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A SEARCH FOR LINE SHAPE AND DEPTH VARIATIONS IN 51 PEGASI AND τ BOOTIS

TIMOTHY M. BROWN AND RUBINA KOTAK

High Altitude Observatory/National Center for Atmospheric Research,¹ 3450 Mitchell Lane, P.O. Box 3000, Boulder, CO 80307;
brown@hao.ucar.edu, rubina@astro.lu.se

SCOTT D. HORNER

Department of Astronomy and Astrophysics, Pennsylvania State University, 525 Davey Laboratory, University Park, PA 16802; horner@astro.psu.edu

AND

EDWARD J. KENNELLY, SYLVAIN KORZENNIK, P. NISENSEN, AND ROBERT W. NOYES

Harvard-Smithsonian Center for Astrophysics, 60 Garden Street, Cambridge, MA 02138; tkennelly@cfa0.harvard.edu, sylvain@cfa0.harvard.edu,
nisenso@cfa0.harvard.edu, noyes@cfa0.harvard.edu

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ABSTRACT

Spectroscopic observations of 51 Pegasi and τ Bootis show no periodic changes in the shapes of their line profiles; these results for 51 Peg are in significant conflict with those reported by Gray & Hatzes. Our detection limits are small enough to rule out nonradial pulsations as the cause of the variability in τ Boo, but not in 51 Peg. The absence of line shape changes is consistent with these stars' radial velocity variability arising from planetary mass companions.

Subject headings: line: profiles — planetary systems — stars: individual (51 Pegasi, τ Bootis) — stars: oscillations

1. INTRODUCTION

Short-period radial velocity variability of several tens of meters per second has recently been detected in several Sun-like stars, suggesting the presence of planets with roughly Jovian mass in orbits smaller than 0.25 AU (Mayor & Queloz 1995; Butler et al. 1997; Noyes et al. 1997). Gray (1997, hereafter G97) and Gray & Hatzes (1997, hereafter GH) challenged this planetary interpretation, based on evidence for changes, synchronous with the radial velocity variation, in the spectrum of 51 Pegasi. The parameters monitored by G97 and GH were the shape of the Fe I λ 6253 line (parameterized by its bisector shape) and the ratio of the depths of V I λ 6252 and Fe I λ 6253. Line profile changes would not be expected from the gravitational attraction of an orbiting body but would be a natural consequence of dynamic processes (perhaps nonradial pulsations) in the stellar atmosphere. It is important to know whether Gray's challenge is correct; if it is, great efforts are being expended to explain planets that may not exist. We report here the results of an independent spectroscopic study of the stars 51 Pegasi and τ Bootis, searching for confirming evidence for periodic variations in line shape or depth. In order to get the most information out of our moderate-resolution data, we have introduced some new analysis techniques. These and the related modeling of line profiles that have been distorted by nonradial pulsations are described in Brown et al. (1998); here we shall report only our results.

2. OBSERVATIONS AND MODELING

We obtained the observations described here using the Advanced Fiber Optic Echelle (AFOE) spectrograph at the 1.5 m Tillinghast telescope at Mount Hopkins, Arizona. This spectrograph is designed for precise radial velocity measurements and employs several techniques to assure a stable spectrograph

point-spread function (Brown et al. 1994). We observed 51 Peg and τ Boo with the AFOE configured to give $\lambda/\delta\lambda = R \approx 50,000$. A typical observation of each star consisted of a sequence of three integrations, each lasting 10 minutes, and each giving a signal-to-noise ratio of about 150 in the continuum near 600 nm. Because they were intended for radial velocity studies, a large majority of our observations were taken using an I_2 absorption cell. In these data, the stellar spectrum between 500 and 610 nm is heavily blended with the I_2 spectrum; therefore, we did not use this wavelength range in any of our line shape analysis. In most cases, we took only one three-integration sequence each night, but for a few nights we took two such sequences, one at the beginning of the night and one at the end. The observations of 51 Peg consist of 59 spectra, encompassing 20 sequences taken on 18 separate nights between 1995 November 2 and 1996 July 26. Those of τ Boo consist of 90 spectra, 30 sequences, and 23 nights between 1996 June 25 and 1997 March 26. The 56 m s^{-1} radial velocity variation of 51 Peg (period 4.231 days) is clearly evident in these data, as is the much larger (468 m s^{-1} , 3.313 days) variation of τ Boo.

