

QUT Digital Repository:
<http://eprints.qut.edu.au/>



Elmoultie, David and Kiemeier, Andreas and Hamilton, Grant S. (2010)
Improving detection probabilities for pests in stored grains. Pest Management
Science. (published online August, 2010)

© Copyright 2010 John Wiley

Title

Improving detection probabilities for pests in stored grains

Authors

David Elmouttie^{1,2}, Andreas Kiermeier^{2,3} and Grant Hamilton^{1,2}

Addresses

¹ Discipline of Biogeosciences, Queensland University of Technology, GPO Box 2434, Brisbane, Queensland, Australia, 4001.

² Cooperative Research Centre for National Plant Biosecurity, LPO Box 5012, Bruce, ACT 2617, Australia.

³ South Australian Research and Development Institute, Food Innovation and Safety, 33 Flemington Street, Glenside, South Australia 5065, Australia

Corresponding Author

Hamilton, G

Discipline of Biogeosciences, Queensland University of Technology, GPO Box 2434, Brisbane, Queensland, Australia, 4001.

Phone: + 61 7 3138 1325

Fax: + 61 7 3138 1535

Email: g.hamilton@qut.edu.au

1. ABSTRACT

BACKGROUND: The presence of insects in stored grains is a significant problem for grain farmers, bulk grain handlers and distributors worldwide. Inspections of bulk grain commodities is essential to detect pests and therefore to reduce the risk of their presence in exported goods. It has been well documented that insect pests cluster in response to factors such as microclimatic conditions within bulk grain. Statistical sampling methodologies for grains, however, have typically considered pests and pathogens to be homogeneously distributed throughout grain commodities. In this paper we demonstrate a sampling methodology that accounts for the heterogeneous distribution of insects in bulk grains.

RESULTS: We show that failure to account for the heterogeneous distribution of pests may lead to overestimates of the capacity for a sampling program to detect insects in bulk grains. Our results indicate the importance of the proportion of grain that is infested in addition to the density of pests within the infested grain. We also demonstrate that the probability of detecting pests in bulk grains increases as the number of sub-samples increases, even when the total volume or mass of grain sampled remains constant.

CONCLUSION: This study demonstrates the importance of considering an appropriate biological model when developing sampling methodologies for insect pests. Accounting for a heterogeneous distribution of pests leads to a considerable improvement in the detection of pests over traditional sampling models.

Keywords

Grains; Stored product pests; Heterogeneity; Sampling; Probability of detection

1. INTRODUCTION

Stored product pests are a major problem in grain supplies globally. Insects in stored grain products affect grain quality, their presence is often unacceptable in domestic grain supplies, and thus are considered major pests worldwide.¹ They have the potential to cause significant economic loss through direct consumption and commodity spoilage and also endanger public health through contamination.¹ Secondary losses associated with fungal growth and trade restrictions also lead to significant economic costs for growers and bulk handlers.¹

To minimise commodity loss, a significant emphasis has been placed on developing effective integrated pest management (IPM) strategies for stored products. An essential component of IPM is early detection of pest populations, and so extensive insect monitoring and sampling programmes form an integral component of management programmes in stored grains.² Sampling and monitoring techniques often form the basis for treatment and control decisions and insect sampling programmes are well established in the grains industry.³

Sampling programmes have been established and are often regulated by major grain producing countries as they have recognised the importance of sampling to minimise the risk of insects establishing in bulk grain.² Typically, they are designed such that a representative portion of a larger lot is sampled for analysis or inspection to determine if a commodity is free from infestation.⁴ While their importance is well established, nonetheless considerable variation in the methodology of sampling programmes exists between countries, and among different grain producers, grain handlers and regulatory bodies within countries.³ For example, the quantity (generally, measured as the weight) of grain sampled from grain bulk varies considerably between sampling programmes.³ The foundation of

numerous international and domestic grain sampling programmes relates to historical and pragmatic constraints in the supply and distribution network, rather than being designed within a robust statistical framework.³ For example, sampling programmes have been developed in relation to grain belt loading speeds at storage and shipping terminals, the size of grain trucks or rail cars and the size of storage silos and bunkers.³ Additionally, differences in units in which grains are stored and measured (metric and imperial measures), the position within the supply chain at which sampling occurs (e.g. farm silos, central storage) and the perception of risk from insect infestation in different geographic regions have all contributed to variations to the rate and quantity of commodity sampled in sampling programmes.³ Variation in grain sampling programmes is not only related to the quantity of grain sampled, but also to the number of sub-samples taken from the grain bulk that contribute to this total. For instance, Grain Trade Australia⁵ specifies three 1 litre samples to be drawn from lots greater than 10 tonnes in size and an additional 1 litre sample to be drawn for every 10 tonne increase in lot size. United Kingdom regulations however, prescribe 2 kilogram samples for every 20 tonnes for lots less than 100 t and 1 kilogram per 20 tonnes for lots greater than 100 tonnes.³ The intensity of sub-sampling has also typically been established on the basis of practical constraints in the supply and distribution chain, being influenced by similar factors such as the size of grain rail cars, the units in which grains are measured (e.g. bushels) and size of storage facilities.³

As sampling programmes have been established based on practical constraints, the ecology of pest species and the influence this has on sampling efficiency has rarely been considered. Notably, sampling programmes for grain commodities have been developed assuming that insects are distributed homogeneously or randomly throughout the grain bulk.^{3,6,7,8}

1 Statistical models created under this assumption are largely dependent on the proportion of
2 grain sampled (the sample fraction) rather than any sub-sampling regime.^{6,8} The number of
3 sub-samples is not included in these models as the probability of detecting insects is
4 assumed to be equal over the entire grain lot.

