311+G(d,p)//B3LYP/6$31 \mathrm{G}(\mathrm{d})$ level of theory.

Alcohol | Background reaction |
| :---: |
| TS 16 |
| catalysis TS1 12 |

In the case of the background reaction change of the overall charge on the alcohol moiety coincides with the change of the reaction. The barrier is getting smaller, while the overall charge is increasing. For the case of first transition state in the nucleophilic pathway $\mathbf{1 2}$ the magnitude of the overall charge on alcohol stays close to zero ( $\sim 20$ times smaller than for the background reaction case), and there is no strong interdependence between the charge and the barrier. In the transition state of the background reaction, the alcohol is in close contact with the anhydride. It donates concerting the hydrogen and accepts the benzoic group, though in the $\mathbf{1 2}$ the alcohol role leads to the hydrogen bond formation, due to this its overall charge is close to zero. In the second transition state of the nucleophilic pathway $\mathbf{1 4}$ the alcohol overall charge is bigger, than in the $\mathbf{1 2}$ but substantially smaller as compared to background reaction TS 16, though the role of the alcohol moiety is similar to both $\mathbf{1 4}$ and background reaction TS 16. On the whole, the charge transfer within the alcohol is substantially bigger for background

TS comparing to the catalyzed pathway. The higher overall charge of the alcohol moiety is (the larger charge transfer inside of the transition state is), the smaller the barrier is.

In Fig. 7.5 we show the differences between background reaction and catalyzed reaction barriers for three studied systems. It can be seen from Fig, 7.5 that the difference is increasing with increasing of electron accepting effect. This can also be interpreted in the way that catalyst works most effectively for the aromatic alcohol with an acceptor substituent in the aromatic ring and least effectively if the substituent has donor character.


Fig. 7.5 Differences between barriers of uncatalyzed and catalyzed reactions for three studied systems.

### 7.5. Conclusions

As a whole our study continues the series of the works in the topic of the mechanism of DMAP derivatives catalyzed acylation reactions. Particularly we have found:

- Similar to the previously studied acylation reactions where tert-butanol and racemic 1 -(1-napthyl)ethanol have been acylated by aliphatic anhydrides in the presence of DMAP derivatives, the nucleophilic mechanism is more favourable than the general base mechanism for the presently studied DMAP catalyzed reaction of aromatic alcohols with benzoic acid anhydride. But in this latter case the difference between nucleophilic and base catalysis becomes much smaller.
- There is a substantial influence of the substituent in the para-position of the alcohol aromatic ring. For an acceptor substituent the difference between background and catalyzed reaction (the "performance of catalyst") is bigger than in the unsubstituted benzyl alcohol and for donor substituent this difference is the smallest.


### 7.6. References

[1] S. Xu, I. Held, B. Kempf, H. Mayr, W. Steglich, H. Zipse, Chem. Eur. J. 2005, 11, 4751-4757.
[2] Y. Wei, PhD thesis, Ludwig-Maximilians-Universität München (München), 2008.
[3] B. Dedeoglu, S. Catak, K. N. Houk, V. Aviyente, ChemCatChem 2010, 2, 1122-1129.
[4] a) C. Bonduelle, B. Martín-Vaca, F. P. Cossío, D. Bourissou, Chem. Eur. J. 2008, 14, 5304-5312; b) M. Kiesewetter, M. D. Scholten, N. Kirn, R. L. Weber, J. L. Hedrick, R. M. Waymouth, J. Org. Chem 2009, 74, 9490-9496.
[5] a) H. Kruger, J. Mol. Struct.: THEOCHEM 2002, 577; b) T. Petrova, S. Okovytyy, L. Gorb, J. Leszczynski, J. Phys. Chem. A 2008, 112, 5224-5235.

## General Conclusions

(1) A reliable scheme for the prediction of ${ }^{31} \mathrm{P}$ NMR chemical shifts of large phosphorus containing molecular systems in solution has been developed. The suggested strategy involved NMR shift calculations at the GIAO-MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) level in combination with a dual solvation model including the explicit consideration of single solvent molecules (vide Fig. 8.1) and a continuum (PCM) solvation model. We have found that Boltzmann averaging over all accessible conformations in solution is essential for ${ }^{31} \mathrm{P}$ NMR shift predictions. We have explored that for ion pairs, such as those involving phosphonium salts, the consideration of the full system (inclusion of counterion) is necessary.



Fig. 8.1 Energetically most favorable complexes of $\mathrm{PPh}_{3}$ and $\mathrm{OPP}_{3}$ with $\mathrm{CHCl}_{3}$ as obtained at the MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) level of theory.

The validity of the suggested scheme has been tested in the MBH reaction. For the experimentally detected phosphonium salt, formed via a side reaction of MBH, the ${ }^{31} \mathrm{P}$ NMR chemical shift is predicted with experimental accuracy of less than 1 ppm error. The ${ }^{31} \mathrm{P}$ NMR chemical shifts of the key zwitterionic intermediate of MBH as well as its isomeric ylid are predicted. A model of co-behaviour between catalyst, co-catalyst, Michael acceptor and solvent during the possible side reaction of the phosphonium intermediate formation is suggested.


Fig. 8.2 Structures of the most stable complexes between phosphonium salt (side product of MBH reaction) and chloroform.
(2) The catalytic cycle of the MBH reaction is studied in detail for the triphenylphosphanecatalyzed coupling of methyl vinyl ketone with $p$-chlorobenzaldehyde in the presence of $p$ nitrophenol as a co-catalyst in tetrahydrofuran. The catalytic cycle has been compared with possible side reactions. It has been shown that there is a probability for reaction to be trapped in very stable intermediates due to protonation by co-catalyst. Such dual role of co-catalyst (assistance and disturbance) explains the experimental evidence of strong interdependence between MBH reaction rate and concentration of co-catalyst. The resulting energy diagram of the cycle is shown in Fig. 8.3 as relative free energies ( $\Delta G_{298, \mathrm{THF}}$ ) vs. reaction coordinate


TS1
इreactants


Int_y
t-y 1 -



Int4

Int3


Eproducts

Fig. 8.3 The reaction free energy profile $\left(\Delta G_{298, \text { THF }}\right)$ calculated at the MP2(FC)/6$31+\mathrm{G}(2 \mathrm{~d}, \mathrm{p}) / / \mathrm{MPW} 1 \mathrm{~K} / 6-31+\mathrm{G}(\mathrm{d})$ level of theory with additional consideration of solvent at PCM(THF)/UAHF/RHF/6-31G(d) level. All found conformations are shown. The
diastereomeric pathways are shown in black colour (RS) and in red colour (RR). In blue colour the side reactions of protonation and ylidization are shown.
(3) The protonation/deprotonation equilibrium between the first key intermediate of the MBH catalytic cycle, the phosphonium species formed from this intermediate and an ylid formed from the phosphonium intermediate has been studied in detail. On the $\mathrm{p} K_{\mathrm{a}}$ scale shown in Scheme 8.1 the phosphonium intermediate of the MBH reaction is compared with $p$ nitrophenol (polular MBH reaction co-catalyst), isopropanol (system similar to the MBH reaction product), reference systems for the $\mathrm{p} K_{\mathrm{a}}$ calculations and DMSO (solvent used for the $\mathrm{p} K_{\mathrm{a}}$ calculations). The results explain experimental observations of side products, whose formation interferes with the MBH processes. The calculations of acidity properties have been extended to a series of catalysts and substrates showing potential of the catalyst/substrate combination to be "good", giving more catalytic cycle intermediate and less side products, or "bad" if the situation is reversed.


Scheme 8.1 The $\mathrm{p} K_{\mathrm{a}}$ scale.
(4) We have applied the methyl cation affinity approach (MCA) as a descriptor of catalytic activity for a series of phosphanes, including cyclophane-substituted phosphanes and cyclophosphanes. The obtained MCA values can be used as a guideline for the optimization of phosphane-catalyzed organocatalytic transformations, e.g. the MBH reaction. A new descriptor of catalytic activity is suggested for MBH reactions: XKA ("X"-Ketone Affinity) is the affinity of a catalyst to the MBH-substrate ("X"-Ketone). The XKA and its particular case MVKA (Methyl Vinyl Ketone Affinity) work well for a rough estimate of the efficiency for chosen catalyst/substrate combinations. The Fig. 8.4 collects in the graphical manner the MVKA values for one of the studied family of catalysts (so called bifunctional phosphane catalysts BPC).


Fig. 8.4 The MVKA scale of the BPC family.
(5) A computational approach for the treatment of Lewis pair systems is suggested. The proposed MP2(FC)/G3MP2large//MPW1K/6-31+G(d) approach accurately reflects geometries and energies of the Lewis pairs even for complicated cases with multiple minima on the potential energy surfaces (for the $\mathrm{PH}_{3} \mathrm{BF}_{3}$ system two minima have been located, as it is shown in Fig. 8.5). At the same time this method is computationally economical enough to be applicable even to large real-life systems of frustrated Lewis pairs. For a theoretical description of FLP systems we suggest the calculation of "frustration energy" as the energy of the exchange reaction between the FLP $P\left(R^{1}\right)_{3} B\left(R^{2}\right)_{3}$ and unbiased reference system $\mathrm{PH}_{3} \mathrm{BH}_{3}$ relying on proposed level of theory.


Fig. 8.5 Potential energy curves for the interaction of $\mathrm{PH}_{3}$ with $\mathrm{BF}_{3}$ computed at MP2(FC)/6$311++G(d, p)$ level.
(6) In continuation of the series theoretical studies in catalyzed esterification processes performed by the Zipse group, we have studied the DMAP-catalyzed acylation of aromatic alcohols by benzoic anhydride. In contrast to previous studies we apply an aromatic acylation agent and compare not only the catalyzed pathways with each other, but also with uncatalyzed background reaction. The situation of competing nucleophilic and base-catalyzed pathways has been discussed. The effect of the substitution in para-position of aromatic alcohol has been studied. The catalyzed reaction profile for the case of unsubstituted alcohol is shown in Fig. 8.6.


Fig. 8.6 Gas phase enthalpy profile $\left(\Delta H_{298}\right)$ for the competing nucleophilic and base catalysis mechanisms in the DMAP-catalyzed reaction of benzoic anhydride with benzyl alcohol as calculated at the B3LYP/6-311+G(d,p)//B3LYP/6-31G(d) level of theory. Enthalpies represent case of $\mathrm{X}=\mathrm{H}$.

## 9. Appendix

### 9.1. General Details

All calculated data (shielding values, total energies, free energies, enthalpies etc) are collected here. The quantum chemical calculations have been performed with Gaussian03. ${ }^{[3]}$ The force field calculations have been performed with TINKER ${ }^{[1]}$ and MACROMODEL. ${ }^{[2]}$

1 J. W. Ponder, TINKER; 4.2 ed., 2004.
2 Schrödinger, LLC., MacroModel 9.7, 2009.
3 Gaussian 03, Revision D.01, M. J. Frisch, G. W. Trucks, H. B. Schlegel, G. E. Scuseria, M. A. Robb, J. R. Cheeseman, J. A. Montgomery, Jr., T. Vreven, K. N. Kudin, J. C. Burant, J. M. Millam, S. S. Iyengar, J. Tomasi, V. Barone, B. Mennucci, M. Cossi, G. Scalmani, N. Rega, G. A. Petersson, H. Nakatsuji, M. Hada, M. Ehara, K. Toyota, R. Fukuda, J. Hasegawa, M. Ishida, T. Nakajima, Y. Honda, O. Kitao, H. Nakai, M. Klene, X. Li, J. E. Knox, H. P. Hratchian, J. B. Cross, V. Bakken, C. Adamo, J. Jaramillo, R. Gomperts, R. E. Stratmann, O. Yazyev, A. J. Austin, R. Cammi, C. Pomelli, J. W. Ochterski, P. Y. Ayala, K. Morokuma, G. A. Voth, P. Salvador, J. J. Dannenberg, V. G. Zakrzewski, S. Dapprich, A. D. Daniels, M. C. Strain, O. Farkas, D. K. Malick, A. D. Rabuck, K. Raghavachari, J. B. Foresman, J. V. Ortiz, Q. Cui, A. G. Baboul, S. Clifford, J. Cioslowski, B. B. Stefanov, G. Liu, A. Liashenko, P. Piskorz, I. Komaromi, R. L. Martin, D. J. Fox, T. Keith, M. A. Al-Laham, C. Y. Peng, A. Nanayakkara, M. Challacombe, P. M. W. Gill, B. Johnson, W. Chen, M. W. Wong, C. Gonzalez, and J. A. Pople, Gaussian, Inc., Wallingford CT, 2004.

### 9.2. Calculated Data for Chapter 2: Shielding Values, Total Energies, Free Energies

$1 \mathrm{C}_{3}$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311+G(d,p) | 346.9819 |
| B98/6-311+G(d,p) | 323.3616 |
| B3LYP/6-311+G(d,p) | 305.7122 |
| HF/6-311+G(d,p) | 379.9194 |
| MP2/6-311+G(d,p) | 362.4713 |
| MPW1K/6-311++G(2d,2p) | 337.0432 |
| MPW1K/GLOIII | 342.6872 |
| MPW1K/3-21G | 504.5147 |
| MPW1K/6-31G(d) | 403.1655 |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl $\left.{ }_{3}, \mathrm{UAHF}\right)$ | 337.3980 |
| MPW1K/6-311++G(2d,2p) + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAKS}\right)$ | 337.4117 |
| MPW1K/6-311++G(2d,2p) + PCM(C. $\left.\mathrm{C}_{6}, \mathrm{UAHF}\right)$ | 337.3727 |
| MPW1K/6-311++G(2d,2p) + $\left.\mathrm{PCM}_{6} \mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)$ | 337.3857 |
| MPW1K/GLOIII + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 343.0746 |
| MPW1K/IGLOIII + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAKS}\right)$ | 343.0750 |
| MPW1K/GGLOIII + PCM $\left(\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAHF}\right)$ | 343.0124 |
| MPW1K/IGLOIII + PCM $\left(\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)$ | 343.0147 |

1* $\mathrm{CHCl}_{3}$ _ 1

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) | 336.8437 |
| MPW1K/GLOIII | 342.6131 |
| MPW1K/6-311++G(2d,2p) + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 336.7176 |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl $3, \mathrm{UAKS})$ | 336.6920 |
| MPW1K/IGLOIII + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 342.6838 |
| MPW1K/IGLOIII + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAKS}\right)$ | 342.6780 |

$1 * \mathrm{CHCl}_{3} \_2$

$\langle\sigma\rangle=336.5897 \mathrm{ppm}$

$\langle\sigma\rangle=334.9158 \mathrm{ppm}$

2_1 C ${ }_{1}$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311+G(d,p) | 319.7633 |
| B98/6-311+G(d,p) | 307.4676 |
| B3LYP/6-311+G(d,p) | 292.8302 |
| HF/6-311+G(d,p) | 351.0237 |
| MP2(FC)/6-311+G(d,p) | 336.2062 |
| MPW1K/6-311+G(2d,p) | 308.0225 |
| MPW1K/6-311+G(2df,2pd) | 307.1925 |
| MPW1K/3-21G | 481.4436 |
| MPW1K/6-31G(d) | 371.5699 |
| MPW1K/6-311++G(2d,2p) | 308.0144 |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl $\left.{ }_{3}, \mathrm{UAHF}\right)$ | 306.4356 |
| MPW1K/6-311++G(2d,2p) + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAKS}\right)$ | 306.2551 |
| MPW1K/6-311++G(2d,2p) + PCM $\left(\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAHF}\right)$ | 307.0724 |
| MPW1K/6-311++G(2d,2p) + PCM $\left(\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)$ | 306.9890 |


| MPW1K/IGLOIII | 312.4864 |
| :---: | :---: |
| MPW1K/IGLOIII + PCM $\left(\mathrm{CHCl}_{3}\right.$, UAHF) | 308.9998 |
| MPW1K/IGLOIII + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAKS}\right)$ | 310.7379 |
| MPW1K/IGLOIII + PCM ( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAHF}\right)$ | 311.5517 |
| MPW1K/IGLOIII + PCM( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)$ | 311.4672 |
| 2_2 $\mathrm{C}_{3}$ |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311+G(d,p) | 320.9482 |
| B98/6-311+G(d,p) | 308.9801 |
| B3LYP/6-311+G(d,p) | 294.3596 |
| HF/6-311+G(d,p) | 352.6781 |
| MP2(FC)/6-311+G(d,p) | 337.2729 |
| MPW1K/6-311++G(2d,2p) | 308.4744 |
| MPW1K/IGLOIII | 312.9412 |
| MPW1K/3-21G | 484.0238 |
| MPW1K/6-31G(d) | 372.7677 |
| MPW1K/6-311++G(2d,2p) | 308.4744 |
| MPW1K/6-311++G(2d,2p) + PCM( $\left.\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 305.3405 |
| MPW 1K/6-311++G(2d,2p) + PCM( $\left.\mathrm{CHCl}_{3}, \mathrm{UAKS}\right)$ | 306.9241 |
| MPW1K/6-311++G(2d,2p) + PCM ( $\mathrm{C}_{6} \mathrm{H}_{6}$, UAHF) | 307.6548 |
| MPW1K/6-311++G(2d,2p) + PCM ( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)$ | 307.5553 |
| MPW1K/IGLOIII | 312.9412 |
| MPW1K/IGLOIII + PCM( $\mathrm{CHCl} 3, \mathrm{UAHF}$ ) | 311.5801 |
| MPW1K/IGLOIII + PCM ( $\mathrm{CHCl} 3, \mathrm{UAKS}$ ) | 311.4219 |
| MPW1K/IGLOIII + PCM( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAHF}\right)$ | 312.1449 |
| MPW1K/IGLOIII + PCM( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)$ | 312.0409 |


| MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) | $\begin{aligned} & \text { MP2(FC)/6-31+G(2d,p)/MPW1K/6- } \\ & 31 \mathrm{G}(\mathrm{~d}) \end{aligned}$ |  |  |
| :---: | :---: | :---: | :---: |
| Chemical shift, ppm (relative to $\mathrm{PPh}_{3}$ ) | $\mathrm{E}_{\text {tot }}$ |  | „G" ${ }^{\text {298, gas }}$ |
| 2_1 | 24.3 | -1108.914974 | -1108.673297 |
| 2_2 | 23.9 | -1108.915735 | -1108.673065 |

< $\delta>=24.1 \mathrm{ppm}$

|  | MPW1K/6-311++G(2d,2p) PCM/UAHF/MPW1K/6- $311++G(2 \mathrm{~d}, 2 \mathrm{p})$ | MP2(FC)/6-31+G(2d,p)/MPW1K/6-31G(d) PCM/UAHF/MPW1K/6-311++G(2d,2p) |  | + |
| :---: | :---: | :---: | :---: | :---: |
|  | Chemical shift, ppm (relative to $\mathrm{PPh}_{3}$ ) | $\mathrm{E}_{\text {tot }}$ | „ $\mathrm{G}^{\text {c } 298 \text {, gas }}$ | „G" ${ }_{298, \mathrm{CHCl} 3}$ |
| 2_1 | 26.3 | -1108.914974 | -1108.673297 | -1108.672978 |
| 2_2 | 27.4 | -1108.915735 | -1108.673065 | -1108.672204 |

< $\delta>=26.6 \mathrm{ppm}$

|  | MPW1K/6-311++G(2d,2p) + PCM/UAHF/MPW1K/6- $311++G(2 \mathrm{~d}, 2 \mathrm{p})$ | MP2(FC)/6-31+G(2d,p)/MPW1K/6-31G(d) PCM/UAHF/MPW1K/6-311++G(2d,2p) |  | + |
| :---: | :---: | :---: | :---: | :---: |
|  | Chemical shift, ppm (relative to $\mathrm{PPh}_{3}$ ) | $\mathrm{E}_{\text {tot }}$ | „ $\mathrm{G}^{\text {c } 298 \text {, gas }}$ | „G" ${ }_{298, \mathrm{C} 6 \mathrm{H6}}$ |
| 2_1 | 26.2 | -1108.914974 | -1108.673297 | -1108.671161 |
| 2_2 | 27.3 | -1108.915735 | -1108.673065 | -1108.670563 |

< $\delta>=26.6 \mathrm{ppm}$
2* $\mathrm{CHCl}_{3}$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) | 302.9821 |
| MPW1K/IGLOIII | 306.9763 |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl $3, \mathrm{UAHF})$ | 302.2425 |
| MPW1K/6-311++G(2d,2p) + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAKS}\right)$ | 302.2417 |
| MPW1K/IGLOIII + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 306.2497 |
| MPW1K/GGLOIII + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAKS}\right)$ | 306.2487 |


| 2* $\mathrm{C}_{6} \mathrm{H}_{6}$ |  |
| :---: | :---: |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) | 305.4242 |
| MPW1K/IGLOIII | 309.7354 |
| MPW1K/6-311++G(2d,2p) + PCM ( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAHF}\right)$ | 304.8235 |
| MPW1K/IGLOIII + PCM( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAHF}\right)$ | 309.1385 |
| 3 |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311+G(d,p) | 588.6318 |
| MPW1K/6-311++G(2d,2p) | 586.2645 |
| MPW1K/IGLO-III | 592.0708 |
| HF/6-311++G(2d,2p) | 595.2526 |
| B98/6-311++G(2d,2p) | 577.3875 |
| B3LYP/6-311++G(2d,2p) | 568.2426 |
| MP2/6-311++G(2d,2p) | 611.7305 |
| 4 |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) | 194.0557 |
| MPW1K/IGLO-III | 207.9761 |
| 5 |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) | 73.7237 |
| MPW1K/IGLO-III | 80.7244 |
| 6 |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) | 397.9419 |
| MPW1K/6-311+G(d,p) | 409.5647 |
| MPW1K/IGLO-III | 401.9422 |
| HF/6-311++G(2d,2p) | 435.2273 |
| B98/6-311++G(2d,2p) | 384.0079 |
| B3LYP/6-311++G(2d,2p) | 366.9421 |
| MP2/6-311++G(2d,2p) | 427.8159 |
| 7_1 |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) | 317.6473 |
| 7_2 |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) | 316.7730 |
| 7_3 |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) | 315.6641 |
| 7_4 |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) | 318.1632 |
| 7_5 |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) | 315.8336 |
| 7_6 |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) | 322.2977 |


| 7_7 |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Level of theory |  |  |  |  | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) |  |  |  |  | 311.6041 |
| MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) |  |  |  |  |  |
| Chemical shift, ppm (relative to $\mathrm{PH}_{3}$ ) |  | Chemical shift, ppm (relative to $\mathrm{PPh}_{3}$ ) | $\mathrm{E}_{\mathrm{tot}}$ | "G' ${ }^{298, \text { gas }}$ |  |
| 7_1 | 2.5172 | 14.7 |  | -695.337277 | -695.082770 |
| 7_3 | 3.3915 | 15.6 |  | -695.336113 | -695.080627 |
| 7_5 | 4.5004 | 16.7 |  | -695.334107 | -695.080404 |
| 7_2 | 2.0013 | 14.2 |  | -695.335158 | -695.080115 |
| 7_4 | 4.3309 | 16.5 |  | -695.334409 | -695.080070 |
| 7_7 | -2.1332 | 10.0 |  | -695.332921 | -695.076711 |
| 7_6 | 8.5604 | 20.7 |  | -695.331065 | -695.076146 |
| $\begin{aligned} & \langle\delta\rangle=14.9 \mathrm{ppm} \text { (relative to } \mathrm{PPh} 3 \text { ) } \\ & \langle\delta\rangle=2.8 \mathrm{ppm} \text { (relative to } \mathrm{PH} 3 \text { ) } \end{aligned}$ |  |  |  |  |  |
| 8_1 |  |  |  |  |  |
| Level of theory |  |  |  | Shielding, ppm |  |
| MPW1K/6-311++G(2d,2p) |  |  |  | 164.2884 |  |
| 8_2 |  |  |  |  |  |
| Level of theory |  |  |  | Shielding, ppm |  |
| MPW1K/6-311++G(2d,2p) |  |  |  | 167.6754 |  |
| 8_3 |  |  |  |  |  |
| Level of theory |  |  |  | Shielding, ppm |  |
| MPW1K/6-311++G(2d,2p) |  |  |  | 191.2445 |  |
| 8_4 |  |  |  |  |  |
| Level of theory |  |  |  | Shielding, ppm |  |
| MPW1K/6-311++G(2d,2p) |  |  |  | 145.5871 |  |
| 8_5 |  |  |  |  |  |
| Level of theory |  |  |  | Shielding, ppm |  |
| MPW1K/6-311++G(2d,2p) |  |  |  | 199.1895 |  |
|  |  |  |  |  |  |
| MPW1K/6-311++G(2d,2p)//MPW1K/6-31G(d) |  |  | MP2(FC)/6-31+G(2d,p)/MPW1K/6-31G(d) |  |  |
| Chemical shift, ppm (relative to $\mathrm{PPh}_{3}$ )  <br> $\mathbf{8} 1$ 168.1 |  |  | $\mathrm{E}_{\text {tot }}$ | „, ${ }^{\text {" }}$ 298, gas |  |
|  |  |  |  | -685.411875 | -685.316081 |
| 8_2 |  | 164.7 |  | -685.413133 | -685.315107 |
| 8_3 |  | 141.1 |  | -685.410670 | -685.312847 |
| 8_4 |  | 186.8 |  | -685.408176 | -685.310219 |
| 8_5 |  | 133.2 |  | -685.404419 | -685.303744 |
| < $\delta>=166.6 \mathrm{ppm}$ (relative to $\mathrm{PPh}_{3}$ ) |  |  |  |  |  |
| 8_1* $\mathrm{CHCl}_{3}$ _1 |  |  |  |  |  |
| Level of theory |  |  |  | Shielding, ppm |  |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF) |  |  |  | 165.5506 |  |
| 8_2* $\mathrm{CHCl}_{3}$ _1 |  |  |  |  |  |
| Level | of theory |  |  | Shielding, ppm |  |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF) |  |  |  | 166.3742 |  |
| 8_4* $\mathrm{CHCl}_{3}$ _1 |  |  |  |  |  |
| Level of theory |  |  |  | Shielding, ppm |  |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF) |  |  |  | 146.8236 |  |