The AFOE's spectral resolution is not high enough to allow useful measurements of spectrum line bisectors. We therefore adopted a different method for characterizing the shapes of spectrum lines—a decomposition in terms of Hermite functions $\mathcal{H}_i(\lambda/\sigma)$, defined by

$$\mathcal{H}_n\left(\frac{\lambda}{\sigma}\right) = \frac{N_n}{\sqrt{\sigma}} \exp\left(-\frac{\lambda^2}{2\sigma^2}\right) H_n\left(\frac{\lambda}{\sigma}\right), \quad (1)$$

where $H_n(\lambda/\sigma)$ is a Hermite polynomial as defined by Abramowitz & Stegun (1972, p. 775), and N_n is a normalization factor given by $N_n = (2^n n! \sqrt{\pi})^{-1/2}$. The decomposition involved representing pieces of spectrum $I(\lambda)$ typically 1.5 nm

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TABLE 1
OBSERVED AMPLITUDES AND ERRORS FOR 51 PEG AND τ BOO

PARAMETER	51 PEG		τ BOO (3.313 days)
	4.231 days	2.575 days	
h_3 (%)	0.147 ± 0.26	0.344 ± 0.38	0.270 ± 0.35
h_4 (%)	0.272 ± 0.42	0.238 ± 0.45	0.148 ± 0.30
h_5 (%)	0.219 ± 0.19	0.323 ± 0.19	0.190 ± 0.17
Line ratio	0.277 ± 0.30	0.416 ± 0.28	...

wide and centered on a fiducial wavelength λ_f as follows:

$$I(\lambda) = C [1 + S(\lambda - \lambda_f)] \left\{ 1 - \sum_j D_j \left[\mathcal{H}_0 \left(\frac{\lambda - \lambda_{cj}}{\sigma} \right) + \sum_{i=3}^5 h_i \mathcal{H}_i \left(\frac{\lambda - \lambda_{cj}}{\sigma} \right) \right] \right\}, \quad (2)$$

where C and S describe the brightness and slope of the local continuum, D_j is the depth relative to the continuum brightness of the j th spectrum line, λ_{cj} is the center wavelength of the j th line, and σ and the coefficients h_i describe the width and the departure from a pure Gaussian shape, assumed common to all the lines. The parts of the line profile described by h_1 and h_2 have been absorbed into λ_c and σ , respectively. Thus, a time series of the h_i coefficients contains all of the line shape information in our observations, while the ratio of the D parameters for the V I $\lambda 6252$ and the Fe I $\lambda 6253$ lines reproduces G97's measurement of line depth ratio. In what follows, we express the line shape coefficients h_i as a percentage of D_j . For the analysis described below, we fitted three (for 51 Peg) or four (for τ Boo) sections of spectrum, each about 1.5 nm wide. These wavelength ranges contained about 60 distinct spectrum lines for each star. This use of multiple lines to gain noise immunity is justified when seeking evidence for pulsations, since both theory and observation (of, e.g., δ Scuti stars; see Kennelly et al. 1998) indicate that pulsations modify line shapes in the same way for all but very strong spectral lines.

To compare our results with those of G97 and GH, we were obliged to model the line shapes emerging from pulsating and rotating stars, computing both Hermite expansion coefficients h_i and line bisector shape indices for a wide range of nonradial pulsation parameters. The modeling process was similar to that described, for example, by Vogt & Penrod (1983), by Hatzes (1996), and by Schrijvers et al. (1997). At each point on a fine grid sampling the observable stellar hemisphere, we computed the line-of-sight component of velocity resulting from the sum of rotation and pulsation. The line profiles emerging from each point were then added together with appropriate Doppler shifts and limb darkening to make up the observed profile from the complete star. We then convolved the disk-integrated profiles with instrumental point-spread functions to give those that would have been observed with $R = 100,000$ (to simulate G97's data) and with $R = 50,000$ (to simulate the AFOE). Last, we analyzed a series of such line profiles computed at various phases of the oscillation cycle as if they were real data, to determine the relationship between measures of bisector shape and our own h_i coefficients.