5 Evaluation of sampling programmes has been conducted by numerous grain producing
6 countries to ensure grain commodities meet specified standards and thresholds³ and to
7 develop effective IPM strategies.² Even though sampling programmes were often found to
8 be adequate to detect small infestations in grain bulk,^{2,3,6,8} the statistical models used were
9 based on the binomial distribution with the implicit assumption that pests were
10 homogeneously distributed. Although the validity of assuming a homogenous distribution of
11 insects is questionable the performance of models which assume homogeneity under
12 heterogeneous conditions has yet to be determined.

13 The assumption of homogeneity in stored grains, although widespread, is largely for the
14 sake of convenience and is unlikely to be true in bulk grains storage. Ecological and
15 behavioural studies on stored product insects suggest that it is more probable that stored
16 product insects display a heterogeneous distribution in grain stores.^{1,9,10} Conditions within
17 grain storage facilities can differ significantly due to the design, size, seasonal temperature
18 variation and aspect of storage facility that in turn influences the distribution of pest species
19 throughout a grain consignment.^{9,10,11} As a consequence, micro-climatic conditions such as
20 temperature and relative humidity in relatively small pockets of grain can vary substantially
21 and have significant impacts on population growth and structure of stored product pests.¹
22 The age and the quality of grain within a particular storage facility may also vary.^{1,10,11} Grains
23 can be stored for prolonged periods of time, at either bulk handling facilities or on farm

1 grain storage silos leading to different aged grains of potentially differing quality being
2 mixed. This may have implications for the distribution of infestations within a consignment
3 as stored product pests are known to select for grains with higher moisture contents (which
4 is often a function of grain age), with the result that the spatial distribution of insects within
5 the grain will tend to be heterogeneous.^{1,10,11}

6 Insects are unlikely to conform to a homogenous distribution within grain bulks, and thus
7 violate a basic assumption of sampling programmes conducted by major grain producers.

8 Although insect densities have been statistically fitted to continuous distributions in an
9 effort to estimate abundance previously,^{13,14,15} a generic sampling model that accounts for
10 the insect clustering behaviour and abundance has not yet been developed. In this paper we
11 investigate the influence of a heterogeneous distribution of insects on the probability of
12 detecting insect pests, and consider strategies to improve insect detection. Following
13 development of a robust sampling model, validation was conducted via estimation of model
14 parameters and by sampling. We demonstrate the efficacy of this model via sampling of
15 grains silos, using the model to predict effective sample size for detection. We also compare
16 our model with a sampling model that does not account for heterogeneity.

2. MATERIALS AND METHODS

2.1 The Model

We consider a large grain lot throughout which a target insect may be heterogeneously distributed. Our ultimate objective is to determine the probability of detecting insects in grain bulk under a given sampling programme using an adaptation of an approach initially proposed by Habraken et al.¹⁶ We define the number of sub-samples drawn from a grain lot as n and the weight of each of the sub-samples as w ; nw represents the total weight of the sample drawn from a grain lot. We assume that any grain lot can be separated into two distinct components, which may or may not be contiguous, a proportion p that is infested and a proportion $(1-p)$ that is free of infestation. Further, we assume that within the infested proportion of the lot, insects are homogeneously distributed according to a Poisson distribution¹⁶.

Initially, we focus on drawing samples from the infested portion of the grain lot. The probability of drawing X contaminated samples from n total samples is binomially distributed:

$$P(X = x) = \binom{n}{x} p^x (1-p)^{n-x} \quad (1)$$

Grain samples are typically measured by mass rather than by volume. For each sub-sample that comes from the infested part of the lot, the probability of detecting an insect is influenced by the rate of infestation λ (where λ represents the number of insects present per kilogram within the infested portion of the grain lot). Let A be the number of insects in

1 the sub-sample conditional on the sub-sample having come from the contaminated part of
2 the lot:

$$3 \quad P(A = a | X = x) = \frac{e^{-xw\lambda} (xw\lambda)^a}{a!} \quad (2)$$

4 However, in the acceptance of a grain lot the situation of key interest is that in which no
5 insects are detected and so $a = 0$. In this situation, equation 2 reduces to:

$$6 \quad P(A = 0 | X = x) = e^{-xw\lambda} \quad (3)$$

7 Consequently, summing over all possible values for X results in the unconditional
8 probability:

$$9 \quad P(A = 0) = \sum_{i=0}^n P(X = i) P(A = 0 | X = i)$$

$$10 \quad = \sum_{i=0}^n \binom{n}{i} p^i (1-p)^{n-i} e^{-iw\lambda}$$

$$11 \quad = \sum_{i=0}^n \binom{n}{i} (pe^{-w\lambda})^i (1-p)^{n-i}$$

$$12 \quad = (1-p + pe^{-w\lambda})^n$$

13 The final step in the equation is derived from the Binomial theorem

$$14 \quad (a + b)^n = \sum_{i=0}^n a^i b^{n-i}$$

15 Therefore the probability of detection is then given by:

$$16 \quad P(A > 0) = 1 - P(A = 0) = 1 - (1 - p + pe^{-w\lambda})^n \quad (4)$$

2.2 Parameter Estimates and Model Validation

2.2.1 Study Sites

In order to use equation 4 to determine an appropriate number of samples to take for a given probability of detection, the proportion of the lot contaminated \underline{p} , and the density of insects in the contaminated portion $\underline{\lambda}$ need to be estimated. Parameter estimation and model validation was conducted on a grain farm near Warwick in South East Queensland, Australia. Three grain silos of similar design were selected for the study. Each silo held approximately 70 tonnes of wheat that had been harvested and placed in storage for four months. No insecticide treatments had been conducted in any of the three silos during the storage period. All grain sampling from the silos was conducted on a single day.