8_1* $\mathrm{CHCl}_{3} \_2$
Level of theory $\quad$ Shielding, ppm

MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF)
169.6337

8_3* $\mathrm{CHCl}_{3} \_1$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM $(\mathrm{CHCl} 3, \mathrm{UAHF})$ | 190.3348 |

8_3* $\mathrm{CHCl}_{3} \_2$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF $)$ | 193.5683 |

8_4* $\mathrm{CHCl}_{3} \_2$
Level of theory Shielding, ppm

MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF) 152.2356
8_5* $\mathrm{CHCl}_{3 \_}$2

| Level of theory |  |  | Shielding, ppm |  |
| :---: | :---: | :---: | :---: | :---: |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF) |  |  | 201.0740 |  |
|  | MPW1K/6- <br> $311++G(2 d, 2 p)$ <br> PCM/UAHF/MPW1K/6- $311++G(2 d, 2 p)$ | MP2(FC)/6-31+G(2d,p)/MPW1K/6-31G(d) PCM/UAHF/MPW1K/6-311++G(2d,2p) |  | + |
|  |  |  |  |  |
|  |  |  |  |  |
|  | Chemical shift, ppm (relative to $\mathrm{PPh}_{3}$ ) | $\overline{\mathrm{E}_{\mathrm{tot}}}$ | „ ${ }^{\text {" }}{ }^{298}$, gas | „G" ${ }_{298, \mathrm{CHCl} 3}$ |
| 8 _1* $\mathrm{CHCl}_{3}$ _1 | 166.3391 | -2102.905420 | -2102.802752 | -2102.795629 |
| $8 \_2 * \mathrm{CHCl}_{3}$ _1 | 165.5155 | -2102.905303 | -2102.800769 | -2102.793199 |
| $8 \_4 * \mathrm{CHCl}_{3} 1$ | 185.0661 | -2102.902432 | -2102.800623 | -2102.793149 |
| $8 \_1 * \mathrm{CHCl}_{3} 2$ | 162.256 | -2102.898157 | -2102.797380 | -2102.791404 |
| $8 \_3 * \mathrm{CHCl}_{3} 1$ | 141.5549 | -2102.899183 | -2102.796847 | -2102.790839 |
| $8 \_3 * \mathrm{CHCl}_{3} 2$ | 138.3214 | -2102.896857 | -2102.793321 | -2102.787855 |
| $8 \_4 * \mathrm{CHCl}_{3} 22$ | 179.6541 | -2102.894943 | -2102.791641 | -2102.785203 |
| $8 \_5 * \mathrm{CHCl}_{3}$ 2 | 130.8157 | -2102.890032 | -2102.785269 | -2102.781364 |
| < $\delta>=167.3 \mathrm{ppm}$ |  |  |  |  |


| Level of theory | Shielding, ppm |
| :---: | :---: |
| MPW1K/6-311++G(2d,2p) | 307.0808 |
| MPW1K/6-311++G(2d,2p) + PCM( $\left.\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 302.8686 |
| MPW1K/6-311++G(2d,2p) + PCM( $\left.\mathrm{CHCl}_{3}, \mathrm{UAKS}\right)$ | 302.4897 |
| MPW1K/6-311++G(2d,2p) + PCM ( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAHF}\right)$ | 304.5230 |
| MPW1K/6-311++G(2d,2p) + PCM $\left(\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)$ | 304.3111 |
| MPW1K/IGLOIII | 309.7277 |
| MPW1K/IGLOIII + PCM ( $\mathrm{CHCl}_{3}$, UAHF) | 305.6400 |
| MPW1K/IGLOIII + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAKS}\right)$ | 305.3037 |
| MPW1K/IGLOIII + PCM ( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAHF}\right)$ | 307.2554 |
| MPW1K/IGLOIII + PCM ( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)$ | 307.0572 |
| 9* $\mathrm{C}_{6} \mathrm{H}_{6}$ |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) | 304.6040 |
| MPW1K/IGLOIII | 307.3231 |
| MPW1K/6-311++G(2d,2p) + PCM ( $\mathrm{C}_{6} \mathrm{H}_{6}$, UAHF) | 302.9428 |
| MPW1K/6-311++G(2d,2p) + PCM ( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)$ | 302.8898 |
| MPW1K/IGLOIII + PCM( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAHF}\right)$ | 305.7132 |
| MPW1K/IGLOIII + PCM ( $\left.\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)$ | 305.6632 |



| MPW1K/IGLOIII + PCM $\left(\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAHF}\right)$ | 326.4295 |
| :--- | :--- |
| MPW1K/IGLOIII + PCM $\left(\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)$ | 326.4222 |
|  |  |
| $\mathbf{1 0 \_ 1 *} \mathbf{C}_{\mathbf{6}} \mathbf{H}_{\mathbf{6}}$ | Shielding, ppm |
| Level of theory | 313.2352 |
| MPW1K/6-311++G(2d,2p) | 322.4000 |
| MPW1K/IGLOIII | 313.1300 |
| MPW1K/6-311++G(2d,2p) $+{\mathrm{PCM}\left(\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAHF}\right)}^{\text {MPW1K/6-311++G(2d,2p) }+\mathrm{PCM}_{6}\left(\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)}$ | 313.1220 |
| MPW1K/IGLOIII $+\mathrm{PCM}\left(\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right)$ | 322.2874 |

$10 \_2 * \mathrm{C}_{6} \mathrm{H}_{6}$
Level of theory $\quad$ Shielding, ppm
$\begin{array}{ll}\text { MPW1K/6-311++G(2d,2p) } & 319.3150\end{array}$
MPW1K/IGLOIII 328.4058
MPW1K/6-311++G(2d,2p) + PCM(C6 $\left.\mathrm{H}_{6}, \mathrm{UAHF}\right) \quad 318.8362$
MPW1K/6-311++G(2d,2p) + PCM(C6 $\left.\mathrm{C}_{6}, \mathrm{UAKS}\right) \quad 318.8070$
MPW1K/IGLOIII + PCM $\left(\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAHF}\right) \quad 327.9443$
MPW1K/IGLOIII + PCM $\left(\mathrm{C}_{6} \mathrm{H}_{6}, \mathrm{UAKS}\right) \quad 327.9139$

|  | $\begin{aligned} & \text { MPW1K/6-311++G(2d,2p) } \\ & \text { PCM/UAHF/MPW1K/6-311++G(2d,2p) }\end{aligned}+$ | MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) PCM/UAHF/MPW1K/6-311++G(2d,2p) |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Chemical shift, ppm (relative to PPh3) | $\mathrm{E}_{\text {tot }}$ | „G" ${ }^{\text {c98, gas }}$ | „G" ${ }_{298, \mathrm{C} 6 \mathrm{H} 6}$ |
| $10 \_3 * \mathrm{C}_{6} \mathrm{H}_{6}$ | 13.2 | -992.116994 | -991.928039 | -991.925569 |
| $10 \_1 * \mathrm{C}_{6} \mathrm{H}_{6}$ | 17.1 | -992.1211642 | -991.929749 | -991.925478 |
| $10 \_2 * \mathrm{C}_{6} \mathrm{H}_{6}$ | 11.4 | -992.1200939 | -991.927889 | -991.924367 |

$\langle\delta\rangle=14.6 \mathrm{ppm}$ (relative to $\mathrm{PPh}_{3}$ )
$10 \_1 * \mathrm{CHCl}_{3}$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) | 315.0754 |
| MPW1K/IGLOIII | 324.3176 |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl $3, \mathrm{UAHF})$ | 314.8869 |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl $3, \mathrm{UAKS})$ | 314.8881 |
| MPW1K/GLOIII + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 324.1264 |
| MPW1K/IGLOIII + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAKS}\right)$ | 324.1285 |

10_2* $\mathrm{CHCl}_{3}$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) | 320.3781 |
| MPW1K/IGLOIII | 329.6535 |
| MPW1K/6-311++G(2d,2p) + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 319.7309 |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl $3, \mathrm{UAKS})$ | 319.7176 |
| MPW1K/IGLOIII + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 329.0210 |
| MPW1K/IGLOIII + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAKS}\right)$ | 329.0062 |

10_3* $\mathrm{CHCl}_{3}$



|  | Gas-phase | Solution model 1 |  |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: |
| 18_ionic_associate_1 | 19.3 | 19.7 | -7990.575319 | -7990.302402 | -7990.311295 |
| 18_ionic_associate_2 | 12.4 | 12.9 | -7990.574105 | -7990.302606 | -7990.310829 |
| athe theory shown in square brackets relates to solution model 1 and not to gas-phase calculations |  |  |  |  |  |
| $\langle\delta\rangle=15.5$ ppm (gas-phase) |  |  |  |  |  |
| $\langle\delta\rangle=17.1 \mathrm{ppm}$ (solution modell 1) |  |  |  |  |  |

18_ionic_associate_1 ${ }^{*} \mathrm{CHCl}_{3} \_1$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF); for I atom: MPW1K/6-311G(d,p) | 305.4268 |
| $\mathbf{1 8 \_ i o n i c \_ a s s o c i a t e \_ 2 * C H C l ~}$ |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF) | 315.5837 |

18_ionic_associate_1 $* \mathrm{CHCl}_{3}$ _2
Level of theory $\quad$ Shielding, ppm

MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF); for I atom: MPW1K/6-311G(d,p) 307.6611
18_ionic_associate_1 $1 * \mathrm{CHCl}_{3}$ _ 3

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF); for I atom: MPW1K/6-311G(d,p) | 312.1285 |

18_ionic_associate_2* $\mathrm{CHCl}_{3} \_3$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF); for I atom: MPW1K/6-311G(d,p) | 316.3598 |
| $\mathbf{1 8}$ ionic_associate_1*CHCl $\mathbf{3}_{\mathbf{-}} \mathbf{4}$ |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF); for I atom: MPW1K/6-311G(d,p) | 305.9459 |

## 18_ionic_associate_2* $\mathrm{CHCl}_{3} \_2$


< $\delta>=23.1 \mathrm{ppm}$
19

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) | 156.9698 |
| $\mathbf{1 9 *} \mathbf{C H C l}_{\mathbf{3} \mathbf{1}} \mathbf{1}$ |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p)+PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 158.1013 |
| $\mathbf{1 9} * \mathbf{C H C l}_{\mathbf{3}} \mathbf{2}$ |  |
| Level of theory | Shielding, ppm |



21_ionic_associate* $\mathrm{CHCl}_{3} \_2$


22_9

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) | 251.9917 |
| MPW1K/6-311++G(2d,2p) $+\mathrm{PCM}\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 251.8790 |
|  |  |
| $\mathbf{2 2 \_ 1 0}$ | Shielding, ppm |
| Level of theory | 245.0854 |
| MPW1K/6-311++G(2d,2p) | 245.2238 |


$221 * \mathrm{CHCl}_{3} 1$
Level of theory Shielding, ppm
MPW1K/6-311++G(2d,2p) + PCM(CHCl $\left.{ }_{3}, \mathrm{UAHF}\right) \quad 269.5152$

22_1* $\mathrm{CHCl}_{3}$ 2

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) $+\mathrm{PCM}\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 265.9469 |

22_2* $\mathrm{CHCl}_{3}$ _ 1

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) $+\mathrm{PCM}\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 279.7620 |

22_2* $\mathrm{CHCl}_{3 \_} 2$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM $\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 281.0781 |

22_3* $\mathrm{CHCl}_{3 \_} 1$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) $+\mathrm{PCM}\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 249.2158 |

22_7* $\mathrm{CHCl}_{3} 2$
Level of theory Shielding, ppm

MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF) 233.1692
22_3* $\mathrm{CHCl}_{3}$ _2

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) $+\mathrm{PCM}\left(\mathrm{CHCl}_{3}, \mathrm{UAHF}\right)$ | 246.7699 |


| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF) | 248.4409 |

## 22_9* $\mathrm{CHCl}_{3}$ _ 1

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF) | 255.3035 |
| $\mathbf{2 2 \_ 6 *} \mathbf{C H C l}_{3} \mathbf{1}$ |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p)+PCM(CHCl3,UAHF) | 253.6456 |


| $\mathbf{2 2}_{2} \mathbf{7} * \mathbf{C H C l}_{\mathbf{3}} \mathbf{1}$ |  |
| :--- | :--- |
| Level of theory | Shielding, ppm |
| MPW $1 \mathrm{~K} / 6-311++\mathrm{G}(2 \mathrm{~d}, 2 \mathrm{p})+\mathrm{PCM}(\mathrm{CHCl} 3, \mathrm{UAHF})$ | 237.4259 |

## 22_5*CHCl3_1

| Level of theory | Shielding, ppm |
| :---: | :--- |
| MPW1K/6-311++G(2d,2p) + PCM $(\mathrm{CHCl} 3, \mathrm{UAHF})$ | 253.7436 |

22_5* $\mathrm{CHCl}_{3}$ _2

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM $(\mathrm{CHCl} 3, \mathrm{UAHF})$ | 252.9543 |

$22 \_8 * \mathrm{CHCl}_{3}$ _ 1

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF) | 236.5452 |
| $\mathbf{2 2} \mathbf{4}^{*}$ CHCl $_{3} \_\mathbf{2}$ |  |
| Level of theory | Shielding, ppm |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF $)$ | 247.8256 |

22_6* $\mathrm{CHCl}_{3}$ _2

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM $(\mathrm{CHCl} 3, \mathrm{UAHF})$ | 247.5471 |

$\underline{22 \_9 *} \mathrm{CHCl}_{3}$ 2 2

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF) | 253.1536 |

$22 \_8 * \mathrm{CHCl}_{3-2}$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) $+\mathrm{PCM}(\mathrm{CHCl} 3, \mathrm{UAHF})$ | 230.8414 |

22_10* $\mathrm{CHCl}_{3} \_1$

| Level of theory | Shielding, ppm |
| :--- | :--- |
| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF $)$ | 248.8534 |

$\underline{22 \_10 * \mathrm{CHCl}_{3} \_2}$

| MPW1K/6-311++G(2d,2p) + PCM(CHCl3,UAHF) |  |  | 245.5574 |  |
| :---: | :---: | :---: | :---: | :---: |
|  | MPW1K/6- | MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) PCM/UAHF/MPW1K/6-311++G(2d,2p) |  |  |
|  | $311++\mathrm{G}(2 \mathrm{~d}, 2 \mathrm{p}) \quad+$ |  |  |  |
|  | PCM/UAHF/MPW1K/6- $311++G(2 \mathrm{~d}, 2 \mathrm{p})$ |  |  |  |
|  | Chemical shift, ppm (relative to $\mathrm{PPh}_{3}$ ) | $\mathrm{E}_{\mathrm{tot}}$ | „G" ${ }^{\text {298, gas }}$ | „G" ${ }_{298, \text { CHCl3 }}$ |
| 22_1*CHCl3_1 | +62.4 | -2418.012453 | -2417.605115 | -2417.588063 |
| 22_1*CHCl3_2 | +65.9 | -2418.011455 | -2417.603255 | -2417.586714 |


| 22_2*CHCl3_1 | +52.1 | -2418.011107 | -2417.603583 | -2417.585496 |
| :---: | :---: | :---: | :---: | :---: |
| 22_2*CHCl3_2 | +50.8 | -2418.006454 | -2417.600627 | -2417.584356 |
| 22_3* ${ }^{\text {CHCl3_1 }}$ | +82.7 | -2418.010381 | -2417.601381 | -2417.583835 |
| 22_7* ${ }^{\text {CHCl3_2 }}$ | +98.7 | -2418.007090 | -2417.599424 | -2417.583280 |
| 22_3* ${ }^{\text {CHCl3_2 }}$ | +85.1 | -2418.004473 | -2417.598363 | -2417.582682 |
| 22_4* ${ }^{\text {CHCl3_1 }}$ | +83.4 | -2418.006987 | -2417.598943 | -2417.581206 |
| 22_9* ${ }^{\text {CHCl3_1 }}$ | +76.6 | -2418.005694 | -2417.598336 | -2417.580631 |
| 22_6* ${ }^{\text {CHCl3_1 }}$ | +78.2 | -2418.006641 | -2417.597699 | -2417.580599 |
| 22_7* ${ }^{\text {CHCl3_1 }}$ | +94.5 | -2418.006008 | -2417.597546 | -2417.580399 |
| 22_5* ${ }^{\text {CHCl3_1 }}$ | +78.1 | -2418.006719 | -2417.598061 | -2417.580133 |
| 22_5* ${ }^{\text {CHCl3_2 }}$ | +78.9 | -2418.001595 | -2417.595216 | -2417.579918 |
| 22_8* $\mathrm{CHCl3}^{2} 1$ | +95.3 | -2418.006382 | -2417.597685 | -2417.579869 |
| 22_4* ${ }^{\text {CHCl3_2 }}$ | +84.1 | -2418.001342 | -2417.595296 | -2417.579790 |
| 22_6* ${ }^{\text {CHCl3_2 }}$ | +84.3 | -2418.002483 | -2417.594869 | -2417.579092 |
| 22_9* ${ }^{\text {CHCl3_2 }}$ | +78.7 | -2418.000962 | -2417.594742 | -2417.578966 |
| 22_8* ${ }^{\text {CHCl3_2 }}$ | +101.0 | -2418.000476 | -2417.593966 | -2417.578030 |
| 22_10*CHCl3_1 | +83.0 | -2418.002900 | -2417.592096 | -2417.575697 |
| 22_10*CHCl3_2 | +86.3 | -2417.998250 | -2417.589613 | -2417.573932 |

< $\delta>=62.8 \mathrm{ppm}$


|  | MPW1K/6-311++G(2d,2p) PCM/UAHF/MPW1K/6$311++G(2 \mathrm{~d}, 2 \mathrm{p})$ | MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) + PCM/UAHF/MPW1K/6-311++G(2d,2p) |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Chemical shift, ppm (relative to $\mathrm{PPh}_{3}$ ) | $\mathrm{E}_{\text {tot }}$ | „G" ${ }^{\text {298, gas }}$ | ,,G" ${ }_{298, \mathrm{CHCl} 3}$ |
| 24*ArO*CHCl3_1 | 31.3915 | -3192.678599 | -3192.239505 | -3192.224589 |
| 24*ArO* ${ }^{\text {CHCl3_2 }}$ | 22.7087 | -3192.670886 | -3192.236324 | -3192.223942 |
| 24*ArO* ${ }^{\text {CHCl3_3}}$ | 18.423 | -3192.67204 | -3192.234901 | -3192.223172 |
| 24*ArO* $\mathrm{CHCl3}^{2} 4$ | 22.4782 | -3192.670493 | -3192.235328 | -3192.223089 |
| 24*ArO*CHCl3_5 | 21.0232 | -3192.665688 | -3192.233148 | -3192.221356 |
| 24*ArO*CHCl3_6 | 26.9253 | -3192.670591 | -3192.236568 | -3192.220982 |
| 24*ArO* ${ }^{\text {CHCl3_7 }}$ | 33.9335 | -3192.662721 | -3192.232324 | -3192.220356 |
| 24*ArO* $\mathrm{CHCl3}_{-} 8$ | 30.253 | -3192.668728 | -3192.231606 | -3192.218810 |
| 24*ArO* ${ }^{\text {CHCl3_9 }}$ | -35.0522 | -3192.672189 | -3192.234253 | -3192.217871 |
| 24*ArO* ${ }^{\text {CHCl3_10 }}$ | 22.3094 | -3192.663438 | -3192.230808 | -3192.217788 |
| 24*ArO* ${ }^{\text {CHCl3_11 }}$ | 29.9289 | -3192.663664 | -3192.229630 | -3192.217598 |
| 24*ArO*CHCl3_12 | 26.2319 | -3192.669796 | -3192.232716 | -3192.217370 |
| 24*ArO* ${ }^{\text {CHCl3_13}}$ | 26.4131 | -3192.660097 | -3192.226807 | -3192.214457 |
| 24*ArO*CHCl3_14 | -68.8475 | -3192.66627 | -3192.231177 | -3192.214397 |
| 24*ArO* ${ }^{\text {CHCl3_15}}$ | 21.0137 | -3192.655187 | -3192.223636 | -3192.214186 |
| 24*ArO* $\mathrm{CHCl3}^{\text {a }} 16$ | -63.3754 | -3192.665937 | -3192.230089 | -3192.213595 |
| 24*ArO* ${ }^{\text {CHCl3_17 }}$ | -49.3724 | -3192.663535 | -3192.226437 | -3192.212524 |
| 24*ArO* ${ }^{\text {CHCl3_18 }}$ | 27.1949 | -3192.658977 | -3192.223906 | -3192.211556 |
| 24*ArO* ${ }^{\text {CHCl3_19 }}$ | -38.8093 | -3192.656937 | -3192.223565 | -3192.211390 |
| 24*ArO* ${ }^{\text {CHCl3_20 }}$ | -41.3591 | -3192.656076 | -3192.223992 | -3192.211067 |
| 24*ArO*CHCl3_21 | -65.3327 | -3192.661775 | -3192.226016 | -3192.211036 |
| 24*ArO* ${ }^{\text {CHCl3_22 }}$ | -40.5328 | -3192.660825 | -3192.224896 | -3192.211000 |
| 24*ArO* ${ }^{\text {CHCl3_23}}$ | 32.7952 | -3192.647088 | -3192.218017 | -3192.209969 |
| 24*ArO*CHCl3_24 | 32.0927 | -3192.645574 | -3192.215242 | -3192.209298 |


|  | MPW1K/6-311++G(2d,2p) PCM/UAHF/MPW1K/6- $311++\mathrm{G}(2 \mathrm{~d}, 2 \mathrm{p})$ | PCM/UAHF/M | 1K/6-311++ | $\begin{array}{ll} \hline 6-31 \mathrm{G}(\mathrm{~d}) \quad+ \\ 2 \mathrm{~d}, 2 \mathrm{p}) & + \\ \hline \end{array}$ |
| :---: | :---: | :---: | :---: | :---: |
|  | Chemical shift, ppm (relative to $\mathrm{PPh}_{3}$ ) | $\mathrm{E}_{\text {tot }}$ | „, ${ }^{\text {c }}$ 298, gas | ,,G" ${ }_{298, \mathrm{CHCl} 3}$ |
| 23*ArOH*CHCl3_1 | -13.5311 | -3192.674249 | -3192.239322 | -3192.218701 |
| 23*ArOH*CHCl3_2 | 10.058 | -3192.669981 | -3192.235725 | -3192.216139 |
| 23*ArOH*CHCl3_3 | 18.0117 | -3192.661357 | -3192.229095 | -3192.212299 |
| 23*ArOH*CHCl3_4 | 26.838 | -3192.658330 | -3192.225378 | -3192.210797 |
| 23*ArOH*CHCl3_5 | 24.848 | -3192.658376 | -3192.224501 | -3192.210589 |
| 23* $\mathrm{ArOH}^{*} \mathrm{CHCl3}$ _6 | 24.0445 | -3192.656156 | -3192.224677 | -3192.209649 |
| 23*ArOH*CHCl3_7 | 24.2368 | -3192.652908 | -3192.220668 | -3192.208429 |