The principal conclusion from the modeling applies to slowly rotating stars (such as 51 Peg) and to fluid motions (such as

those caused by pulsation) that are sensibly constant over the range of depths where the spectrum line is formed. In this case, our h_3 coefficient, the bisector span S_b , and the bisector curvature C_b all measure essentially the same quantity: the lowest order antisymmetric distortion of the line profile that is not a simple line shift. For the residual flux values used by GH in their line bisector studies (0.85, 0.71, 0.48) and a central line depth of 0.6 (appropriate for Fe I $\lambda 6253$), the proportionality between h_3 , S_b , and C_b turns out to be

$$\sigma h_3 \approx 0.35 S_b \approx -2.2 C_b, \quad (3)$$

where σ is the Gaussian line width parameter in velocity units. For processes (e.g., granulation) involving depth-dependent correlations between velocity and temperature, this equivalence need not hold. But for the circumstances that most concern us, h_3 is a good proxy for the bisector-based measures of line shape oscillation. We also computed the ratio between h_3 and the radial velocity amplitude. This ratio is quite variable, depending upon the mode spherical harmonic degree l , the azimuthal order, the ratio of horizontal to vertical velocities, and the inclination of the pulsation axis. It is nevertheless possible to characterize the typical behavior for each l , which allowed us to estimate how large an h_3 variation to expect, given a measured radial velocity variation. Finally, we found that slowly rotating stars display little change in line shape for a given radial velocity signal, but that the shape changes grow more pronounced as $v \sin i$ starts to exceed the intrinsic line width. Some of these conclusions disagree in important ways with the results of similar modeling by GH (for more details, see Brown et al. 1998).

3. RESULTS OF TIME SERIES ANALYSIS

3.1. 51 Pegasi

We searched for periodic signals in the 51 Peg time series of h_i and line depth ratio in two ways: we computed periodograms of the time series, and we fitted the amplitudes and phases of sinusoidal functions with periods of 4.231 days (the radial velocity period) and 2.575 days (the period of the largest bisector curvature signal seen by GH). No obvious narrowband signals appear in the periodograms at any frequency, for any of the h_i or for the line strength ratio. We therefore used the periodograms merely to provide estimates of the noise in each of the parameters, using for this purpose the values within a frequency range of ± 1 cycle per month about the periods of interest. Table 1 shows the results of the sinusoid fitting, with error estimates taken from the periodograms as just described. For 51 Peg, only the h_5 amplitudes and the line ratio amplitude for the 2.575 day period exceed zero by as much as the estimated error σ ; the largest difference from zero is 1.7σ . For the 4.231 day radial velocity period, we measure the variation in line depth ratio to be a little less than half that reported by G97, but the uncertainty is such that our result is about equally consistent with G97's value or with no variation at all.

What does the nondetection of an h_3 signal mean in physical terms? Two kinds of answers are possible, as illustrated in Figure 1. The line bisector curvature and the h_3 fitting coefficient measure similar characteristics of spectral line asymmetry. The ratio of these two quantities is therefore fairly well defined and is largely independent of model-based assumptions. Thus, one can estimate the h_3 amplitude that corresponds to the 45 m s^{-1} curvature amplitude reported by GH. The resulting amplitude is 2.54%, which is inconsistent with the measured