2.2.2 Parameter Estimates

One silo was randomly selected, and sampling was conducted in one of the three silos to make parameter estimates of $\underline{\lambda}$ and \underline{p} . Twenty five 800 gram samples were taken from random locations within the silo using a Grintec® Stainless steel grain spear. Note that the number of samples taken was consistent both with obtaining good parameter estimates and pragmatic considerations of access to the silos. Each sample was individually bagged and sieved using a Grintec® 2mm stainless steel grain insect sieve for a standard 10 seconds. For each sample the number of *Sitophilus oryzae* (Rice Weevils), *Rhyzopertha dominica* (Lesser Grain borer) and *Cryptolestes spp.* (Flat Grain Beetle) were recorded. For each species \underline{p} was estimated by dividing the number of samples containing that species by the total number of samples taken, and $\underline{\lambda}$ was estimated as the mean number of insects per sample (i.e. the total number of that species sampled divided by the number of samples

taken). This procedure was replicated three times and mean parameter estimates were calculated for use in the validation procedure.

2.2.3 Model Validation

The model was validated by populating equation 4 with the mean parameter estimates for p and λ for each species, and solving to determine the number of samples \underline{n} that need to be taken for each of three detection probabilities (0.75, 0.85, 0.95). This was considered a prediction for the maximum sampling intensity that needed to be taken to detect that species of insect. Sampling was then undertaken at this intensity at random points within the remaining two silos. For each sample taken, the success in detecting the insect species within the maximum number of samples was recorded (Table 1). To ensure consistency the sample weight (\underline{w}) for each remained a constant 800 grams of wheat.

This procedure was repeated three times in each of the two silos on which model validation was performed. For comparison with existing sampling methods, sample intensity was also calculated for each of the probability of detection levels tested above (0.75, 0.85, 0.95) under a Binomial sampling model ⁶ that assumes an homogeneous distribution of insects. Note that for the Binomial sampling model the amount of grain sampled (the sample fraction) needs to be calculated, and this was done based on the total volume of grain held in each silo. Insect density was calculated from initial parameter estimates.

3. APPLICATION

In bulk grain lots, both the rate of infestation $\underline{\lambda}$, and the proportion of the lot infested \underline{p} , will vary based on a variety of factors including temperature, humidity, and storage period. We consider the effects of these variables on the probability of detection, using a range of values for \underline{n} , the number of sub-samples drawn from the lot and \underline{w} , the weight of each sub-sample.

The probability of detecting insects within a grain lot increases as both the proportion of commodity infested \underline{p} and the rate of infestation $\underline{\lambda}$ increases (Figure 1). This can be further explored by investigating the probability of detection of insects as both \underline{p} and $\underline{\lambda}$ reach their respective limits of 1 and infinity. As \underline{p} approaches one (i.e. a greater proportion of the lot is infested), \underline{n} and \underline{w} do not effectively act independently. The probability of detection thus can be represented as:

$$\begin{aligned} P(A > 0) &= 1 - (1 - p + pe^{-w\lambda})^n \\ &= 1 - (e^{-nw\lambda}) \end{aligned} \quad (5)$$

In equation 5 the probability of detection is simply related to the Poisson distribution and detection is influenced by the rate of infestation $\underline{\lambda}$, and the total weight of grain sampled, \underline{nw} (Figure 2).

Alternatively, consider the probability of detecting insects as the rate of contamination approaches infinity. From equation 4:

$$P(A > 0) = 1 - (1 - p)^n \quad (6)$$

1 This is the probability of observing a least 1 positive sample for a binomial variable. Under
2 this scenario, the probability of detecting an insect will vary with \underline{p} (Figure 3).

3 Although $\underline{\lambda}$ and \underline{p} affect the probability of detection of insects within a lot as shown, when a
4 grain lot is sampled these will be unknown quantities. The number of sub-samples \underline{n} can be
5 varied, however, and so variations in this parameter may form the basis for sampling
6 strategies. We consider here the influence of sub-sampling on the probability of detection
7 of insects under various combinations of $\underline{\lambda}$ and \underline{p} .

8 We initially consider two scenarios to illustrate the effects of changes in sub-sampling on
9 the probability of detecting insects for infestation rates of ($\underline{\lambda} = 5$) and ($\underline{\lambda} = 0.5$). These rates
10 are based on estimates for common grain beetle densities in storage¹⁷ and provide
11 examples of high and low insect densities for simulation. Note that these rates encompass
12 the range of parameter values determined in section 2, however we considered that a wider
13 range of parameter values was necessary in order to encompass a broader range of
14 conditions. In the first scenario a fixed sample weight ($\underline{nw} = 10\text{kg}$) was used, representing
15 the most intensive sampling rate recommended by Grain Trade Australia.⁵ Here, the
16 probability of detecting an insect increases as the number of sub-samples increases. The
17 level of increase will vary according to the underlying infestation rate (Figures 4a and 4b).
18 Similarly, we consider the influence of sub-sampling on probability of detection when \underline{w} is
19 held constant under at three levels of heterogeneity in lot infestation (Figures 5a and 5b).

20 As shown in Figures 5a and 5b, the probability of detecting an insect increases as the total
21 sample weight increases (shown here by increasing the number of sub-samples with a fixed
22 sub-sample weight). The rate of increase in the probability of detection is also significantly
23 higher when the total sample weight increases in comparison to when \underline{nw} remains constant

(Figures 4a & 5a; 4b & 5b). In all examples the detection curve asymptote is reached significantly quicker as \underline{p} increases, leading to fewer sub-samples being required for increased detectability.