## MPW1K/6-311++G(2d,2p)

+ MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d)
$+$
PCM/UAHF/MPW1K/6- PCM/UAHF/MPW1K/6-311++G(2d,2p)
$311++G(2 d, 2 p)$

|  | Chemical shift, ppm (relative to $\mathrm{PPh}_{3}$ ) | $\mathrm{E}_{\text {tot }}$ | ,,G" ${ }^{298, \mathrm{gas}}$ | , $\mathrm{G}^{\text {c }}{ }_{298, \mathrm{CHCl} 3}$ |
| :---: | :---: | :---: | :---: | :---: |
| 25*ArOH*CHCl3_1 | 34.4015 | -3192.648867 | -3192.220635 | -3192.201989 |
| 25*ArOH*CHCl3_2 | 33.264 | -3192.649169 | -3192.218985 | -3192.198699 |
| 25*ArOH*CHCl3_3 | 31.9712 | -3192.646273 | -3192.215909 | -3192.197869 |
| 25*ArOH*CHCl3_4 | 33.0719 | -3192.643498 | -3192.214295 | -3192.196462 |
| 25*ArOH*CHCl3_5 | 31.3903 | -3192.641135 | -3192.211408 | -3192.194405 |
| 25*ArOH*CHCl3_6 | 33.8006 | -3192.643229 | -3192.212375 | -3192.193539 |


|  | MPW1K/6-311++G(2d,2p) PCM/UAHF/MPW1K/6-311++G(2d,2p) | MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d) PCM/UAHF/MPW1K/6-311++G(2d,2p) |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Chemical shift, ppm (relative to $\mathrm{PPh}_{3}$ ) | $\mathrm{E}_{\text {tot }}$ | „,G"298, gas | „G" ${ }_{298, \mathrm{CHCl} 3}$ |
| 33*CHCl3_1 | -53.6556 | -2681.921210 | -2681.584704 | -2681.569645 |
| 33*CHCl3_2 | -37.0376 | -2681.932767 | -2681.594346 | -2681.578904 |

### 9.3. Calculated Data for Chapter 3

Table 9.3.1. Total energies, enthalpies and free energies (in Hartee) for all stationary points

|  | $\begin{aligned} & \text { MPW1K/6- } \\ & 31+G(d) \end{aligned}$ | MP2(FC)/6-31+G(2d,p)//MPW1K/6-31+G(d) |  |  | $\begin{aligned} & \text { MP2(FC)/6- } \\ & 31+\mathrm{G}(2 \mathrm{~d}, \mathrm{p}) / \mathrm{MPW} 1 \mathrm{~K} / 6- \\ & 31+\mathrm{G}(\mathrm{~d}) ; \\ & \text { PCM/UAHF/RHF/6-31G(d) } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\mathrm{E}_{\text {tot, gas }}$ | $\mathrm{E}_{\text {tot, gas }}$ | „ $\mathrm{H}^{\text {c }}$ 298, gas | „, ${ }^{\text {" }}{ }^{\text {a }}$, ${ }^{\text {gas }}$ | „G" ${ }_{298 . \text { THF }}$ |
| 1 | -1036.131942 | -1033.805540 | -1033.506480 | -1033.568131 | -1033.565437 |
| 2_1 | -231.167720 | -230.606397 | -230.507158 | -230.542589 | -230.544677 |
| 2_2 | -231.167421 | -230.605751 | -230.506640 | -230.542340 | -230.544030 |
| 4 | -805.080259 | -803.679703 | -803.567660 | -803.608594 | -803.611081 |
| 7 | -511.809352 | -510.714225 | -510.594103 | -510.635796 | -510.643207 |
| 8_1 | -1036.265298 | -1034.311952 | -1034.096506 | -1034.152325 | -1034.153201 |
| 8_2 | -1036.267134 | -1034.312233 | -1034.096555 | -1034.151785 | -1034.152470 |
| 8_3 | -1036.263295 | -1034.309681 | -1034.094262 | -1034.150262 | -1034.152031 |
| 8_4 | -1036.260186 | -1034.306915 | -1034.091649 | -1034.147628 | -1034.150050 |
| 8_5 | -1036.258234 | -1034.305992 | -1034.090769 | -1034.147305 | -1034.149042 |
| 8_6 | -1036.259973 | -1034.307365 | -1034.092138 | -1034.148083 | -1034.149023 |
| 8_7 | -1036.259496 | -1034.307123 | -1034.091894 | -1034.148132 | -1034.148610 |
| 8_8 | -1036.257430 | -1034.304837 | -1034.089521 | -1034.145535 | -1034.147941 |
| Int1_1 | -2584.215430 | -2578.852128 | -2578.214936 | -2578.355176 | -2578.327065 |
| Int1_2 | -2584.215840 | -2578.847329 | -2578.210017 | -2578.350488 | -2578.324927 |
| TS1_1 | -2584.200085 | -2578.843830 | -2578.207439 | -2578.336743 | -2578.314114 |
| TS1_2 | -2584.205215 | -2578.847801 | -2578.211146 | -2578.339988 | -2578.313965 |
| TS1_3 | -2584.204044 | -2578.843332 | -2578.206755 | -2578.336928 | -2578.313885 |
| TS1_4 | -2584.199729 | -2578.835118 | -2578.198364 | -2578.328033 | -2578.307348 |
| Inr2_1 | -2584.217741 | -2578.875320 | -2578.237694 | -2578.362585 | -2578.342617 |
| Inr2_2 | -2584.21828 | -2578.871384 | -2578.233928 | -2578.358944 | -2578.340968 |
| Inr2_3 | -2584.218526 | -2578.870152 | -2578.233081 | -2578.357950 | -2578.338221 |
| Inr2_4 | -2584.223903 | -2578.861221 | -2578.223713 | -2578.349482 | -2578.334216 |
| Inr2_5 | -2584.219785 | -2578.858677 | -2578.221032 | -2578.348716 | -2578.333975 |
| Inr2_6 | -2584.220008 | -2578.855318 | -2578.217803 | -2578.344602 | -2578.332395 |
| Inr2_7 | -2584.211804 | -2578.847834 | -2578.209828 | -2578.335804 | -2578.319836 |
| Inr2_8 | -2584.213379 | -2578.851163 | -2578.213178 | -2578.337914 | -2578.318185 |
| TS2_RR_1 | -2584.202982 | -2578.859229 | -2578.221933 | -2578.341338 | -2578.330294 |
| TS2_1 | -2584.199683 | -2578.858096 | -2578.220798 | -2578.338465 | -2578.329286 |
| TS2_2 | -2584.203694 | -2578.855060 | -2578.218313 | -2578.340415 | -2578.325722 |
| TS2_3 | -2584.199412 | -2578.857068 | -2578.220201 | -2578.337653 | -2578.325526 |
| TS2_4 | -2584.19381 | -2578.849147 | -2578.212390 | -2578.331134 | -2578.325158 |
| TS2_5 | -2584.202468 | -2578.856862 | -2578.219953 | -2578.339617 | -2578.322788 |
| TS2_RR2 | -2584.203608 | -2578.853334 | -2578.216373 | -2578.337525 | -2578.322593 |
| TS2_RR3 | -2584.204188 | -2578.85341 | -2578.216498 | -2578.336623 | -2578.322312 |
| TS2_RR4 | -2584.197028 | -2578.849769 | -2578.212814 | -2578.332168 | -2578.321538 |
| TS2_6 | $-2584.190273$ | -2578.843586 | -2578.206993 | -2578.327145 | -2578.321504 |
| TS2_RR5 | -2584.195998 | -2578.853388 | -2578.216839 | -2578.337607 | -2578.319201 |
| Int3_RR_1 | -2584.239317 | -2578.897009 | -2578.256597 | -2578.372649 | -2578.361064 |
| Int3_1 | -2584.238027 | -2578.886575 | -2578.246426 | -2578.366543 | -2578.357730 |
| Int3_RR_2 | -2584.235902 | -2578.884997 | -2578.244555 | -2578.363691 | -2578.357030 |
| Int3_2 | -2584.237483 | -2578.883907 | -2578.243639 | -2578.363615 | -2578.355520 |
| Int3_RR_3 | -2584.235185 | -2578.883188 | -2578.243154 | -2578.360648 | -2578.353540 |
| Int3_3 | -2584.227839 | -2578.881450 | -2578.241314 | -2578.359007 | -2578.353031 |
| Int3_4 | -2584.200377 | -2578.854939 | -2578.216293 | -2578.335225 | -2578.327783 |


| Int3_5 | -2584.198700 | -2578.854752 | -2578.216771 | -2578.336468 | -2578.327735 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Int3_RR_4 | -2584.199033 | -2578.851587 | -2578.213015 | -2578.331474 | -2578.322756 |
| Int3_RR_5 | -2584.194794 | -2578.841896 | -2578.203488 | -2578.324703 | -2578.318918 |
| TS3_1 | -2584.209886 | -2578.870766 | -2578.236147 | -2578.352731 | -2578.340158 |
| TS3_2 | -2584.207893 | -2578.867938 | -2578.232987 | -2578.349397 | -2578.334879 |
| TS3_RR_1 | -2584.201068 | -2578.862617 | -2578.228150 | -2578.345468 | -2578.333787 |
| TS3_RR_2 | -2584.198690 | -2578.863181 | -2578.228338 | -2578.344709 | -2578.331068 |
| TS3_3 | -2584.196622 | -2578.854615 | -2578.219936 | -2578.336466 | -2578.327478 |
| Int4_1 | -2584.230413 | -2578.887042 | -2578.247213 | -2578.368459 | -2578.354244 |
| Int4_2 | -2584.230746 | -2578.886054 | -2578.246290 | -2578.365320 | -2578.349033 |
| Int4_3 | -2584.232674 | -2578.883119 | -2578.243221 | -2578.362438 | -2578.348765 |
| Int4_4 | -2584.221897 | -2578.876185 | -2578.237275 | -2578.354904 | -2578.344131 |
| Int4_5 | -2584.210045 | -2578.867134 | -2578.227419 | -2578.344892 | -2578.329641 |
| Int4_RR_1 | -2584.203334 | -2578.859764 | -2578.220294 | -2578.338215 | -2578.326040 |
| TS4_1 | -2584.207687 | -2578.863762 | -2578.225395 | -2578.348226 | -2578.327812 |
| TS4_2 | -2584.213606 | -2578.863408 | -2578.224915 | -2578.346703 | -2578.326735 |
| TS4_3 | -2584.20968 | -2578.854178 | -2578.215619 | -2578.337255 | -2578.324491 |
| TS4_4 | -2584.205659 | -2578.857806 | -2578.220668 | -2578.341598 | -2578.322267 |
| TS4_5 | -2584.204769 | -2578.855807 | -2578.217652 | -2578.340580 | -2578.321250 |
| TS4_6 | -2584.196704 | -2578.847007 | -2578.208643 | -2578.329792 | -2578.313346 |
| TS4_7 | -2584.192501 | -2578.842918 | -2578.204797 | -2578.326293 | -2578.311266 |
| Int5_1 | -2584.230383 | -2578.869606 | -2578.230065 | -2578.359714 | -2578.340607 |
| Int5_2 | -2584.226937 | -2578.868684 | -2578.229423 | -2578.359171 | -2578.336415 |
| Int5_3 | -2584.218809 | -2578.866453 | -2578.227392 | -2578.360154 | -2578.336026 |
| Int5_4 | -2584.221443 | -2578.866792 | -2578.227608 | -2578.357456 | -2578.335082 |
| Int5_5 | -2584.223634 | -2578.866095 | -2578.227058 | -2578.358728 | -2578.334760 |
| Int5_6 | -2584.220010 | -2578.868101 | -2578.228992 | -2578.359104 | -2578.333686 |
| Int5_7 | -2584.220932 | -2578.856837 | -2578.217724 | -2578.350554 | -2578.332754 |
| Int_p_1 | -2584.224672 | -2578.875602 | -2578.237166 | -2578.362055 | -2578.345274 |
| Int_p_2 | -2584.214979 | -2578.866558 | -2578.228694 | -2578.356694 | -2578.344934 |
| Int_p_3 | -2584.208080 | -2578.866518 | -2578.228454 | -2578.353307 | -2578.341610 |
| Int_p_4 | -2584.225338 | -2578.872588 | -2578.234278 | -2578.358419 | -2578.341288 |
| Int_y_1 | -2584.198207 | -2578.845497 | -2578.209675 | -2578.339980 | -2578.322179 |
| Int_y_2 | -2584.199932 | -2578.850006 | -2578.213676 | -2578.341421 | -2578.321230 |

### 9.4. Calculated Data for Chapter 4

Table 9.4.1

|  | $\begin{aligned} & \text { mPW1K/6- } \\ & 31+G(d) \end{aligned}$ <br> Etot | $\begin{aligned} & \text { MP2(FC)/G3MP2Large/mPW1K/6- } \\ & 31+G(d) \end{aligned}$ |  | $\begin{aligned} & \text { MP2(FC)/G3MP2Large/mPW1K/6- } \\ & \text { 31+G(d); } \\ & \text { PCM/UAHF/RHF/6-31G(d) } \\ & \text { „,G" }{ }^{298 . \text { DMSo }} \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: |
|  |  | Etot | „, ${ }^{\text {" }}$ 298, gas |  |
| 3_1 | -1267.285186 | -1265.040105 | -1264.713986 | -1264.720280 |
| 3_2 | -1267.283911 | -1265.040051 | -1264.714916 | -1264.719537 |
| 3_3 | -1267.267871 | -1265.025808 | -1264.702245 | -1264.715614 |
| 3_4 | -1267.266261 | -1265.023474 | -1264.700180 | -1264.712051 |
| 10_1 | -1267.742604 | -1265.487585 | -1265.151836 | -1265.195145 |
| 10_2 | -1267.743910 | -1265.492557 | -1265.153153 | -1265.194358 |
| 10_3 | -1267.742655 | -1265.487773 | -1265.151155 | -1265.193571 |
| 10_4 | -1267.741550 | -1265.490008 | -1265.151181 | -1265.192975 |
| 11_1 | -1267.282487 | -1265.041058 | -1264.718256 | -1264.716504 |
| 11_2 | -1267.284987 | -1265.045608 | -1264.721128 | -1264.716459 |
| 11_3 | -1267.279783 | -1265.042477 | -1264.719432 | -1264.715273 |
| 11_4 | -1267.283702 | -1265.042730 | -1264.718835 | -1264.714852 |
| 11_5 | -1267.282746 | -1265.040994 | -1264.717595 | -1264.713882 |
| 11_6 | -1267.278959 | -1265.037474 | -1264.715508 | -1264.713819 |
| 12_1 | -1075.841650 | -1073.908482 | -1073.631537 | -1073.674750 |
| 12B_1 | -1075.379886 | -1073.460403 | -1073.198647 | -1073.195110 |
| 12B_2 | -1075.379391 | -1073.459373 | -1073.196258 | -1073.193581 |
| 13_1 | -1306.836570 | -1304.454521 | -1304.100290 | -1304.138468 |
| 13B_1 | -1306.386905 | -1304.015186 | -1303.675068 | -1303.671084 |
| 13B_2 | -1306.383352 | -1304.011318 | -1303.670585 | -1303.667987 |
| 3*DMSO | -1820.449146 | -1817.480720 | -1817.083034 | -1817.077394 |
| 11*DMSO | -1820.440582 | -1817.481688 | -1817.084430 | -1817.071779 |
| 10*DMSO | -1820.913203 | -1817.940245 | -1817.531076 | -1817.555343 |
| 12B*DMSO | -1628.53667 | -1625.895606 | -1625.564188 | -1625.554580 |
| 12*DMSO | -1629.014316 | -1626.356616 | -1626.009847 | -1626.036919 |

Table 9.4.2


21

| Nu | X | Species | mPW1K/6-31+G(d) |  | $\begin{gathered} \hline \text { PCM(DMSO) } \\ \text { /UAHF/RHF } \\ \text { /6-31G(d) } \\ \hline \end{gathered}$ | MP2(FC)/G3MP2large//mPW1K/6-31+G(d) |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | $\mathrm{E}_{\text {tot, }}$ a.u. | "G" corr., a.u. | G solv., a.u. | $\mathrm{E}_{\text {tot, }}$ a.u. | "G" ${ }_{298(\text { gas ), }}$ a.u. | "G" ${ }^{298(\mathrm{DMSO}), ~ a . u . ~}$ |
| $\mathrm{PMe}_{3}$ | Me | Op.int_1 | -692.238432 | 0.173039 | -0.010404882 | -691.086387 | -690.913348 | -690.923753 |
|  |  | Ilide_1 | -692.227323 | 0.170212 | -0.002310426 | -691.076102 | -690.905890 | -690.908201 |
|  |  | Ilide_2 | -692.233400 | 0.171997 | 0.001290652 | -691.083515 | -690.911518 | -690.910227 |
|  |  | Ilide_3 | -692.232637 | 0.171024 | 0.000892302 | -691.082595 | -690.911571 | -690.910679 |
|  |  | Ilide_4 | -692.235027 | 0.17282 | 0.000637359 | -691.085718 | -690.912898 | -690.912261 |
|  |  | Proton_1 | -692.685413 | 0.186611 | -0.058716678 | -691.523306 | -691.336695 | -691.395411 |
|  |  | Proton_2 | -692.681813 | 0.184654 | -0.061967208 | -691.518753 | -691.334099 | -691.396066 |
|  |  | Proton_3 | -692.689251 | 0.188218 | -0.057983715 | -691.526789 | -691.338571 | -691.396554 |
|  | OMe | Op.int_1 | -767.429628 | 0.177766 | -0.014324639 | -766.200864 | -766.023098 | -766.037423 |
|  |  | Op.int_2 | -767.435797 | 0.17648 | -0.010564222 | -766.205155 | -766.028675 | -766.039240 |
|  |  | Ilide_1 | -767.428206 | 0.176021 | -0.001386255 | -766.202837 | -766.026816 | -766.028202 |
|  |  | Ilide_2 | -767.440400 | 0.177448 | 0.001226916 | -766.214072 | -766.036624 | -766.035397 |
|  |  | Proton_1 | -767.881646 | 0.193443 | -0.060230405 | -766.644016 | -766.450573 | -766.510804 |
|  |  | Proton_2 | -767.891485 | 0.191764 | -0.057282621 | -766.653068 | -766.461304 | -766.518587 |
|  |  | Proton_3 | -767.895044 | 0.193093 | -0.05651779 | -766.656334 | -766.463241 | -766.519759 |
|  | OPh | Op.int_1 | -959.129029 | 0.224913 | -0.010309278 | -957.528486 | -957.303573 | -957.313883 |
|  |  | Op.int_2 | -959.125082 | 0.225384 | -0.012412562 | -957.527175 | -957.301791 | -957.314203 |
|  |  | Op.int_3 | -959.128035 | 0.223261 | -0.011472458 | -957.527425 | -957.304164 | -957.315637 |
|  |  | Ilide_1 | -959.120021 | 0.223835 | -4.78019E-05 | -957.524731 | -957.300896 | -957.300943 |
|  |  | Ilide_2 | -959.128550 | 0.225718 | 0.002023614 | -957.532324 | -957.306606 | -957.304583 |
|  |  | Ilide_3 | -959.128356 | 0.224826 | 0.001210982 | -957.532576 | -957.307750 | -957.306539 |
|  |  | Proton_1 | -959.576171 | 0.241968 | -0.054956261 | -957.968843 | -957.726875 | -957.781831 |
|  |  | Proton_2 | -959.578620 | 0.24049 | -0.056135375 | -957.970082 | -957.729592 | -957.785728 |
|  |  | Proton_3 | -959.578552 | 0.23974 | -0.055991969 | -957.969835 | -957.730095 | -957.786087 |
|  |  | Proton_4 | -959.582195 | 0.241366 | -0.054780988 | -957.973363 | -957.731997 | -957.786778 |


| $\mathrm{PPh}_{3}$ | Ph | Op.int_1 | -1458.976757 | 0.375679 | -0.005465352 | -1456.364544 | -1455.988865 | -1455.994330 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Ilide_1 | -1458.972379 | 0.373966 | 0.005592823 | -1456.362029 | -1455.988063 | -1455.982470 |
|  |  | Proton_1 | -1459.434460 | 0.3877 | -0.038799216 | -1456.810625 | -1456.422925 | -1456.461724 |
|  |  | Proton_2 | -1459.436264 | 0.391163 | -0.036711866 | -1456.816923 | -1456.425760 | -1456.462472 |
|  | OPh | Op.int_1 | -1534.171864 | 0.377987 | -0.005592823 | -1531.483585 | -1531.105598 | -1531.111191 |
|  |  | Op.int_2 | -1534.171588 | 0.375837 | -0.005895569 | -1531.481371 | -1531.105534 | -1531.111430 |
|  |  | Op.int_3 | -1534.171257 | 0.37592 | -0.006692267 | -1531.481659 | -1531.105739 | -1531.112431 |
|  |  | Ilide_1 | -1534.168667 | 0.37599 | 0.004270304 | -1531.483478 | -1531.107488 | -1531.103218 |
|  |  | Ilide_2 | -1534.176353 | 0.376714 | 0.005624691 | -1531.488852 | -1531.112138 | -1531.106513 |
|  |  | Ilide_3 | -1534.176397 | 0.37599 | 0.005879635 | -1531.488886 | -1531.112896 | -1531.107017 |
|  |  | Proton_1 | -1534.628387 | 0.391219 | -0.037460763 | -1531.932270 | -1531.541051 | -1531.578512 |
|  |  | Proton_2 | -1534.635402 | 0.390982 | -0.038177791 | -1531.936226 | -1531.545244 | -1531.583422 |
|  |  | Proton_3 | -1534.635015 | 0.391924 | -0.038592074 | -1531.938693 | -1531.546769 | -1531.585361 |
|  | H | Op.int_1 | -1227.970410 | 0.299452 | -0.009002693 | -1225.813631 | -1225.514179 | -1225.523182 |
|  |  | Ilide_1 | -1227.965101 | 0.297462 | 0.002724709 | -1225.812314 | -1225.514852 | -1225.512127 |
|  |  | Proton_1 | -1228.421899 | 0.313644 | -0.044248634 | -1226.259230 | -1225.945586 | -1225.989834 |
|  |  | Proton_2 | -1228.421104 | 0.310744 | -0.045746427 | -1226.255689 | -1225.944945 | -1225.990692 |
| DMAP | Me | Op.int_1 | -613.312424 | 0.222678 | -0.018770216 | -612.171524 | -611.948846 | -611.967616 |
|  |  | Ilide_1 | -613.287124 | 0.219595 | -0.006293918 | -612.155562 | -611.935967 | -611.942261 |
|  |  | Ilide_2 | -613.284489 | 0.218264 | -0.007074683 | -612.154855 | -611.936591 | -611.943666 |
|  |  | Ilide_3 | -613.289530 | 0.220371 | -0.005815899 | -612.158699 | -611.938328 | -611.944144 |
|  |  | Proton_1 | -613.771401 | 0.235612 | -0.061457321 | -612.621003 | -612.385391 | -612.446848 |
|  | OMe | Op.int_1 | -688.503919 | 0.227069 | -0.022769643 | -687.286500 | -687.059431 | -687.082200 |
|  |  | Op.int_2 | -688.509662 | 0.226074 | -0.019184499 | -687.291096 | -687.065022 | -687.084207 |
|  |  | Ilide_1 | -688.478006 | 0.22304 | -0.010341146 | -687.272519 | -687.049479 | -687.059820 |
|  |  | Ilide_2 | -688.491692 | 0.222762 | -0.006134578 | -687.285620 | -687.062858 | -687.068992 |
|  |  | Proton_1 | -688.963395 | 0.240971 | -0.064771587 | -687.737834 | -687.496863 | -687.561634 |
|  |  | Proton_2 | -688.977819 | 0.241247 | -0.060086999 | -687.751157 | -687.509910 | -687.569997 |
|  | CN | Op.int_1 | -666.212064 | 0.192632 | -0.024171832 | -665.037182 | -664.844550 | -664.868722 |
|  |  | Ilide_1 | -666.166388 | 0.188737 | -0.005624691 | -665.001964 | -664.813227 | -664.818852 |
|  |  | Ilide_2 | -666.166012 | 0.188027 | -0.00610271 | -665.002211 | -664.814184 | -664.820287 |
|  |  | Ilide_3 | -666.175923 | 0.19055 | -0.009528514 | -665.012286 | -664.821736 | -664.831264 |
|  |  | Proton_1 | -666.636607 | 0.205472 | -0.068340796 | -665.454337 | -665.248865 | -665.317206 |
|  |  | Proton_2 | -666.632430 | 0.20418 | -0.071639127 | -665.449327 | -665.245147 | -665.316787 |
| DABCO | Me | Op.int_1 | -576.4167272 | 0.25026 | -0.022737775 | -575.327344 | -575.077084 | -575.099822 |
|  |  | Ilide_1 | -576.3656588 | 0.247132 | -0.01978999 | -575.275739 | -575.028607 | -575.048397 |
|  |  | Ilide_2 | -576.3719287 | 0.248341 | -0.015041667 | -575.282941 | -575.034600 | -575.049642 |
|  |  | Ilide_3 | -576.3676314 | 0.247327 | -0.019136698 | -575.278026 | -575.030699 | -575.049835 |
|  |  | Proton_1 | -576.8515078 | 0.26355 | -0.076881403 | -575.752374 | -575.488824 | -575.565706 |


| Proton_2 | -576.8540916 | 0.263753 | -0.078124253 | -575.755208 | -575.491455 | -575.569579 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Proton_3 | -576.8519773 | 0.260958 | -0.081709396 | -575.752254 | -575.491296 | -575.573005 |