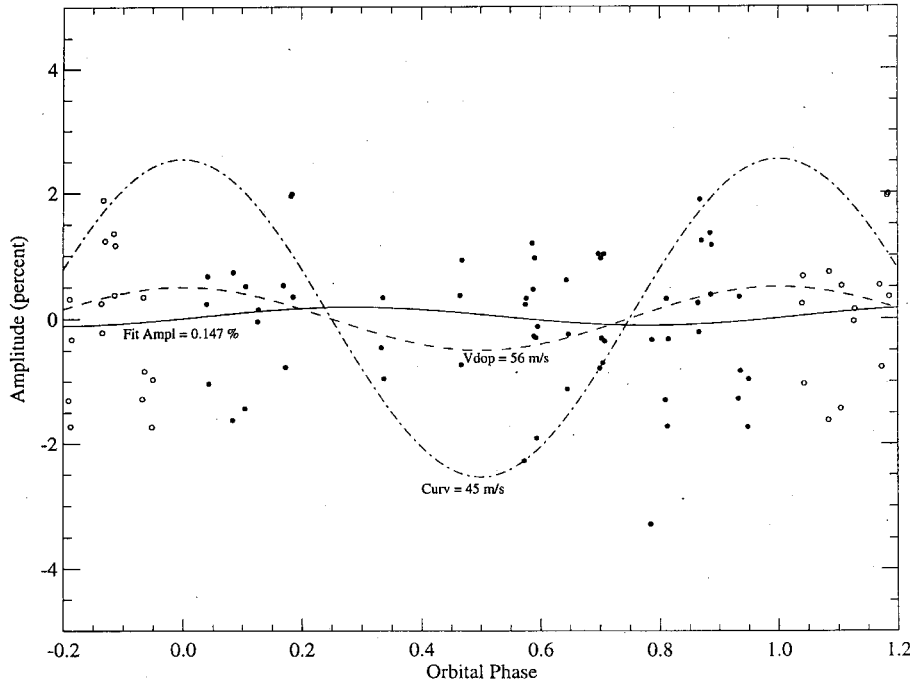


FIG. 1.—The line shape parameter h_3 for 51 Peg plotted against the phase of the radial velocity variation. The filled circles are data points covering one cycle of the radial velocity variation; the open circles are the same data covering a wider phase range, plotted for clarity of the phase relations. The solid curve is a least-squares sine wave fitted to the observations, with amplitude 0.147%. The other curves are the typical h_3 signals expected from pulsation models yielding a radial velocity signal $V_{\text{dop}} = 56 \text{ m s}^{-1}$ (dashed curve) and a line bisector curvature signal of 45 m s^{-1} (dot-dashed curve).

h_3 amplitude with 10σ significance. By this measure, our observations are therefore strongly inconsistent with those by GH. On the other hand, if one assumes a nonradial pulsation with $l = 5$ and an observed radial velocity amplitude of 56 m s^{-1} , then our modeling shows that under typical circumstances the expected amplitudes of all h_i coefficients should be below 0.5%. Such amplitudes are only marginally detectable in our data; therefore, nonradial pulsations cannot be excluded by this test as the cause of the radial velocity signal in 51 Peg. The surface flow velocities associated with this pulsation would peak at about 5 km s^{-1} , so the linearity assumption involved in scaling our model results would probably be violated. However, the dissipation associated with such near-sonic flows would likely cause larger line profile variations than those we calculated, so the actual limit on pulsation amplitude is probably smaller than that given above.

3.2. τ Bootis

The star τ Boo rotates more rapidly ($v \sin i = 15 \text{ km s}^{-1}$) than 51 Peg, and the amplitude of its sinusoidal radial velocity variation (468 m s^{-1}) is a factor of 9 larger (Marcy et al. 1997). Both of these circumstances make pulsations easier to detect in τ Boo than in 51 Peg. If the radial velocity variability of τ Boo were to arise from nonradial pulsations, then our models show that the anticipated signals in h_3 , h_4 , and h_5 should all have magnitudes of several percent.

We searched for such periodic signals in the line shapes of τ Boo just as we did in those of 51 Peg, by examining the periodograms and by fitting sinusoids to the known radial velocity period of 3.313 days. The fitted values and their errors may be found in the last column of Table 1. Again, none of the fitted sinusoid amplitudes are significantly larger than the estimated errors, so no line shape changes at the radial velocity

period have been detected. Since τ Boo is hotter than 51 Peg, its $V \text{ I } \lambda 6252$ line is too weak to allow a meaningful depth measurement. For this reason, Table 1 gives no line depth ratio estimate for this star.

If nonradial pulsations were responsible for τ Boo's radial velocity variation, our models lead us to expect an h_3 amplitude of about 15%. Figure 2 shows the observed h_3 values for τ Boo phased to the radial velocity period, as well as a comparison between the fitted sinusoid and that expected from the pulsation models. In this case, the results are unambiguous: pulsations with large enough amplitude to cause the radial velocity signal would also cause observable distortions of the line shapes, which are not seen.