3.1 Comparison of sampling models

Hunter and Griffiths⁶ proposed an approach based on the Binomial distribution to estimate insect population densities in bulk grain lots. Unlike the model presented above, an implicit assumption of this approach is that insects are distributed homogenously throughout grain lots. Furthermore, the approach does not consider the number and weight of samples taken, rather the total sample fraction and follows,

$$P(\psi) = 1 - (1 - \theta)^v \quad (7)$$

Where $\underline{\psi}$ represents the number of insects in a sample, $P(\underline{\psi})$ is the probability of drawing an infested sample, $\underline{\vartheta}$ is the total fraction of the bulk grain that is sampled and \underline{v} represents the total number of insects in a lot. For example, if the sample fraction represents 0.0001% of the total grain in a lot and the number of insects in the lot $v = 513$, solving for equation (7) will give a 5% probability of detection. A further example is presented in Love et al.⁸ where average insect densities are calculated for given grain bin rejections. Statistical models based on the Binomial that assume homogenous distribution of insects such as Hunter and Griffiths⁶ form the basis for a number of grain sampling programmes. We therefore compare the performance of the Hunter and Griffiths⁶ approach with the model proposed in this paper (Table 1). To do this, we compare sampling results for three insect species *Sitophilus oryzae*, *Rhyzopertha dominica* and *Cryptolestes spp* collected from farm storage.

As demonstrated in Table 1, the model presented in this paper, $P(A>0)$, outperforms a model which does not consider insect distribution. This is particularly evident when the proportion of the lot infested is less than 50%, for example, the very poor detection of *S. Oryzae* by the Hunter and Griffiths⁶ model compared with the successful detections with a sampling intensity generated by equation 4 (Table 1).

4. DISCUSSION & CONCLUSIONS

Given the possible costs of failure to detect pests such as live insects or fungi in grain commodities, it is important to maximise the probability for their detection. Since it is generally impossible or impractical to inspect an entire bulk grain consignment for impurities, sampling programmes that are effective and statistically rigorous are required. When considering biological pests as contaminants an understanding of the ecology of the species and how this may influence the distribution of pests through space is required to develop effective sampling strategies.^{16,17,18,19} Previous sampling programmes to detect insects in stored grains have been based on the binomial sampling model with the implicit assumption that pests are homogeneously distributed throughout the grain bulk.^{6,20} In this paper, the heterogeneous distribution of insects or other impurities is explicitly considered via the use of an appropriate statistical model. This model better accords with the known biology of grain pests in considering heterogeneity within a grain lot by modelling the lot as having contaminated and un-contaminated portions. As demonstrated via field sampling and simulation, our method considerably outperforms traditional sampling methods when the appropriate biological assumption that insects distribute heterogeneously through grain bulk is accounted for.

Field sampling and simulation experiments demonstrated that the probability of detecting insect pests was influenced by both the distribution of pests within consignments and the rate of contamination (Table 1, Figure 1). In field validation studies the number of samples required to detect each insect species was not significantly influenced by the rate of infestations as estimates for this parameter were similar for all species (Table 1). The proportion of the silo infested however, did have a significant influence on sampling

intensity for each species (Table 1). This was in accordance with simulation results presented in figures 4a & 5a. Both simulation and field validation studies demonstrated that accounting for clustering behaviour is particularly important when only a relative small proportion <20% of a lot is infested, irrespective of total insect density.

The comparison of our model to the Hunter and Griffiths⁶ model that does not account for the spatial distribution of insects illustrates that current detection probabilities may be overestimated when the spatial distribution of insects is not considered (Table 1). If the probability of detection of pests is overestimated through the use of an inappropriate biological model, management decisions that are based on these estimates may be more risky than anticipated, with the potential for unanticipated commodity and economic losses.

Although the rate of infestation and the proportion of grain bulk infested are biological parameters that cannot typically be manipulated directly, it is important to recognise that environmental conditions that are known to influence these biological aspects of pest infestation will affect pest detection under any given sampling regime.

Sub-sampling intensity \underline{n} , and sub-sample weight \underline{w} , also strongly influence detection probabilities of pests. While the rate of infestation and the proportion of grain bulk infested may have substantial influence on the probability of detection, these cannot be directly changed in a real setting. In contrast, the sampling parameters \underline{n} and \underline{w} are critical since they can be manipulated in order to achieve the goals of a sampling programme. A key observation from this study is that the probability of detection increases when the number of sub-samples \underline{n} increases irrespective of the rate of infestation and proportion of the lot infested (Figures 4a & 4b). This will occur despite the total sample weight \underline{nw} remaining

constant. This can be understood as an interaction between sampling and the underlying distribution of insects.

For an insect to be detected in the total sample, a sub-sample must first be drawn from the infested portion of grain bulk. Clearly, the probability that at least one sub-sample intercepts the infested portion of the lot increases as more sub-samples are drawn. For high rates of infestation λ , the probability of detecting an insect once the infested portion has been intercepted will be high. When the rate of infestation is low, however, the volume (weight) of sub-samples will have a greater impact on the probability of detection than the number of sub-samples drawn (Figure 4b & 5b). In this scenario, even if the infested portion of the grain bulk is intercepted, the probability of actually detecting an insect in that sample will be related to the volume of the infested portion that has been sampled.

As shown here, the intensity of sub-sampling and the weight of sub-samples taken will strongly influence the capacity of a sampling regime to detect insects. These variables are not considered in traditional grains sampling models, however. The Hunter and Griffiths⁶ model used as a comparison here considers a single measure, the sample fraction \underline{g} which is equivalent to \underline{nw} . Models which do not consider sub-sampling intensity \underline{n} overestimate the probability of detecting insects when tested against a heterogeneous insect distribution. This occurs because the probability of insects being in any one sample is assumed to be equal.