Table 9.4.3 Reference acids


| Species | $\mathrm{mPW} 1 \mathrm{~K} / 6-31+\mathrm{G}(\mathrm{d})$ |  | PCM(DMSO) <br> $/ \mathrm{UAHF} / \mathrm{RHF}$ <br> $/ 6-31 \mathrm{G}(\mathrm{d})$ | MP2(FC)/G3MP2large//mPW1K/6-31+G(d) |  |
| :---: | :---: | :---: | :---: | :---: | :---: |

Table 9.4.4 Additional calculations to perform G3(MP2)mPW1K(+) scheme and SCS-MP2 calculations


| 20 |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Species | $\begin{gathered} \text { QCISD(T,FC)/6- } \\ 31 \mathrm{G}(\mathrm{~d}) / / \mathrm{mPW} 1 \mathrm{~K} / 6-31+\mathrm{G}(\mathrm{~d}) \\ \hline \end{gathered}$ | $\begin{gathered} \text { MP2(FC)/6-31G(d)//mPW1K/6- } \\ 31+\mathrm{G}(\mathrm{~d}) \end{gathered}$ | G3(MP2)mPW1K(+) |  |
|  | Etot, a.u. | Etot, a.u. | "G" ${ }_{298}$ (gas), a.u. | "G" ${ }_{298}(\mathrm{DMSO}$ ), a.u. |
| 19_1 | -690.672732 | -690.540926 | -691.045154 | -691.055559 |
| 20_1 | -690.674752 | -690.540696 | -691.045628 | -691.044735 |
| 20_2 | -690.677150 | -690.543778 | -691.046270 | -691.045633 |
| 20_3 | -690.674623 | -690.540462 | -691.045678 | -691.044388 |
| 20_4 | -690.667217 | -690.533193 | -691.039914 | -691.042224 |
| 17_1 | -691.132451 | -690.995848 | -691.473297 | -691.532014 |
| 17_2 | -691.127573 | -690.990953 | -691.470719 | -691.532686 |
| 17_3 | -691.136907 | -691.000159 | -691.475318 | -691.533302 |
| 18B | -305.020670 | -304.926716 | -305.269376 | -305.285486 |
| 18 | -305.454621 | -305.357796 | -305.676362 | -305.757338 |
| SCS-MP2 calculations |  |  |  |  |
|  | HF/G3MP2large// mPW1K/6- | SCS-M | G3MP2large//mPW |  |
| Species | 31+G(d) | $\mathrm{E}_{\text {tot, }}$ a.u. | "G" ${ }_{298(\mathrm{gas} \text { ), }}$ a.u. | 'G'" ${ }^{\text {298(DMSO), }}$, a.u. |
| 19_1 | -689.501677 | -691.076716 | $-690.903677$ | $-690.914082$ |
| 20_1 | -689.503938 | -691.075452 | -690.904428 | $-690.903535$ |
| 20_2 | -689.505464 | -691.078285 | -690.905465 | -690.904827 |
| 20_3 | -689.503774 | -691.076090 | -690.904093 | -690.902802 |
| 20_4 | $-689.499205$ | -691.069593 | -690.899381 | -690.901691 |
| 17_1 | -689.963590 | -691.521051 | -691.334440 | -691.393157 |
| 17_2 | -689.960523 | -691.516906 | -691.332252 | -691.394220 |
| 17_3 | -689.965963 | -691.524263 | -691.336045 | $-691.394028$ |
| 18B | -304.055527 | -305.286738 | -305.164681 | -305.180790 |
| 18 | -304.488095 | -305.710792 | -305.574536 | -305.655512 |

### 9.5. Calculated Data for Chapter 5

### 9.5.1. Energies of Scan Calculations Performed During Development of MM3 Force Field Parameters For Phosphonium derivatives

## Van-der-Waals Parameter



Fig. 9.5.1 Energy comparison between MP2 and MM3 parameters via scan calculation (Ne and $\mathrm{PH}_{4}{ }^{+}$).

Parameters with $\mathbf{C}\left(\mathbf{s p}^{3}\right)$


Fig. 9.5.2 Energy comparison of 2D-scans of CP and CPC in $\mathrm{PMe}_{4}{ }^{+}$.

$\mathrm{f}(\mathrm{x})=0.02191418 * \mathrm{k} *(\mathrm{x}-\mathrm{x} 0) * * 2 *(1-0.014 *(\mathrm{x}-\mathrm{x} 0)+5.6 * 10 * *-5 *(\mathrm{x}-\mathrm{x} 0) * * 2-7 * 10 * *-7 *(\mathrm{x}-\mathrm{x} 0) * * 3+9 * 10 * *-10 *(\mathrm{x}-$ x0)**4)+z0
Fig. 9.5.3 Energy comparison of HCP scans in $\mathrm{PMe}_{4}{ }^{+}$.


Fig. 9.5.3 Energy comparison of HCP scans in $\mathrm{PMe}_{3} \mathrm{Et}^{+}$.


Fig. 9.5.4 Energy comparison of HCP scans in $\mathrm{PMe}_{3} \mathrm{Pr}^{+}$.


Fig. 9.5.5 Energy comparison of CCP scans in $\mathrm{PMe}_{3} \mathrm{Et}^{+}$.

$\mathrm{f}(\mathrm{x})=3 *(\mathrm{v} 1 * 0.5 *(1+\cos (\mathrm{x}))+\mathrm{v} 2 * 0.5 *(1-\cos (2 * \mathrm{x}))+\mathrm{v} 3 * 0.5 *(1+\cos (3 * \mathrm{x})))+3 *(\mathrm{v} 1 * 0.5 *(1+\cos (\mathrm{x}+120))+\mathrm{v} 2 * 0.5 *$ $(1-\cos (2 *(x+120)))+\mathrm{v} 3 * 0.5 *(1+\cos (3 *(x+120))))+3 *(v 1 * 0.5 *(1+\cos (x-120))+\mathrm{v} 2 * 0.5 *(1-\cos (2 *(x-120)))+\mathrm{v} 3 *$ $\left.0.5^{*}(1+\cos (3 *(x-120)))\right)$

Fig. 9.5.6 Energy comparison of HCPC scans in $\mathrm{PMe}_{4}{ }^{+}$.


Fig. 9.5.7 Energy comparison of HCCP scans in $\mathrm{PMe}_{3} \mathrm{Et}^{+}$.


Fig. 9.5.8 Energy comparison of CCPC scans in $\mathrm{PMe}_{3} \mathrm{Et}^{+}$.


Fig. 9.5.9 Energy comparison of CCCP scans in $\mathrm{PMe}_{3} \mathrm{nPr}^{+}$.

## Parameters with C(sp2)



Fig. 9.5.10 Energy comparison of 2D-scans of DP and DPC in $\mathrm{PMe}_{3} \mathrm{Ph}^{+}$.


Fig. 9.5.11 Energy comparison of DDP scans in $\mathrm{PMe}_{3} \mathrm{Ph}^{+}$.


Fig. 9.5.12 Energy comparison of DPD scans in $\mathrm{PMe}_{2} \mathrm{Ph}_{2}{ }^{+}$.


Fig. 9.5.13 Energy comparison of DCP scans in Allyl-PMe ${ }_{3}{ }^{+}$.


Fig. 9.5.14 Energy comparison of DCP scans in MeAllyl-PMe ${ }_{3}{ }^{+}$.


Fig. 9.5.15 Energy comparison of DCP scans in $\mathrm{Me}_{2}$ Allyl- $\mathrm{PMe}_{3}{ }^{+}$.


Fig. 9.5.13 Energy comparison of DDPC scans in $\mathrm{PH}_{2} \mathrm{MePh}^{+}$.


Fig. 9.5.14 Energy comparison of DDDP scans in $\mathrm{PMe}_{3} \mathrm{Ph}^{+}$.


Fig. 9.5.15 Energy comparison of HDDP scans in $\mathrm{PMe}_{3} \mathrm{Ph}^{+}$.


Fig. 9.5.16 Energy comparison of CDDP scans in $\mathrm{MePh}-\mathrm{PMe}_{3}{ }^{+}$.


Fig. 9.5.17 Energy comparison of DDPD scans in $\mathrm{PMe}_{2} \mathrm{Ph}_{2}{ }^{+}$.


Fig. 9.5.18 Energy comparison of DPCH scans in $\mathrm{PMe}_{3} \mathrm{Ph}^{+}$.


Fig. 9.5.19 Energy comparison of DPCC scans in $\mathrm{PMe}_{2} \mathrm{EtPh}^{+}$.


Fig. 9.5.20 Energy comparison of DDCP, HDCP (defined from the same scan) scan in Allyl$\mathrm{PMe}_{3}{ }^{+}$.

$\mathrm{f}(\mathrm{x})=(\mathrm{v} 1 * 0.5 *(1+\cos (\mathrm{x}))+\mathrm{v} 2 * 0.5 *(1-\cos (2 * \mathrm{x}))+\mathrm{v} 3 * 0.5 *(1+\cos (3 * \mathrm{x})))+(\mathrm{v} 1 * 0.5 *(1+\cos (\mathrm{x}+117.909))+\mathrm{v} 2 * 0.5 *$ $(1-\cos (2 *(x+117.909)))+\mathrm{v} 3 * 0.5 *(1+\cos (3 *(x+117.909))))+(\mathrm{v} 1 * 0.5 *(1+\cos (\mathrm{x}-117.91))+\mathrm{v} 2 * 0.5 *(1-\cos (2 *(\mathrm{x}-$ 117.91)) $)+\mathrm{v} 3 * 0.5 *(1+\cos (3 *(\mathrm{x}-117.91))))$

Fig. 9.5.21 Energy comparison of DCPC scans in Allyl-PMe ${ }_{3}{ }^{+}$.

$\mathrm{f}(\mathrm{x})=(\mathrm{v} 1 * 0.5 *(1+\cos (\mathrm{x}))+\mathrm{v} 2 * 0.5 *(1-\cos (2 * \mathrm{x}))+\mathrm{v} 3 * 0.5 *(1+\cos (3 * \mathrm{x})))+(\mathrm{v} 1 * 0.5 *(1+\cos (\mathrm{x}+117.019))+\mathrm{v} 2 * 0.5 *$ $(1-\cos (2 *(x+117.019)))+\mathrm{v} 3 * 0.5 *(1+\cos (3 *(\mathrm{x}+117.019))))+(\mathrm{v} 1 * 0.5 *(1+\cos (\mathrm{x}-124.35))+\mathrm{v} 2 * 0.5 *(1-\cos (2 *(\mathrm{x}-$ $124.35))$ ) $+\mathrm{v} 3 * 0.5 *(1+\cos (3 *(\mathrm{x}-124.35))))$
Fig. 9.5.22 Energy comparison of DCPD scans in Allyl- $\mathrm{PMe}_{2} \mathrm{Ph}^{+}$.


Fig. 9.5.23 Energy comparison of CDCP scans in MeAllyl-PMe ${ }_{3}{ }^{+}$.

### 9.5.2. Phosphanes With Unbranched and Branched Acyclic Alkyl Substituents and Cyclic Substituents

Table 9.5.1. Total Energies and Enthalpies (in Hartree) as calculated at the B98/6-31G(d) and MP2 (FC)/6-31+G(2d,p)//B98/6-31G(d) level of theory for all systems. If more than one conformer exist at 298.15 K , the single values of each conformer are denoted as well as the Boltzmann-averaged values for $\mathrm{H}_{298}$ at MP2(FC)/6-31+G(2d,p)//B98/6-31G(d) level of theory. Only conformers are included with a Boltzmann-weighting of at least $1 \%$ up to a maximum to ten conformers per system.

|  | B98/6-31G(d) |  | $\begin{gathered} \text { MP2(FC)/6-31+G(2d,p)// } \\ \text { B98/6-31G(d) } \\ \hline \end{gathered}$ |  |
| :---: | :---: | :---: | :---: | :---: |
| System | $\mathrm{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ | $\mathbf{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ |
| $\mathrm{CH}_{3}{ }^{+}$ | -39.462922 | -39.427481 | -39.352370 | -39.316929 |
| 1 |  |  |  | -460.069844 |
| 1_1 | -460.996371 | -460.875351 | -460.190864 | -460.069844 |
| 1-Me ${ }^{+}$ |  |  |  | -499.616902 |
| $1-\mathrm{Me}^{+}$_1 | -500.690725 | -500.527994 | -499.779633 | -499.616902 |
| 2 |  |  |  | -499.229506 |
| 2_1 | -500.291789 | -500.140620 | -499.380925 | -499.229756 |
| 2_2 | -500.290437 | -500.139265 | -499.379363 | -499.228192 |
| 2-Me ${ }^{+}$ |  |  |  | -538.778959 |
| $2-\mathrm{Me}^{+}$_1 | -539.988433 | -539.795575 | -538.971818 | -538.778959 |
| 3 |  |  |  | -538.389368 |
| 3_1 | -539.587192 | -539.405864 | -538.570888 | -538.389560 |
| 3_2 | -539.587129 | -539.405732 | -538.570864 | -538.389467 |
| 3-3 | -539.586011 | -539.404407 | -538.569936 | -538.388332 |
| 3-4 | -539.585712 | -539.404324 | -538.569356 | -538.387969 |
| 3-5 | -539.585741 | -539.404392 | -538.569142 | -538.387794 |
| 3-Me ${ }^{+}$ |  |  |  | -577.940957 |
| $3-\mathrm{Me}^{+}$_1 | -579.286127 | -579.063048 | -578.164383 | -577.941304 |
| $3-\mathrm{Me}^{+}{ }_{-} 2$ | -579.285951 | -579.062897 | -578.163903 | -577.940849 |
| $3-\mathrm{Me}^{+}+3$ | -579.285941 | -579.062757 | -578.163895 | -577.940711 |
| $3-\mathrm{Me}^{+}{ }_{-} 4$ | -579.284342 | -579.061078 | -578.162030 | -577.938767 |
| 4 |  |  |  | -577.548752 |
| 4_1 | -578.882317 | -578.670863 | -577.760698 | -577.549243 |
| 4_2 | -578.882307 | -578.670812 | -577.760706 | -577.549211 |
| 4_3 | -578.881414 | -578.669729 | -577.760384 | -577.548699 |
| 4-4 | -578.881118 | -578.669561 | -577.759884 | -577.548327 |
| 4_5 | -578.880980 | -578.669528 | -577.759134 | -577.547682 |
| 4_6 | -578.880980 | -578.669524 | -577.759129 | -577.547673 |
| 4_7 | -578.880891 | -578.669360 | -577.758980 | -577.547449 |
| 4_8 | -578.879750 | -578.668302 | -577.757930 | -577.546482 |
| 4-Me ${ }^{+}$ |  |  |  | -617.102794 |
| $4-\mathrm{Me}^{+}$_1 | -618.583673 | -618.330318 | -617.356777 | -617.103423 |
| $4-\mathrm{Me}^{+}{ }_{-} 2$ | -618.583473 | -618.329956 | -617.356358 | -617.102841 |
| $4-\mathrm{Me}^{+}{ }^{+} 3$ | -618.583197 | -618.329644 | -617.355828 | -617.102274 |
| $4-\mathrm{Me}^{+}+4$ | -618.583239 | -618.329669 | -617.355840 | -617.102271 |
| $4-\mathrm{Me}^{+}$- 5 | -618.581787 | -618.328153 | -617.354398 | -617.100764 |
| $4-\mathrm{Me}^{+}$_ 6 | -618.581665 | -618.328057 | -617.354175 | -617.100566 |
| $4-\mathrm{Me}^{+}{ }^{\text {7 }}$ | -618.581633 | -618.328095 | -617.354046 | -617.100508 |
| 5 |  |  |  | -538.391333 |
| 5_1 | -539.589302 | -539.408275 | -538.572900 | -538.391873 |
| 5_2 | -539.588174 | -539.407153 | -538.572003 | -538.390982 |
| 5_3 | -539.587825 | -539.406637 | -538.571340 | -538.390152 |
| 5_4 | -539.587287 | -539.406091 | -538.571187 | -538.389991 |
| $5-\mathrm{Me}^{+}$ |  |  |  | -577.942235 |
| $5-\mathrm{Me}^{+}$_1 | -579.287376 | -579.064571 | -578.165220 | -577.942415 |
| $5-\mathrm{Me}^{+}{ }^{2}$ | -579.284837 | -579.062040 | -578.162866 | -577.940069 |
| 6 |  |  |  | -616.712941 |


| 6_1 | -618.182248 | -617.941090 | -616.955068 | -616.713910 |
| :---: | :---: | :---: | :---: | :---: |
| 6_2 | -618.182262 | -617.941173 | -616.954981 | -616.713892 |
| 6_3 | -618.181133 | -617.940002 | -616.954157 | -616.713027 |
| 6_4 | -618.180839 | -617.939626 | -616.954237 | -616.713024 |
| 6_5 | -618.181138 | -617.940029 | -616.954087 | -616.712978 |
| 6_6 | -618.181068 | -617.939899 | -616.954135 | -616.712966 |
| 6_7 | -618.181010 | -617.939943 | -616.953560 | -616.712493 |
| 6_8 | -618.180720 | -617.939581 | -616.953597 | -616.712459 |
| 6_9 | -618.179976 | -617.938952 | -616.953255 | -616.712231 |
| 6_10 | -618.180221 | -617.939058 | -616.953333 | -616.712170 |
| 6-Me ${ }^{+}$ |  |  |  | -656.267583 |
| $6-\mathrm{Me}^{+}$_1 | -657.883838 | -657.600811 | -656.551384 | -656.268357 |
| $6-\mathrm{Me}^{+}+2$ | -657.883653 | -657.600694 | -656.550788 | -656.267829 |
| $6-\mathrm{Me}^{+}{ }^{2} 3$ | -657.883675 | -657.600684 | -656.550665 | -656.267674 |
| $6-\mathrm{Me}^{+}{ }^{4}$ | -657.882065 | -657.599070 | -656.549224 | -656.266229 |
| $6-\mathrm{Me}^{+}+5$ | -657.881230 | -657.598164 | -656.548959 | -656.265894 |
| $6-\mathrm{Me}^{+}{ }^{\text {- }}$ 6 | -657.881204 | -657.598155 | -656.548639 | -656.265590 |
| $6-\mathrm{Me}^{+}+7$ | -657.881301 | -657.598035 | -656.548770 | -656.265504 |
| $6-\mathrm{Me}^{+}$-8 | -657.881205 | -657.598070 | -656.548557 | -656.265422 |
| $6-\mathrm{Me}^{+}$-9 | -657.881115 | -657.598029 | -656.548284 | -656.265198 |
| $6-\mathrm{Me}^{+}$_10 | -657.881245 | -657.598096 | -656.548343 | -656.265194 |
| 7 |  |  |  | -695.034802 |
| 7_1 | -696.775018 | -696.473798 | -695.337264 | -695.036044 |
| 7_2 | -696.773868 | -696.472765 | -695.337118 | -695.036016 |
| 7_3 | -696.773942 | -696.472760 | -695.336405 | -695.035223 |
| 7_4 | -696.773798 | -696.472344 | -695.336597 | -695.035143 |
| 7_5 | -696.773832 | -696.472713 | -695.335952 | -695.034834 |
| 7_6 | -696.772606 | -696.471280 | -695.336067 | -695.034741 |
| 7_7 | -696.773726 | -696.472593 | -695.335715 | -695.034582 |
| 7_8 | -696.773083 | -696.471843 | -695.335677 | -695.034438 |
| 7_9 | -696.772825 | -696.471643 | -695.335565 | -695.034383 |
| 7_10 | -696.772897 | -696.471754 | -695.335420 | -695.034277 |
| 7-Me ${ }^{+}$ |  |  |  | -734.593073 |
| $7-\mathrm{Me}^{+}$_1 | -736.479952 | -736.136800 | -734.937424 | -734.594272 |
| $7-\mathrm{Me}^{+}$_2 | -736.479848 | -736.136499 | -734.936971 | -734.593622 |
| $7-\mathrm{Me}^{+}$- 3 | -736.479510 | -736.136260 | -734.936263 | -734.593012 |
| $7-\mathrm{Me}^{+}$-4 | -736.478156 | -736.134954 | -734.935157 | -734.591955 |
| $7-\mathrm{Me}^{+}$-5 | -736.477305 | -736.133987 | -734.934995 | -734.591677 |
| $7-\mathrm{Me}^{+}$_6 | -736.478036 | -736.134740 | -734.934846 | -734.591550 |
| $7-\mathrm{Me}^{+}+7$ | -736.477364 | -736.134031 | -734.934838 | -734.591506 |
| $7-\mathrm{Me}^{+}$-8 | -736.478124 | -736.134734 | -734.934891 | -734.591501 |
| $7-\mathrm{Me}^{+}$_9 | -736.477348 | -736.133942 | -734.934777 | -734.591372 |
| $7-\mathrm{Me}^{+}$_10 | -736.477121 | -736.133836 | -734.934641 | -734.591356 |
| 8 |  |  |  | -577.552930 |
| 8_1 | -578.886760 | -578.675867 | -577.764655 | -577.553763 |
| 8_2 | -578.885615 | -578.674569 | -577.763890 | -577.552844 |
| 8_3 | -578.885623 | -578.674542 | -577.763890 | -577.552809 |
| 8_4 | -578.885596 | -578.674648 | -577.763742 | -577.552794 |
| 8_5 | -578.884541 | -578.673516 | -577.763406 | -577.552381 |
| 8_6 | -578.884756 | -578.673738 | -577.763157 | -577.552138 |
| 8_7 | -578.885276 | -578.674266 | -577.763125 | -577.552115 |
| 8_8 | -578.883458 | -578.672354 | -577.762411 | -577.551308 |
| 8_9 | -578.884029 | -578.672918 | -577.762227 | -577.551116 |
| 8-Me ${ }^{+}$ |  |  |  | -617.104612 |
| $8-\mathrm{Me}^{+}{ }_{-1}$ | -618.585691 | -618.332926 | -617.357773 | -617.105008 |
| $8-\mathrm{Me}^{+}{ }^{2}$ | -618.584535 | -618.331912 | -617.357103 | -617.104480 |
| $8-\mathrm{Me}^{+}{ }^{2}$ | -618.583181 | -618.330407 | -617.355721 | -617.102947 |
| $8-\mathrm{Me}^{+}{ }^{4}$ | -618.582031 | -618.329248 | -617.355107 | -617.102323 |
| 9 |  |  |  | -695.036158 |
| 9_1 | -696.777148 | -696.476274 | -695.338641 | -695.037768 |
| 9 -2 | -696.777175 | -696.476313 | -695.338476 | -695.037614 |
| 9_3 | -696.775935 | -696.475156 | -695.337739 | -695.036960 |