The h_3 periodogram for τ Boo shows a wide region of excess power between 0.2 and 0.4 cycles day $^{-1}$. However, its amplitude is small (the rms signal associated with this entire band is about 0.6%), and the bandwidth is comparable to the estimated rotation frequency of the star, which is thought to be identical to the radial velocity frequency. Perhaps this h_3 variation results from magnetic active regions rotating across the disk; it may also be associated with the excess radial velocity noise noted in τ Boo by Butler et al. (1997). In any case, it is too small in amplitude and covers too wide a frequency band to be identified directly with the radial velocity signal.

4. DISCUSSION

We summarize our conclusions as follows: (a) We find no evidence for pulsations in 51 Peg. Our upper limits on line shape variations are in significant conflict with the bisector curvature measurements by GH. (b) For the observed radial velocity signal, our models imply line shape variations that are too small to be readily detected, either by our methods or in GH's bisector data. Thus, pulsations are not excluded as an

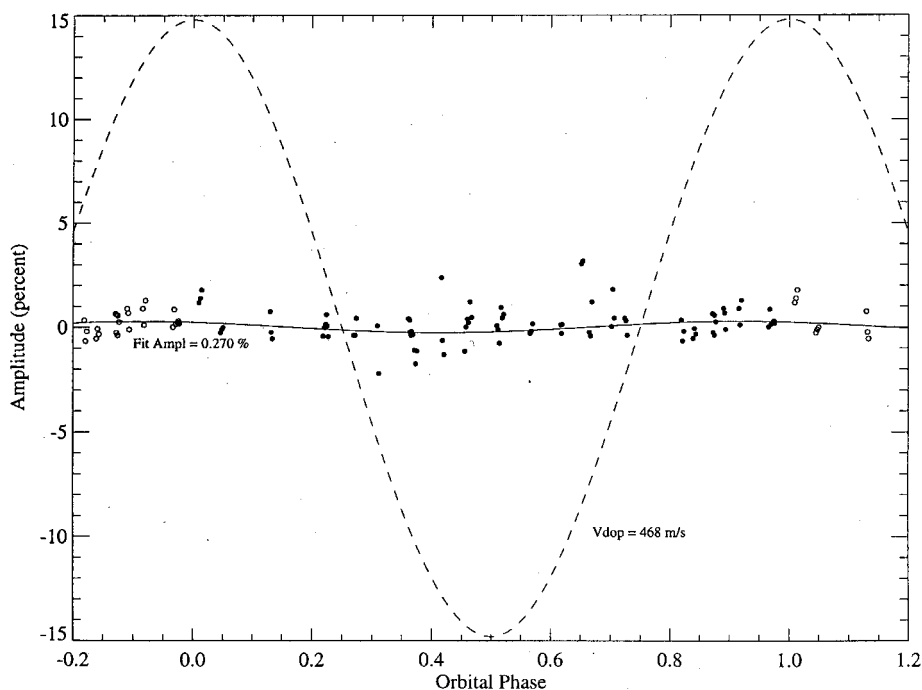


FIG. 2.—Same as Fig. 1, but for τ Boo. In this case, no bisector curvature information is available, so the corresponding (dot-dashed) curve is not shown.

explanation for 51 Peg's radial velocity variability. (c) The radial velocity variability of τ Boo, whose period is similar to that of 51 Peg, does not arise from pulsations.

These conclusions have implications for the study of both extrasolar planets and stellar pulsations. The absence of a pulsation signal in τ Boo supports the idea that companions of roughly Jovian mass may exist in close orbits around Sun-like stars. If one such object circles τ Boo, then it is plausible that another circles 51 Peg, questions about the companions' process of origin notwithstanding. As an issue in stellar seismology, the absence of large-amplitude (by solar standards) pulsations in Sun-like stars would be disappointing but not surprising. Our evidence regarding 51 Peg itself is not conclu-

sive, while the observations by GH raise interesting questions but lack confirmation. Further data on this star may therefore be desirable.

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