Sampling strategies for stored grains have typically been based on lot size. Grain Trade Australia⁵ standards for example recommend a greater sampling rate as the size of the lot increases. This primarily relates to the statistical sampling frameworks failing to consider insect distribution. The current study illustrates the importance of developing sampling

programmes with due consideration of pest ecology, density and distribution rather than lot size. Sampling intensity and sample size should be optimised in relation to the rate of infestation (density of insects) and the proportion of commodity infested (insect distribution) Table 1. Sampling based purely on lot size may not provide valid estimates of insect density as small lots may not be sampled adequately if clustering is occurring. Conversely, extensive sampling of large lots may be inefficient and leading to added monitoring costs.

The approach taken in this paper was to consider the scenario where no live insects are acceptable in a bulk grain lot (*i.e.* $\underline{A} = 0$), a standard that increasingly is being adopted by grain handlers for transfers of grain. However, in some scenarios it may be useful to consider a sampling regime under an alternative value of \underline{A} . A primary concern of grain handlers and distributors worldwide is the emerging issue of phosphine resistance and the reduction of potential alternative insecticide treatments due to regulatory controls.^{19,21,22,23}

Here, sampling programmes for grains throughout the production and supply chain might take into consideration critical treatment thresholds for insects throughout all stages of storage and distribution. That is, with an effective sampling methodology as demonstrated here, grain handlers and distributors could administer treatments based on insect density thresholds, reducing the potential for over or under utilisation of insecticide treatments. Multi-stage sampling strategies could therefore play an important role in determining effective treatment times. Furthermore, effective sampling would reduce costs associated with control and treatments.

Monitoring and sampling of stored grains for insect populations has become an integral component of IPM strategies.^{2,24} The early detection of pest populations is critical for

1 effective control measures to be implemented.² The usefulness of monitoring and sampling
2 data however, is dependent on the accuracy of the data so that a realistic representation of
3 the presence of insects can be attained. Ineffective treatment and failure of IPM
4 programmes to control pest populations is often related to failures in detection protocols.²

5 This study demonstrates that the number of sub-samples and the weight of sub-samples
6 taken will critically influence the detection probabilities of insects in bulk grains. However,
7 the study also highlights the need for flexibility in considering those factors that will
8 influence biological parameters that cannot be easily manipulated, the rate of infestation
9 and the proportion of the lot infested. Further work is required to create sampling
10 programmes that can be adapted to account for variations in external temperature and
11 humidity (such as the geographic location of storage and the season in which sampling
12 occurs), the way in which grains are stored (e.g. vertical silos or horizontal warehousing),
13 and the way in which they are transported. This would allow for more efficient, cost-
14 effective sampling to occur throughout the production and supply chain leading to improved
15 IPM programmes and population management.

5. ACKNOWLEDGMENTS

Funding for this research has been provided by the Cooperative Research Centre for National Plant Biosecurity through CRCNPB Project CRC30086: Sampling Strategies for Stored Grains. For use of farm facilities and access to grain silos we would also like to thank the Petersons. We also wish to thank Philip Burrill and Rodney Steel for assistance collecting field validation data. The Authors are also grateful for the comments made by Dr. Pat Collins and two anonymous reviewers on an earlier draft of the manuscript.

6. REFERENCES

1. Hagstrum DW, Subramanyam B, Fundamentals in stored-product entomology. AACC International Press, St Paul, Minnesota (2006).
2. Nansen C, Meikle WG, Campbell J, Phillips TW, Subramanyan B, A binomial and species-independent approach to trap capture analysis of flying insects. *J Econ Entomol* **101**: 1719-1728 (2008).
3. Jefferies GM, Review of grain sampling inspection methodology. Department of Agriculture, Fisheries and Forestry, Australia (2000).
4. Stephens KS, The handbook of applied acceptance sampling: plans, principles and procedures. American Society for Quality, Milwaukee, Wisconsin (2001).
5. Grain Trade Australia. Wheat Trading Standards, August 2009.
http://www.nacma.com.au/_data/page/98/Section_2_Wheat_Standards_Booklet_200910.pdf [accessed 16 September 2009]
6. Hunter AJ, Griffith HJ, Bayesian approach to estimation of insect population size. *Technometrics* **20**: 231-234 (1978).
7. Johnston JH, Procedures and sampling intensities in sampling for insects in the N.S.W grain elevators board system. Research Work-paper, 90. New South Wales Department of Agriculture (1979).
8. Love G, Twyford-Jones P, Woolcock I, An economic evaluation of alternative grain insect control measures. Australian Government Publishing Service. Canberra, Australian Capital Territory (1983).
9. Hagstrum DW, Seasonal variation of stored wheat environment and Insect Population. *Environ Entomol* **16**: 77-83 (1987).

10. Athanassiou CG, Kavallieratos NG, Palyvos NE, Buchelos CT, Three dimensional distribution and sampling indices of insects and mites in horizontally-stored wheat. *Appl Entomol Zool* **38**: 413-426 (2003).
11. Cuperus, GW, Fargo WS, Flinn PW, Hagstrom, DW, Variables affecting capture of stored-grain insects in probe traps. *J Kans Entomol Soc* **63**: 486-489 (1990).
12. Rees D, Insects of stored products. CSIRO Publishing. Melbourne, Victoria (2004).
13. Hagstrum DW, Milliken GA, Waddell MS, Insect distribution in bulk-stored wheat in relation to detection or estimation of abundance. *Environ Entomol* **14**: 655-661 (1985).
14. Lippert GE, Hagstrum DW, Detection or estimation of insect population in bulk-stored wheat with probe traps. *J Econ Entomol* **80**: 601-604 (1987).
15. Hagstrum DW, Meagher RL, Smith LB, Sampling statistics and detection or estimation of diverse populations of stored-product insects. *Environ Entomol* **17**: 377-380 (1988).
16. Habraken CJM, Mossel DAA, van der Reek S, Management of salmonella risks in the production of powdered milk products. *Neth Milk Dairy J* **40**: 99-116 (1986).
17. Nansen C, Flinn P, Hagstun D, Toews MD, Meikle WG, Interspecific associations among stored-grain beetles. *J Stored Prod Res* **45**: 254-260 (2009).
18. Hagstrum DW, Flinn PW, Subramanyan B, Predicting insect density from probe trap catch in farm stored wheat. *J Stored Prod Res* **34**: 251-262 (1998).
19. Flinn PW, Hagstrum DW, Reed C, Phillips TW, United States Department of Agriculture – Agricultural Research Service stored grain areawide integrated pest management program. *Pest Manag Sci* **59**: 614-618 (2003).