| 9_4 | -696.775966 | -696.474952 | -695.337879 | -695.036865 |
| :---: | :---: | :---: | :---: | :---: |
| $9 \times 5$ | -696.775941 | -696.474913 | -695.337859 | -695.036831 |
| 9 -6 | -696.776029 | -696.475133 | -695.337709 | -695.036813 |
| 9 -7 | -696.775991 | -696.474941 | -695.337855 | -695.036806 |
| 9 -8 | -696.776020 | -696.475044 | -695.337765 | -695.036790 |
| 9 -9 | -696.775863 | -696.474745 | -695.337901 | -695.036783 |
| 9_10 | -696.776020 | -696.475026 | -695.337768 | -695.036774 |
| $9-\mathrm{Me}^{+}$ |  |  |  | -734.592214 |
| $9-\mathrm{Me}^{+}$_1 | -736.480291 | -736.137602 | -734.936545 | -734.593857 |
| $9-\mathrm{Me}^{+}{ }^{2}$ | -736.479259 | -736.136327 | -734.936061 | -734.593129 |
| $9-\mathrm{Me}^{+}$_ 3 | -736.480161 | -736.137293 | -734.935912 | -734.593045 |
| $9-\mathrm{Me}^{+}+4$ | -736.479238 | -736.136291 | -734.935899 | -734.592953 |
| $9-\mathrm{Me}^{+}$_5 | -736.480128 | -736.137288 | -734.935737 | -734.592896 |
| $9-\mathrm{Me}^{+}$_ 6 | -736.478291 | -736.135371 | -734.935489 | -734.592569 |
| $9-\mathrm{Me}^{+}{ }^{+} 7$ | -736.478155 | -736.135325 | -734.935320 | -734.592489 |
| $9-\mathrm{Me}^{+}$_ 8 | -736.479060 | -736.136198 | -734.935219 | -734.592357 |
| $9-\mathrm{Me}^{+}$_9 | -736.479071 | -736.136136 | -734.935236 | -734.592301 |
| $9-\mathrm{Me}^{+}$_10 | -736.479083 | -736.136105 | -734.935251 | -734.592273 |
| 10 |  |  |  | -812.520264 |
| 10_1 | -814.666280 | -814.275333 | -812.912789 | -812.521842 |
| 10_2 | -814.667375 | -814.276445 | -812.912691 | -812.521761 |
| 10_3 | -814.666120 | -814.275086 | -812.912277 | -812.521243 |
| 10_4 | -814.665189 | -814.274055 | -812.912295 | -812.521161 |
| 10_5 | -814.666141 | -814.275205 | -812.912010 | -812.521074 |
| 10_6 | -814.666247 | -814.275380 | -812.911927 | -812.521059 |
| 10_7 | -814.665089 | -814.274045 | -812.912063 | -812.521019 |
| 10_8 | -814.666185 | -814.275235 | -812.911940 | -812.520990 |
| 10_9 | -814.665077 | -814.273919 | -812.911925 | -812.520767 |
| 10_10 | -814.664967 | -814.273871 | -812.911814 | -812.520718 |
| $\mathbf{1 0 - M e}{ }^{+}$ |  |  |  | -852.080761 |
| $10-\mathrm{Me}^{+}$_1 | -854.374538 | -853.941503 | -852.515266 | -852.082231 |
| $10-\mathrm{Me}^{+} \_2$ | -854.374190 | -853.941393 | -852.514736 | -852.081940 |
| $10-\mathrm{Me}^{+}$_ 3 | -854.373488 | -853.940383 | -852.514723 | -852.081618 |
| $10-\mathrm{Me}^{+}$_ 4 | -854.373538 | -853.940333 | -852.514725 | -852.081520 |
| $10-\mathrm{Me}^{+}$_5 | -854.373439 | -853.940354 | -852.514587 | -852.081501 |
| $10-\mathrm{Me}^{+}$_ 6 | -854.372400 | -853.939482 | -852.514139 | -852.081221 |
| $10-\mathrm{Me}^{+}{ }^{+} 7$ | -854.372327 | -853.939451 | -852.514043 | -852.081167 |
| $10-\mathrm{Me}^{+}$_ 8 | -854.373274 | -853.940189 | -852.514213 | -852.081127 |
| $10-\mathrm{Me}^{+}$_ 9 | -854.373179 | -853.940210 | -852.514058 | -852.081088 |
| $10-\mathrm{Me}^{+}$_10 | -854.372322 | -853.939355 | -852.514046 | -852.081079 |
| 11 |  |  |  | -616.714334 |
| 11_1 | -618.184164 | -617.943271 | -616.956247 | -616.715354 |
| 11_2 | -618.182928 | -617.942055 | -616.955563 | -616.714690 |
| 11_3 | -618.182977 | -617.942136 | -616.955465 | -616.714624 |
| 11_4 | -618.182943 | -617.942011 | -616.955532 | -616.714599 |
| 11_5 | -618.182953 | -617.942028 | -616.955398 | -616.714473 |
| 11_6 | -618.182926 | -617.942005 | -616.955389 | -616.714468 |
| 11_7 | -618.181892 | -617.941003 | -616.955143 | -616.714254 |
| 11_8 | -618.181868 | -617.940899 | -616.955212 | -616.714243 |
| 11_9 | -618.181974 | -617.940892 | -616.955258 | -616.714176 |
| 11_10 | -618.182118 | -617.941320 | -616.954865 | -616.714067 |
| 11-Me ${ }^{+}$ |  |  |  | -656.266368 |
| $11-\mathrm{Me}^{+}$_1 | -657.883498 | -657.600804 | -656.549780 | -656.267086 |
| $11-\mathrm{Me}^{+} \_2$ | -657.882355 | -657.599641 | -656.549179 | -656.266464 |
| $11-\mathrm{Me}^{+}$_ 3 | -657.882355 | -657.599644 | -656.549175 | -656.266463 |
| $11-\mathrm{Me}^{+}+4$ | -657.882290 | -657.599642 | -656.548983 | -656.266336 |
| $11-\mathrm{Me}^{+}$_5 | -657.881308 | -657.598600 | -656.548807 | -656.266099 |
| $11-\mathrm{Me}^{+}$_6 | -657.881098 | -657.598463 | -656.547916 | -656.265282 |
| $11-\mathrm{Me}^{+}{ }^{\text {- }}$ | -657.879875 | -657.597252 | -656.547512 | -656.264889 |
| $11-\mathrm{Me}^{+}$_ 8 | -657.880049 | -657.597323 | -656.547302 | -656.264576 |
| $11-\mathrm{Me}^{+}$_9 | -657.878901 | -657.596178 | -656.546937 | -656.264214 |
| $11-\mathrm{Me}^{+}$_10 | -657.879787 | -657.596989 | -656.546839 | -656.264042 |


| 12 |  |  |  | -538.393636 |
| :---: | :---: | :---: | :---: | :---: |
| 12_1 | -539.588244 | -539.407327 | -538.574773 | -538.393856 |
| 12_2 | -539.586615 | -539.405739 | -538.572794 | -538.391918 |
| 12-Me ${ }^{+}$ |  |  |  | -577.944232 |
| $12-\mathrm{Me}^{+}$_1 | -579.286326 | -579.063815 | -578.166742 | -577.944232 |
| 13 |  |  |  | -616.715989 |
| 13_1 | -618.178225 | -617.937456 | -616.957188 | -616.716419 |
| 13_2 | -618.176618 | -617.935883 | -616.955395 | -616.714660 |
| 13_3 | -618.176410 | -617.935504 | -616.955300 | -616.714394 |
| 13-Me ${ }^{+}$ |  |  |  | -656.270876 |
| $13-\mathrm{Me}^{+}$_1 | -657.881357 | -657.598580 | -656.554033 | -656.271256 |
| $13-\mathrm{Me}^{+} \_2$ | -657.879374 | -657.596685 | -656.551872 | -656.269183 |
| $13-\mathrm{Me}^{+}+3$ | -657.878696 | -657.595912 | -656.551172 | -656.268388 |
| $13-\mathrm{Me}^{+}$_ 4 | -657.877891 | -657.595206 | -656.550362 | -656.267677 |
| 14 |  |  |  | -695.035243 |
| 14_1 | -696.764415 | -696.463812 | -695.336484 | -695.035881 |
| 14_2 | -696.763341 | -696.462502 | -695.335357 | -695.034518 |
| 14_3 | -696.762638 | -696.461873 | -695.334389 | -695.033624 |
| 14_4 | -696.762440 | -696.461212 | -695.334289 | -695.033061 |
| 14_5 | -696.762039 | -696.461116 | -695.333609 | -695.032686 |
| 14_6 | -696.762066 | -696.461454 | -695.333293 | -695.032681 |
| 14_7 | -696.760293 | -696.459351 | -695.332179 | -695.031238 |
| 14-Me ${ }^{+}$ |  |  |  | -734.594174 |
| $14-\mathrm{Me}^{+}$_1 | -736.471871 | -736.129126 | -734.937546 | -734.594802 |
| $14-\mathrm{Me}^{+} \_2$ | -736.471122 | -736.128196 | -734.936952 | -734.594025 |
| $14-\mathrm{Me}^{+}$_ 3 | -736.469445 | -736.126517 | -734.935041 | -734.592113 |
| $14-\mathrm{Me}^{+}$_ 4 | -736.469539 | -736.126489 | -734.935065 | -734.592016 |
| $14-\mathrm{Me}^{+}$_5 | -736.469481 | -736.126460 | -734.934993 | -734.591972 |
| $14-\mathrm{Me}^{+}$_ 6 | -736.468954 | -736.125966 | -734.934333 | -734.591345 |
| $14-\mathrm{Me}^{+}+7$ | -736.469182 | -736.126158 | -734.934256 | -734.591233 |
| $14-\mathrm{Me}^{+}+8$ | -736.468365 | -736.125385 | -734.933808 | -734.590828 |
| $14-\mathrm{Me}^{+}$_ 9 | -736.468083 | -736.124927 | -734.933406 | -734.590250 |
| 15 |  |  |  | -577.556719 |
| 15_1 | -578.886465 | -578.676024 | -577.767603 | -577.557161 |
| 15_2 | -578.885522 | -578.675023 | -577.766660 | -577.556161 |
| 15_3 | -578.884510 | -578.673982 | -577.765756 | -577.555227 |
| 15_4 | -578.882279 | -578.671646 | -577.763566 | -577.552934 |
| $\mathbf{1 5 - M e}{ }^{+}$ |  |  |  | -617.106709 |
| $15-\mathrm{Me}^{+}$_1 | -618.583929 | -618.331600 | -617.359130 | -617.106801 |
| $15-\mathrm{Me}^{+} \_2$ | -618.581109 | -618.328607 | -617.355924 | -617.103422 |
| 16 |  |  |  | -695.043972 |
| 16_1 | -696.776563 | -696.476650 | -695.344690 | -695.044777 |
| 16_2 | -696.776633 | -696.476686 | -695.344523 | -695.044576 |
| 16_3 | -696.775424 | -696.475499 | -695.344040 | -695.044115 |
| 16_4 | -696.775787 | -696.475855 | -695.343936 | -695.044004 |
| 16_5 | -696.775611 | -696.475659 | -695.343800 | -695.043848 |
| 16_6 | -696.775546 | -696.475518 | -695.343603 | -695.043576 |
| 16_7 | -696.774817 | -696.474825 | -695.343164 | -695.043173 |
| 16_8 | -696.774639 | -696.474559 | -695.342872 | -695.042792 |
| 16_9 | -696.774720 | -696.474593 | -695.342910 | -695.042784 |
| 16_10 | -696.774564 | -696.474616 | -695.342699 | -695.042750 |
| 16-Me ${ }^{+}$ |  |  |  | -734.596465 |
| $16-\mathrm{Me}^{+}$_1 | -736.476703 | -736.134674 | -734.939499 | -734.597470 |
| $16-\mathrm{Me}^{+} \_2$ | -736.476635 | -736.134466 | -734.939039 | -734.596870 |
| $16-\mathrm{Me}^{+}$_ 3 | -736.476555 | -736.134548 | -734.938738 | -734.596731 |
| $16-\mathrm{Me}^{+}+4$ | -736.476433 | -736.134376 | -734.938769 | -734.596712 |
| $16-\mathrm{Me}^{+}$_5 | -736.476517 | -736.134645 | -734.938568 | -734.596695 |
| $16-\mathrm{Me}^{+}$_ 6 | -736.476409 | -736.134380 | -734.938617 | -734.596588 |
| $16-\mathrm{Me}^{+}{ }^{\text {- }} 7$ | -736.475762 | -736.133699 | -734.938612 | -734.596549 |
| $16-\mathrm{Me}^{+}$- 8 | -736.476114 | -736.134160 | -734.938435 | -734.596481 |
| $16-\mathrm{Me}^{+}$_ 9 | -736.475926 | -736.133960 | -734.937814 | -734.595848 |
| $16-\mathrm{Me}^{+}$_10 | -736.475745 | -736.133708 | -734.937754 | -734.595717 |


| 17 |  |  |  | -812.531519 |
| :---: | :---: | :---: | :---: | :---: |
| 17_1 | -814.665707 | -814.276335 | -812.921906 | -812.532534 |
| 17_2 | -814.665956 | -814.276581 | -812.921774 | -812.532399 |
| 17_3 | -814.665462 | -814.276121 | -812.921337 | -812.531997 |
| 17_4 | -814.665061 | -814.275638 | -812.920948 | -812.531524 |
| 17_5 | -814.664644 | -814.275127 | -812.921029 | -812.531513 |
| 17_6 | -814.664961 | -814.275466 | -812.920998 | -812.531503 |
| 17_7 | -814.664958 | -814.275423 | -812.920993 | -812.531458 |
| 17_8 | -814.664945 | -814.275457 | -812.920902 | -812.531414 |
| 17_9 | -814.664124 | -814.274512 | -812.920558 | -812.530947 |
| 17_10 | -814.663582 | -814.274153 | -812.920194 | -812.530764 |
| 17-Me ${ }^{+}$ |  |  |  | -852.086758 |
| $17-\mathrm{Me}^{+}$_1 | -854.368709 | -853.936905 | -852.519824 | -852.088021 |
| $17-\mathrm{Me}^{+}{ }^{+} 2$ | -854.368442 | -853.936798 | -852.519273 | -852.087629 |
| $17-\mathrm{Me}^{+}$_ 3 | -854.368456 | -853.936803 | -852.519235 | -852.087582 |
| $17-\mathrm{Me}^{+}$_ 4 | -854.368129 | -853.936341 | -852.519009 | -852.087221 |
| $17-\mathrm{Me}^{+}$_ 5 | -854.367735 | -853.936060 | -852.518840 | -852.087165 |
| $17-\mathrm{Me}^{+}$_ 6 | -854.368436 | -853.936690 | -852.518887 | -852.087140 |
| $17-\mathrm{Me}^{+}$-7 | -854.367974 | -853.936375 | -852.518634 | -852.087035 |
| $17-\mathrm{Me}^{+}$_ 8 | -854.368096 | -853.936345 | -852.518617 | -852.086866 |
| $17-\mathrm{Me}^{+}$_9 | -854.368033 | -853.936100 | -852.518735 | -852.086801 |
| $17-\mathrm{Me}^{+}$_10 | -854.368320 | -853.936514 | -852.518608 | -852.086802 |
| 18 |  |  |  | -577.559408 |
| 18_1 | -578.882974 | -578.672922 | -577.769460 | -577.559408 |
| 18-Me ${ }^{+}$ |  |  |  | -617.112268 |
| $18-\mathrm{Me}^{+}$_1 | -618.584037 | -618.332107 | -617.364198 | -617.112268 |
| 19 |  |  |  | -695.043102 |
| 19_1 | -696.762757 | -696.463368 | -695.342492 | -695.043102 |
| 19-Me ${ }^{+}$ |  |  |  | -734.601912 |
| $19-\mathrm{Me}^{+}$_1 | -736.470129 | -736.128730 | -734.943311 | -734.601912 |
| 20 |  |  |  | -812.514560 |
| 20_1 | -814.630252 | -814.240491 | -812.904321 | -812.514560 |
| 20-Me ${ }^{+}$ |  |  |  | -852.078427 |
| 20-Me ${ }^{+}$_1 | -854.343293 | -853.911353 | -852.510367 | -852.078427 |
| 21 |  |  |  | -616.724271 |
| 21_1 | -618.182550 | -617.942963 | -616.963858 | -616.724271 |
| 21-Me ${ }^{+}$ |  |  |  | -656.272739 |
| $21-\mathrm{Me}^{+}$_1 | -657.879352 | -657.597861 | -656.554230 | -656.272739 |
| 22 |  |  |  | -773.379503 |
| 22_1 | -775.368653 | -775.010665 | -773.737751 | -773.379763 |
| 22_2 | -775.368243 | -775.010022 | -773.736629 | -773.378408 |
| 22-Me ${ }^{+}$ |  |  |  | -812.927595 |
| $22-\mathrm{Me}^{+}$_1 | -815.066397 | -814.665879 | -813.328364 | -812.927846 |
| $22-\mathrm{Me}^{+}$_2 | -815.065766 | -814.665403 | -813.327304 | -812.926940 |
| 23 |  |  |  | -930.035898 |
| 23_1 | -932.554859 | -932.077946 | -930.512811 | -930.035898 |
| 23-Me ${ }^{+}$ |  |  |  | -969.582606 |
| $23-\mathrm{Me}^{+}$_1 | -972.251943 | -971.732487 | -970.102493 | -969.583038 |
| $23-\mathrm{Me}^{+}+2$ | -972.250674 | -971.730952 | -970.101315 | -969.581593 |
| $23-\mathrm{Me}^{+}$_ 3 | -972.249772 | -971.730229 | -970.100256 | -969.580713 |
| $23-\mathrm{Me}^{+}$_ 4 | -972.248294 | -971.728588 | -970.098738 | -969.579032 |
| 24 |  |  |  | -651.216064 |
| 24-Me ${ }^{+}$ |  |  |  | -651.216064 |
| 25 |  |  |  | -1033.516812 |
| 25-Me ${ }^{+}$ |  |  |  | -1073.069267 |
| 26 |  |  |  | -537.191893 |
| 26_1 | -538.345989 | -538.188633 | -537.349319 | -537.191963 |
| 26_2 | -538.342312 | -538.184924 | -537.345605 | -537.188217 |
| 26-Me ${ }^{+}$ |  |  |  | -576.740109 |
| $26 . \mathrm{Me}^{+}$-1 | -578.042476 | -577.843397 | -576.939188 | -576.740109 |
| 27 |  |  |  | -614.313661 |
| 27_1 | -615.695093 | -615.501506 | -614.507499 | -614.313912 |


| 27_2 | -615.692343 | -615.498599 | -614.505189 | -614.311445 |
| :---: | :---: | :---: | :---: | :---: |
| 27_3 | -615.692047 | -615.498273 | -614.504346 | -614.310572 |
| 27-Me ${ }^{+}$ |  |  |  | -653.863612 |
| $27-\mathrm{Me}^{+}$_1 | -655.394224 | -655.158559 | -654.099690 | -653.864024 |
| $27-\mathrm{Me}^{+}$_2 | -655.393933 | -655.158173 | -654.098930 | -653.863170 |
| $27-\mathrm{Me}^{+}$_ 3 | -655.393096 | -655.157511 | -654.098127 | -653.862542 |
| 28 |  |  |  | -691.435173 |
| 28_1 | -693.043842 | -692.813807 | -691.665471 | -691.435436 |
| 28_2 | -693.041564 | -692.811529 | -691.663637 | -691.433602 |
| 28_3 | -693.038571 | -692.808464 | -691.661113 | -691.431006 |
| 28-Me ${ }^{+}$ |  |  |  | -730.988661 |
| $28-\mathrm{Me}^{+}$_1 | -732.746080 | -732.473852 | -731.261227 | -730.988999 |
| $28-\mathrm{Me}^{+}$_2 | -732.746007 | -732.473804 | -731.261194 | -730.988991 |
| $28-\mathrm{Me}^{+}$_ 3 | -732.745680 | -732.473451 | -731.260386 | -730.988156 |
| $28-\mathrm{Me}^{+}$_ 4 | -732.744884 | -732.472684 | -731.259551 | -730.987351 |
| $28-\mathrm{Me}^{+}$_ 5 | -732.744521 | -732.472362 | -731.258799 | -730.986640 |
| $28-\mathrm{Me}^{+}$_6 | -732.742665 | -732.471431 | -731.256499 | -730.985264 |
| 29 |  |  |  | -576.354625 |
| 29_1 | -577.648530 | -577.460788 | -576.542706 | -576.354964 |
| 29_2 | -577.647685 | -577.460060 | -576.542283 | -576.354658 |
| 29_3 | -577.647391 | -577.459517 | -576.541616 | -576.353742 |
| 29_4 | -577.646116 | -577.458234 | -576.539961 | -576.352079 |
| 29-Me ${ }^{+}$ |  |  |  | -615.906429 |
| $29-\mathrm{Me}^{+}$_1 | -617.348441 | -617.118870 | -616.136226 | -615.906656 |
| $29-\mathrm{Me}^{+}$_2 | -617.346862 | -617.117303 | -616.134344 | -615.904786 |
| 30 |  |  |  | -692.639671 |
| 30_1 | -694.300547 | -694.046038 | -692.895067 | -692.640558 |
| 30_2 | -694.299433 | -694.045029 | -692.894530 | -692.640127 |
| 30_3 | -694.299517 | -694.045025 | -692.894137 | -692.639646 |
| 30_4 | -694.299094 | -694.044469 | -692.894077 | -692.639452 |
| 30_5 | -694.298681 | -694.044150 | -692.893776 | -692.639245 |
| 30_6 | -694.297931 | -694.043425 | -692.892881 | -692.638374 |
| 30_7 | -694.298167 | -694.043693 | -692.892735 | -692.638260 |
| 30_8 | -694.298163 | -694.043566 | -692.892847 | -692.638250 |
| 30_9 | -694.297543 | -694.042879 | -692.892741 | -692.638077 |
| 30_10 | -694.297826 | -694.043058 | -692.892832 | -692.638064 |
| 30-Me ${ }^{+}$ |  |  |  | -732.196074 |
| $30-\mathrm{Me}^{+}$_1 | -734.005503 | -733.708938 | -732.493156 | -732.196592 |
| $30-\mathrm{Me}^{+}+2$ | -734.004978 | -733.708285 | -732.492939 | -732.196245 |
| $30-\mathrm{Me}^{+}$_ 3 | -734.005286 | -733.708632 | -732.492784 | -732.196130 |
| $30-\mathrm{Me}^{+}$_ 4 | -734.003454 | -733.706876 | -732.491555 | -732.194977 |
| $30-\mathrm{Me}^{+}+5$ | -734.003879 | -733.707420 | -732.491316 | -732.194857 |
| $30-\mathrm{Me}^{+}$_6 | -734.003477 | -733.706863 | -732.490889 | -732.194276 |
| $30-\mathrm{Me}^{+}$-7 | -734.002346 | -733.705804 | -732.489462 | -732.192920 |
| 31 |  |  |  | -808.925527 |
| 31_1 | -810.952285 | -810.630998 | -809.247810 | -808.926523 |
| 31_2 | -810.950983 | -810.629604 | -809.247147 | -808.925768 |
| 31_3 | -810.950852 | -810.629411 | -809.247009 | -808.925568 |
| 31_4 | -810.949659 | -810.628393 | -809.246334 | -808.925069 |
| 31_5 | -810.949518 | -810.628142 | -809.245961 | -808.924585 |
| 31_6 | -810.949138 | -810.627765 | -809.245826 | -808.924453 |
| 31_7 | -810.949582 | -810.628069 | -809.245939 | -808.924427 |
| 31_8 | -810.949181 | -810.627638 | -809.245818 | -808.924275 |
| 31_9 | -810.948110 | -810.626634 | -809.245078 | -808.923602 |
| 31_10 | -810.948024 | -810.626645 | -809.244832 | -808.923452 |
| 31-Me ${ }^{+}$ |  |  |  | -848.485656 |
| $31-\mathrm{Me}^{+}$_1 | -850.660901 | -850.297246 | -848.849889 | -848.486233 |
| $31-\mathrm{Me}^{+}{ }^{+} 2$ | -850.660825 | -850.297065 | -848.849980 | -848.486220 |
| $31-\mathrm{Me}^{+}$_ 3 | -850.660927 | -850.297213 | -848.849546 | -848.485833 |
| $31-\mathrm{Me}^{+}$_ 4 | -850.660715 | -850.296892 | -848.849535 | -848.485712 |
| $31-\mathrm{Me}^{+}$_ 5 | -850.659964 | -850.296287 | -848.849114 | -848.485438 |
| $31-\mathrm{Me}^{+}$_6 | -850.659263 | -850.295624 | -848.848703 | -848.485065 |


| $31-\mathrm{Me}^{+}+7$ | -850.659420 | -850.295725 | -848.848509 | -848.484814 |
| :---: | :---: | :---: | :---: | :---: |
| $31-\mathrm{Me}^{+}$_ 8 | -850.658729 | -850.295072 | -848.847943 | -848.484286 |
| $31-\mathrm{Me}^{+}$-9 | -850.658177 | -850.294507 | -848.847485 | -848.483814 |
| $31-\mathrm{Me}^{+}$_ 10 | -850.658818 | -850.295069 | -848.847535 | -848.483786 |
| 32 |  |  |  | -615.548621 |
| 32_1 | -616.974756 | -616.756123 | -615.767613 | -615.548980 |
| 32_2 | -616.972323 | -616.753756 | -615.765989 | -615.547422 |
| 32_3 | -616.972428 | -616.753513 | -615.764823 | -615.545908 |
| 32_4 | -616.969827 | -616.750962 | -615.762915 | -615.544051 |
| 32-Me ${ }^{+}$ |  |  |  | -655.101863 |
| $32-\mathrm{Me}^{+}$_1 | -656.675630 | -656.415057 | -655.362436 | -655.101863 |
| 33 |  |  |  | -771.026414 |
| 33_1 | -772.951878 | -772.635396 | -771.343606 | -771.027124 |
| 33_2 | -772.950858 | -772.634361 | -771.342818 | -771.026322 |
| 33_3 | -772.949058 | -772.632482 | -771.342119 | -771.025543 |
| 33_4 | -772.949803 | -772.633309 | -771.341926 | -771.025432 |
| 33_5 | -772.950813 | -772.634355 | -771.340896 | -771.024438 |
| 33_6 | -772.948254 | -772.631658 | -771.340896 | -771.024300 |
| 33_7 | -772.946664 | -772.630120 | -771.340017 | -771.023473 |
| $33-\mathrm{Me}^{+}$ |  |  |  | -810.586007 |
| $33-\mathrm{Me}^{+}$_1 | -812.659316 | -812.300771 | -810.945189 | -810.586644 |
| $33-\mathrm{Me}^{+} \_2$ | -812.657985 | -812.299400 | -810.943854 | -810.585269 |
| $33-\mathrm{Me}^{+}+3$ | -812.658201 | -812.299520 | -810.943661 | -810.584980 |
| $33-\mathrm{Me}^{+}+4$ | -812.657911 | -812.299181 | -810.943708 | -810.584977 |
| $33-\mathrm{Me}^{+}$_5 | -812.655693 | -812.296909 | -810.942139 | -810.583355 |
| 34 |  |  |  | -926.504276 |
| 34_1 | -928.926292 | -928.511862 | -926.919497 | -926.505067 |
| 34_2 | -928.926236 | -928.511821 | -926.919422 | -926.505006 |
| 34_3 | -928.925350 | -928.510849 | -926.918306 | -926.503805 |
| 34_4 | -928.922901 | -928.508590 | -926.917255 | -926.502943 |
| 34_5 | -928.924535 | -928.510355 | -926.917111 | -926.502931 |
| 34_6 | -928.924810 | -928.510251 | -926.917264 | -926.502705 |
| 34_7 | -928.924830 | -928.510287 | -926.917230 | -926.502686 |
| 34_8 | -928.924811 | -928.510267 | -926.917216 | -926.502672 |
| 34_9 | -928.924664 | -928.510014 | -926.917154 | -926.502504 |
| 34_10 | -928.922635 | -928.508092 | -926.916522 | -926.501979 |
| 34-Me ${ }^{+}$ |  |  |  | -966.069098 |
| $34-\mathrm{Me}^{+}$_1 | -968.639512 | -968.182722 | -966.526451 | -966.069661 |
| $34-\mathrm{Me}^{+} \_2$ | -968.639326 | -968.182479 | -966.526277 | -966.069430 |
| $34-\mathrm{Me}^{+}$_ 3 | -968.638236 | -968.181448 | -966.525667 | -966.068879 |
| $34-\mathrm{Me}^{+}$_ 4 | -968.638674 | -968.181748 | -966.525099 | -966.068173 |
| $34-\mathrm{Me}^{+}$-5 | -968.638585 | -968.181718 | -966.524450 | -966.067583 |
| $34-\mathrm{Me}^{+}$_6 | -968.637786 | -968.180797 | -966.524186 | -966.067196 |
| $34-\mathrm{Me}^{+}{ }^{\text {+ }}$ | -968.634666 | -968.178090 | -966.522303 | -966.065726 |
| $34-\mathrm{Me}^{+}$_ 8 | -968.634770 | -968.177865 | -966.522539 | -966.065634 |
| $34-\mathrm{Me}^{+}$-9 | -968.635863 | -968.178898 | -966.522588 | -966.065624 |
| $34-\mathrm{Me}^{+}$_10 | -968.634453 | -968.177565 | -966.522539 | -966.065369 |
| 35 |  |  |  | -654.719362 |
| 35_1 | -656.279581 | -656.030734 | -654.968567 | -654.719721 |
| 35_2 | -656.278069 | -656.029107 | -654.966692 | -654.717730 |
| 35_3 | -656.276782 | -656.027764 | -654.966339 | -654.717321 |
| 35-Me ${ }^{+}$ |  |  |  | -694.273148 |
| $35-\mathrm{Me}^{+}$_1 | -695.981191 | -695.690430 | -694.563909 | -694.273148 |
| 36 |  |  |  | -849.368146 |
| 36_1 | -851.561080 | -851.184125 | -849.745811 | -849.368856 |
| 36_2 | -851.559589 | -851.182731 | -849.744344 | -849.367486 |
| 36_3 | -851.559235 | -851.182187 | -849.743591 | -849.366543 |
| 36_4 | -851.558011 | -851.181065 | -849.743344 | -849.366397 |
| 36_5 | -851.556434 | -851.179573 | -849.741995 | -849.365134 |
| 36_6 | -851.557367 | -851.180686 | -849.741693 | -849.365012 |
| 36_7 | -851.556992 | -851.179918 | -849.742018 | -849.364944 |
| 36_8 | -851.557436 | -851.180642 | -849.741600 | -849.364806 |


| 36_9 | -851.556505 | -851.179489 | -849.741805 | -849.364789 |
| :---: | :---: | :---: | :---: | :---: |
| 36-Me ${ }^{+}$ |  |  |  | -888.929229 |
| $36-\mathrm{Me}^{+}$_1 | -891.270251 | -890.851153 | -889.348727 | -888.929629 |
| $36-\mathrm{Me}^{+}+2$ | -891.268276 | -890.849204 | -889.346754 | -888.927681 |
| $36-\mathrm{Me}^{+}$_ 3 | -891.267660 | -890.848531 | -889.345823 | -888.926694 |
| $36-\mathrm{Me}^{+}$_ 4 | -891.266894 | -890.847693 | -889.345554 | -888.926353 |
| 37 |  |  |  | -1044.015602 |
| 37_1 | -1046.839178 | -1046.334212 | -1044.521476 | -1044.016511 |
| 37_2 | -1046.837691 | -1046.332564 | -1044.519801 | -1044.014674 |
| 37_3 | -1046.837156 | -1046.332032 | -1044.519312 | -1044.014188 |
| 37_4 | -1046.836104 | -1046.331159 | -1044.518985 | -1044.014040 |
| 37_5 | -1046.836771 | -1046.331715 | -1044.518903 | -1044.013847 |
| 37_6 | -1046.836643 | -1046.331853 | -1044.518182 | -1044.013392 |
| 37_7 | -1046.835104 | -1046.330102 | -1044.518291 | -1044.013289 |
| 37-8 | -1046.835141 | -1046.329905 | -1044.518274 | -1044.013038 |
| 37_9 | -1046.834729 | -1046.329608 | -1044.517996 | -1044.012876 |
| 37_10 | -1046.836320 | -1046.331111 | -1044.517996 | -1044.012787 |
| 37-Me ${ }^{+}$ |  |  |  | -1083.582284 |
| $37-\mathrm{Me}^{+}$_1 | -1086.554290 | -1086.006709 | -1084.130727 | -1083.583146 |
| $37-\mathrm{Me}^{+} \_2$ | -1086.553596 | -1086.006194 | -1084.130105 | -1083.582703 |
| $37-\mathrm{Me}^{+}$_ 3 | -1086.551723 | -1086.004412 | -1084.128335 | -1083.581025 |
| $37-\mathrm{Me}^{+}$_ 4 | -1086.551798 | -1086.004257 | -1084.128346 | -1083.580805 |
| $37-\mathrm{Me}^{+}+5$ | -1086.551906 | -1086.004324 | -1084.128156 | -1083.580574 |
| $37-\mathrm{Me}^{+}$_6 | -1086.551905 | -1086.004303 | -1084.128159 | -1083.580557 |
| $37-\mathrm{Me}^{+}+7$ | -1086.551906 | -1086.004284 | -1084.128172 | -1083.580550 |
| $37-\mathrm{Me}^{+}$_ 8 | -1086.551403 | -1086.003945 | -1084.127374 | -1083.579916 |
| $37-\mathrm{Me}^{+}$_9 | -1086.550794 | -1086.003232 | -1084.127234 | -1083.579671 |
| $37-\mathrm{Me}^{+}$_10 | -1086.550796 | -1086.003243 | -1084.127223 | -1083.579670 |
| 38 |  |  |  | -693.870295 |
| 38_1 | -695.565864 | -695.286831 | -694.150273 | -693.871240 |
| 38_2 | -695.565569 | -695.286448 | -694.149777 | -693.870656 |
| 38_3 | -695.565119 | -695.285994 | -694.149430 | -693.870305 |
| 38_4 | -695.565140 | -695.285947 | -694.149059 | -693.869867 |
| 38_5 | -695.563715 | -695.284493 | -694.148773 | -693.869551 |
| 38_6 | -695.564706 | -695.285578 | -694.148555 | -693.869427 |
| 38_7 | -695.564180 | -695.285160 | -694.147992 | -693.868973 |
| 38_8 | -695.564414 | -695.285052 | -694.148270 | -693.868909 |
| 38_9 | -695.564010 | -695.284734 | -694.147778 | -693.868502 |
| 38_10 | -695.563508 | -695.284603 | -694.147369 | -693.868464 |
| 38-Me ${ }^{+}$ |  |  |  | -733.425226 |
| $38-\mathrm{Me}^{+}$_1 | -735.268597 | -734.947693 | -733.746676 | -733.425772 |
| $38-\mathrm{Me}^{+}+2$ | -735.267731 | -734.946821 | -733.745726 | -733.424816 |
| $38-\mathrm{Me}^{+}$_ 3 | -735.267503 | -734.946515 | -733.745522 | -733.424534 |
| $38-\mathrm{Me}^{+}$_ 4 | -735.267672 | -734.946690 | -733.745341 | -733.424358 |
| $\mathbf{P H}_{2} \mathbf{M e}$ | -382.386627 | -382.326983 | -381.789464 | -381.729819 |
| $\mathrm{PH}_{2} \mathrm{Me}_{2}{ }^{+}$ | -422.046080 | -421.944312 | -421.343927 | -421.242159 |
| $\mathrm{PHMe}_{2}$ | -421.690601 | -421.600096 | -420.988339 | -420.897834 |
| $\mathrm{PHMe}_{3}{ }^{+}$ | -431.369348 | -461.236987 | -460.562018 | -460.429657 |

### 9.5.3. Cyclophane-substituted Phosphanes

Table 9.5.2

|  | B98/6-31G(d) |  | MP2(FC)/6-31+G(2d,p)// |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  | B98/6-31G(d) |  |
|  | Etot | H298 | Etot | H298 |
| 39R_1 | -1252.027087 | -1251.530889 | -1249.315520 | -1248.819322 |
| 39R_2 | -1252.022562 | -1251.526895 | -1249.311943 | -1248.816276 |
| 39R_3 | -1252.022114 | -1251.526258 | -1249.311392 | -1248.815536 |
| 39R_4 | -1252.020381 | -1251.523976 | -1249.308756 | -1248.812351 |
| 39R_5 | -1252.018877 | -1251.522316 | -1249.307067 | -1248.810506 |
| 39R_6 | -1252.017360 | -1251.520819 | -1249.306582 | -1248.810041 |
| 39R_7 | -1252.005718 | -1251.509452 | -1249.294125 | -1248.797859 |
| 39R_8 | -1252.005243 | -1251.508887 | -1249.293315 | -1248.796959 |
| 39S_1 | -1252.024828 | -1251.528552 | -1249.314207 | -1248.817931 |
| 39S_2 | -1252.022231 | -1251.526230 | -1249.311826 | -1248.815825 |
| 39S_3 | -1252.020194 | -1251.523971 | -1249.309504 | -1248.813281 |
| 39S_4 | -1252.020523 | -1251.524494 | -1249.308901 | -1248.812873 |
| 39S_5 | -1252.020274 | -1251.523981 | -1249.308455 | -1248.812162 |
| 39S_6 | -1252.019302 | -1251.522886 | -1249.307165 | -1248.810749 |
| 39S_7 | -1252.018808 | -1251.522932 | -1249.305855 | -1248.809979 |
| 39S_8 | -1252.012270 | -1251.515854 | -1249.300921 | -1248.804505 |
| 40R_1 | -1252.045199 | -1251.548897 | -1249.331805 | -1248.835502 |
| 40R_2 | -1252.039542 | -1251.543407 | -1249.325600 | -1248.829466 |
| 40R_3 | -1252.037006 | -1251.540854 | -1249.324624 | -1248.828472 |
| 40R_4 | -1252.032578 | -1251.536349 | -1249.319323 | -1248.823094 |
| 40S_1 | -1252.040646 | -1251.544494 | -1249.327996 | -1248.831844 |
| 40S_2 | -1252.035733 | -1251.539723 | -1249.325600 | -1248.829590 |
| 40S_3 | -1252.039019 | -1251.542564 | -1249.325809 | -1248.829355 |
| 40S_4 | -1252.034656 | -1251.538717 | -1249.321104 | -1248.825165 |
| 41_1 | -1190.926607 | -1190.548768 | -1188.432654 | -1188.054815 |
| 45_1 | -806.232164 | -806.005150 | -804.609743 | -804.382729 |
| 45_2 | -806.231360 | -806.004349 | -804.609094 | -804.382084 |
| 45_3 | -806.231066 | -806.004074 | -804.608748 | -804.381756 |
| 43_1 | -1039.545644 | -1039.186464 | -1037.356364 | -1036.997183 |
| 43_2 | -1039.539604 | -1039.180331 | -1037.349044 | -1036.989771 |
| 44_1 | -731.250368 | -731.013907 | -729.785867 | $-729.549406$ |


| 39R_Me+_1 |  |  |  | 1288.380594 |
| :---: | :---: | :---: | :---: | :---: |
|  | -1291.734557 | -1291.195702 | -1288.919449 | -1288.380594 |
| 39R_Me+_2 | -1291.734558 | -1291.195696 | -1288.919441 | -1288.380579 |
| 39R_Me+_3 | -1291.728966 | -1291.190884 | -1288.909995 | -1288.371913 |
| 39R_Me+_4 | -1291.727849 | -1291.189409 | -1288.908330 | -1288.369890 |
| 39R_Me+_5 | -1291.725449 | -1291.186512 | -1288.905414 | -1288.366478 |
| 39R_Me+_6 | -1291.710568 | -1291.171518 | -1288.892786 | -1288.353736 |
| 39R_Me+_7 | -1291.710568 | -1291.171518 | -1288.892783 | -1288.353733 |
| 39R_Me+_8 | -1291.708227 | -1291.169332 | -1288.890636 | -1288.351741 |
| 39S_Me+_1 | -1291.728781 | -1291.190260 | -1288.909837 | -1288.371316 |
| 39S_Me+_2 | -1291.725532 | -1291.186154 | -1288.910647 | -1288.371269 |
| 39S_Me+_3 | -1291.726811 | -1291.188559 | -1288.909095 | -1288.370843 |
| 39S_Me+_4 | -1291.725167 | -1291.186790 | -1288.907960 | -1288.369583 |
| 39S_Me+_5 | -1291.724655 | -1291.186160 | -1288.906406 | -1288.367911 |
| 39S_Me+_6 | -1291.723348 | -1291.184589 | -1288.906193 | -1288.367434 |
| 39S_Me+_7 | -1291.717558 | -1291.179387 | -1288.898425 | -1288.360255 |
| 39SN_Me+_1 | -1291.716994 | -1291.176087 | -1288.898728 | -1288.357822 |
| 39SN_Me+_2 | -1291.708348 | -1291.167545 | -1288.892433 | -1288.351630 |
| 39SN_Me+_3 | -1291.705083 | -1291.164392 | -1288.885615 | -1288.344924 |
| 39SN_Me+_4 | -1291.700807 | -1291.159693 | -1288.881613 | -1288.340498 |
| 39SN_Me+_5 | -1291.682159 | -1291.140915 | -1288.863869 | -1288.322626 |
| 39SN_Me+_6 | -1291.680004 | -1291.139054 | -1288.861100 | -1288.320150 |
|  |  |  |  |  |
| 40R_Me+_1 | -1291.747962 | -1291.210253 | -1288.926170 | -1288.388461 |
| 40R_Me+_2 | -1291.741981 | -1291.204054 | -1288.921288 | -1288.383361 |
| 40S_Me+_1 | -1291.744499 | -1291.206580 | -1288.923228 | -1288.385309 |
| 40S_Me+_2 | -1291.744295 | -1291.206393 | -1288.922774 | -1288.384872 |
| 40SN_Me+_1 | -1291.733531 | -1291.192548 | -1288.912870 | -1288.371886 |
| 40SN_Me+_2 | -1291.727813 | -1291.187020 | -1288.906671 | -1288.365878 |
| 40SN_Me+_3 | -1291.718765 | -1291.177603 | -1288.898199 | -1288.357037 |
| 40SN_Me+_4 | -1291.714826 | -1291.174208 | -1288.893876 | -1288.353259 |

41_Me+_1

### 9.5.4. Cyclic Phosphanes

Table 9.5.3
( $\mathrm{B} 98 / 6-31 \mathrm{G}(\mathrm{d}) \quad \mathrm{MP} 2(\mathrm{FC}) / 6-31+\mathrm{G}(2 \mathrm{p}, \mathrm{d}) / / \mathrm{B98/6-31G(c)}$
46-Me+
9.5.5. MVKA of Recently Synthesized Bifunctional Phosphane Catalysts

Table 9.5.4

|  | MPW1K/6-31G(d) |  | MP2(FC)/6-31+G(2p,d)//MPW1K/6-31G(d) |  |
| :---: | :---: | :---: | :---: | :---: |
|  | $\mathrm{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ | $\mathrm{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ |
| BPC0 | -1036.114027 | -1035.814555 | -1033.804862 | -1033.50539 |
| BPC0_MVK_1 | -1267.258099 | -1266.856987 | -1264.404191 | -1264.003079 |
| BPC0_MVK_2 | -1267.256318 | -1266.855328 | -1264.404304 | -1264.003314 |
| BPC0_MVKc_1 | -1267.276995 | -1266.875316 | -1264.429498 | -1264.027819 |
| BPC0_MVKc_2 | -1267.27414 | -1266.872154 | -1264.424462 | -1264.022476 |
| BPC1_1 | -1361.983768 | -1361.531129 | -1358.899958 | -1358.447319 |
| BPC1_2 | -1361.983093 | -1361.530261 | -1358.898938 | -1358.446106 |
| BPC1_3 | -1361.986658 | -1361.53389 | -1358.896227 | -1358.443459 |
| BPC1_4 | -1361.972644 | -1361.520477 | -1358.888954 | -1358.436787 |
| BPC1_5 | -1361.986498 | -1361.5339 | -1358.895868 | -1358.44327 |
| BPC1_6 | -1361.97081 | -1361.518601 | -1358.886489 | -1358.43428 |
| BPC1_MVK_1 | -1593.146131 | -1592.592497 | -1589.519060 | -1588.965426 |
| BPC1_MVK_2 | -1593.125401 | -1592.571426 |  |  |
| BPC1_MVK_3 | -1593.112709 | -1592.558842 |  |  |
| BPC1_MVKc_1 | -1593.151884 | -1592.596886 | -1589.530341 | -1588.975343 |
| BPC1_MVKc_2 | -1593.142835 | -1592.588074 | -1589.522197 | -1588.967436 |
| BPC1_MVKc_3 | -1593.14225 | -1592.587464 | -1589.521205 | -1588.966419 |
| BPC1_MVKc_4 | -1593.136187 | -1592.581593 | -1589.516613 | -1588.962019 |
| BPC2_1 | -1244.065312 | -1243.70416 | -1241.314136 | -1240.952984 |
| BPC2_2 | -1244.066917 | -1243.705722 | -1241.311467 | -1240.950272 |
| BPC2_3 | -1244.06122 | -1243.700461 | -1241.310238 | -1240.949479 |
| BPC2_4 | -1244.061207 | -1243.700389 | -1241.310259 | -1240.949441 |
| BPC2_5 | -1244.058096 | -1243.697221 | -1241.308677 | -1240.947802 |
| BPC2_MVK_1 | -1475.225494 | -1474.763687 | -1471.932111 | -1471.470304 |
| BPC2_MVK_2 | -1475.212619 | -1474.750888 | -1471.922388 | -1471.460657 |
| BPC2_MVK_3 | -1475.212612 | -1474.750879 | -1471.922347 | -1471.460614 |
| BPC2_MVK_4 | -1475.202344 | -1474.740257 | -1471.915818 | -1471.453731 |
| BPC2_MVK_5 | -1475.202477 | -1474.740031 | -1471.915233 | -1471.452787 |
| BPC2_MVK_6 | -1475.204925 | -1474.743841 | -1471.913593 | -1471.452509 |
| BPC2_MVK_7 | -1475.184977 | -1474.723414 | -1471.901214 | -1471.439651 |
| BPC2_MVK_8 | -1475.181687 | -1474.720097 | -1471.895989 | -1471.434399 |
| BPC2_MVK_9 | -1475.218044 | -1474.755754 | -1471.923266 | -1471.460976 |
| BPC2_MVK_10 | -1475.206447 | -1474.744000 |  |  |
| BPC2_MVK_11 | -1475.202258 | -1474.739914 | - |  |
| BPC2_MVK_12 | -1475.199379 | -1474.737197 | - |  |
| BPC2_MVK_13 | -1475.202483 | -1474.739957 | - |  |
| BPC2_MVK_14 | -1475.195929 | -1474.733727 |  |  |
| BPC2_MVK_15 | -1475.198949 | -1474.736536 | - |  |
| BPC2_MVK_16 | -1475.203483 | -1474.740833 | - |  |
| BPC2_MVK_17 | -1475.20050 | -1474.738118 | - | - |
| BPC2_MVKc_1 | -1475.2335 | -1474.77003 | -1471.945570 | -1471.482100 |
| BPC2_MVKc_2 | -1475.222305 | -1474.759184 | -1471.937555 | -1471.474434 |
| BPC2_MVKc_3 | -1475.221689 | -1474.758301 | -1471.936354 | -1471.472966 |
| BPC2_MVKc_4 | -1475.222305 | -1474.758845 | -1471.931963 | -1471.468503 |
| BPC2_MVKc_5 | -1475.221356 | -1474.757818 | -1471.930994 | -1471.467456 |
| BPC3_1 | -1435.748984 | -1435.329663 | -1432.521852 | -1432.102531 |
| BPC3_2 | -1435.751621 | -1435.332309 | -1432.516831 | -1432.097519 |
| BPC3_3 | -1435.744103 | -1435.325301 | -1432.515923 | -1432.097121 |
| BPC3_4 | -1435.751304 | -1435.332013 | -1432.515872 | -1432.096581 |
| BPC3_5 | -1435.743703 | -1435.32491 | -1432.515307 | -1432.096514 |
| BPC3_MVK_1 | -1666.912331 | -1666.392005 | -1663.139561 | -1662.619235 |
| BPC3_MVK_2 | -1666.9006 | -1666.37997 | -1663.132163 | -1662.611533 |
| BPC3_MVK_3 | -1666.89456 | -1666.374883 | -1663.128780 | -1662.609103 |
| BPC3_MVKc_1 | -1666.918535 | -1666.39703 | -1663.153699 | -1662.632194 |
| BPC3_MVKc_2 | -1666.903605 | -1666.382057 | -1663.140942 | -1662.619394 |
| BPC3_MVKc_3 | -1666.898913 | -1666.377472 | -1663.140373 | -1662.618932 |