- 1 20. Opit GP, Thorne JE, Flinn PW, Sampling plans for the Psocids *Liposcelis entomophila*,
2 and *Liposcelis decolour* (Psocoptera Liposcelididae) in steel bins containing wheat. *J*
3 *Econ Entomol* **102**: 1714-1722 (2009).
- 4 21. Herron GA, Resistance to grain protectants and phosphine in Coleopterous pests of
5 grain stored on farms in New South Wales. *J Aust Ent Soc* **29**: 183-189 (1990).
- 6 22. Emery RN, Collins PJ, Wallbank BE, Monitoring and managing phosphine resistance in
7 Australia. Proceedings of the Australian Postharvest Technical Conference, Canberra,
8 Australia (2003).
- 9 23. Lilford K, Fulford GR, Schlipalius D, Ridley A, Fumigation of stored-grain insects – a
10 two locus model of phosphine resistance. 18th World IMACS/MODSIM Congress,
11 Cairns, Australia (2009).
- 12 24. Hagstrum DW, Reed C, Kenkel P, Management of stored wheat insect pests in the
13 USA. *Integrated Pest management Reviews* **4**: 127-142 (1999).
- 14
- 15

Table 1. Comparison of success in detecting three different insect species when silos were sampled under an intensity (\underline{n}) predicted by a model that accounts for the heterogeneous distribution of insects (equation 4), and one that does not (Hunter and Griffiths⁶). For each species-probability of detection combination, the required sampling intensity was replicated three times. Detection of that species at the given sampling intensity was counted as a success and so there can be a maximum of three successes from the three replicates. $P(\underline{\psi})$ represents the probability of detection for the Hunter and Griffiths⁶ model, $P(A>0)$ represents the probability of detection for the model specified above. Parameter estimates of $p = 0.61$; $\lambda = 13.1$ for *R. dominica*, $p = 0.5$; $\lambda = 17.4$ for *Cryptolestes Spp.* and $p = 0.2$; $\lambda = 13.04$ for *S. oryzae* were estimated from sampling used to populate the model (see text for details).

		$P(A>0)$			$P(\underline{\psi})$		
Probability of Detection (%)		\underline{n}	Silo 1 Successes	Silo 2 Successes	\underline{n}	Silo 1 Successes	Silo 2 Successes
<i>R. dominica</i>	95	3	3	3	1	2	3
	85	2	3	3	1	2	3
	75	1	3	3	1	2	3
<i>Cryptolestes Spp.</i>	95	5	3	3	1	1	2
	85	3	3	3	1	1	2
	75	2	3	3	1	1	2
<i>S. oryzae</i>	95	13	3	3	1	2	0
	85	9	2	2	1	2	0
	75	6	2	1	1	2	0

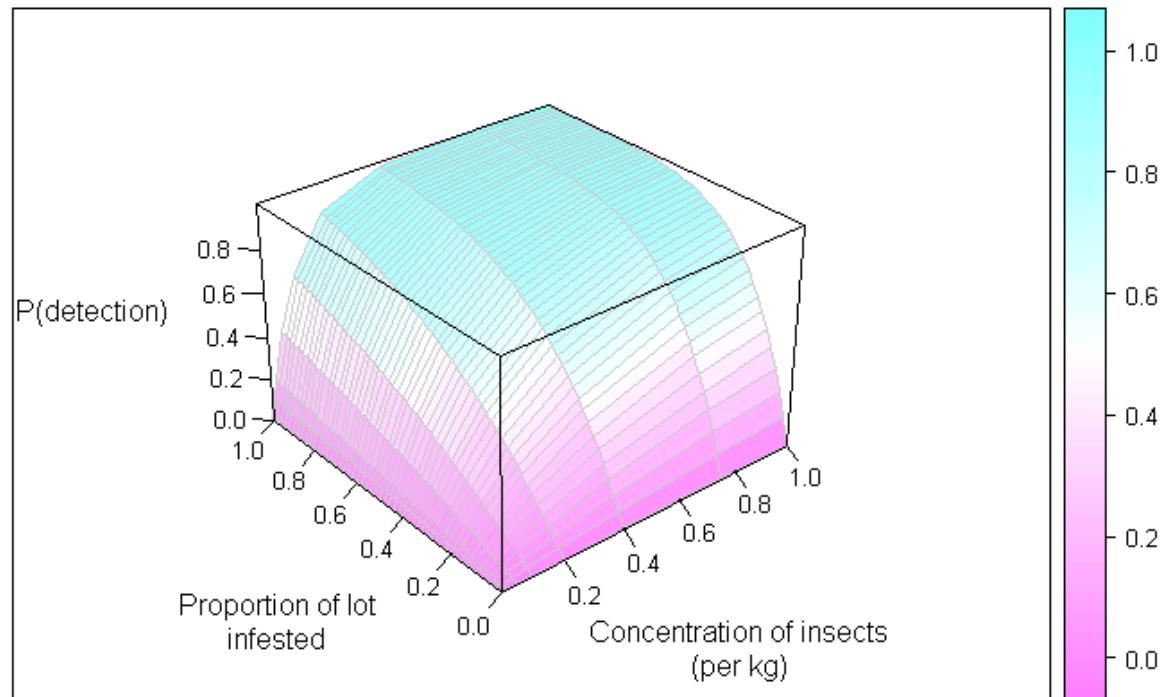
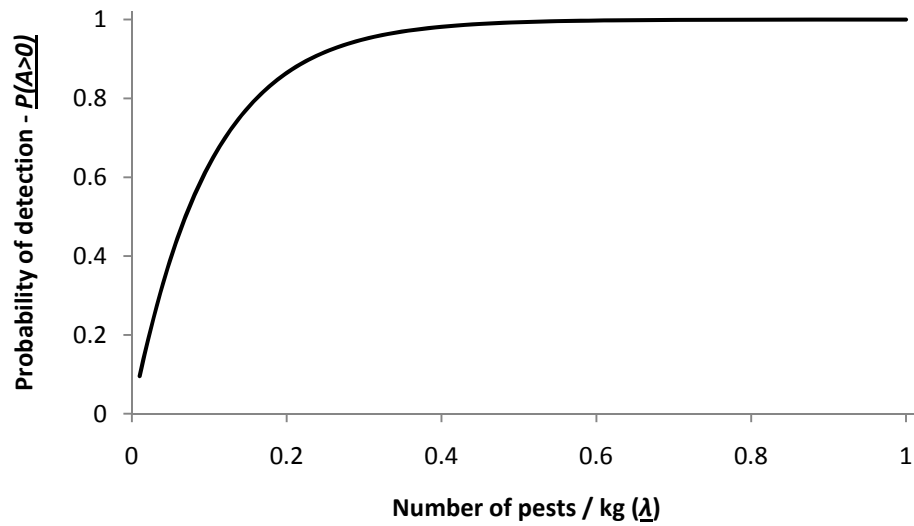