| BPC3_MVKc_4 | -1666.906384 | -1666.384622 | -1663.139415 | -1662.617653 |
| :---: | :---: | :---: | :---: | :---: |
| BPC3_MVKc_5 | -1666.904075 | -1666.382734 | -1663.137268 | -1662.615927 |
| BPC4_1 | -1550.235872 | -1549.780106 | -1546.765679 | -1546.309913 |
| BPC4_2 | -1550.236117 | -1549.780258 | -1546.765747 | -1546.309888 |
| BPC4_3 | -1550.238693 | -1549.782855 | -1546.760397 | -1546.304559 |
| BPC4_4 | -1550.231185 | -1549.775843 | -1546.759602 | -1546.304260 |
| BPC4_5 | -1550.230802 | -1549.775469 | -1546.759539 | -1546.304206 |
| BPC4_6 | -1550.238467 | -1549.782662 | -1546.759520 | -1546.303715 |
| BPC4_MVK_1 | -1781.399819 | -1780.842889 | -1777.383399 | -1776.826469 |
| BPC4_MVK_2 | -1781.399259 | -1780.842329 | -1777.383213 | -1776.826283 |
| BPC4_MVK_3 | -1781.387464 | -1780.830362 | -1777.375975 | -1776.818873 |
| BPC4_MVK_4 | -1781.381509 | -1780.825289 | -1777.372681 | -1776.816461 |
| BPC4_MVKc_1 | -1781.40561 | -1780.847595 | -1777.397606 | -1776.839591 |
| BPC4_MVKc_2 | -1781.405478 | -1780.847342 | -1777.397562 | -1776.839426 |
| BPC4_MVKc_3 | -1781.391744 | -1780.833901 | -1777.386320 | -1776.828477 |
| BPC4_MVKc_4 | -1781.390668 | -1780.832606 | -1777.384803 | -1776.826741 |
| BPC4_MVKc_5 | -1781.393476 | -1780.835232 | -1777.383076 | -1776.824832 |
| BPC4_MVKc_6 | -1781.391214 | -1780.833196 | -1777.380894 | -1776.822876 |
| BPC5_1 | -1527.952275 | -1527.53262 | -1524.550409 | -1524.130751 |
| BPC5_2 | -1527.947385 | -1527.52816 | -1524.544616 | -1524.125393 |
| BPC5_3 | -1527.947733 | -1527.52855 | -1524.544533 | -1524.125352 |
| BPC5_4 | -1527.954588 | -1527.53489 | -1524.544730 | -1524.125033 |
| BPC5_5 | -1527.954241 | -1527.5346 | -1524.543626 | -1524.123985 |
| BPC5_MVK_1 | -1759.11781 | -1758.59726 | -1755.169826 | -1754.64928 |
| BPC5_MVKc_1 | -1759.122806 | -1758.60082 | -1755.183011 | -1754.661023 |
| BPC6_1 | -1111.307321 | -1111.002214 | -1108.878307 | -1108.573200 |
| BPC6_2 | -1111.308552 | -1111.00331 | -1108.877854 | -1108.572612 |
| BPC6_3 | -1111.303574 | -1110.998603 | -1108.875100 | -1108.570129 |
| BPC6_4 | -1111.300896 | -1110.995876 | -1108.871808 | -1108.566788 |
| BPC6_MVK_1 | -1342.489651 | -1342.082027 | -1339.512691 | -1339.105067 |
| BPC6_MVK_2 | -1342.448667 | -1342.041973 | -1339.475072 | -1339.068378 |
| BPC6_MVK_3 | -1342.448564 | -1342.04189 | -1339.474682 | -1339.068008 |
| BPC6_MVK_4 | -1342.448385 | -1342.041713 | -1339.474165 | -1339.067493 |
| BPC6_MVK_5 | -1342.447283 | -1342.040574 | -1339.472674 | -1339.065965 |
| BPC6_MVK_6 | -1342.447385 | -1342.0407 | -1339.472473 | -1339.065788 |
| BPC6_MVK_7 | -1342.446127 | -1342.039467 | -1339.471929 | -1339.065269 |
| BPC6_MVK_8 | -1342.442506 | -1342.03588 | -1339.470265 | -1339.063639 |
| BPC6_MVK_9 | -1342.443237 | -1342.036636 | -1339.468467 | -1339.061866 |
| BPC6_MVK_10 | -1342.441427 | -1342.034814 | -1339.467623 | -1339.061010 |
| BPC6_MVKc_1 | -1342.477093 | -1342.069288 | -1339.506135 | -1339.098330 |
| BPC6_MVKc_2 | -1342.464689 | -1342.056977 | -1339.497503 | -1339.089791 |
| BPC6_MVKc_3 | -1342.463235 | -1342.055764 | -1339.496542 | -1339.089071 |
| BPC6_MVKc_4 | -1342.46273 | -1342.055381 | -1339.495967 | -1339.088618 |
| BPC6_MVKc_5 | -1342.465132 | -1342.057547 | -1339.495858 | -1339.088273 |
| BPC6_MVKc_6 | -1342.460755 | -1342.053414 | -1339.492857 | -1339.085516 |

### 9.5.6. XKA of Triphenylphosphane and Pyridine-derived Lewis Base Catalysts Using Three Different Michael Acceptors

Table 9.5.5

|  | $\begin{aligned} & \text { MP2(FC)/6-31+G(2d,p)//MPW1K/6-31+G(d) + PCM(UAHF)/RHF/6-31G(d)//MPW1K/6- } \\ & 31+\mathrm{G}(\mathrm{~d}) \end{aligned}$ |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\mathrm{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ | $\mathrm{E}_{0}$ | $\mathrm{G}_{298}$ | $\mathrm{G}_{298 . \mathrm{CHCl}}$ |
| $\mathrm{Ph}_{3} \mathrm{P}$ | -1033.805540 | -1033.506480 | -1033.522956 | -1033.568131 | -1033.565374 |
| MA1_1 | -230.606397 | -230.507158 | -230.513803 | -230.542589 | -230.544310 |
| MA1_2 | -230.605751 | -230.506640 | -230.513355 | -230.542340 | -230.543695 |
| MA2_1 | -305.682590 | -305.576236 | -305.583669 | -305.613895 | -305.614708 |
| MA2_2 | -305.681653 | -305.575258 | -305.582690 | -305.612964 | -305.613856 |
| MA2_3 | -305.667879 | -305.561711 | -305.569199 | -305.600247 | -305.604104 |
| MA2_4 | -305.662507 | -305.556425 | -305.564152 | -305.595291 | -305.599434 |
| MA3_1 | -307.813098 | -307.674404 | -307.681301 | -307.711115 | -307.716708 |
| $\mathrm{Ph}_{3} \mathrm{P}^{*} 1 \_1$ | -1264.404815 | -1264.004430 | -1264.026959 | -1264.079680 | -1264.083154 |
| $\mathrm{Ph}_{3} \mathrm{P} * 1 \_2$ | -1264.404793 | -1264.004283 | -1264.026708 | -1264.078674 | -1264.081814 |
| $\mathrm{Ph}_{3} \mathrm{P} * 1 \_3$ | -1264.391293 | -1263.991325 | -1264.014236 | -1264.067730 | -1264.076192 |
| $\mathrm{Ph}_{3} \mathrm{P} * 1 \_4$ | -1264.389128 | -1263.988845 | -1264.011828 | -1264.065834 | -1264.073116 |
| $\mathrm{Ph}_{3} \mathrm{P} * 2 \_1$ | -1339.467080 | -1339.060242 | -1339.084122 | -1339.139373 | -1339.144377 |
| $\mathrm{Ph}_{3} \mathrm{P} * 2 \_2$ | -1339.470621 | -1339.063517 | -1339.087132 | -1339.141415 | -1339.143901 |
| $\mathrm{Ph}_{3} \mathrm{P} * 2 \_3$ | -1339.470264 | -1339.063181 | -1339.086794 | -1339.140879 | -1339.143795 |
| $\mathrm{Ph}_{3} \mathrm{P} * 2 \_4$ | -1339.465007 | -1339.057932 | -1339.081352 | -1339.136098 | -1339.141867 |
| $\mathrm{Ph}_{3} \mathrm{P} * 2 \_5$ | -1339.464749 | -1339.057654 | -1339.081023 | -1339.134864 | -1339.140378 |
| $\mathrm{Ph}_{3} \mathrm{P} * 2 \_6$ | -1339.463818 | -1339.056751 | -1339.080432 | -1339.134661 | -1339.140191 |
| $\mathrm{Ph}_{3} \mathrm{P} * 3 \_1$ | -1341.588874 | -1341.149366 | -1341.172643 | -1341.225978 | -1341.235747 |
| PDLB2_1 | -747.576237 | -747.180888 | -747.197756 | -747.240774 | -747.244328 |
| PDLB2_2 | -747.575744 | -747.180467 | -747.197267 | -747.239662 | -747.243360 |
| PDLB2*1_1 | -978.181725 | -977.683257 | -977.706032 | -977.756636 | -977.764047 |
| PDLB2*1_2 | -978.180971 | -977.682502 | -977.705257 | -977.756038 | -977.763416 |
| PDLB2*1_3 | -978.178939 | -977.680804 | -977.703669 | -977.754319 | -977.762510 |
| PDLB2*1_4 | -978.178764 | -977.680510 | -977.703345 | -977.754090 | -977.761628 |
| PDLB2*1_5 | -978.172688 | -977.674222 | -977.696992 | -977.747852 | -977.759422 |
| PDLB2*1_6 | -978.172993 | -977.674444 | -977.697175 | -977.747848 | -977.758812 |
| PDLB2*1_7 | -978.171366 | -977.672989 | -977.695750 | -977.746462 | -977.757968 |
| PDLB2*1_8 | -978.171491 | -977.673243 | -977.695999 | -977.746718 | -977.757953 |
| PDLB2*1_9 | -978.166473 | -977.669194 | -977.692714 | -977.745261 | -977.756496 |
| PDLB2*1_10 | -978.165121 | -977.667628 | -977.691107 | -977.744339 | -977.756435 |
| PDLB2*1_11 | -978.160297 | -977.662758 | -977.686222 | -977.738999 | -977.754616 |
| PDLB2*1_12 | -978.160229 | -977.662637 | -977.686059 | -977.738828 | -977.754222 |
| PDLB2*2_1 | -1053.246864 | -1052.741815 | -1052.765715 | -1052.818432 | -1052.826352 |
| PDLB2*2_2 | -1053.246078 | -1052.741080 | -1052.765014 | -1052.817974 | -1052.825798 |
| PDLB2*2_3 | -1053.244315 | -1052.739584 | -1052.763566 | -1052.816306 | -1052.825007 |
| PDLB2*2_4 | -1053.242605 | -1052.738150 | -1052.762217 | -1052.815397 | -1052.824736 |
| PDLB2*2_5 | -1053.241669 | -1052.737363 | -1052.761551 | -1052.815413 | -1052.824719 |
| PDLB2*2_6 | -1053.240567 | -1052.736544 | -1052.760769 | -1052.814237 | -1052.824181 |
| PDLB2*2_7 | -1053.244028 | -1052.739206 | -1052.763177 | -1052.815886 | -1052.823823 |
| PDLB2*2_8 | -1053.239942 | -1052.735868 | -1052.760121 | -1052.813780 | -1052.823134 |
| PDLB2*2_9 | -1053.236992 | -1052.732622 | -1052.756820 | -1052.810563 | -1052.823073 |
| PDLB2*2_10 | -1053.238859 | -1052.733921 | -1052.757868 | -1052.811009 | -1052.822770 |
| PDLB2*2_11 | -1053.237233 | -1052.732746 | -1052.756844 | -1052.810045 | -1052.822157 |
| PDLB2*2_12 | -1053.239224 | -1052.734170 | -1052.758062 | -1052.810853 | -1052.821880 |


| PDLB2*2_13 | -1053.237668 | -1052.732995 | -1052.756999 | -1052.810278 | -1052.821736 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| PDLB2*2_14 | -1053.235755 | -1052.731511 | -1052.755671 | -1052.808878 | -1052.821340 |
| PDLB2*2_15 | -1053.235722 | -1052.731516 | -1052.755676 | -1052.808873 | -1052.821272 |
| PDLB2*2_16 | -1053.237615 | -1052.732789 | -1052.756713 | -1052.809675 | -1052.821229 |
|  |  |  |  |  |  |
| PDLB2*3R_1 | -1055.368669 | -1054.832124 | -1054.855742 | -1054.908215 | -1054.922844 |
| PDLB2*3R_2 | -1055.366930 | -1054.830536 | -1054.854215 | -1054.906427 | -1054.921375 |
| PDLB2*3R_3 | -1055.364135 | -1054.827469 | -1054.851052 | -1054.903211 | -1054.921139 |
| PDLB2*3R_4 | -1055.362519 | -1054.826120 | -1054.849773 | -1054.901800 | -1054.919664 |
|  |  |  |  |  |  |
| PDLB2*3S_1 | -1055.368862 | -1054.832421 | -1054.856091 | -1054.908757 | -1054.923338 |
| PDLB2*3S_2 | -1055.364162 | -1054.827528 | -1054.851184 | -1054.903843 | -1054.921500 |
| PDLB2*3S_3 | -1055.366851 | -1054.830493 | -1054.854184 | -1054.906424 | -1054.921452 |
| PDLB2*3S_4 | -1055.362763 | -1054.826397 | -1054.850078 | -1054.902445 | -1054.920325 |

### 9.6. Calculated Data for Chapter 6

Table 9.6.1

| B3LYP/6-31G(d) |  |  |
| :---: | :---: | :---: |
| System | $\mathrm{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.786524 | -369.723822 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -487.765856 | -487.611052 |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -487.745307 | -487.592404 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -605.720325 | -605.474670 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \AA$ | NM | NM |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 3 \AA$ | -667.697792 | -667.650757 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -785.670391 | -785.535380 |
| PMe3 | -461.098424 | -460.981668 |
| $\mathrm{BF}_{3}$ | -324.5532218 | -324.536667 |
| $\mathrm{PH}_{3}$ | -343.140281 | -343.112204 |
| $\mathrm{PMe}_{3}$ | -461.098424 | -460.981668 |
| $\mathrm{BH}_{3}$ | -26.613000 | -26.582694 |
| $\mathrm{BMe}_{3}$ | -144.609064 | -144.487552 |
| B98/6-31G(d) |  |  |
| System | $\mathbf{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.718551 | -369.655750 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -487.651276 | -487.496507 |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -487.631269 | -487.478375 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -605.560363 | -605.314973 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \AA$ | NM | NM |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 3 \AA$ | -667.535840 | -667.488677 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -785.462977 | -785.323189 |
| PMe3 | -460.996371 | -460.875348 |
| $\mathrm{BF}_{3}$ | -324.446133 | -324.429085 |
| $\mathrm{PH}_{3}$ | -343.084654 | -343.056507 |
| $\mathrm{PMe}_{3}$ | -460.996371 | -460.875348 |
| $\mathrm{BH}_{3}$ | -26.597091 | -26.566768 |
| $\mathrm{BMe}_{3}$ | -144.545972 | -144.424571 |

## MPW1K/6-31G(d)

| System | $\mathbf{E}_{\text {tot }}$ | $\mathbf{H} \mathbf{H}_{\mathbf{2 9 8}}$ |
| :--- | ---: | ---: |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.776645231 | -369.712404 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -487.737032504 | -487.578602 |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -487.714502244 | -487.557365 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -605.671022814 | -605.419220 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \AA$ | NM |  |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 3 \AA$ | -667.589438315 | -667.541147 |
| $\mathrm{PMe}_{3} \mathrm{BF}$ |  |  |
| $\mathrm{PMe3}_{3}$ | -785.547413812 | -785.404112 |
| $\mathrm{BF}_{3}$ | -461.073024 | -460.948757 |
| $\mathrm{PH}_{3}$ | -324.449146 | -324.431791 |
| $\mathrm{PMe}_{3}$ | -343.135431 | -343.106440 |
| $\mathrm{BH}_{3}$ | -461.073024 | -460.948757 |
| $\mathrm{BMe}_{3}$ | -26.599714 | -26.568938 |

MPW1K/6-31+G(d)

| System | $\mathbf{E}_{\text {tot }}$ | $\mathbf{H}_{\mathbf{2 9 8}}$ |
| :--- | ---: | ---: |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.778690631 | -369.714608 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -487.741224670 | -487.583194 |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -487.719529272 | -487.562842 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -605.677765317 | -605.426586 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \AA$ | -667.608370150 | -667.560421 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 3 \AA$ | -667.608309 | -667.560305 |
| $\mathrm{PMe}_{3} \mathrm{BF}$ |  | -785.429144 |
| $\mathrm{PMe}_{3}$ | -785.571958037 | -460.952348 |
| $\mathrm{BF}_{3}$ | -461.076331 | -324.449957 |
| $\mathrm{PH}_{3}$ | -324.467095 | -343.107383 |


| $\mathrm{PMe}_{3}$ | -461.076331 | -460.952348 |
| :---: | :---: | :---: |
| $\mathrm{BH}_{3}$ | -26.600665 | -26.569954 |
| $\mathrm{BMe}_{3}$ | -144.578092 | -144.453944 |
| MP2(FC)/aug-cc-pVDZ |  |  |
| System | $\mathbf{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.137632 | -369.074803 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -486.738005 | -486.584109 |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -486.728547 | -486.575984 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -604.331133 | -604.087161 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \AA$ | -666.525834 | -666.479384 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}) \mathrm{)}=\sim 3 \AA$ | -666.527230 | -666.480661 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -784.128944 | -783.990424 |
| PMe3 | -460.189797 | -460.069553 |
| $\mathrm{BF}_{3}$ | -323.906698 | -323.890230 |
| $\mathrm{PH}_{3}$ | -342.614054 | -342.585805 |
| $\mathrm{PMe}_{3}$ | -460.189797 | -460.069553 |
| $\mathrm{BH}_{3}$ | -26.486730 | -26.456379 |
| $\mathrm{BMe}_{3}$ | -144.102628 | -143.981589 |
| MP2(FULL)/aug-cc-pVDZ |  |  |
| System | $\mathbf{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.150468 | -369.087468 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -486.761139 | -486.607085 |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -486.751586 | -486.598772 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -604.364852 | -604.120624 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \mathrm{~A}$ | -666.546518 | -666.499922 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}) \mathrm{)}=\sim 3 \AA$ | -666.547534 | -666.500830 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -784.160213 | -784.021573 |
| PMe3 | -460.208873 | -460.088541 |
| $\mathrm{BF}_{3}$ | -323.917155 | -323.900677 |
| $\mathrm{PH}_{3}$ | -342.623224 | -342.594858 |
| $\mathrm{PMe}_{3}$ | -460.208873 | -460.088541 |
| $\mathrm{BH}_{3}$ | -26.488898 | -26.458497 |
| $\mathrm{BMe}_{3}$ | -144.114590 | -143.993392 |
| B97-D/6-31G(d) |  |  |
| System | $\mathbf{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.751301 | -369.689491 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -487.642330 | -487.491187 |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -487.623811 | -487.474472 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -605.515312 | -605.275967 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \AA$ | NM | NM |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}) \mathrm{)}=\sim 3 \AA$ | -667.515075 | -667.479532 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -785.398256 | -785.261914 |
| PMe3 | -460.992961 | -460.874981 |
| $\mathrm{BF}_{3}$ | -324.383827 | -324.367224 |
| $\mathrm{PH}_{3}$ | -343.125102 | -343.097206 |
| $\mathrm{PMe}_{3}$ | -460.992961 | -460.874981 |
| $\mathrm{BH}_{3}$ | -26.592362 | -26.562380 |
| $\mathrm{BMe}_{3}$ | -144.497521 | -144.379234 |

Table 9.6.1
MP2(FC)/6-31+G(2d,p)//MPW1K/6-31G(d)

| System | $\mathbf{E}_{\text {tot }}$ | , $\mathbf{H}_{\mathbf{2 9 8}}{ }^{6}$ |
| :--- | ---: | ---: |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -369.124253 | -369.060011 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -486.745156 | -486.586725 |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -486.728344 | -486.571207 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -604.349004 | -604.097202 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \AA$ | NM | NM |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 3 \AA$ | -666.513876 | -666.465585 |
| $\mathrm{PMe}_{3} \mathrm{BF} 3$ | -784.131666 | -783.988364 |


| $\mathrm{PMe}_{3}$ | -460.191191 | -460.066924 |
| :---: | :---: | :---: |
| $\mathrm{BF}_{3}$ | -323.913387 | -323.896032 |
| MP2(FC)/6-31+G(2d,p)//MPW1K/6-31+G(d) |  |  |
| System | $\mathbf{E}_{\text {tot }}$ | ,, $\mathrm{H}_{298}{ }^{\text {6 }}$ |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -369.124253 | -369.060011 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -486.745142 | -486.586711 |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -486.728393 | -486.571256 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -604.349009 | -604.097206 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \AA$ | -666.510958 | -666.462666 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -784.132119 | -783.988817 |
| $\mathrm{PMe}_{3}$ | -460.191189 | -460.067206 |
| $\mathrm{BF}_{3}$ | -323.913551 | -323.896413 |
| MP2(FC)/6-31+G(2d,p)//B98/6-31G(d) |  |  |
| System | $\mathbf{E}_{\text {tot }}$ | ,, $\mathrm{H}_{298}{ }^{\text {6 }}$ |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -369.123947 | -369.061146 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -486.744586 | -486.589817 |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -486.727320 | -486.574426 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -604.347891 | -604.102501 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \AA$ | NM | NM |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 3 \AA$ | -666.514157 | -666.466994 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -784.131501 | -783.991713 |
| $\mathrm{PMe}_{3}$ | -460.190872 | -460.069849 |
| $\mathrm{BF}_{3}$ | -323.913963 | -323.896915 |
| MP2(FC)/6-31+G(2d,p)//B97-D/6-31G(d) |  |  |
| System | $\mathbf{E}_{\text {tot }}$ | ,, $\mathrm{H}_{298}{ }^{\text {6 }}$ |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -486.726200 | -486.576861 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -486.743317 | -486.592174 |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.123204 | -369.061394 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -604.346589 | -604.107244 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \mathrm{~A}$ | -666.513315 | -666.468771 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -784.130774 | -783.994432 |
| $\mathrm{PMe}_{3}$ | -460.189776 | -460.071797 |
| $\mathrm{BF}_{3}$ | -323.913767 | -323.897164 |
| B2K-PLYP/G3MP2large//MPW1K/6-31+g(d) |  |  |
| System | $\mathbf{E}_{\text {tot }}$ | ,(H298* |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -487.506633 | -487.349945 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -487.526692 | -487.368661 |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.634727 | -369.570645 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -605.396907 | -605.145727 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \AA$ | -667.480776 | -667.432827 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -785.372639 | -785.229825 |
| $\mathrm{PMe}_{3}$ | -460.888810 | -460.764827 |
| $\mathrm{BF}_{3}$ | -324.459070 | -324.441932 |
| G3B3 |  |  |
| System | $\mathbf{E}_{\text {tot }}-$ DE(HLC) | $\mathrm{H}_{298}$-DE(HLC) |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -487.451698 | -487.304234 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -487.471302 | -487.322035 |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.588053 | -369.527538 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -605.334963 | -605.098134 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \mathrm{~A}$ | -667.349191 | -667.303565 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -785.226929 | -785.091918 |
| $\mathrm{PMe}_{3}$ | -460.833707 | -460.716951 |
| $\mathrm{BF}_{3}$ | -324.366774 | -324.350219 |
| G3MPW1K(+) |  |  |
| System | E ${ }_{\text {tot }}-$ DE(HLC) | $\mathrm{H}_{298}$-DE(HLC) |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -487.452942 | -487.296256 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -487.472665 | -487.314635 |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.588492 | -369.524414 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -605.336882 | -605.085707 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \AA$ | -667.344435 | -667.296486 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 3 \mathrm{~A}$ | -667.349132 | -667.301164 |


| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -785.228423 | -785.085612 |
| :---: | :---: | :---: |
| $\mathrm{PMe}_{3}$ | -324.367051 | -324.349913 |
| $\mathrm{BF}_{3}$ | -460.834714 | -460.710731 |
| B2-PLYP-FLP(c=0.65)/G3MP2large//MPW1K/6-31+G(d) |  |  |
| System | $\mathbf{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -487.777598 | -487.620910 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -487.797683 | -487.639652 |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.756484 | -369.692402 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -605.818522 | -605.567342 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \AA$ | -667.796788 | -667.748839 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -785.838372 | -785.695558 |
| $\mathrm{PMe}_{3}$ | -461.120389 | -460.9964063 |
| $\mathrm{BF}_{3}$ | -324.689336 | -324.6721984 |
| MP2(FC)/G3MP2large//MPW1K/6-31+G(d) |  |  |
| System | $\mathbf{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -486.880996 | -486.724308 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -486.900462 | -486.742431 |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.199392 | -369.135310 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -604.582384 | -604.331204 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \mathrm{~A}$ | -666.798363 | -666.750414 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -784.499268 | -784.356454 |
| $\mathrm{PMe}_{3}$ | -460.325413 | -460.201430 |
| $\mathrm{BF}_{3}$ | -324.147569 | -324.130431 |
| MP2(FC)/G3large//MPW1K/6-31+G(d) |  |  |
| System | $\mathbf{E}_{\text {tot }}$ | $\mathrm{H}_{298}$ |
| $\mathrm{PH}_{3} \mathrm{BMe}_{3}$ | -486.883046 | -486.726358 |
| $\mathrm{PMe}_{3} \mathrm{BH}_{3}$ | -486.902753 | -486.744722 |
| $\mathrm{PH}_{3} \mathrm{BH}_{3}$ | -369.200273 | -369.136191 |
| $\mathrm{PMe}_{3} \mathrm{BMe}_{3}$ | -604.585829 | -604.334649 |
| $\mathrm{PH}_{3} \mathrm{BF}_{3}(\mathrm{r}(\mathrm{P}-\mathrm{B}))=\sim 2 \mathrm{~A}$ | -666.806339 | -666.758390 |
| $\mathrm{PMe}_{3} \mathrm{BF}_{3}$ | -784.508652 | -784.365838 |
| $\mathrm{PMe}_{3}$ | -460.327276 | -460.203293 |
| $\mathrm{BF}_{3}$ | -324.155066 | -324.137928 |

### 9.7. Calculated data for chapter 7

Table 9.7.1

| stationary <br> point | $\begin{gathered} \mathrm{E}_{\text {tot }} \\ (\mathrm{B} 3 \mathrm{LYP} / 6- \\ 31 \mathrm{G}(\mathrm{~d})) \end{gathered}$ | $\begin{gathered} \mathrm{H}_{298} \\ \text { (B3LYP/6- } \\ 31 \mathrm{G}(\mathrm{~d}) \text { ) } \end{gathered}$ | $\begin{gathered} \mathrm{E}_{\text {tot }} \\ (\mathrm{B} 3 \mathrm{LYP} / 6- \\ 311 \mathrm{G}+\mathrm{G}(\mathrm{~d}, \mathrm{p}) / / \\ \text { B3LYP/6-31G(d)) } \end{gathered}$ | $\begin{gathered} \Delta \mathrm{E}_{\mathrm{tot}} \\ (\mathrm{~kJ} / \mathrm{mol}) \end{gathered}$ | $\begin{gathered} " \mathrm{H}_{298} " \\ (\mathrm{~B} 3 \mathrm{LYP} / 6- \\ 311 \mathrm{G}+\mathrm{G}(\mathrm{~d}, \mathrm{p}) / / \\ \text { B3LYP/6-31G(d)) } \end{gathered}$ | $\begin{aligned} & " \Delta \mathrm{H}_{298} " \\ & (\mathrm{~kJ} / \mathrm{mol}) \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 4 | -765.208202 | -764.987441 | -765.414457 | - | -765.193696 | - |
| 3 | -346.767634 | -346.626227 | -346.873971 | - | -346.732564 | - |
| 9_1 | -420.810576 | -420.686904 | -420.947989 | 0.0 | -420.824317 | 0.0 |
| $9 \_2$ | -420.822149 | -420.698179 | -420.937123 | 28.5 | -420.813153 | 29.3 |
| 8_1 | -691.181036 | -690.941536 | -691.366462 | 0.0 | -691.126962 | 0.0 |
| 8_2 | -691.181714 | -690.941963 | -691.366105 | 0.9 | -691.126354 | 1.6 |
| 3_c | -386.085563 | - | -386.201349 | - | - | - |
| 8_1_c | -730.499302 | - | -730.694220 | - | - | - |
| 8_2_c | -730.499931 | - | -730.693862 | - | - | - |
| 3_n | -551.270605 | - | -551.438550 | - | - | - |
| 8_1_n | -895.681710 | - | -895.928746 | - | - | - |
| 8_2_n | -895.682849 | - | -895.928853 | - | - | - |
| background reaction |  |  |  |  |  |  |
| 4+3 | -1111.975836 | -1111.613668 | -1112.288428 | 0.0 | -1111.926260 | 0.0 |
| 8_2+9_2 | -1112.003863 | -1111.640142 | -1112.303228 | -38.9 | -1111.939507 | -34.8 |
| 8_1+9_2 | -1112.003185 | -1111.639715 | -1112.303585 | -39.8 | -1111.940115 | -36.4 |
| 8_2+9_1 | -1111.992290 | -1111.628867 | -1112.314094 | -67.4 | -1111.950671 | -64.1 |
| 8_1+9_1 | -1111.991612 | -1111.628440 | -1112.314451 | -68.3 | -1111.951279 | -65.7 |
| 4+3_c | -1151.293765 | - | -1151.615806 | 0.0 | - | - |
| 8_2_c+9_2 | -1151.321451 | - | -1151.630985 | -39.9 | - | - |
| 8_1_c+9_2 | -1151.322080 | - | -1151.631343 | -40.8 | - | - |
| 8_2_c+9_1 | -1151.310507 | - | -1151.641851 | -68.4 | - | - |
| 8_1_c+9_1 | -1151.309878 | - | -1151.642209 | -69.3 | - | - |
| 4+3_n | -1316.478807 | - | -1316.853007 | 0.0 | - | - |
| 8_1_n+9_2 | -1316.503859 | - | -1316.865869 | -33.8 | - | - |
| 8_2_n+9_2 | -1316.504998 | - | -1316.865976 | -34.1 | - | - |
| 8_1_n+9_1 | -1316.492286 | - | -1316.876735 | -62.3 | - | - |
| 8_2_n+9_1 | -1316.493425 | - | -1316.876842 | -62.6 | - | - |
| 6_4 | -1111.949452 | -1111.588633 | -1112.256434 | 84.0 | -1111.895615 | 80.5 |
| 6_3 | -1111.955584 | -1111.594277 | -1112.260703 | 72.8 | -1111.899396 | 70.5 |
| 6_2 | -1111.956002 | -1111.593935 | -1112.261888 | 69.7 | -1111.899821 | 69.4 |
| 6_1 | -1111.956269 | -1111.594587 | -1112.262093 | 69.1 | -1111.900411 | 67.9 |
| 6_2_c | -1151.274254 | - | -1151.589635 | 68.7 | - | - |
| 6_1_c | -1151.274500 | - | -1151.589836 | 68.2 | - | - |
| 6_2_n | -1316.456738 | - | -1316.824179 | 75.7 | - | - |
| 6_1_n | -1316.457535 | - | -1316.824884 | 73.8 | - | - |
| 5 | -1111.988713 | -1111.624188 | -1112.297079 | -22.7 | -1111.932554 | -16.5 |


| $\mathbf{7}$ | -1112.016330 | -1111.650274 | -1112.322183 | $\mathbf{- 8 8 . 6}$ | -1111.956127 | $\mathbf{- 7 8 . 4}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |

Table 9.7.2

| stationary <br> point | $\begin{gathered} \mathrm{E}_{\text {tot }} \\ \text { (B3LYP/6- } \\ 31 \mathrm{G}(\mathrm{~d})) \end{gathered}$ | $\begin{gathered} \mathrm{H}_{298} \\ \text { (B3LYP/6- } \\ 31 \mathrm{G}(\mathrm{~d}) \text { ) } \end{gathered}$ | $\mathrm{E}_{\text {tot }}$ (B3LYP/6- $311 \mathrm{G}+\mathrm{G}(\mathrm{d}, \mathrm{p}) / /$ B3LYP/6- $31 \mathrm{G}(\mathrm{d})$ ) | $\Delta \mathrm{E}_{\text {tot }}$ <br> (kJ/mol) | $" \mathrm{H}_{298} "$ (B3LYP/6- $311 \mathrm{G}+\mathrm{G}(\mathrm{d}, \mathrm{p}) / /$ B3LYP/6- $31 \mathrm{G}(\mathrm{d}))$ | $\begin{aligned} & " \Delta \mathrm{H}_{298} " \\ & (\mathrm{~kJ} / \mathrm{mol}) \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| catalyzed reaction |  |  |  |  |  |  |
| 10 | -382.257304 | -382.085088 | -382.359977 | - | -382.187761 | - |
| 10+4+3 | -1494.233140 | -1493.698756 | -1494.648405 | 0.0 | -1494.114021 | 0.0 |
| 10+8_2+9_2 | -1494.261167 | -1493.725230 | -1494.663205 | -38.9 | -1494.127268 | -34.8 |
| 10+8_1+9_2 | -1494.260489 | -1493.724803 | -1494.663562 | -39.8 | -1494.127876 | -36.4 |
| 10+8_2+9_1 | -1494.249594 | -1493.713955 | -1494.674071 | -67.4 | -1494.138432 | -64.1 |
| 10+8_1+9_1 | -1494.248916 | -1493.713528 | -1494.674428 | -68.3 | -1494.139040 | -65.7 |
| 10+4+3_c | -1533.551069 | - | -1533.975783 | 0.0 | - |  |
| 10+8_2_c+9_2 | -1533.578755 | - | -1533.990962 | -39.9 | - |  |
| 10+8_1_c+9_2 | -1533.579384 | - | -1533.991320 | -40.8 | - |  |
| 10+8_2_c+9_1 | -1533.567811 | - | -1534.001828 | -68.4 | - |  |
| 10+8_1_c+9_1 | -1151.309878 | - | -1151.642209 | -69.3 | - |  |
| 10+4+3_n | -1698.736111 | - | -1699.212984 | 0.0 | - |  |
| 10+8_1_n+9_2 | -1698.761163 | - | -1699.225846 | -33.8 | - |  |
| 10+8_2_n+9_2 | -1698.762302 | - | -1699.225953 | -34.1 | - |  |
| 10+8_1_n+9_1 | -1698.749590 | - | -1699.236712 | -62.3 | - |  |
| 10+8_2_n+9_1 | -1698.750729 | - | -1699.236819 | -62.6 | - |  |
| 11_5 | -1494.252853 | -1493.713883 | -1494.660274 | -31.2 | -1494.121304 | -19.1 |
| 11_4 | -1494.254332 | -1493.714941 | -1494.661444 | -34.2 | -1494.122053 | -21.1 |
| 11_3 | -1494.255363 | -1493.716317 | -1494.663513 | -39.7 | -1494.124467 | -27.4 |
| 11_2 | -1494.261937 | -1493.722665 | -1494.669193 | -54.6 | -1494.129921 | -41.7 |
| 11_1 | -1494.261846 | -1493.722684 | -1494.669262 | -54.8 | -1494.130100 | -42.2 |
| 12_8 | -1494.227689 | -1493.689361 | -1494.633683 | 38.7 | -1494.095355 | 49.0 |
| 12_7 | -1494.229267 | -1493.691054 | -1494.635002 | 35.2 | -1494.096789 | 45.2 |
| 12_6 | -1494.228093 | -1493.690129 | -1494.635301 | 34.4 | -1494.097337 | 43.8 |
| 12_5 | -1494.228811 | -1493.690866 | -1494.635303 | 34.4 | -1494.097358 | 43.7 |
| 12_4 | -1494.229440 | -1493.691130 | -1494.636110 | 32.3 | -1494.097800 | 42.6 |
| 12_3 | -1494.225674 | -1493.687836 | -1494.635742 | 33.2 | -1494.097904 | 42.3 |
| 12_2 | -1494.227422 | -1493.689389 | -1494.636299 | 31.8 | -1494.098266 | 41.4 |
| 12_1 | -1494.227638 | -1493.689213 | -1494.639594 | 23.1 | -1494.101169 | 33.7 |
| 12_7_c | -1533.547255 | - | -1533.962389 | 35.2 | - | - |
| 12_4_c | -1533.547152 | - | -1533.963301 | 32.8 | - | - |
| 12_2_c | -1533.545247 | - | -1533.963593 | 32.0 | - | - |
| 12_1_c | -1533.545367 | - | -1533.966665 | 23.9 | - | - |
| 12_7_n | -1698.731621 | - | -1699.199446 | 35.5 | - | - |
| 12_2_n | -1698.731419 | - | -1699.202023 | 28.8 | - | - |
| 12_4_n | -1698.734083 | - | -1699.202284 | 28.1 | - | - |


| 12_1_n | -1698.733822 | - | -1699.207541 | 14.3 | - | - |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 13_3 | -1494.232601 | -1493.693260 | -1494.646218 | 5.7 | -1494.106877 | 18.8 |
| 13_2 | -1494.240012 | -1493.699842 | -1494.649963 | -4.1 | -1494.109793 | 11.1 |
| 13_1 | -1494.239909 | -1493.700181 | -1494.650886 | -6.5 | -1494.111158 | 7.5 |
| 14_9 | -1494.217766 | -1493.683185 | -1494.628463 | 52.4 | -1494.093882 | 52.9 |
| 14_8 | -1494.222172 | -1493.686546 | -1494.631284 | 45.0 | -1494.095658 | 48.2 |
| 14_7 | -1494.226104 | -1493.691145 | -1494.635132 | 34.8 | -1494.100173 | 36.4 |
| $14 \_6$ | -1494.226413 | -1493.691763 | -1494.635370 | 34.2 | -1494.100720 | 34.9 |
| 14_5 | -1494.227315 | -1493.692554 | -1494.636160 | 32.1 | -1494.101399 | 33.1 |
| $14 \_4$ | -1494.225535 | -1493.691768 | -1494.635801 | 33.1 | -1494.102034 | 31.5 |
| 14_3 | -1494.228769 | -1493.693907 | -1494.637954 | 27.4 | -1494.103092 | 28.7 |
| 14_2 | -1494.226506 | -1493.692334 | -1494.637294 | 29.2 | -1494.103122 | 28.6 |
| 14_1 | -1494.229028 | -1493.695178 | -1494.640219 | 21.5 | -1494.106369 | 20.1 |
| 14_3_c | -1533.546501 | - | -1533.965085 | 28.1 | - | - |
| 14_1_c | -1533.546633 | - | -1533.967008 | 23.0 | - | - |
| 14_3_n | -1698.734081 | - | -1699.205124 | 20.6 | - | - |
| 14_1_n | -1698.735846 | - | -1699.208489 | 11.8 | - | - |
| 15_2 | -1494.279504 | -1493.739901 | -1494.686359 | -99.6 | -1494.146756 | -85.9 |
| 15_1 | -1494.290465 | -1493.750686 | -1494.697227 | -128.2 | -1494.157448 | -114.0 |
| 16_6 | -1494.220951 | -1493.685626 | -1494.625500 | 60.1 | -1494.090175 | 62.6 |
| 16_5 | -1494.222632 | -1493.687000 | -1494.627133 | 55.8 | -1494.091501 | 59.1 |
| 16_4 | -1494.219925 | -1493.684868 | -1494.626990 | 56.2 | -1494.091933 | 58.0 |
| 16_3 | -1494.221830 | -1493.687183 | -1494.628466 | 52.3 | -1494.093819 | 53.0 |
| 16_2 | -1494.227839 | -1493.691662 | -1494.632397 | 42.0 | -1494.096220 | 46.7 |
| 16_1 | -1494.229513 | -1493.693828 | -1494.634956 | 35.3 | -1494.099271 | 38.7 |
| 16_6_c | -1533.538698 | - | -1533.952693 | 60.6 | - | - |
| 16_5_c | -1533.540258 | - | -1533.954094 | 56.9 | - | - |
| 16_2_c | -1533.545585 | - | -1533.959464 | 42.8 | - | - |
| 16_1_c | -1533.547130 | - | -1533.961950 | 36.3 | - | - |
| 16_6_n | -1698.726649 | - | -1699.192932 | 52.6 | - | - |
| 16_5_n | -1698.728152 | - | -1699.194385 | 48.8 | - | - |
| 16_2_n | -1698.732820 | - | -1699.199275 | 36.0 | - | - |
| 16_1_n | -1698.734321 | - | -1699.201274 | 30.7 | - | - |

## Curriculum Vitae

Name: Boris Maryasin

Date of birth: $30^{\text {th }}$, January, 1984
Place of birth: Nizhny Novgorod, Russian Federation
Nationality: Russian Federation
Marital status: Single

## Education

Ludwig-Maximilians-Universitaet Muenchen, Germany July 2007 - June
Ph.D Program in Chemistry in the group of Prof. Hendrik Zipse
2011

Visiting Ph.D student in the group of Prof. Shi Min, SIOC, Shanghai, China

Oktober -
December 2009
Visiting student in the group of Prof. Yitzhak Apeloig, Department of Chemistry, Technion-Israel Institute of Technology, Haifa, Israel

August October 2005

Department of Chemistry, University of Nizhny Novgorod, Nizhny Novgorod, Russian Federation
Master of Science in Chemistry, diploma with distinction
Department of Chemistry, University of Nizhny Novgorod, Nizhny
Novgorod, Russian Federation
September 2005 July 2007

Bachelor of Science in Chemistry, diploma with distinction

## Work Experience

Ludwig-Maximilians-Universitaet Muenchen, Germany
July 2007 - now
Chemistry and Biochemistry Department
Teaching Assistant (T.A.)

## Computer and Computational Experience

1. System administrator activity in AK Zipse (LMU), responsible for hardware and software installation and configuration, experience in Linux/Unix and in various scripting languages under UNIX (Bourne Shell, Perl).
2. Operating of various theoretical programs for calculation and modeling of organic molecules: Gaussian, Molpro, Gamess, Tinker, BOSS, Macromodel, Molden, Gaussview

## Publications

1. Protonation/Deprotonation Equilibria in the Morita-Baylis-Hillman Reaction B. Maryasin, Y. Liu, K. Karaghiosoff and H. Zipse, in preparation
2. Theoretical Studies of ${ }^{31}$ P NMR Spectral Properties of Phosphanes and Related Compounds in Solution
B. Maryasin and H. Zipse, Phys. Chem. Chem. Phys., 2011, 13, 5150-5158
3. Methyl cation affinity (MCA) values for phosphanes C. Lindner, B. Maryasin, F. Richter and H. Zipse, J. Phys. Org. Chem., 2010, 23, 1036-1042
4. The Performance of Computational Techniques in Locating the Charge Separated Intermediates in Organocatalytic Transformations Y. Wei, B. Sateesh, B. Maryasin, G. N. Sastry, H. Zipse, J. Comput. Chem., 2009, Vol. 30, No. 16, 2617-2624
5. Titanium Tetra-tert-butoxide-tert-Butyl Hydroperoxide Oxidizing System: Physicochemical and Chemical Aspects
L. P. Stepovik, M. V. Gulenova, I. M. Martynova, B. Maryasin and V. K. Cherkasov, Russ. J. General Chem., 2008, Vol. 78, No. 2., 266-276
6. Use of 2-(methoxycarbonyl)phenyllead triacetate in lactone synthesis
B. Maryasin, A. S. Shavyrin, J.-P. Finet and A. Yu. Fedorov, Russ. Chem. Bull., 2006, Vol. 55, No. 9, 1612-1616

## Presentation in Conference

1. B. Maryasin, C. Lindner, H. Zipse, Cation Affinity Numbers in Organocatalysis Research//"A Molecular Graphics and Modelling Society (MGMS) International Meeting", Germany, Erlangen, 2009
2. B. Maryasin, H. Zipse, Theoretical Studies of 31P NMR Spectral Properties of Potential Intermediates of the Morita-Baylis-Hillman Reaction.//International Conference "The XIIth European Symposium on Organic Reactivity (ESOR XII)", Israel, Haifa, 2009
3. B. Maryasin, A.Y. Fedorov, S.V. Zelentsov, J.-P. Finet, Theoretical study of Carylation with participation of non-symmetrical triarylbismuth dichlorides.//proceedings of the IVTN-2006, 2006
4. B. Maryasin, M. Karni, Y. Apeloig, Vinyl Silicenium Cation: Substituent effects on the Potential Energy Surface.//proceedings of the IVTN-2006, 2006
5. B. Maryasin, A.Y. Fedorov, S.V. Zelentsov, S. Combes, J.-P. Finet, Synthesis, structure and reactivity of pentavalent (2-methoxymethylphenyl)bismuth derivatives.//International Conference "Organic chemistry since Butlerov and Beilstein until present", 2006
6. B. Maryasin, A.S. Shavyrin, J.-P. Finet, A.Y. Fedorov, Reductive coupling of organolead arylating reagents in the synthesis of lactones.//International Conference "Organic chemistry since Butlerov and Beilstein until present", 2006
7. B. Maryasin, A.Y. Fedorov, S.V. Zelentsov, Quantum-chemical study of C-arylation with participation of non-symmetrical triarylbismuth dichlorides.//proceedings of the IVTN-2005, 2005

## Languages

Russian - Native language
English - Fluent writing, reading speaking
German - Fluent writing, reading, speaking

## Honors and Awards

1. Prize for successful participation, International Innocentive Chemistry Olympiad for Students
2. 1st prize, Oblast Students Chemistry Contest, Nizhny Novgorod, Russia
3. 2nd prize, University Students Chemistry Contest, Nizhny Novgorod, Russia
4. 2nd prize Oblast Students Chemistry Contest, Nizhny Novgorod, Russia
5. 2nd prize Oblast Students Chemistry Contest, Nizhny Novgorod, Russia
6. 2nd prize, University Students Chemistry Contest, Nizhny Novgorod, Russia
7. 1st prize, Young Scientist Chemistry Conference, Nizhny Novgorod, Russia
8. 3rd prize, Russian State Chemistry Contest
9. Prize for successful participation, 5th Soros Olympiad in Chemistry and others (in total about 25 diplomas)

[^0]:    ${ }^{\mathrm{a}}$ Abbreviations: Pen stands for pentyl, Hex for hexyl, Hep for heptyl. ${ }^{b}$ Calculated by Cristoph Lindner

[^1]:    ${ }^{a}$ Experimental study from Yinghao Liu. ${ }^{[10]}$

[^2]:    ${ }^{\mathrm{a}}$ Out-of-plane angle for P (phosphorus) or B (boron) moieties

[^3]:    ${ }^{\text {a }}$ B2K-PLYP with bigger contribution of correlation energy from second-order perturbation energy calculation ( $c=0.65$ instead of original $c=0.42$ ).

    Both benchmarking approaches G3B3 and G3MPW1K(+) give values closer to the experimental data ${ }^{[6]}$, than methods applied by Grimme et al. ${ }^{[1 c]}$ Results of MP2/aug-cc-pVDZ (with and without