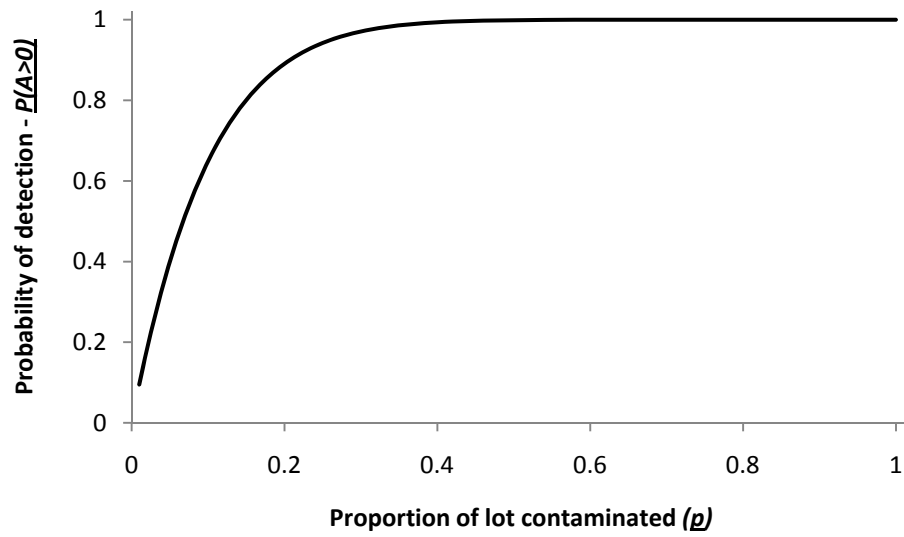
Figure 1. The probability of detecting insects in a grain lot as a function of \underline{p} , the proportion of lot infested, and $\underline{\lambda}$, the rate of infestation when number samples $\underline{n} = 10$ and the weight of samples $\underline{w} = 1$. This represents an intensive sampling rate for a large lot size.⁵



1

2 Figure 2. The probability of detection for varying rates of infestation λ when an entire grain lot is infested ($p =$
 3 1) that is, a homogeneous distribution of insects.

4



1

2 Figure 3. The probability of detecting insects in a grain lot as a function of the proportion of lot infested p as λ
 3 tends towards infinity.

4

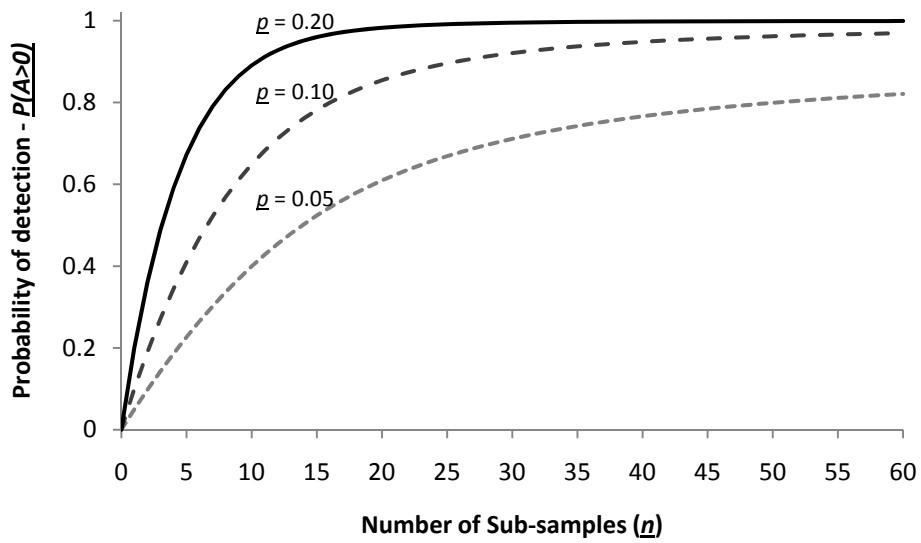


Figure 4a. The probability of detecting insects in a grain lot, in relation to the number of sub-samples drawn for various levels of heterogeneity, p . For the example presented here, n_w is held at a constant 10 kg with $\lambda = 5$.

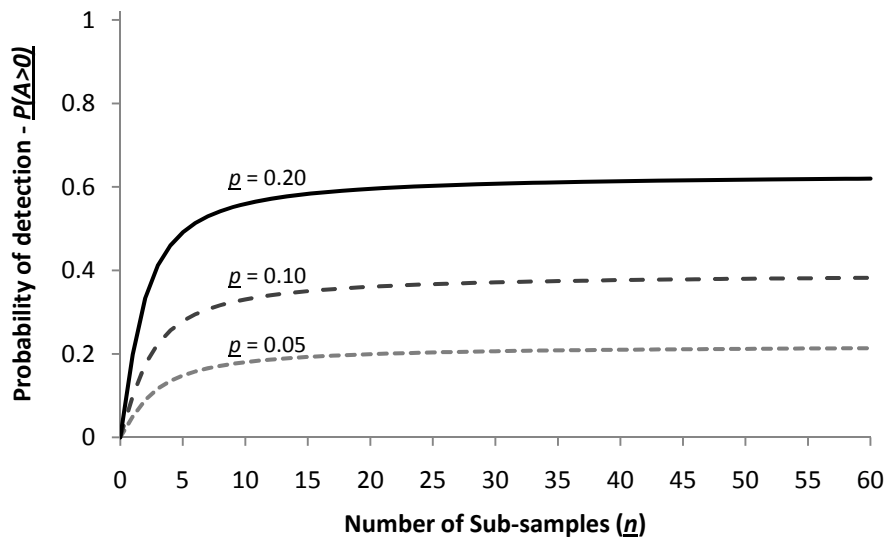
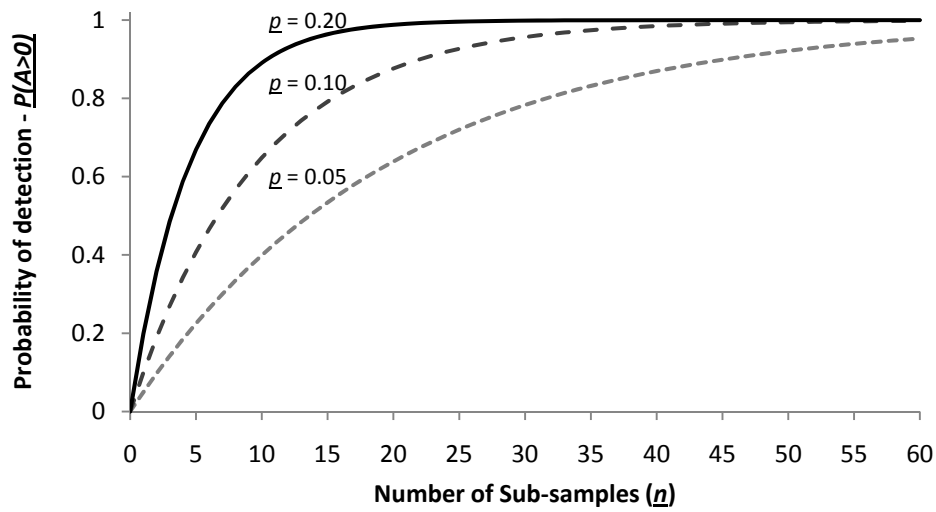
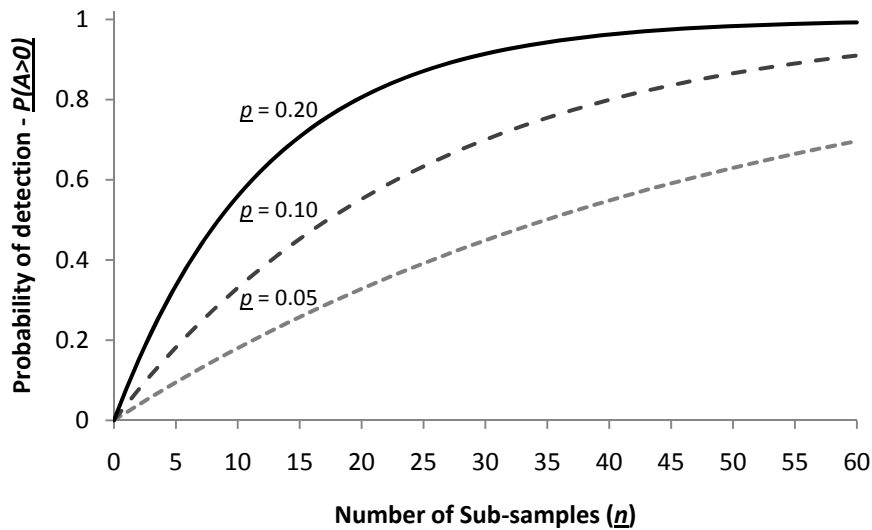


Figure 4b. The probability of detecting insects in a grain lot, in relation to the number of sub-samples drawn for various levels of heterogeneity, p . For the example presented here, n_w is held at a constant 10 kg with $\lambda = 0.5$.



1

2 Figure 5a. The probability of detecting insects in a grain lot, in relation to the number of sub-samples drawn for
 3 various levels of heterogeneity, p . For the example presented here, \underline{w} is held at a constant 1 kg with $\underline{\lambda} = 5$.



4

5 Figure 5b. The probability of detecting insects in a grain lot, in relation to the number of sub-samples drawn
 6 for various levels of heterogeneity, p . For the example presented here, \underline{w} is held at a constant 1 kg with $\underline{\lambda} = 0.5$.